

Documentation of 37-Element, Nominal Pressure Tube, Coolant Mixing Model

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Abstract

In this report a new subchannel mixing model that is based on an initial model from references [1,2] is documented. The model is intended for use in the fuel channel behaviour code, FACTAR. The new model predicts the steady state, single-phase (vapour) coolant mixing in 37-element bundles for nominal geometry pressure tubes only. The operating conditions on which the model is based are consistent with those found in the early and late blowdown stages following a large break loss of coolant accident (LBLOCA). It is assumed that coolant mixing is a process consisting of three mixing mechanisms; turbulent diffusion mixing, mixing due to diversion flow around appendages, and buoyancy induced mixing. The model makes use of subchannel mass flow fraction correlations developed from the output of the subchannel mixing code ASSERT PV V3.0. The model predicts the coolant mixing from the 1st bundle to the 12th bundle of a channel. The model implicitly predicts the quantity of heat that is lost to the moderator. The model makes use of mean cross-flow mass transfer correlations developed from the output of ASSERT PV V3.0 in order to improve prediction of coolant mixing under buoyancy dominated flows. The new model gives reasonably accurate predictions of subchannel mixing for both convection and buoyancy dominated flows, and also gives reasonably accurate predictions of heat lost to the moderator.

The new model discussed in this report relies heavily on the use of the ASSERT PV V3.0 subchannel mixing code. There is some speculation as to the ability of ASSERT to properly predict coolant mixing under low flow conditions. For this reason, included in this report is a discussion of the applicability of ASSERT PV V3.0 to the prediction of subchannel mixing under low flow conditions. This discussion revolves around some informative input from the developers of ASSERT. Based on this input it has tentatively been concluded that within the boundary operating conditions and geometry specifications examined in this report, ASSERT results are reasonably trustworthy.

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1. Introduction

This report documents a new subchannel mixing code that is intended for use in the Fuel Channel Behaviour Computer Code FACTAR. It is based on an earlier model documented in references [1,2]. The following paragraph is a synopsis of this earlier model, followed by a synopsis of the new model.

In the initial work in references [1,2], subchannel mixing models were developed that predicted the steady state, single-phase (vapour) coolant mixing in 37-element bundles for both nominal and ballooned geometry pressure tubes. The operating conditions on which the models were based are consistent with those found in the early and late blowdown stages following a large break loss of coolant accident (LBLOCA). The models made use of subchannel mass flow fraction correlations developed from the output of the subchannel mixing code ASSERT PV V2.8. The models assumed that total mixing between adjacent subchannels was dependant on three separate mixing mechanisms; turbulent induced mixing, mixing due to flow diversion around subchannel appendages, and buoyancy induced mixing. The turbulent diffusion mechanism used was the Petrunik single-phase turbulent diffusion correlation. The diversion mechanism was approximated as a diffusion process dependant on the total axial flow in adjacent control volumes. The buoyancy mechanism was approximated as a diffusion process dependant on an overall flow Richardson number. Given the inlet enthalpy distribution to the seventh bundle, the models predicted subchannel mixing from the 7th to the 12th bundles of a channel (the fully developed flow region). The models required that the quantity of heat lost to the moderator be explicitly given in the code.

The new model builds on this initial model, and contains the following main differences;

- a) The new model allows for nominal pressure tube geometry only.
- b) The new model uses the Rogers and Rosehart turbulent diffusion correlation, found in reference [3].
- c) The new model assumes that buoyancy mixing is a mean cross-flow process as opposed to a diffusion process. The quantity of buoyancy cross-flow is given by correlations developed from ASSERT PV V3.0 output.
- d) The new model predicts subchannel mixing along the entire bundle length (from the 1st to the 12th bundle)
- e) The new model implicitly predicts the quantity of heat lost to the moderator.

The steps taken in order to develop and test the new mixing model are as follows:

- a) Choose the appropriate options in an ASSERT PV V3.0 input file for the intended geometry and channel flow conditions.
- b) Define the boundary operating conditions under which the new model must perform, and run numerous ASSERT simulations within these boundary operating conditions.
- c) Choose appropriate bundle control volume designations based on the results of the ASSERT simulations.
- d) Develop correlations to predict the distribution of coolant mass flows in the newly defined control volumes for the entire channel length.
- e) Code in the turbulent mixing mechanism and the diversion flow mixing mechanism.
- f) Code in a moderator heat loss model.
- g) Code in the mean cross flow buoyancy mixing mechanism.
- h) Compare the new model's output to the ASSERT PV V3.0 output.

Each of these steps is discussed in detail in the remainder of the report.

2. Synopsis of ASSERT PV V3.0 Input File

ASSERT PV V3.0 is a transient, quasi-two-fluid computer code developed to predict the heat transfer and fluid flow between CANDU fuel bundle subchannels. The ASSERT PV V3.0 theory manual is found in reference [5]. A subchannel is defined as the flow region bounded by fuel rods, and the imaginary lines that join the fuel rod centres. A gap is defined as the imaginary boundary dividing two subchannels. Figure 1 shows the subchannel designation for a 37-element bundle. The fluid within a subchannel is modelled as 1-dimensional. Mixing between adjacent subchannels accounts for a second and third dimension, creating a quasi 3-dimensional model. The ASSERT code solves the conservation equations for mass, momentum, and energy for the mixture, as well as separate energy equations for the vapour and liquid phases in each subchannel. For the present work, only single-phase mixing was allowed in the ASSERT simulations. The present work involved creating an ASSERT input card, and then varying the channel operating conditions. The ASSERT input card was created with the aid of the ASSERT User's Manual, reference [4]. The four operating conditions that were varied were the channel outlet pressure (MPa), the channel inlet enthalpy (kJ/kg), the channel total mass flow rate (kg/s), and the channel power (MW). The ASSERT input card

written for this work is given in Appendix A. Input card groups of sufficient importance to mention in this section are groups 1, 2, 3, 4, 7, 10, 11 and 16, where;

Group 1 contains the fluid property options

Group 2 contains the friction factor options

Group 3 contains the axial heat flux distribution options

Group 4 contains the subchannel layout and dimension data

Group 7 contains the appendage form loss data

Group 10 contains the mixing model and parameter options

Group 11 contains the channel operating conditions

Group 16 contains the pressure tube heat transfer options

In card group 1, heavy water was chosen as the working fluid, and a heavy-light water property (HLWP) package was chosen for property calculations.

In card group 2, both laminar ($f=64/Re$) and turbulent (the Colebrook-White formula [5]) friction factors were specified. A single-phase, turbulent wall heat transfer coefficient was specified using the Dittus-Boelter correlation. It was learned that a single-phase, laminar wall heat transfer coefficient is implicitly defined in the ASSERT code. The actual Nu number for wall heat transfer is given by the maximum value between these two correlations.

$$Nu = MAX \left\{ \frac{0.023 Re^{0.8} Pr^{0.4}}{7.86} \right\} \quad \text{where,} \quad Nu = \frac{h D_{hyd}}{k}$$

h is the wall heat transfer coefficient (W/m²K).

k is the conduction coefficient of the fluid (W/mK).

D_{hyd} is the hydraulic diameter of the subchannel (m).

Also, the inclusion of gravitational forces was specified in card group 2.

In card group 3, the axial heat flux distribution was defined as a cosine distribution with the axial heat flux-to-average heat flux ratio never exceeding 1.6.

In card group 4, the subchannel geometry and power distribution data was defined as given in Table 1.

Bundle Data	Dimension Length cm
CT Inside Diameter	11.38
PT Inside Diameter	10.338
Bearing Pad Height	0.12
Bundle Diameter	10.212
ΔY Eccentricity	0.063
ΔX Eccentricity	0.0
# Bundles	12

Ring Data	Number of Rods #	Ring Diameter cm	Offset Angle °	Rod Diameter cm	Radial Flux Dist'n
Centre Rod	1	0.	0.	1.312	0.784
Inner Ring	6	2.980	30.	1.312	0.815
Intermediate Ring	12	5.760	15.	1.312	0.917
Outer Ring	18	8.660	10.	1.312	1.129

Table 1: Subchannel Geometry and Power Distribution Data

An option to apply horizontal symmetry in the bundle was invoked in card group 4.

In card group 7, Idelchik's orifice formula was chosen, and the form loss k-factor data was given for the following five types of appendages; bundle endplate, junction gap, bearing pad plane, midplane spacer pads, and midplane bearing pads.

In card group 10, the Rogers and Rosehart turbulent diffusion mixing model was chosen.

In card group 11, the channel operating conditions were specified, and the inlet mass flow fractions of each subchannel were set as proportional to the coinciding subchannel cross-sectional areas.

In card group 16, the moderator temperature was set constant at 79.9°C, and the heat transfer coefficient to the moderator was set at 1000 W/m²K. The pressure tube and calandria tube were modelled as Zirconium - 2.5% Niobium. The PT/CT gap was modelled as CO₂ gas.

At this point some brief discussion of the choice of the Rogers and Rosehart turbulent diffusion mixing model should be made. In card group 10, there are 6 options available to the user for the turbulent diffusion mixing model. The first option is to use no turbulent diffusion mixing at all. The next four options are variations of the Carlucci turbulent diffusion model [5] (which are more intended for predicting two-phase turbulent diffusion). The last option is the Rogers and Rosehart model. The Rogers and Rosehart model is the only available model intended for use in predicting single-phase turbulent diffusion. Turbulent diffusion and the Rogers and Rosehart model are discussed in detail in section 5.2.1.

3. Discussion of Boundary Operating Conditions for the Model

The model documented in this report is intended for use in predicting single-phase vapour mixing during the early and late blowdown stages following a LBLOCA. Channel conditions that typify these stages are given in Table 2.

Boundary Condition	Units	Initial (t=0) Condition	Early Blowdown Period	Late Blowdown Period
bundle geometry		nominal 37-element	same as initial	same as initial
pressure tube geometry		nominal Bruce (uncrept, unballooned)	same as initial	same as initial
bundle placement		eccentric in pressure tube	same as initial	same as initial
k-factors		non-uniform	same as initial	same as initial
Initial channel power	MW	3.2 to 7.2	NA	NA
Channel Thermal Power	%	100 of initial	25 to 8 of initial	8 to 3 of initial
Axial Flux Shape		cosine, max 1.6 times average	same as initial	same as initial
radial flux shape		(.784, .815, .917, 1.129, inside to outside)	same as initial	same as initial
Pressure at outlet	Mpa	9.5	5 to 4	4 to 0.25
Mass flow at inlet	kg/s	25	2 to 0	2 to 0
enthalpy at inlet	kJ/kg	1100	saturated dry steam up to 4000	saturated dry steam up to 4000

Table 2: Channel Conditions Typical of Early and Late Blowdown Stages

Following a LBLOCA (taken from reference [8])

The channel thermal power could reach as high as 25% of the initial channel power which could have been as high as 7.2MW. This means that the channel power to be simulated could be as high as 1.8MW. The channel thermal power can reach as low as 3% of the initial channel power, which could have been as low as 3.2MW. This means that the channel power to be simulated could be as low as 0.1MW, or 100kW.

The channel mass flow could vary between 0 (stagnation) and 2 kg/s. There is a limit to the ability of ASSERT to converge as mass flow rates decrease. It was found that convergence was no longer possible at flow rates below approximately 0.01kg/s (using a nominal geometry pressure tube). There exist other limits to the abilities of ASSERT under low flow conditions. These are discussed in section 8.0.

In the choosing of boundary operating conditions for the model, one important parameter was found to be the ratio of channel power (MW) to channel mass flow (kg/s). It was generally found that ASSERT simulations using ratios of much more than 2.0 (MJ/kg) (with an inlet enthalpy of 2800kJ/kg) predicted subchannel enthalpies in excess of 6000kJ/kg. Generally, enthalpies of this magnitude are outside of heavy water property table ranges. Also, it is in this enthalpy range that heavy water is usually predicted to disassociate into Hydrogen and Oxygen. As a result, only ratios of 0.125,

0.5, 1.0 and 2.0 (MJ/kg) were used. Pressure values of 0.25, 1.0, 2.0, 3.0, 4.0 and 5.0 (MPa), and enthalpy values of 2800, 3400 and 4000 (kJ/kg) were used.

All of this is shown graphically (using a logarithmic scale) in Figure 1. There are 31 channel power/mass flow combinations shown in this figure, and each one is associated with the 6 different outlet pressures, resulting in 186 total simulations. These simulations were all run at inlet enthalpies of 2800 kJ/kg. It was only necessary to test varying inlet enthalpies under high buoyancy flows. Consequently, 98 new simulations at two different enthalpies (49 at 3400 kJ/kg, and 49 at 4000 kJ/kg) were performed under buoyancy dominated flow conditions, resulting in 284 total simulations.

The ASSERT output was analyzed and plotted using Excel and Microsoft Visual Basic macros.

Typically, convection dominated flows resulted from channel mass flow rates of more than 0.1 or 0.2 kg/s, and buoyancy dominated flows resulted from channel mass flow rates of less than 0.1 or 0.2 kg/s

4. Control Volume Designation

The model documented in this report is intended for use in the Fuel Channel Behaviour Computer Code FACTAR. Presently there are three options for predicting subchannel coolant mixing available to FACTAR. These options are the CHAN total mixing (CTM) model, the FACTAR total mixing model (FTM), and the CHAN partial mixing model (CPM). The CTM model assumes no mixing between the flow annuli along the bundle length and complete mixing at the bundle junctions, resulting in four coolant enthalpy calculations (one for each flow annulus). The FTM assumes complete coolant mixing between all annuli, resulting in one coolant enthalpy calculation. The CPM assumes no mixing between the outer annulus and the remaining (three) inner annuli, and complete mixing at the bundle junctions, resulting in two coolant enthalpy calculations. One of the reasons for employing such simple subchannel mixing schemes is that it is expensive for FACTAR to model many fuel elements and/or subchannels. Therefore, any new model that is intended for use in predicting subchannel mixing for FACTAR must limit the number of control volumes that it assumes.

For the model discussed in this report an attempt was made to limit the number of control volumes while still maintaining a reasonable degree of solution resolution. The model takes the 60 subchannels that exist in a 37-element bundle, and combines them

into 14 control volumes. Figure 2 shows the ASSERT subchannel designation for a 37-element, nominal pressure tube geometry fuel bundle. Figure 3 shows the control volume designation that has been implemented for the new model, for the same 37-element fuel bundle.

The method that was used to arrive at the control volume designation shown in Figure 3 was the following. First, all of the channel outlet enthalpy solutions predicted by ASSERT were examined. Then, a typical convection dominated flow outlet enthalpy distribution was compared with a typical buoyancy dominated flow outlet enthalpy distribution. Then subchannels that were predicted to have relatively similar enthalpies under both convection dominated and buoyancy dominated conditions were grouped together to form a new control volume. Figures 4, and 5 show a typical convection dominated enthalpy distribution. Figures 6, and 7 show a typical buoyancy dominated enthalpy distribution. The 3 vertical lines on figures 4 and 6 indicate the 3 divisions between the 4 flow annuli in a 37-element fuel bundle. Figures 5 and 7 are colour gradient scales of the subchannel enthalpies, blue being the coldest subchannels, and red being the hottest subchannels. As can be seen, convection dominated flows generally predict the bottom of the bundle to be the hottest, while buoyancy dominated flows generally predict the top of the bundle to be the hottest.

NOTE: the control volume designation in Figure 3 could very easily be altered to reduce the number of control volumes (and consequently decrease the cost of operating the code in FACTAR), but it would not be so easy to increase the number of control volumes.

5. Details of the Mixing Model

5.1 Control Volume Massflow Correlations

In ASSERT, the control volume mass flow rates are calculated by solving the mass, momentum and energy conservation equations. This detailed description of the heat transfer and fluid flow and the associated computational complexity is beyond the scope of FACTAR. The approach taken with the model documented in this report is the same as the approach taken with the initial models in references [1,2]. The approach is to use the output from the ASSERT simulations to develop correlations to predict the fraction of the mass flow that exists for each control volume. A typical prediction of control volume flow fractions as given by ASSERT is shown in figure 8. Upon examination of

the ASSERT simulation output, it was observed that the mass flow fractions in each control volume remained relatively constant over the entire channel length for all cases. This finding allowed mixing to be predicted along the entire channel length, instead of just the "fully developed region". It was observed that mass flow fractions were highly dependent on channel mass flow rate and pressure, and only mildly dependent on channel power and enthalpy. For this reason the mass flow fractions within the subchannels were correlated as only being dependent on mass flow and pressure. Figures 9 to 22 show the graphical form of the correlations used in the new model. As can be seen, mass flow fractions are independent of pressure for channel mass flows above approximately 0.15 kg/s, and increasingly more dependant on pressure as mass flow decreases below 0.15 kg/s. This change in behaviour at approximately 0.15 kg/s coincides with the transition from convection to buoyancy dominated flow. This reflects the following facts about mixing. In ASSERT the flow fractions are determined by the momentum equation. When buoyancy forces are high, the buoyancy term becomes a dominant factor in the lateral momentum equation. But buoyancy forces are highly dependent on channel pressure. When convection forces are high, the convection term becomes a dominant factor in the lateral momentum equation. But convection forces are independent of channel pressure. This explains why the mass flow fractions are pressure dependent in buoyancy dominant flows, and are pressure independent in convection dominant flows.

The mass flow fractions for channels mass flows above 0.15 kg/s were all fit by logarithmic equations of the following form:

$$\phi_i = D_i \ln(\dot{m}) + E_i$$

All other flow fractions were fit by 2nd order polynomial equations of the following form:

$$\phi_i = A_i \dot{m}^2 + B_i \dot{m} + C_i$$

The mass flow rate fractions for each of the 14 control volumes are calculated in this manner except for the 11th control volume. To ensure that the sum of all mass flow fractions is 1.0, the mass flow fraction of the 11th control volume is calculated as the difference between 1.0 and the sum of the other mass flow fractions. Linear interpolation was used to calculate control volume flow fractions for channel pressures not exactly equal to the nominal pressures tested (ie 0.25, 1.0, 2.0, 3.0, 4.0 and 5.0 (MPa)).

NOTE: It was also attempted to model only the “fully developed region” (7th to 12th bundles) in the new model (as was done in references [1,2]), and more accurate predictions of mixing were achieved. However, implementing this in the new model would require that the inlet enthalpy distribution to the 7th bundle be known. This would necessitate using ASSERT, which would defeat the entire purpose of the new model. As it stands, reasonably good results can be achieved by assuming constant control volume flow fractions along the entire channel.

5.2 Modelling of Heat Transfer and Mixing Mechanisms

The conservation of energy equation for any one control volume i , in the fuel channel can be expressed as follows:

$$0 = \dot{m}_i h_{i,in} - \dot{m}_i h_{i,out} + \sum_{j=1}^{N(i)} \dot{m}_{i,j} (h_j - h_{i,out}) + Q_{i,fuel} - Q_{i,mod}$$

where:

- $h_{i,in}$ Enthalpy of the axial coolant entering control volume i (kJ/kg).
- $h_{i,out}$ Enthalpy of the axial coolant leaving control volume i (kJ/kg).
- h_j Enthalpy of the coolant in the neighbouring control volume j (kJ/kg).
- $\dot{m}_i$ Axial mass flow through control volume i (kg/s).
- $\dot{m}_{i,j}$ Mass exchange between control volume j and control volume i (kg/s).
- $N(i)$ Number of control volumes that surround control volume i .
- $Q_{i,fuel}$ Net quantity of heat added to control volume i by the fuel (kW).
- $Q_{i,mod}$ The quantity of heat lost to the moderator from control volume i (kW).

Assume one is trying to solve for the outlet enthalpy of each control volume for the very first axial node. If the outlet pressure, inlet enthalpy, channel mass flow rate and channel power are all given, then the only unknowns in the equation are $h_{i,out}$ and $\dot{m}_{i,j}$ (the quantity of heat lost to the moderator will be discussed later). The variable we want to solve for is $h_{i,out}$. The challenge of modelling subchannel mixing is to properly predict $\dot{m}_{i,j}$ between adjacent control volumes. The model documented in this report specifies three separate mechanisms that contribute to $\dot{m}_{i,j}$. These mechanisms are turbulent

diffusion, diffusion due to diversion flow around appendages, and mean cross-flow due to buoyancy effects. Therefore:

$$\dot{m}_{i,j} = \dot{m}_{t,i,j} + \dot{m}_{d,i,j} + \alpha_{i,j}\dot{m}_{b,i,j}$$

where:

- $\dot{m}_{t,i,j}$ The mass flow exchange between control volumes i and j due to turbulent diffusion.
- $\dot{m}_{d,i,j}$ The mass flow exchange between control volumes i and j due to diversion flow around appendages.
- $\dot{m}_{b,i,j}$ The mass flow transfer between control volumes i and j due to buoyancy.
- $\alpha_{i,j}$ The direction of flow factor. If the buoyancy flow between i and j is into control volume i, then it's value is +1.0. If the buoyancy flow between i and j is out of control volume i, then it's value is 0.0.

The first two mechanisms assume that mixing between two adjacent control volumes involves an equal exchange (diffusion) of mass between those control volumes. These are reasonable assumptions because it is generally accepted that both turbulence and diversion flow result in diffusive mixing. The last mechanism assumes that the mixing between two adjacent control volumes involves a net transfer of mass between those control volumes. This is reflective of the actual physics because buoyancy mixing (which is caused by a density gradient) is more likely to result in a transfer of mass (than an exchange of mass) from a dense control volume to a less dense control volume. These three mixing mechanisms are fully documented in the following three sections.

5.2.1 Turbulent Mixing Mechanism

The following background knowledge of turbulent modelling is a summary of ideas taken from reference [6].

In a turbulent flow, the fluid velocities and enthalpies (for non-isothermal flows) become irregular and unpredictable. The usual approach taken to model a turbulent flow is to decompose the quantity of interest into a time-averaged component plus a fluctuating component. In this manner, the instantaneous velocity and enthalpy become the following:

$$v = \bar{v} + v'$$

$$h = \bar{h} + h'$$

where,

$\bar{v}$ and $\bar{h}$ Are the time-averaged or mean values of the velocity and enthalpy.

v' and h' Are the fluctuating components of the velocity and enthalpy.

By substituting these equations into the energy equation and time averaging each term in the equation, an additional term representing turbulent transport will arise. This term, which involves a correlation between v' and h' , must be modelled. The approach used in ASSERT-PV to model the transport due to turbulence is the gradient diffusion method:

$$q_i'' = \rho \overline{v'h'} = -\rho \varepsilon_t \left. \frac{\partial \bar{h}}{\partial \psi} \right|_{i,j}$$

where

q_i'' Is the heat transfer per unit area due to turbulent motion.

ρ Is the fluid density.

ε_t Is the turbulent diffusivity.

ψ Represents the coordinate direction joining two adjacent subchannels i and j .

The enthalpy gradient can be written as:

$$\left. \frac{\partial \bar{h}}{\partial \psi} \right|_{i,j} = \frac{h_i - h_j}{z_{ij}}$$

where,

z_{ij} Is the centroidal distance between subchannels i and j .

h_i and h_j Are the time-averaged enthalpies.

The total energy transport due to turbulent fluctuations is obtained by multiplying by the heat transfer area between two adjacent subchannels,

$$A = Lc$$

where,

L is the axial length of a control volume.

c is the width of the gap between subchannels i and j .

$$Q_{ij} = -A\rho\varepsilon_t \frac{h_j - h_i}{z_{ij}} = (Lc)\rho \frac{\varepsilon_t}{z_{ij}} (h_i - h_j)$$

Since the turbulent diffusivity, ε_t , can be expressed as the product of a length scale l and a velocity scale V , the net turbulent heat transfer Q_{ij} can be rewritten as:

$$Q_{ij} = L\omega'_{ij}(h_i - h_j) = \dot{m}_{t,i,j}(h_i - h_j)$$

where:

$$\omega'_{ij} = \rho c \frac{\varepsilon_t}{z_{ij}} = \rho c V \frac{l}{z_{ij}}$$

The quantity ω'_{ij} (kg/ms) is defined as an effective mass flow (per unit control volume length) caused by turbulence. As mentioned in section 2.0, the Rogers and Rosehart [3] correlation option has been chosen for ω'_{ij} in the ASSERT input card. It has also been implemented for the new model documented in this report.

5.2.1.1 Rogers and Rosehart Turbulent Diffusion Model

Through extensive experimentation with ASSERT PV V3.0, it was observed that subchannel mixing solutions are quite sensitive to the turbulent diffusion mixing model implemented (i.e. the correlation for ω'_{ij}). This makes the choice of a turbulent diffusion mixing model quite a critical one. In reference [7], a comparison was made of three relatively well known single-phase, turbulent diffusion mixing models; the Rogers and Rosehart model, the Petrunik model, and the Rehme model. In this work, the author summarizes the assumptions and derivations used to arrive at each correlation, and assesses each model's ability to measure mixing under both air and water conditions. The author's conclusion was that the most appropriate overall model is Rehme's model, but that any of the three models may be used to predict air (or steam) mixing. Because Rehme's model is not available to ASSERT, and also to enable proper comparison to ASSERT results, it was decided that the new model should employ the Rogers and Rosehart model.

The Rogers and Rosehart model:

$$\omega_{ij} = 0.0058\mu \left(\frac{c}{d} \right)^{-0.46} \text{Re}_{i,j}^{0.9}$$

The Rogers and Rosehart turbulent diffusion model is considered valid for Reynolds numbers of greater than 2000. Therefore, the above correlation will over predict mixing for Reynolds numbers of less than 2000. It was discovered that the model implemented

in ASSERT uses a slightly altered version of the above correlation in order to minimize this over prediction.

ASSERT version of the Rogers and Rosehart model:

$$\varpi_{ij} = 0.0058 \left(\frac{c}{d} \right)^{-1.46} (SM_i G_i + SM_j G_j) c$$

$$SM_i = \left(1 + \left(\frac{D_{h,j}}{D_{h,i}} \right)^{1.5} \right) \left(\frac{D_{h,i}}{2d \text{Re}_i^{0.1}} \right) \text{ (And vice verse)}$$

Where,

- c Gap width between the two control volumes (m).
- d Average diameter of fuel pins around the gap (m).
- SM_i ASSERT implemented laminar mixing reduction factor.
- G_i Mass flux ($\text{kg}/\text{m}^2\text{s}$).
- $D_{h,i}$ Hydraulic diameter of control volume i (m).
- Re_i Reynolds number in control volume i .

Because the new model involves control volumes that could contain more than one gap between neighbouring control volumes (in contrast to ASSERT's subchannels), another factor ($N_{i,j}$) has to be applied in order to evaluate $\dot{m}_{i,j}$.

$$\dot{m}_{i,j} = N_{i,j} L \varpi_{i,j}$$

Where,

- $N_{i,j}$ The number of gaps that separate control volume i and j .
- L The length of an axial node (the length of one fuel bundle, in this case).

5.2.2 Diversion Induced Mixing

Diversion induced mixing is the transfer of energy between adjacent control volumes caused by obstructions (fuel bundle appendages) in the axial flow path. It produces local flows across the gaps between the control volumes. The diversion induced mixing in ASSERT is modelled by applying K-factors (which simulate pressure drops near the appendages), subchannel area changes and subchannel wetted perimeter changes, for each appendage. The effect of the appendages is to produce small, local fluctuations in flow enthalpy, and to increase overall mixing slightly. The local fluctuations can be

considered as unimportant in terms of the solution resolution required for FACTAR. Therefore, only the slight effect of the overall mixing needs to be modelled. The approach taken for the new model is to simply say that the mixing effect of the appendages can be approximated by a diffusion process, and that the degree of mixing that occurs is proportional to the total axial mass flow rate through the adjacent control volumes. Therefore the following correlation was implemented in the new model:

$$\dot{m}_{d,i,j} = k_{i,j}(\dot{m}_i + \dot{m}_j)$$

Where,

$\dot{m}_i$ Axial mass flow through control volume i.

$\dot{m}_j$ Axial mass flow through control volume j.

$k_{i,j}$ Constant applied to the gap between control volumes i and j.

The method of calculating $k_{i,j}$ was quite simple. A convection dominant simulation was run with ASSERT, the ASSERT coolant enthalpy solution was compared to the new model enthalpy solution, and the value of $k_{i,j}$ was varied until the new model predicted the same degree of mixing as ASSERT. A good value for $k_{i,j}$ turned out to be 0.02.

NOTE: it is believed that the diversion flow mixing model could be improved as follows. Using ASSERT, simulations over a wide range of operating conditions could be performed with both the buoyancy option and the turbulent diffusion option turned off (only appendage induced mixing allowed). Then correlations could be developed from the ASSERT output that predict the value of $\dot{m}_{d,i,j}$ given the operating conditions. As this would be a somewhat time consuming task, time constraints did not allow for this to be performed. However, the new model would benefit from future work in this area.

5.2.3 Buoyancy Induced Mixing

As the axial Reynolds number of the coolant decreases, the degree of buoyancy induced mixing that takes place increases. Ideally, the Richardson number of two control volumes would predict the degree of buoyancy mixing between those two control volumes (where the Richardson number is a measure of the vertical force compared to the horizontal force, on a volume of fluid). The Richardson number shared by two adjacent control volumes can be defined using the combined Grashof and Reynolds numbers of the two control volumes, as follows:

$$Ri = \frac{Gr}{Re^2}$$

$$Gr = \frac{\bar{\rho}_{i,j} g c^3 \Delta \rho_{i,j}}{\mu^2} \text{ And } Re = \frac{G_{i,j} D_h}{\mu}$$

Where,

- $\bar{\rho}_{i,j}$ The mass weighted average density of control volumes i and j (kg/m³).
- g Acceleration due to gravity (m/s²).
- c Gap width between control volumes i and j (m).
- $\Delta \rho_{i,j}$ Difference in density between control volumes i and j (kg/m³).
- μ Average viscosity of control volumes i and j (kg/ms).
- $G_{i,j}$ Mass flux through control volumes i and j (kg/m²s)
- D_h Combined hydraulic diameter of control volumes i and j (m).

An attempt was made to predict the degree of buoyancy mixing between control volumes by using this Richardson number and by assuming that the mixing was a diffusion process. Unfortunately, this attempt proved unsuccessful. The reason for this eventually became evident, as follows.

Upon further examination of ASSERT results under buoyancy dominated flow conditions, it was observed that there existed a consistent pattern of flow circulation in the fuel bundle, along the entire channel. This result implied that ASSERT models buoyancy mixing as a net mass transfer between control volumes, and not as a mass exchange between control volumes. The quantities of mass transfer through each gap were consistently the same, **relative to one another**. This implied that it was possible to specify the quantity of mass transfer across a gap by using a symbolic mass flow (proportional to the actual mass flow) in combination with some proportionality constant, as follows:

$$\dot{m}_{b,i,j} = \kappa \dot{m}_{\text{sym},i,j}$$

Where,

- κ Proportionality constant.
- $\dot{m}_{\text{sym},i,j}$ Symbolic mass flow from control volume i to control volume j (kg/s).

This symbolic mass flow is based on the pattern of mass flow circulation that was observed under buoyancy dominated conditions.

The proportionality constant was observed to be dependent on the channel pressure, channel mass flow rate, and channel inlet enthalpy. Numerous simulations were performed with the intent of developing a correlation between the proportionality constant, and the three operating conditions upon which this mass transfer was dependant (channel pressure, channel mass flow rate, and channel inlet enthalpy). Correlations of the following form for a proportionality constant were developed for each of the six tested channel pressures (0.25, 1.0, 2.0, 3.0, 4.0, 5.0 MPa):

$$\kappa = Cx^2 + Dx + E$$

With,

$$x = \left(\frac{Q_{chan}}{\dot{m}_{chan}} \right)^3 + \left(\frac{h_{chan}}{1000} \right)^3$$

Where,

Q_{chan}	Channel power (MW)
$\dot{m}_{chan}$	Channel mass flow rate (kg/s)
h_{chan}	Channel inlet enthalpy (kJ/kg)
C, D, E	Proportionality constant coefficients

The proportionality constant ranges in value from 0 and 1. The prediction of mass transfer due to buoyancy between control volumes is performed for both buoyancy and convection dominated flows. However, for convection dominated flows, the quantity of mass transfer due to buoyancy is insignificant in comparison to the quantity of mass exchange due to turbulent diffusion, and therefore it has no effect on the overall mixing. Figure 23 shows the curves that were used to arrive at the correlations for the proportionality constant. Linear interpolation is used to predict the proportionality constant for channel pressures that are not exactly equal to the nominal pressures (0.25, 1.0, 2.0, 3.0, 4.0, 5.0 MPa).

NOTE it is believed that the buoyancy mixing mechanism could be improved in a manner similar to the potential improvement outlined for the diversion flow mixing mechanism. Multiple simulations could be performed with the turbulent diffusion, and appendage form loss data options turned off (only buoyancy induced mixing allowed). Better correlations for the mass transfer due to buoyancy between adjacent control volumes could be developed. Again this would be a time consuming process, but the new model would benefit from such work.

5.2.4 Moderator Heat Loss

It is generally known that heat loss to the moderator is essentially insignificant for nominal pressure tube geometries in CANDU reactors. However, in section 3.0 it was mentioned that during the late blowdown stage of a LBLOCA, channel powers can reach as low as 0.1MW (100kW). Sufficiently low channel mass flow rates combined with such low channel powers can produce enthalpy solutions that are quite sensitive to the degree of heat lost to the moderator. It was for this reason that a moderator heat loss scheme was implemented in the model. The scheme assumes only radial heat transfer in the walls. This assumption is valid considering the small thickness of the walls (pressure tube, CO² gap, and calandria tube) in comparison to the radius of the pressure tube. Using a resistance method, the heat lost to the moderator takes the following form (taken from reference [9]):

$$Q_{i,mod} = \frac{T_{i,cool} - T_{mod}}{R_{tot}}$$

$$R_{tot} = \frac{1}{2\pi r_1 L h_{i,cool}} + \sum_{m=1}^{NW} \frac{\ln\left(\frac{r_{m+1}}{r_m}\right)}{2\pi k_m L} + \frac{1}{2\pi r_{NW} L h_{mod}}$$

Where,

- $T_{i,cool}$ Temperature of coolant for control volume i (K).
- T_{mod} Temperature of moderator (K).
- R_{tot} Total resistance to heat transfer from coolant to moderator (K/W).
- $h_{i,cool}$ Convection coefficient for coolant in control volume i (W/m²K).
- h_{mod} Convection coefficient of moderator (W/m²K).
- k_m Conduction coefficient of wall segment m (W/mK).
- NW Number of wall segments.
- r_m Radius of wall at wall segment m (m).
- r_1 Inner radius of Pressure tube (m).
- r_{NW} Outer radius of Calandria tube (m).
- L Length of one axial node (m).

Of course, only control volumes adjacent to the pressure tube wall can lose heat to the moderator.

Solving for the heat lost to the moderator in each control volume, in each axial node is an iterative process because both $h_{i,cool}$ and k_m are property dependant, as follows:

$$h_{i,cool} = \left(\frac{k_{i,cool}}{D_{h,i}} \right) 0.023 \text{Re}_i^{0.8} \text{Pr}_i^{0.4}$$

(This is simply the Dittus-Boelter correlation for turbulent wall heat transfer)

$k_{i,cool}$ Conduction coefficient of the coolant in control volume i (W/mK).

$D_{h,i}$ Hydraulic Diameter of control volume i (m).

k_m is solved for by using a correlation that is dependant on the wall segment material, and the material temperature. The same correlations for k_m used by ASSERT were implemented for the new model.

When solving for $h_{i,cool}$, there was some confusion as to whether to use unsaturated vapour properties, or saturated liquid properties. This confusion was due to the fact that a liquid film could exist on the inside surface of the pressure tube, depending on the channel conditions. ASSERT assumes a liquid film in all cases, but in many circumstances, it may be more reasonable to assume no liquid film. For this reason, an option exists in the new model code to let the user choose between using unsaturated vapour properties or saturated liquid properties. Convergence of the enthalpy solution in the new model is two to three times better when saturated liquid properties are used, instead of unsaturated vapour properties.

6. Numerical Implementation of Model

The computer code written for the new model can be found in Appendix B. This code simply builds upon the code documented in references [1,2].

The numerical implementation of the model is described in this section. As discussed in section 5.2, the conservation of energy equation for any one control volume can be expressed as follows:

$$0 = \dot{m}_i h_{i,in} - \dot{m}_i h_{i,out} + \sum_{j=1}^{N(i)} \dot{m}_{i,j} (h_j - h_{i,out}) + Q_{i,fuel} - Q_{i,mod}$$

Where,

$$\dot{m}_{i,j} = \dot{m}_{t,i,j} + \dot{m}_{d,i,j} + \alpha_{i,j} \dot{m}_{b,i,j}$$

This energy equation can be rearranged to isolate for $h_{i,out}$, as follows:

$$\left(\dot{m}_i + \sum_{j=1}^{N(i)} \dot{m}_{i,j} \right) h_{i,out} = \dot{m}_i h_{i,in} + \sum_{j=1}^{N(i)} \dot{m}_{i,j} h_j + Q_{i,fuel} - Q_{i,mod}$$

This equation was then solved for each control volume using a simple Point Gauss Seidel (PGS) solver.

The code written for the model consists of three nested loops.

The outer loop is the axial node advancement loop. Since one axial node is equivalent to one bundle, the loop solves the bundle enthalpy for each control volume from bundle #1 to bundle #12.

The middle loop is the property and wall temperature update loop. The coolant properties are solved using the same heavy water property package as is used by ASSERT. The middle loop solves the bundle enthalpy until either a maximum number of iterations is reached, or a minimum residual error is reached.

The inner loop is the PGS solver. It sweeps through the control volumes (from 1 to 14, and then backwards to 1), until either a maximum number of iterations is reached, or a minimum residual error is reached.

The code also solves the enthalpies that would be predicted by the FACTAR Partial Mixing model FPM, which is currently available in FACTAR.

7. Comparison of Results

Figures 24 to 59 show comparisons between ASSERT generated enthalpy solutions, and the new model generated enthalpy solutions. Six simulations were chosen from each of the six different tested channel outlet pressures. Simulations for channel powers lower than 25kW were not included in these results (100kW is the very lower bound of the channel power expected to exist during the late blowdown stage following a LBLOCA).

Better agreement between ASSERT results and the new model results was observed for convection dominant conditions in comparison to buoyancy dominant conditions. However, reasonably good agreement was found for all simulations run within the boundary operating conditions specified in section 3.0.

It is believed that the largest source of difference between ASSERT results and the new model results is the constant flow fraction assumption (discussed in section 5.1). It is

more reasonable to assume constant flow fractions for only the fully developed region, rather than for both the developing and fully developed regions. However this would require that the inlet enthalpy distribution to the fully developed region be known. Since the only way to predict this enthalpy distribution is with ASSERT, constant flow fractions must be assumed over the entire channel length.

8. Validity of using ASSERT under Low Flow Conditions

Some components of the new model rely heavily on the use of the ASSERT PV V3.0 subchannel mixing model. Specifically, the control volume flow fraction calculation and the buoyancy mass transfer calculation are both based on correlations derived solely from ASSERT output. For this reason it is important to be aware of any limitations that may be associated with ASSERT. For instance, there exists some speculation as to the ability of ASSERT to properly predict mixing under low flow conditions. The following discussion is meant only as a source of information about this speculation, rather than a challenge of this speculation. Ultimately, a tentative conclusion is made in this discussion regarding the applicability of ASSERT to predicting low flow mixing for the channel operating conditions discussed in this report.

The source of the above mentioned speculation stems from the assumptions that are made in the ASSERT axial momentum equation. If the axial velocity in subchannel i is ' u ', and the lateral velocity from subchannel i to j is ' v ', then a comprehensive axial momentum model would contain u^2 terms, uv terms, and v^2 terms. The assumption that is made in the ASSERT model is that the v^2 terms are negligible. This is a perfectly valid assumption for convection dominated flows, but it becomes increasingly less valid as the Richardson number (discussed in section 5.2.3) increases. The developers of ASSERT were contacted by email in an attempt to establish under exactly which conditions ASSERT results could no longer be trusted. The reply was that **'reasonable' results can still be obtained from ASSERT when the lateral velocity (the value of v) is no more than an order of magnitude greater than the axial velocity (the value of u)**. Some may argue that when v is an order of magnitude greater than u , the assumption that the v^2 terms are negligible is no longer valid. The developers argue that v may be one order of magnitude larger than u in only a fraction of the subchannels, and therefore the code could still, on the whole, predict reasonably

accurate mixing. The entire email correspondence with the developers of ASSERT is included in Appendix C (read from the bottom of the correspondence to the top). For each simulation performed with ASSERT, the channel averaged axial velocity in each subchannel was compared with the channel averaged lateral velocity in each gap associated with that subchannel, and ratios of lateral velocity to axial velocity (v/u) were calculated. It seems logical that this ratio (v/u) should increase with the following trends: decreasing mass flow rates, increasing pressure, and increasing channel power to channel mass flow rate ratios. By this logic, the maximum value for this ratio should occur at the highest pressure, the lowest mass flow, and a channel power to channel mass flow rate of 2.0 (which is the highest such ratio tested). This turned out to be true. The highest lateral velocity to axial velocity ratio (v/u) observed for any subchannel in any of the 284 ASSERT simulations was 0.267. The average lateral velocity to axial velocity ratio for this case was 0.142. This value was observed under the following channel operating conditions:

$$P_{chan} = 5.0 \text{ MPa}$$

$$\dot{m}_{chan} = 0.015 \text{ kg / s}$$

$$Q_{chan} = 0.03 \text{ MW}$$

$$h_{i,chan} = 2800 \text{ kJ / kg}$$

In no tested case did the lateral velocity ever come close to one order of magnitude larger than the axial velocity. This implies the tentative conclusion that ASSERT can be trusted to properly predict low flow rate mixing within the boundary operating conditions examined in this report.

Unsurprisingly, the maximum ratio of lateral velocity to axial velocity under convection dominated flows remained quite constant at a value of about 0.014. The average ratio of lateral velocity to axial velocity for these cases was about 0.009.

9. References

1. M.F. Lightstone to N. Wahba, "Draft Documentation of 37-Element Nominal Pressure Tube Coolant Mixing Model", February 1997.
2. M.F. Lightstone to N. Wahba, "Draft Documentation of 37-Element Ballooned Pressure Tube Coolant Mixing Model", September 1997.
3. J.T. Rogers, R.G. Rosehart, "Mixing by turbulent Interchange in Fuel Bundles. Correlations and Inferences", ASME, 72-HT-53, 1973
4. V.C.Frisina, E.K.Zariffah, G.M.Waddington, N.Hammouda, L.N.Carlucci, P.Pfeiffer, "ASSERT-PV V3R0 User's Manual", FFC-FCT-327, COG-00-270, RC-2558, November 2000.
5. N.Hammouda, L.N.Carlucci, G.M.Waddington, "ASSERT-PV IST V3R0: Software Theory Manual", RC-2545, FFC-FCT-322 (Rev.0), August 2001.
6. M.F.Lightstone, "Intro to Turbulence", Computational Fluid Dynamics Course Notes, McMaster University, April 2002.
7. O.Eiff, "Single-phase turbulent Mixing Models for use in ASSERT-PV", Department of Mechanical Engineering, U of Toronto, September 1996.
8. R.Rock to H.Sills and N.Wahba, "Verification of Boundary Conditions for Subchannel Mixing Study using ASSERT-PV", N-03310 T10 RSOAD, August 1996.
9. F.P.Incropera, D.P.DeWitt, "Introduction to Heat Transfer", 3rd Edition, John Wiley & Sons, 1996

Figures 1-59
Are included in the following 59 pages

Figure #1
Boundary Operating Conditions

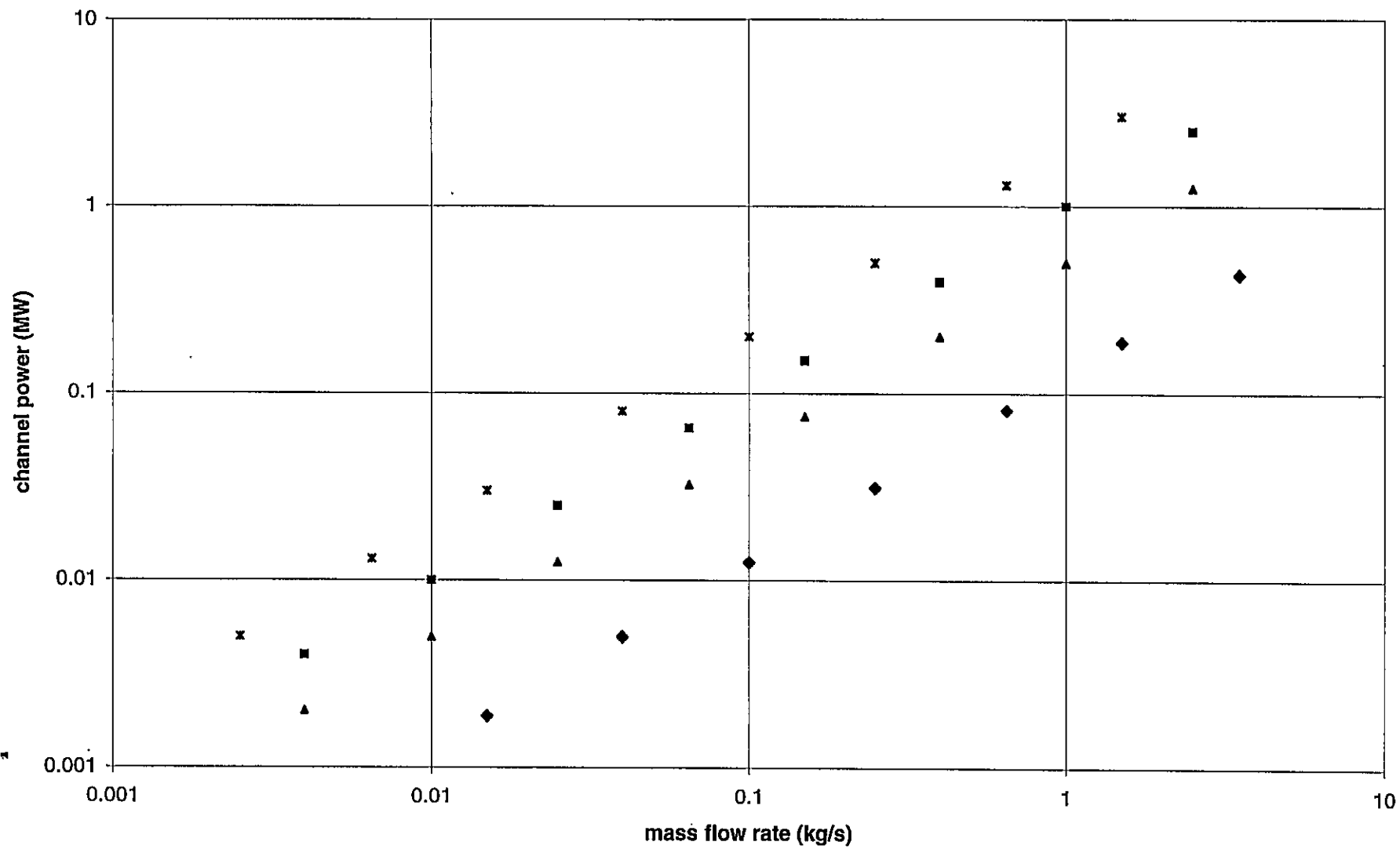


Figure #2
ASSERT Subchannel Designations

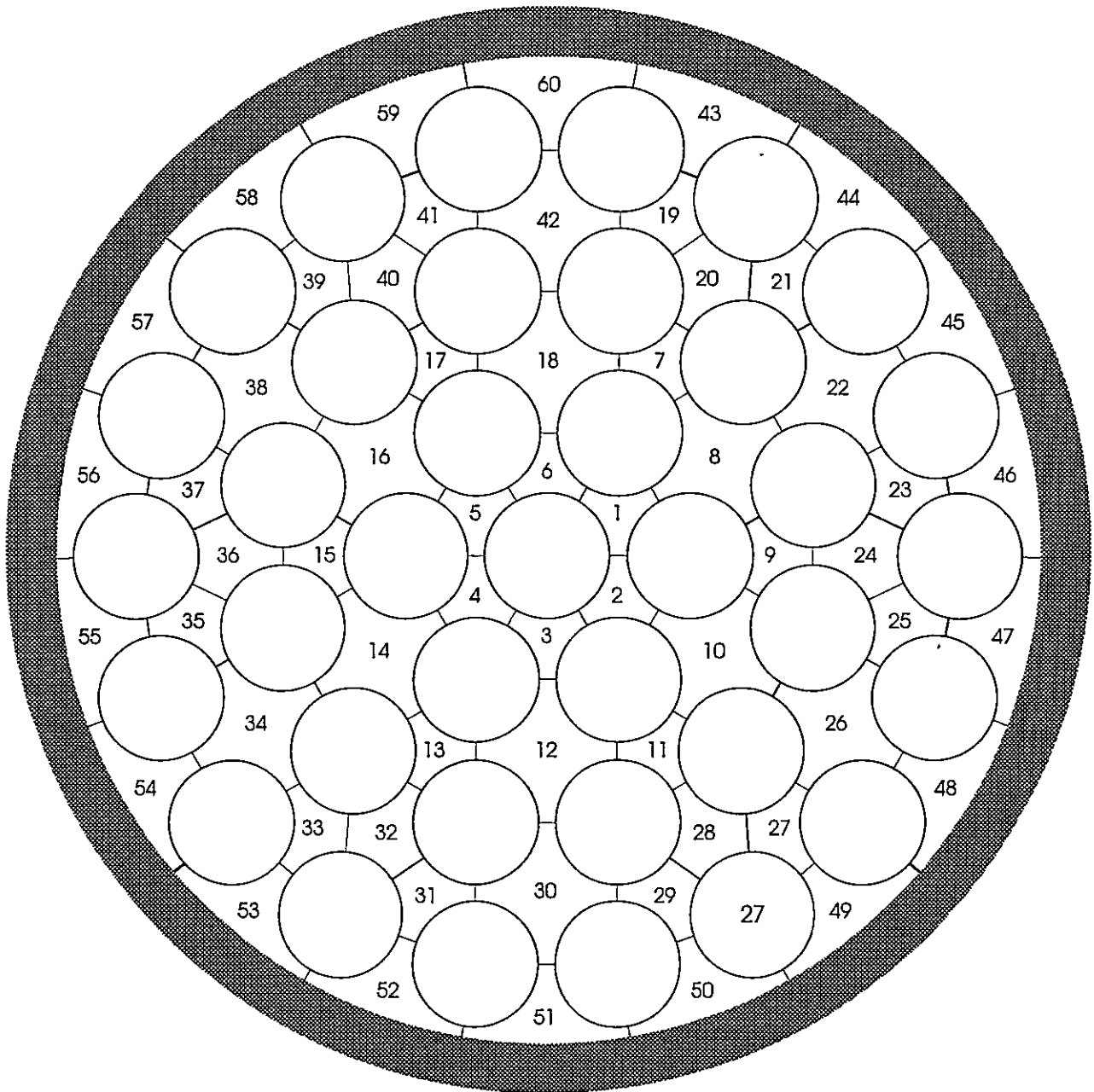


Figure #3
New Model Subchannel Designation

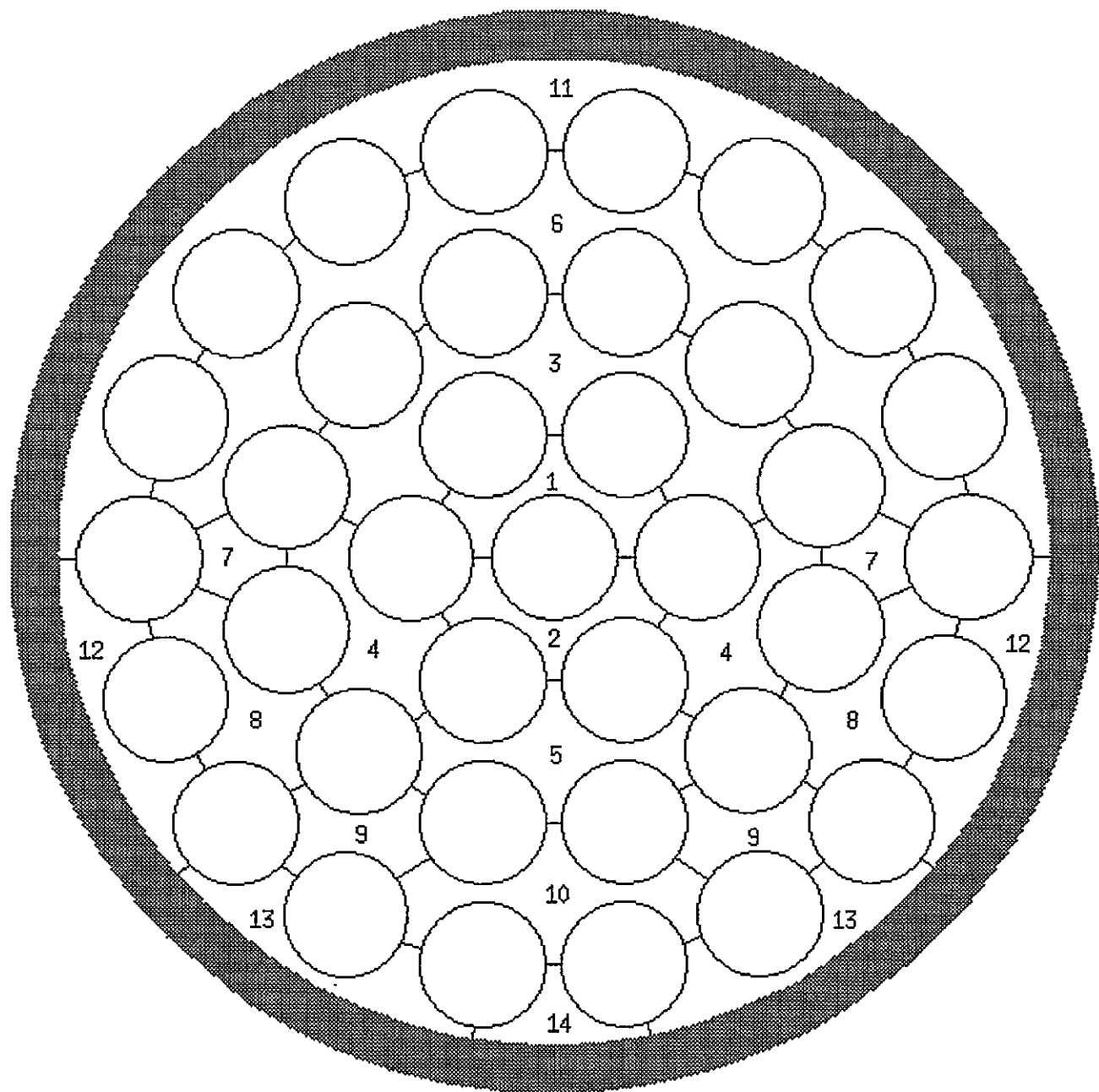


Figure #4
Outlet Enthalpy for
Typical Convection Dominant Flow

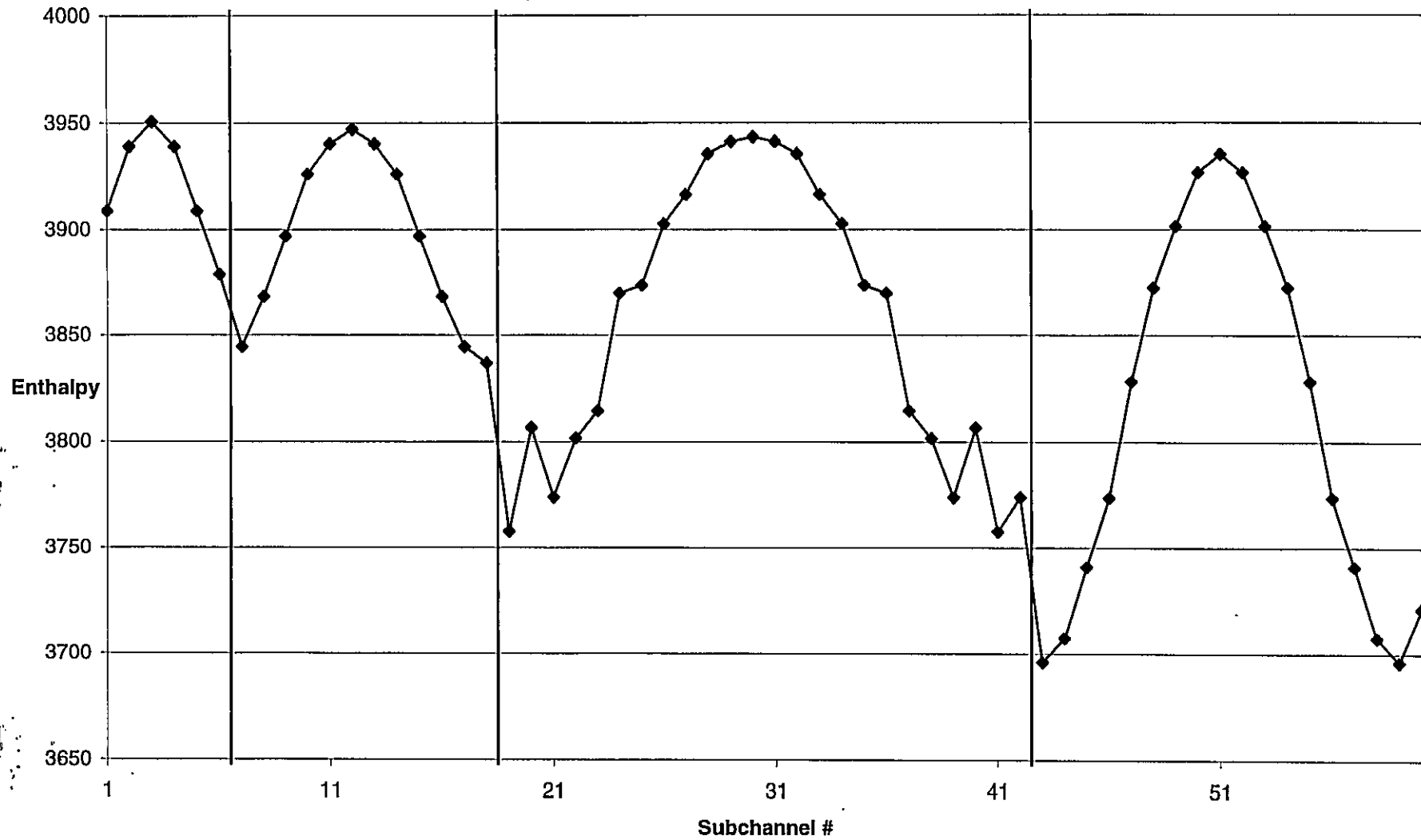


Figure #5 Outlet Enthalpy for Typical Convection Dominant Flow

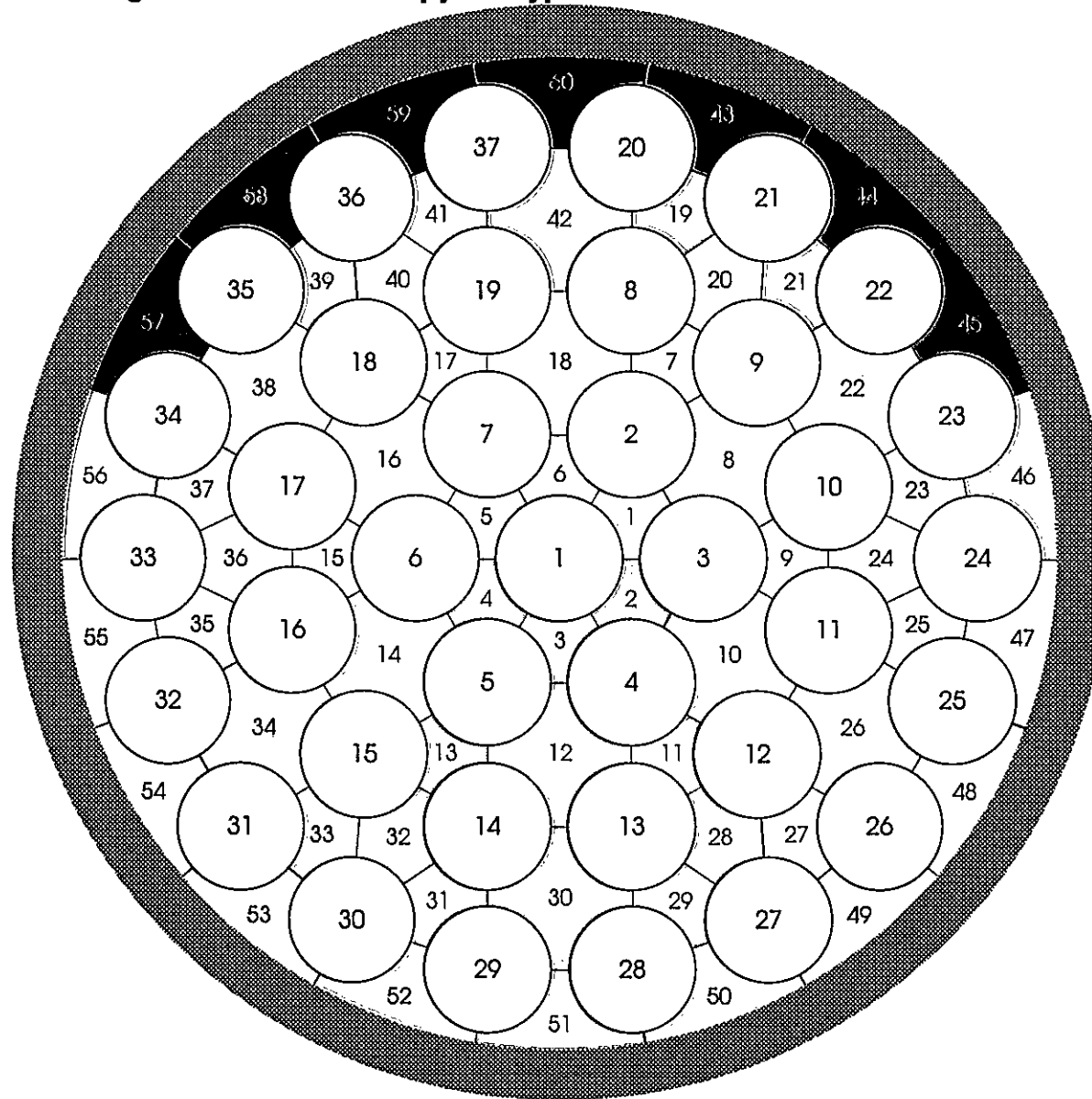


Figure #6
Outlet Enthalpy for
Typical Buoyancy Dominated Flow

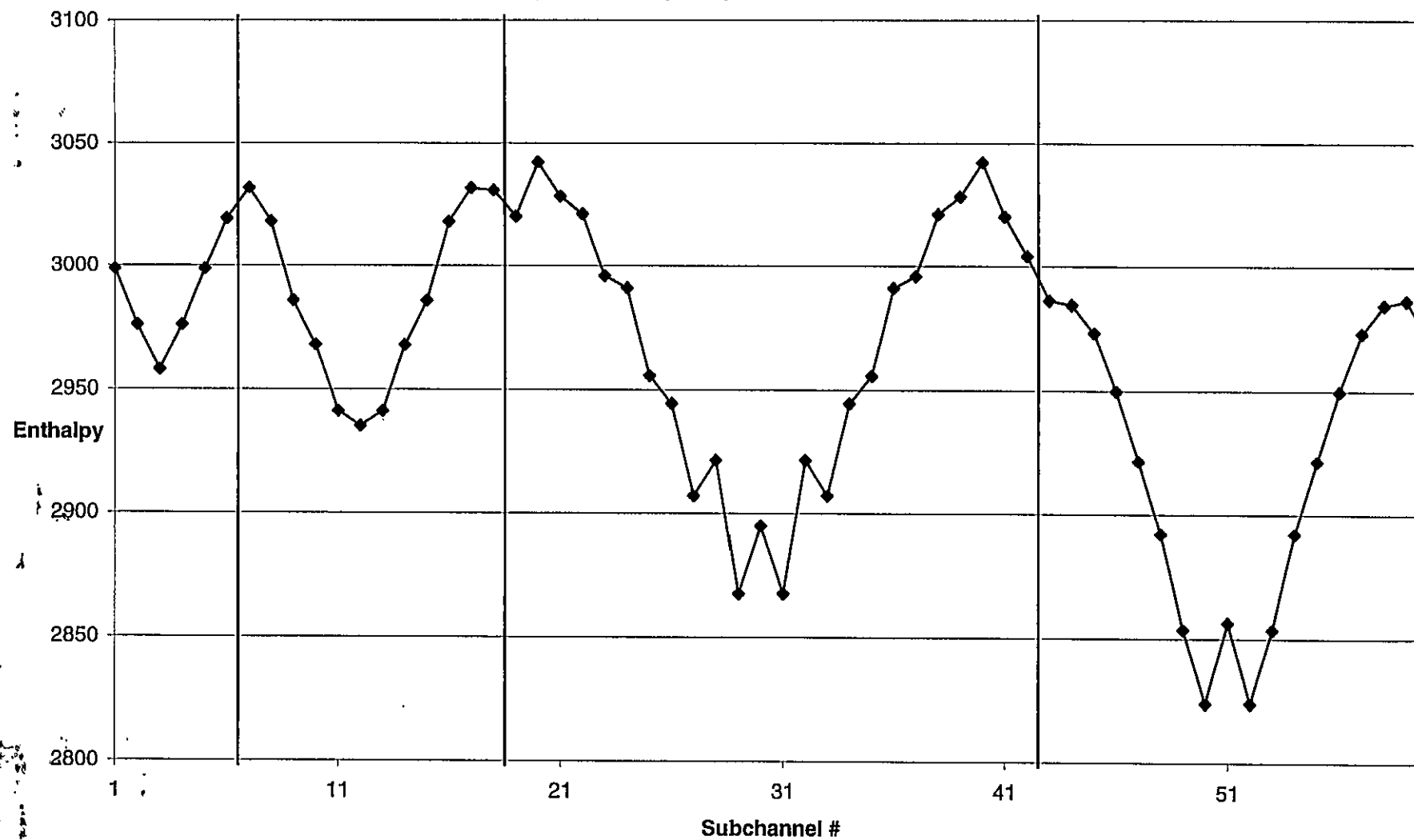


Figure #7: Outlet Enthalpy for Typical Buoyancy Dominated Flow

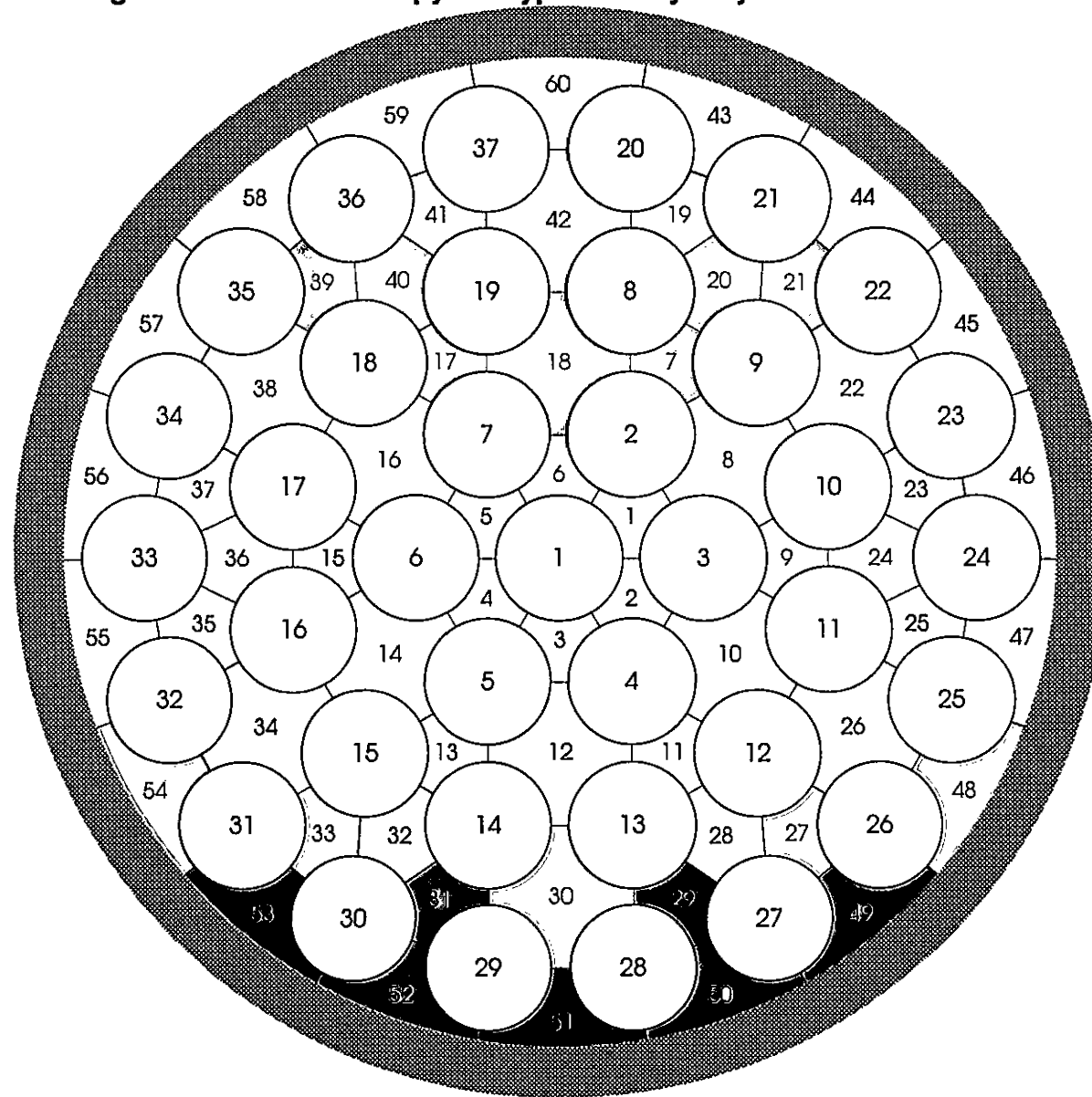


Figure #8
Typical CV Flow Fractions

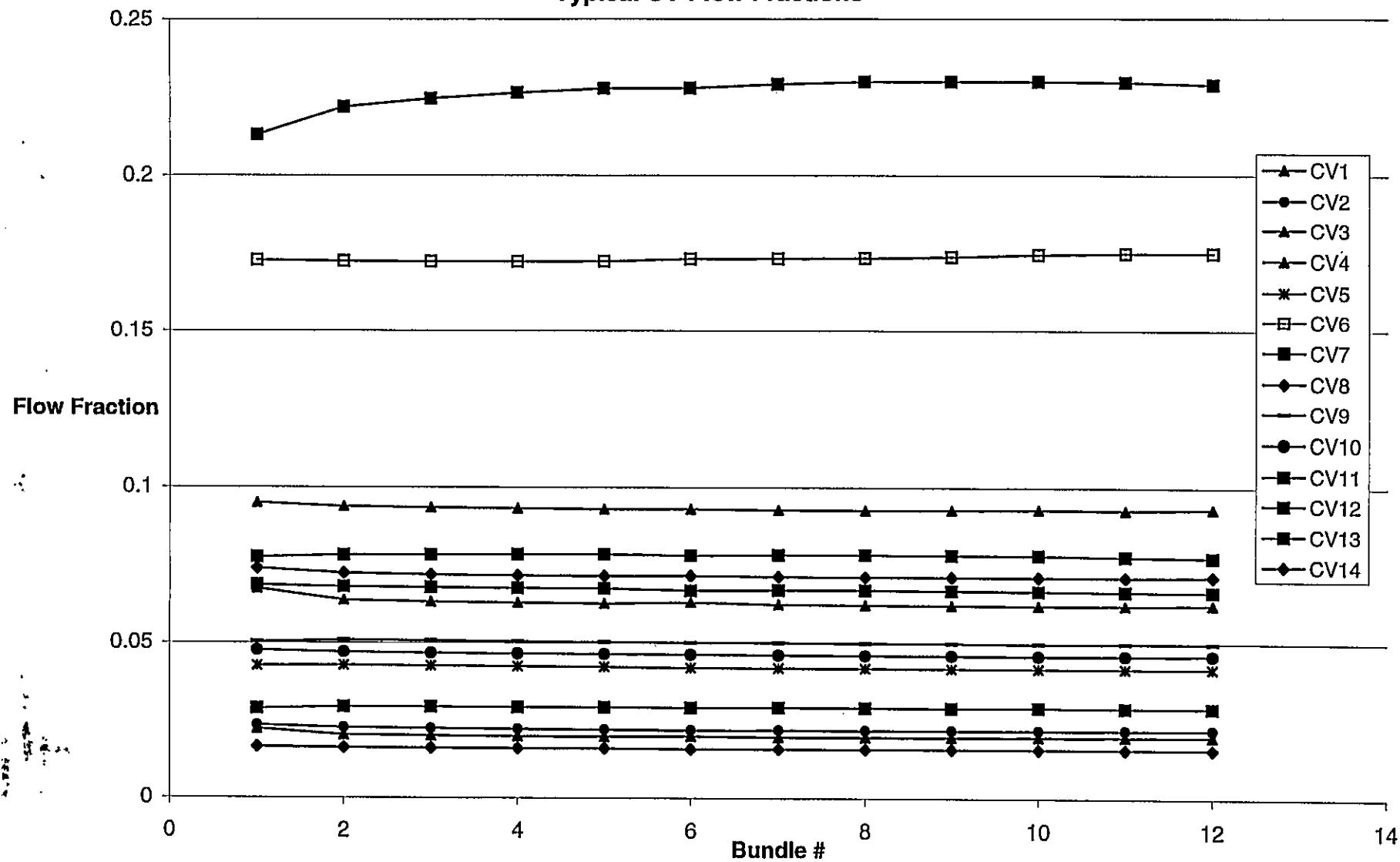


Figure #9
Flow Fractions for CV #1

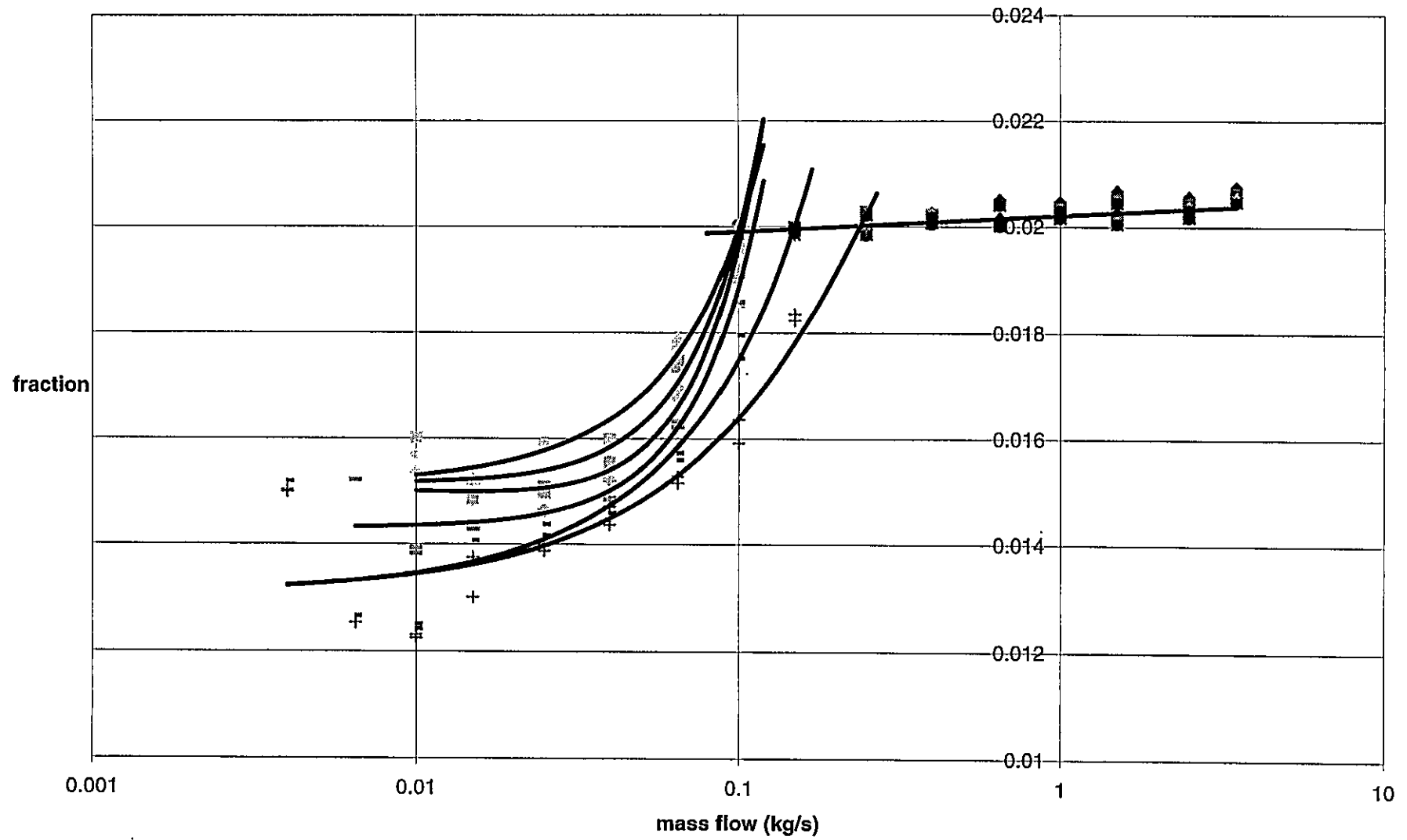
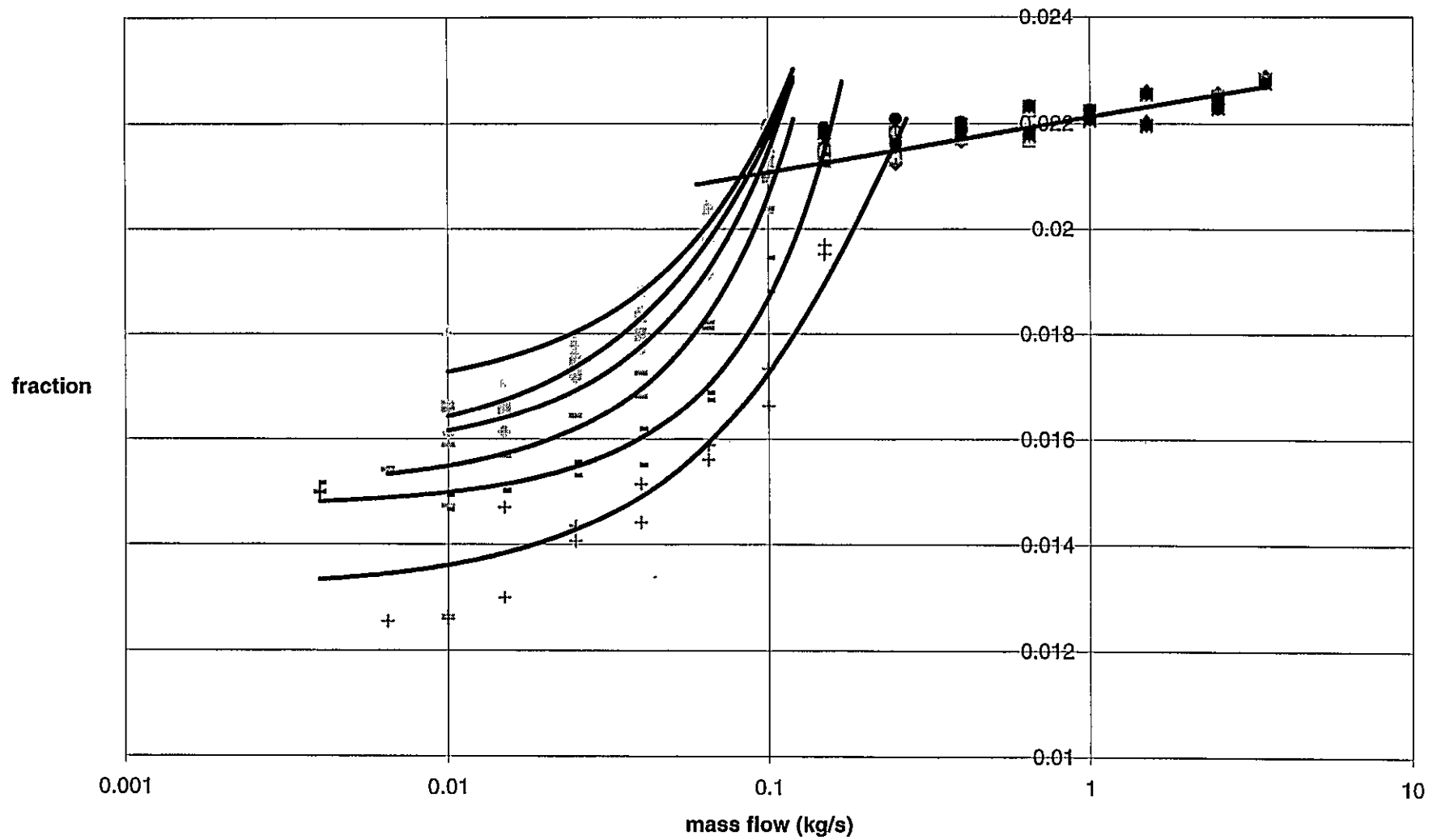


Figure #10
Flow Fractions for CV #2



Flow Fractions for CV #3



Figure #12
Flow Fractions for CV #4

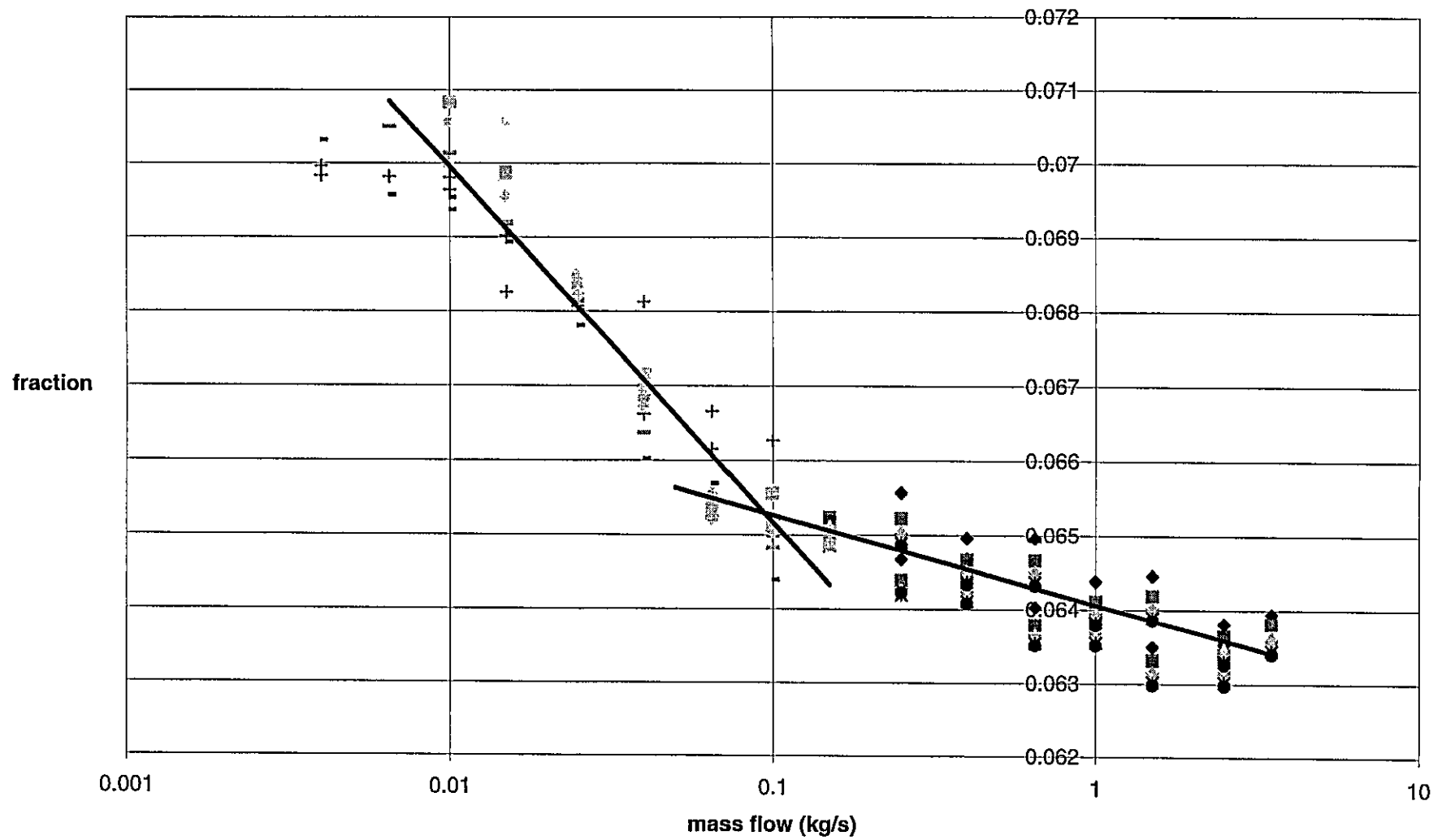


Figure #13
Flow Fractions for CV #5

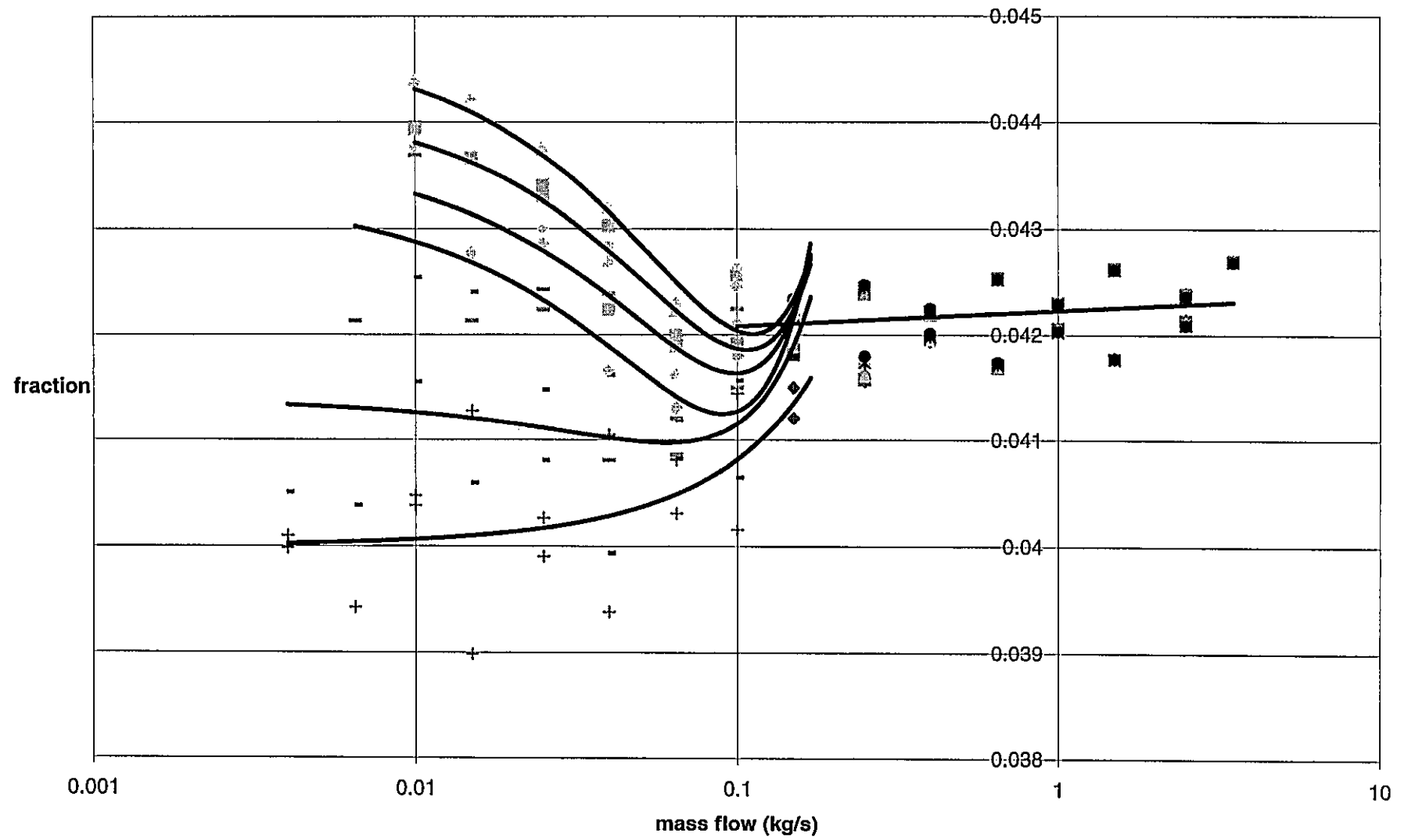


Figure #14
Flow Fractions for CV #6

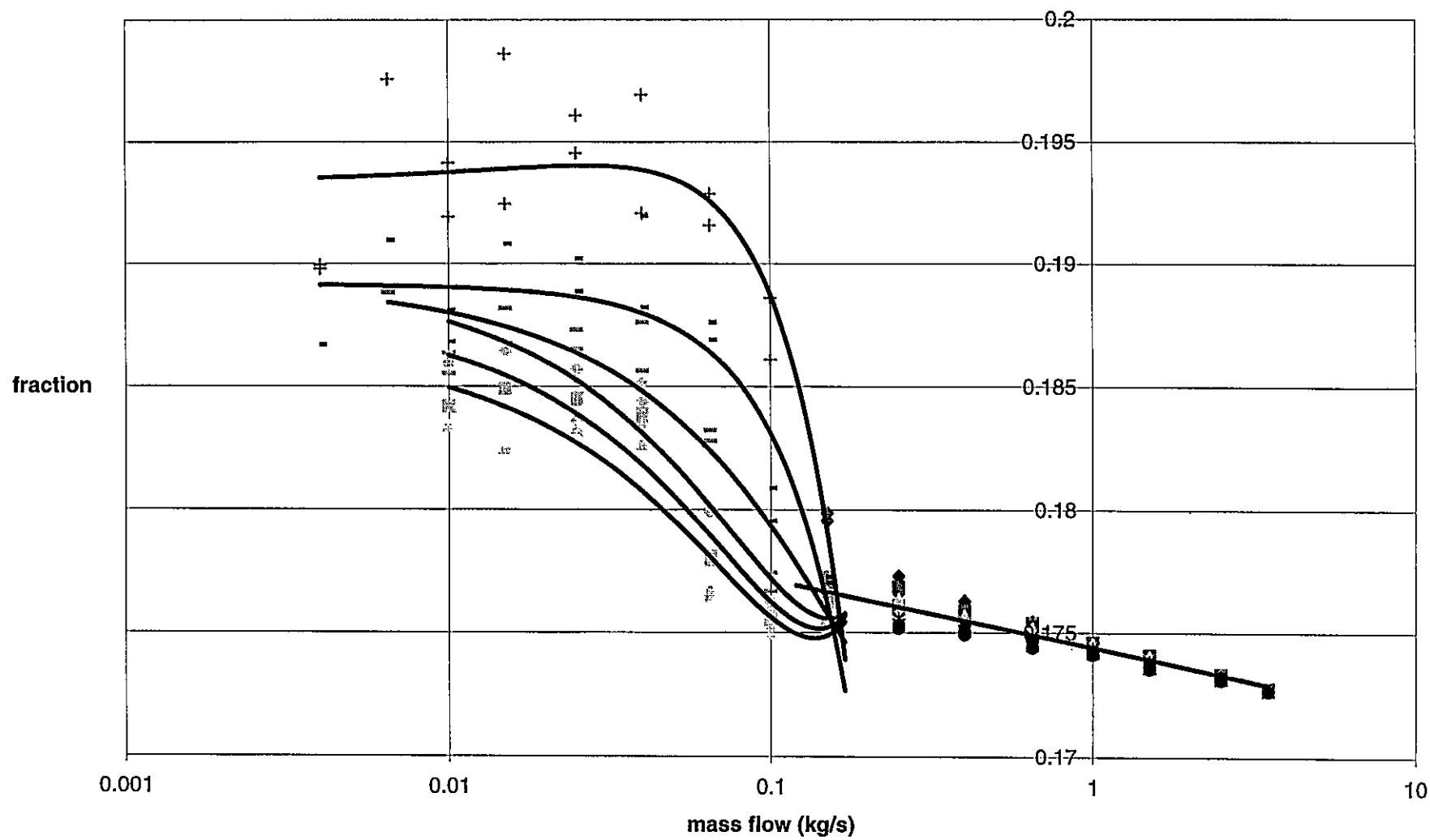


Figure #15
Flow Fractions for CV #7

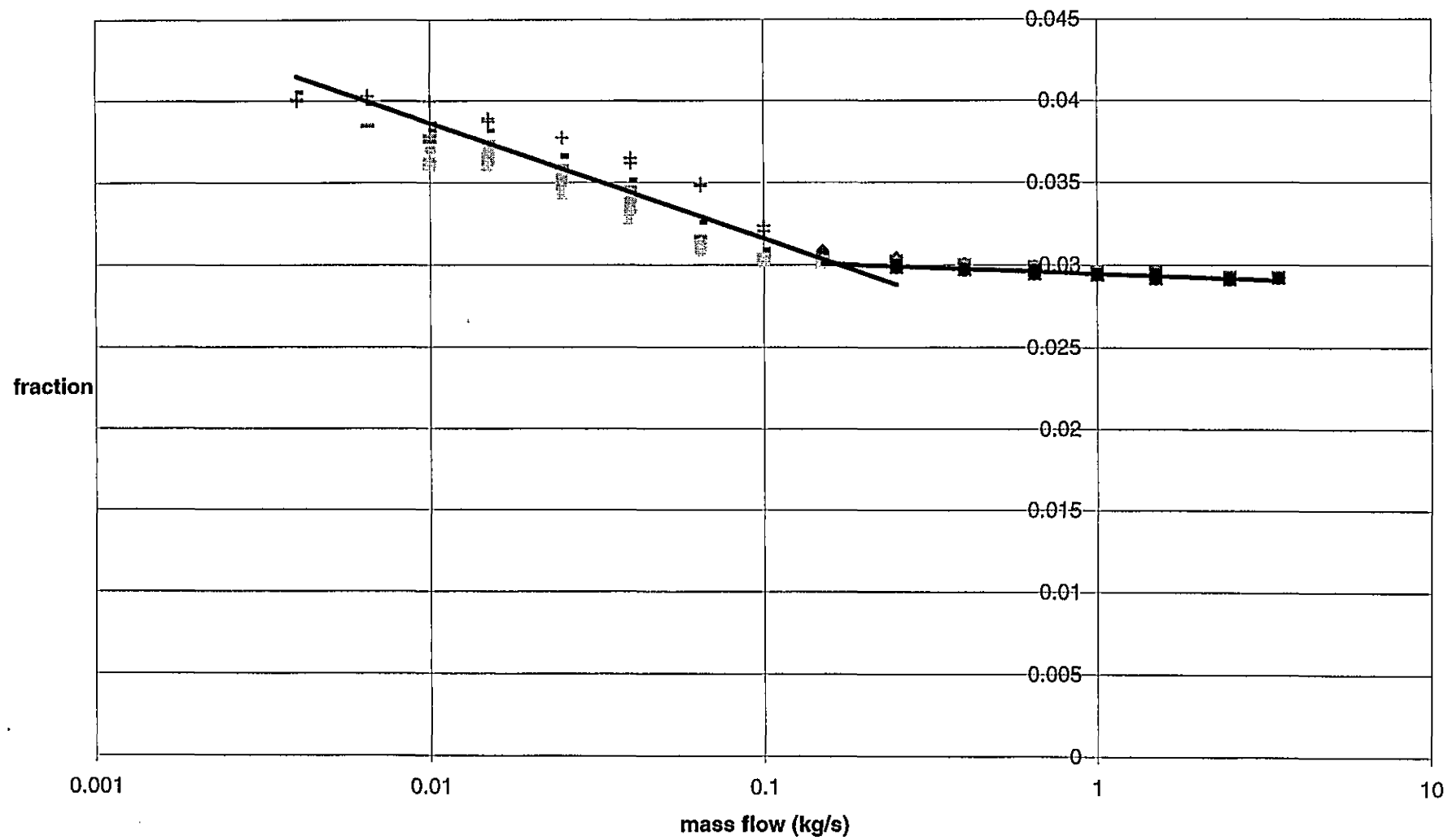


Figure #16
Flow Fractions for CV #8

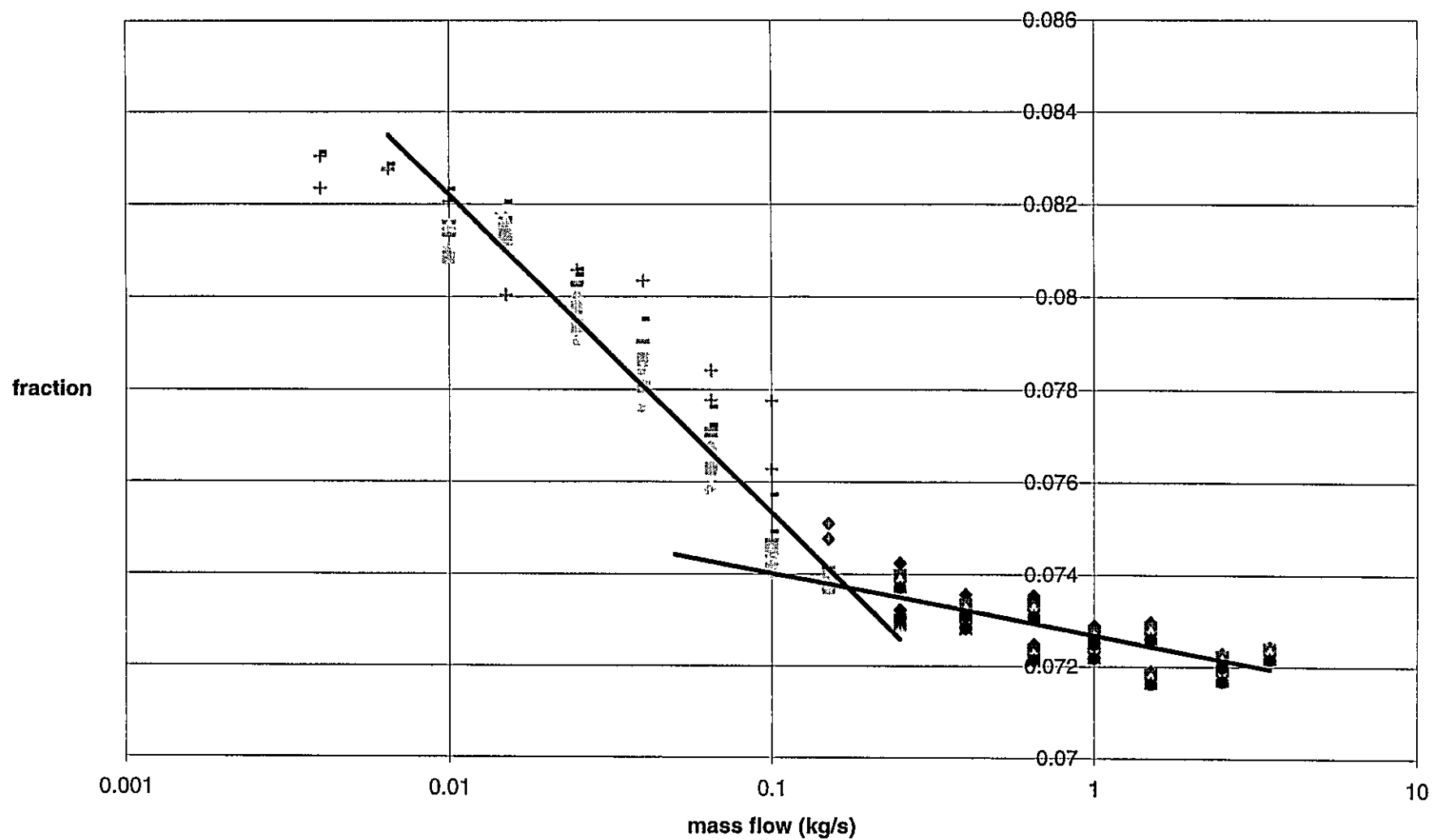


Figure #17
Flow Fractions for CV #9

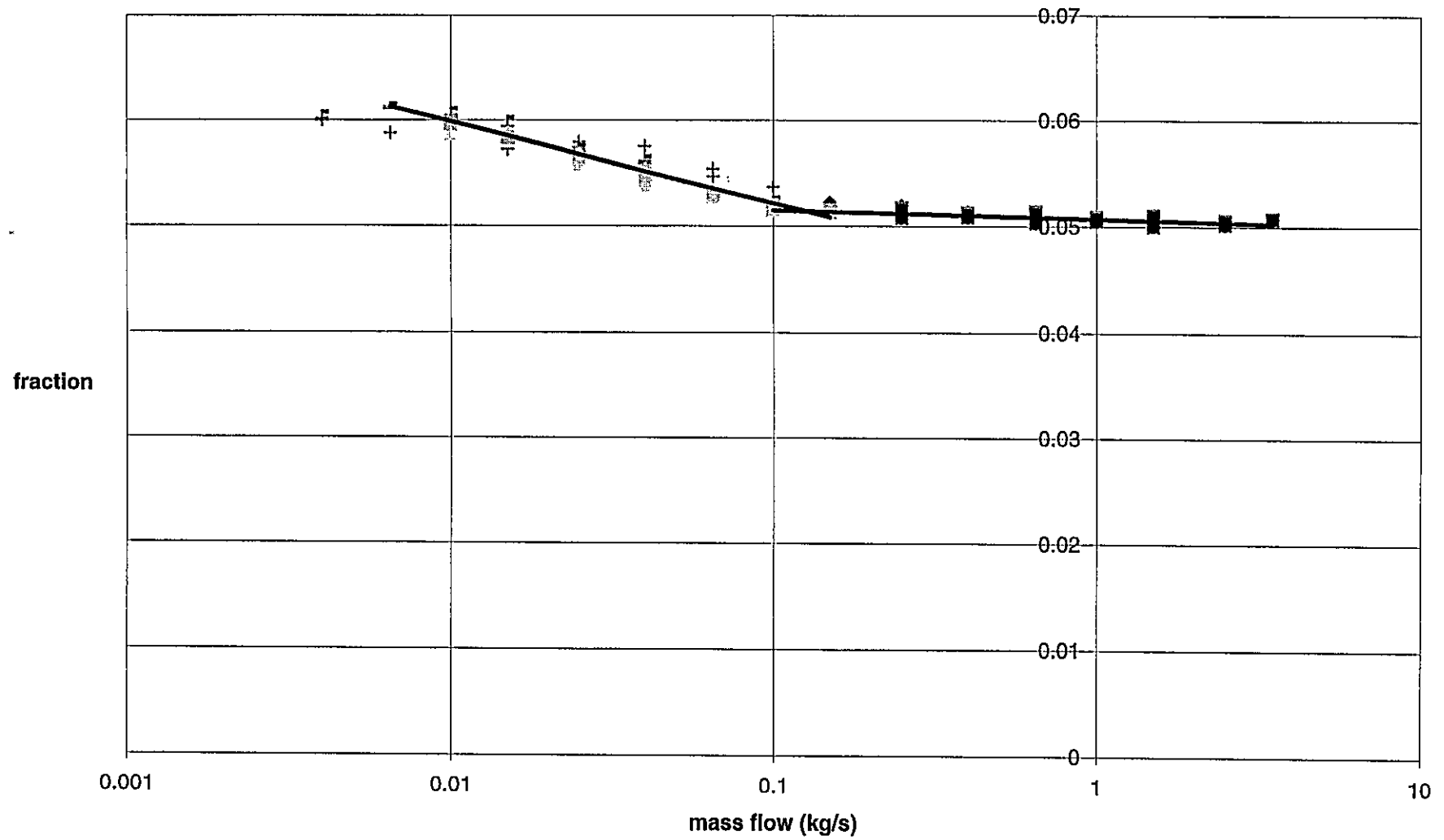


Figure #18
Flow Fractions for CV #10

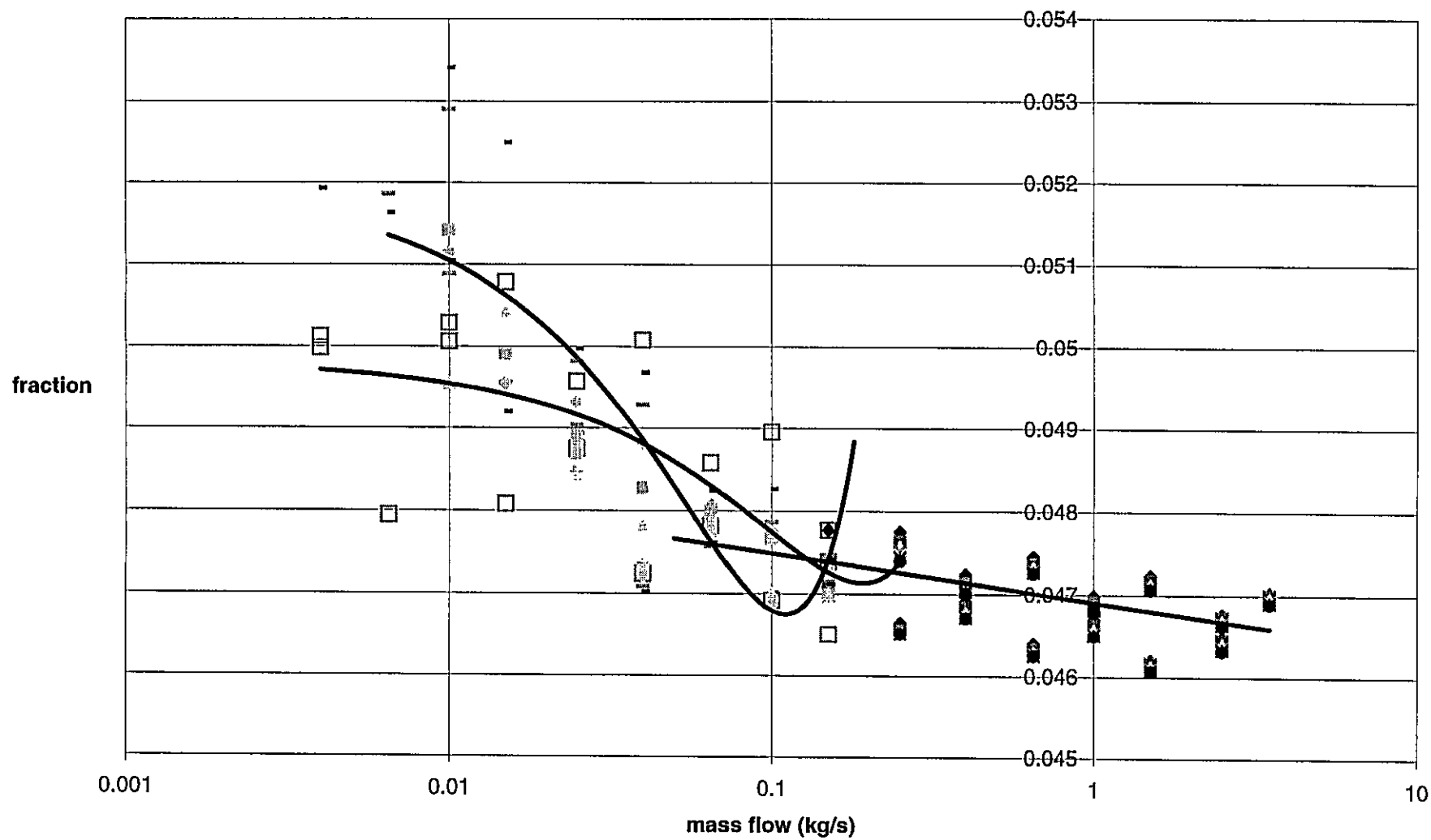


Figure #19
Flow Fractions for CV #11

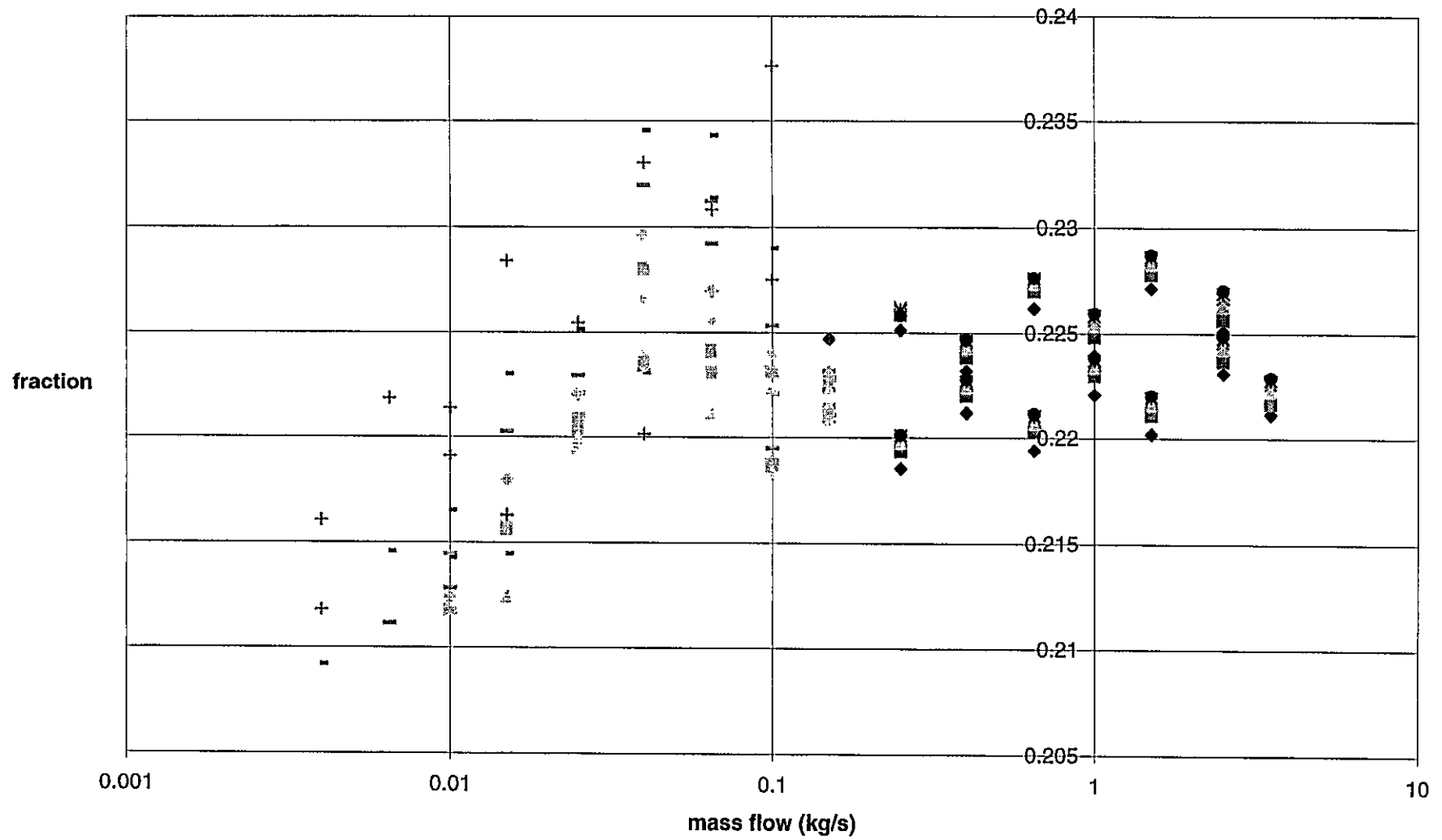


Figure #20
Flow Fractions for CV #12

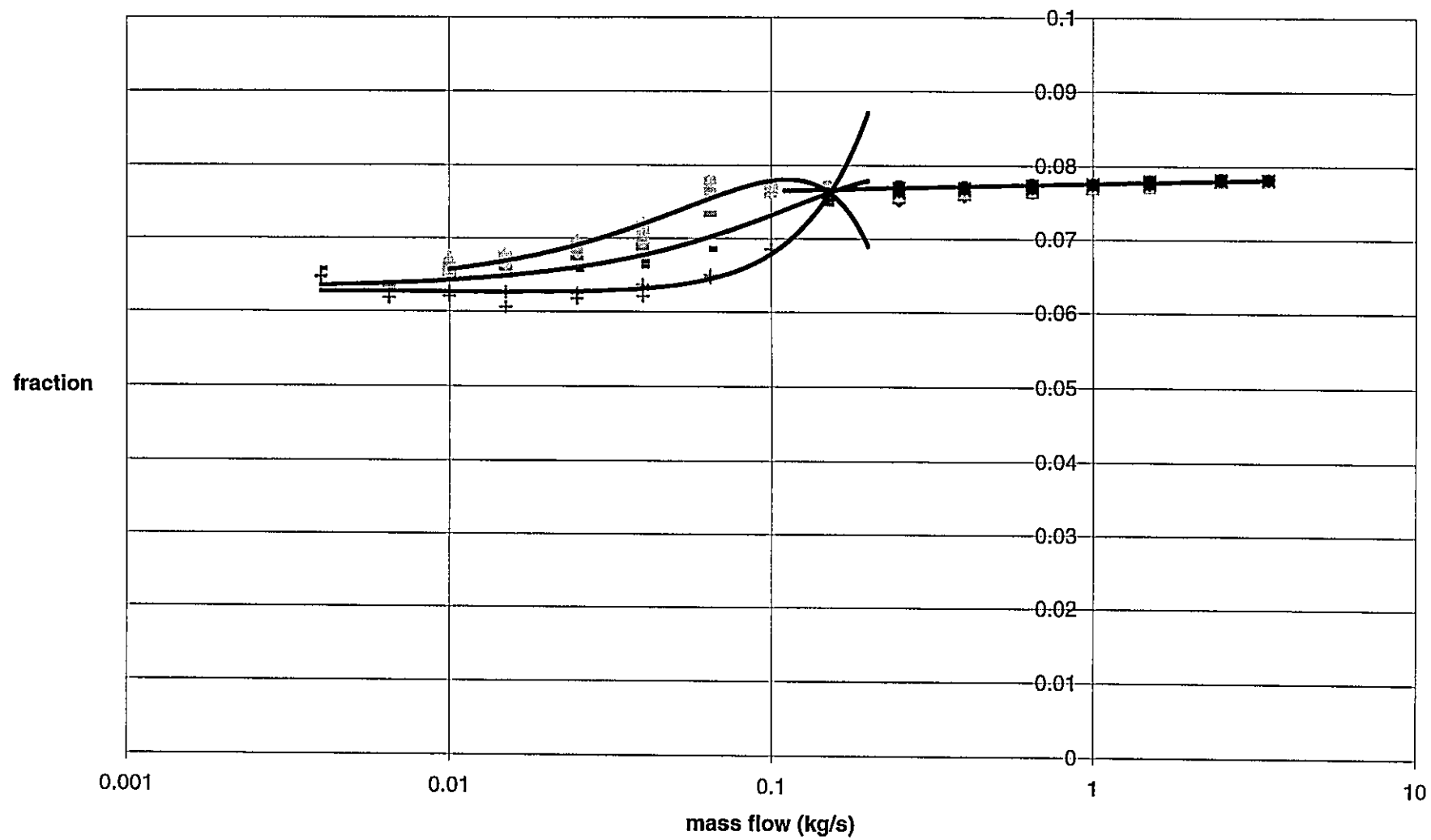


Figure #21
Flow Fractions for CV #13

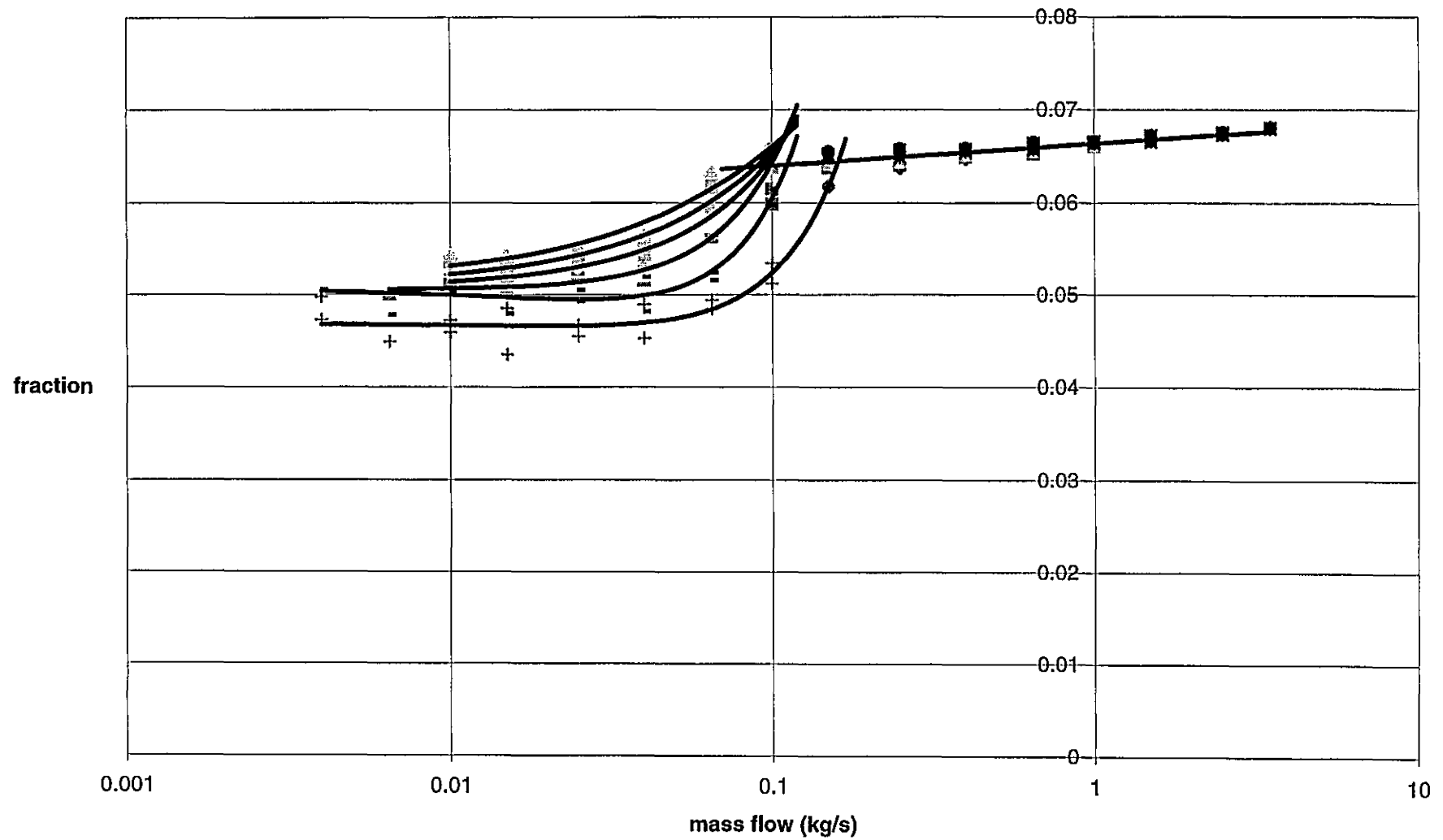


Figure #22
Flow Fractions for CV #14

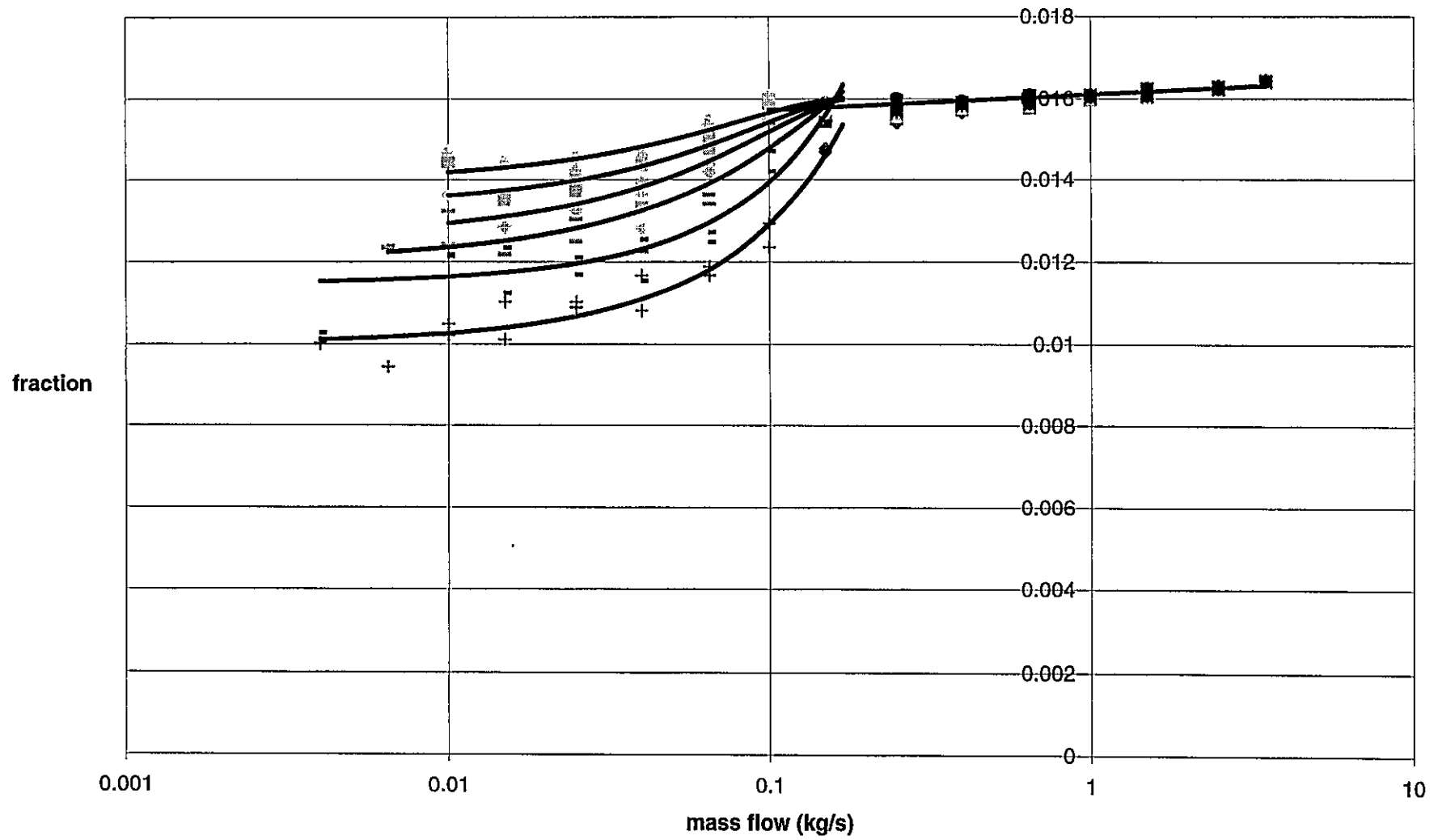
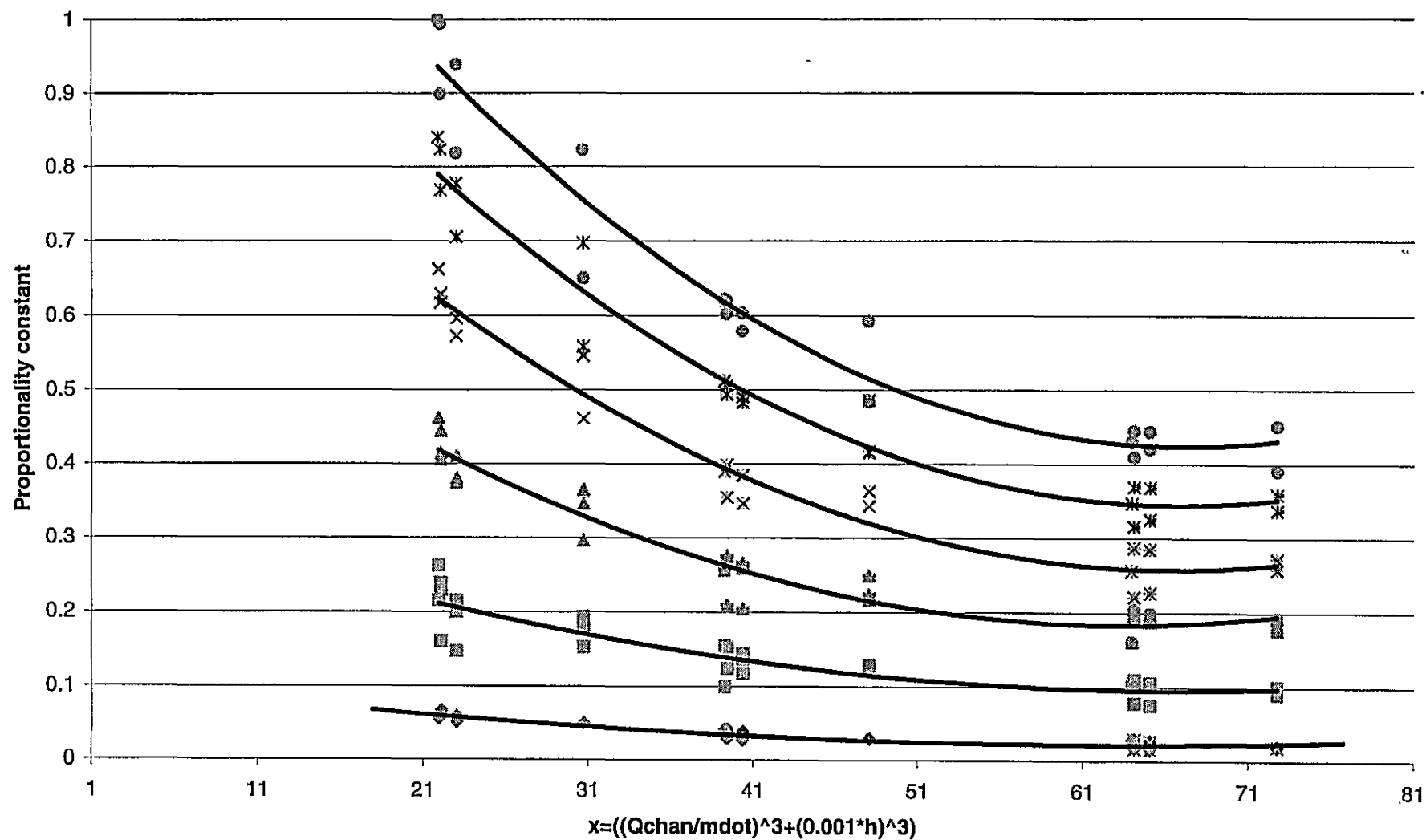
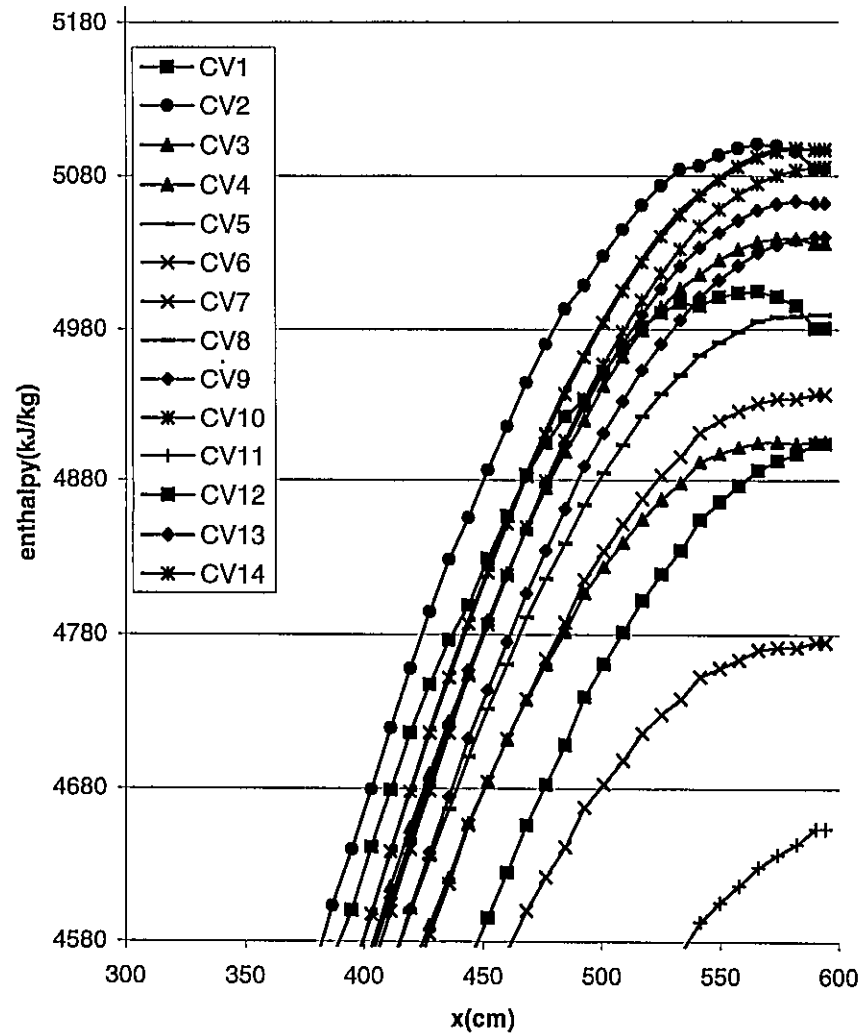


Figure #23
Proportionality Constant for Buoyancy Flow
 (each curve represents a different channel outlet pressure)



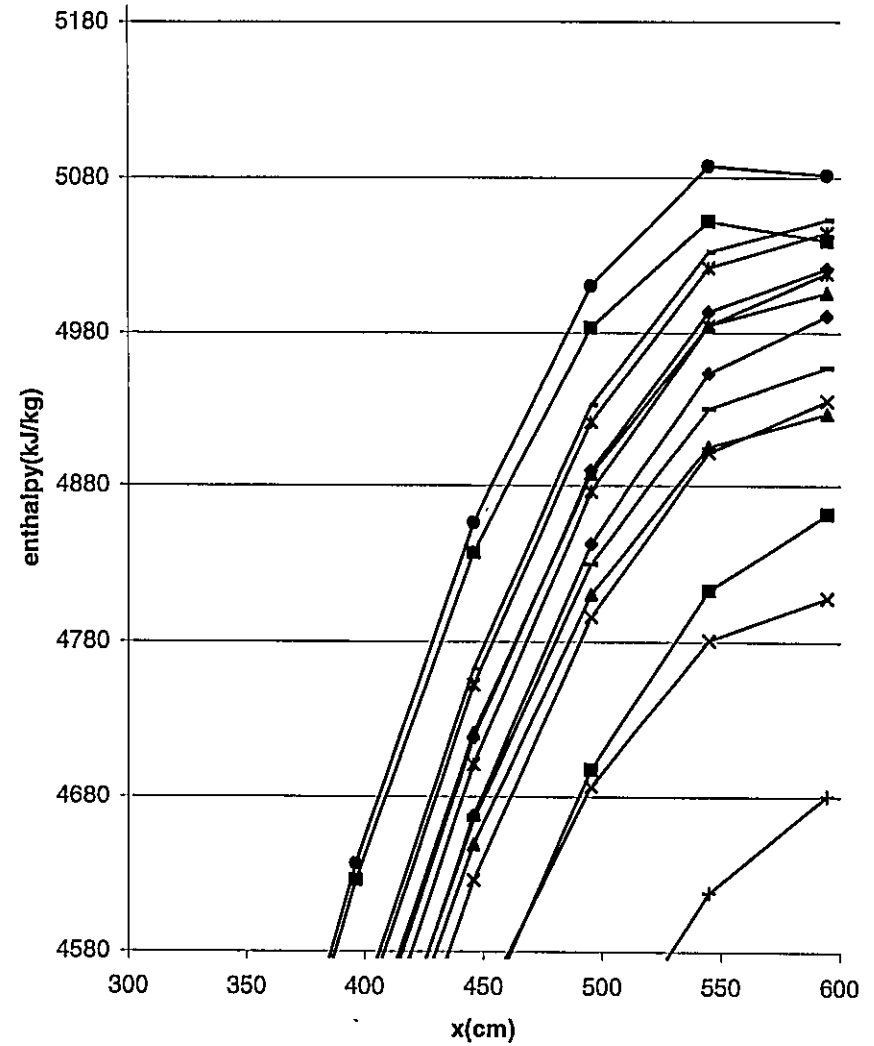
ASSERT

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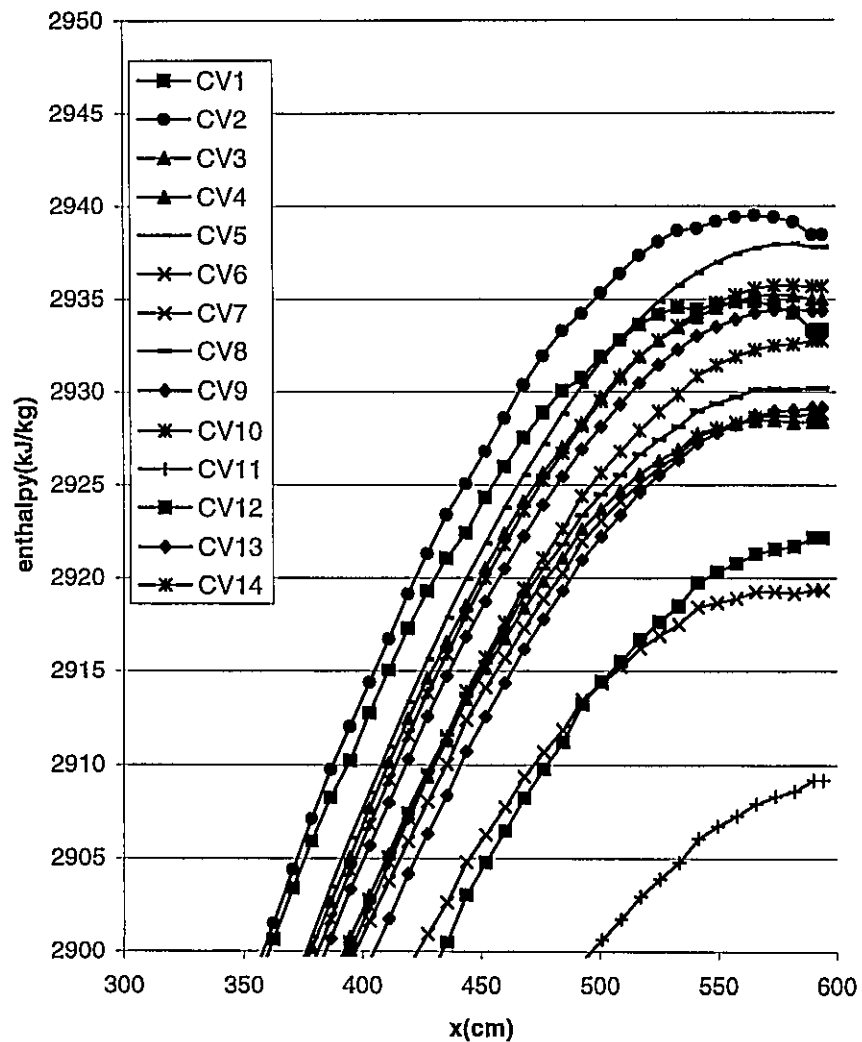


New Model

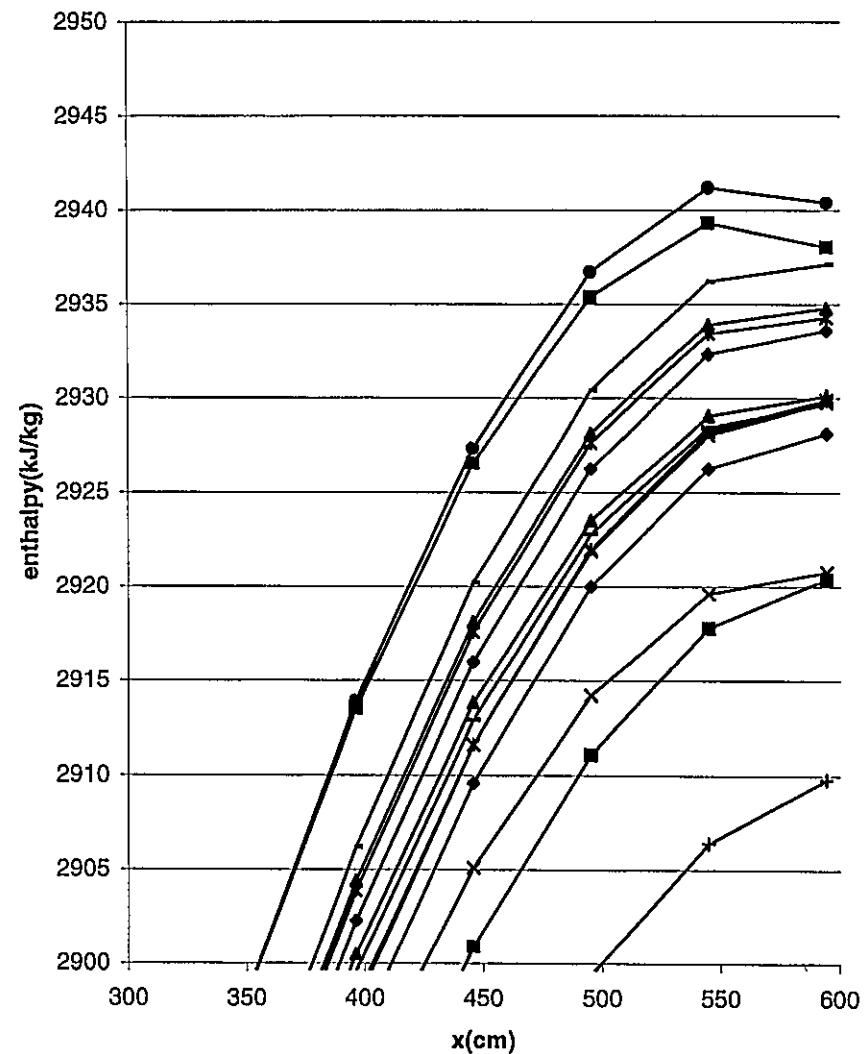
5.00MPa 2800kJ/kg 1.50kg/s 3.0MW



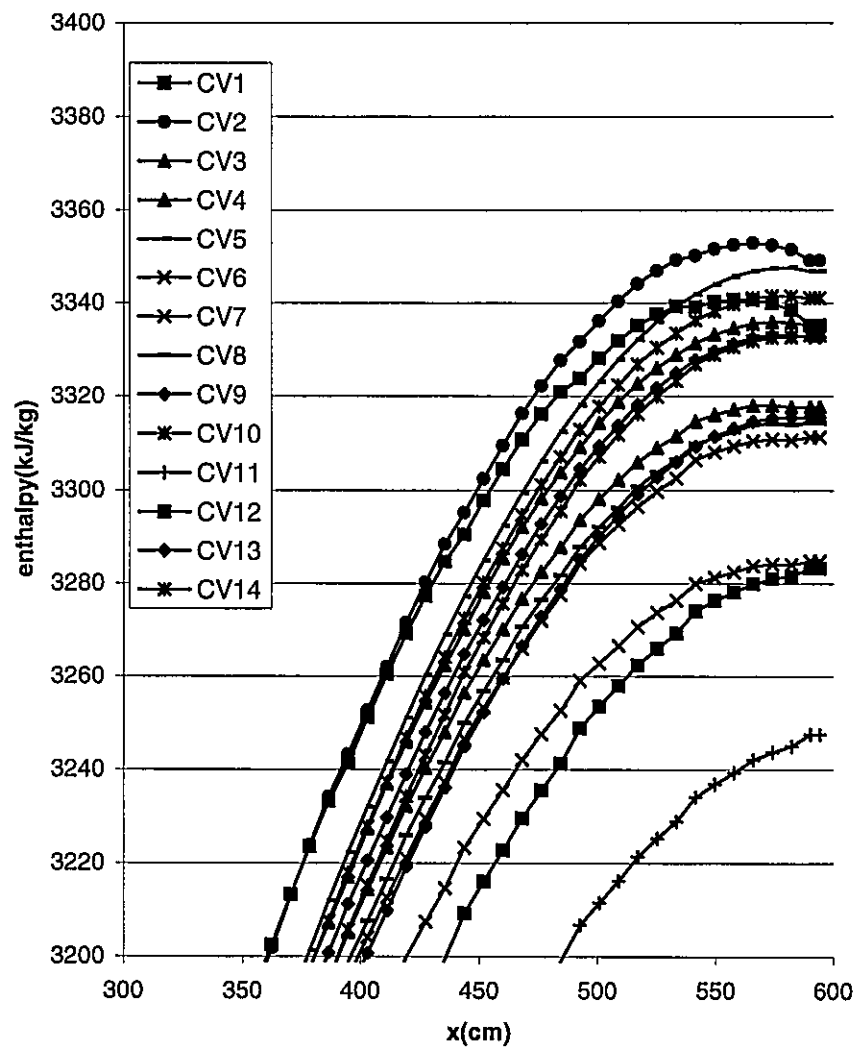
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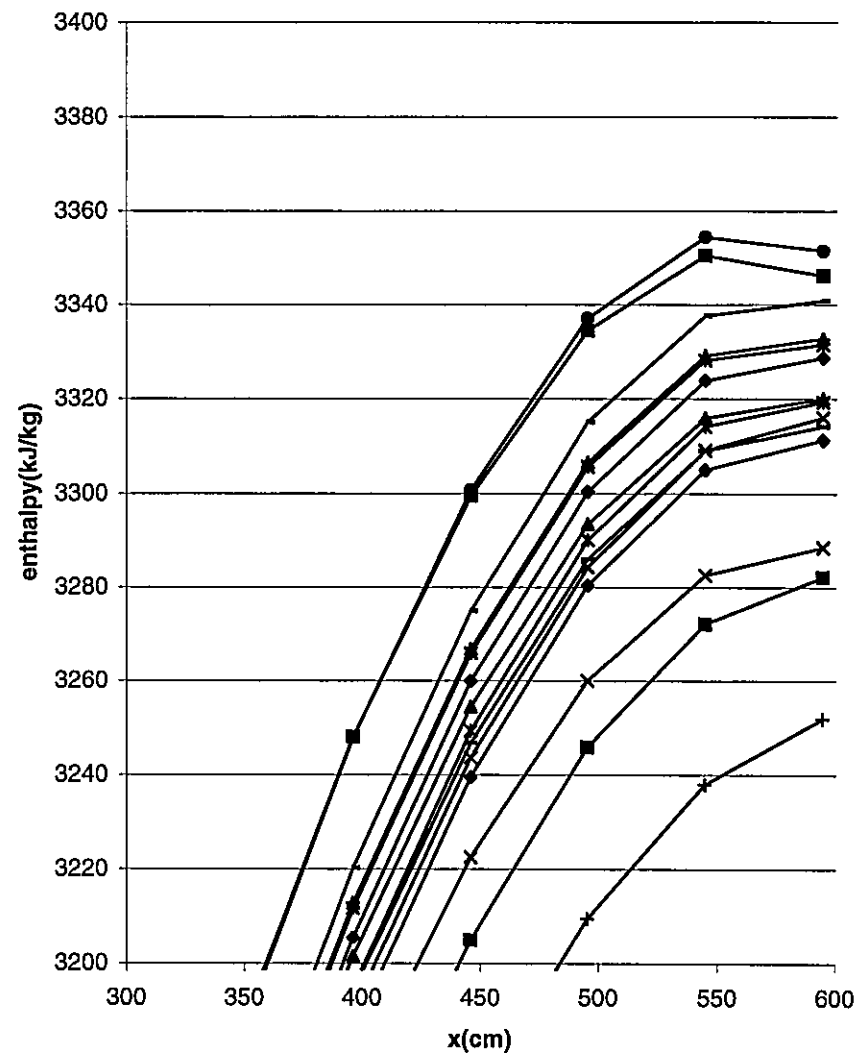
New Model
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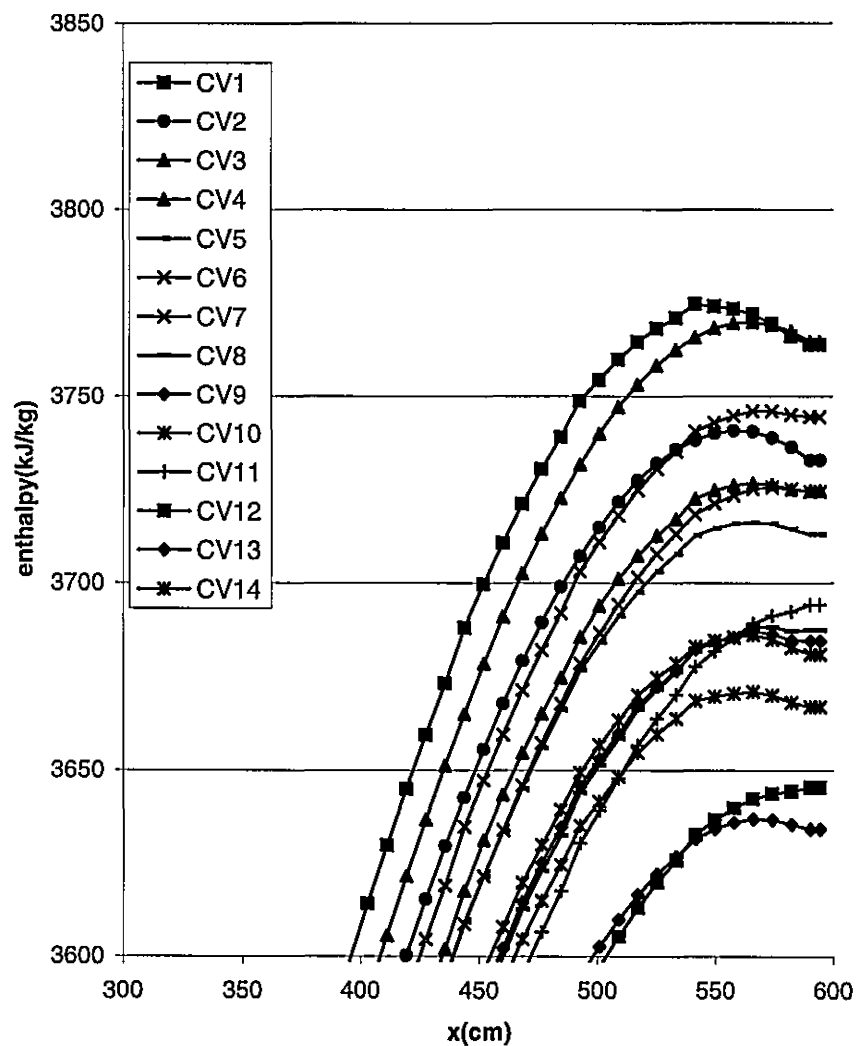
ASSERT
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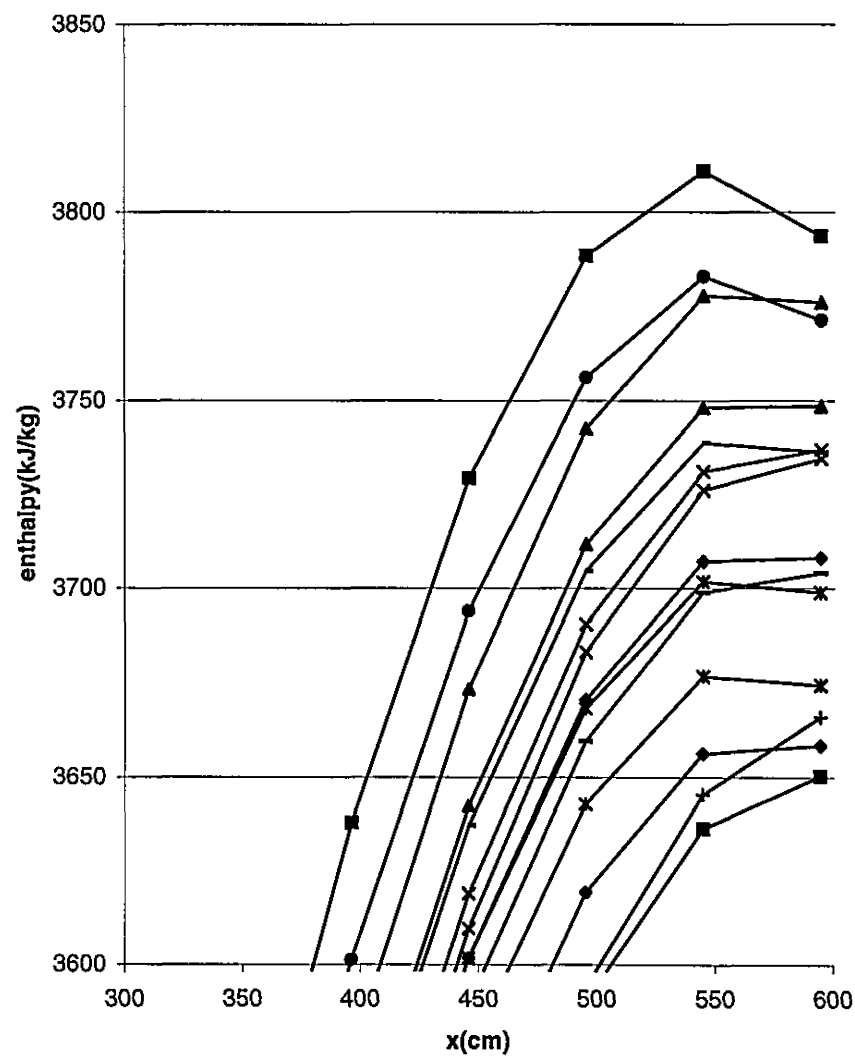
New Model
 5.00MPa 2800kJ/kg 0.40kg/s 0.20MW



ASSERT
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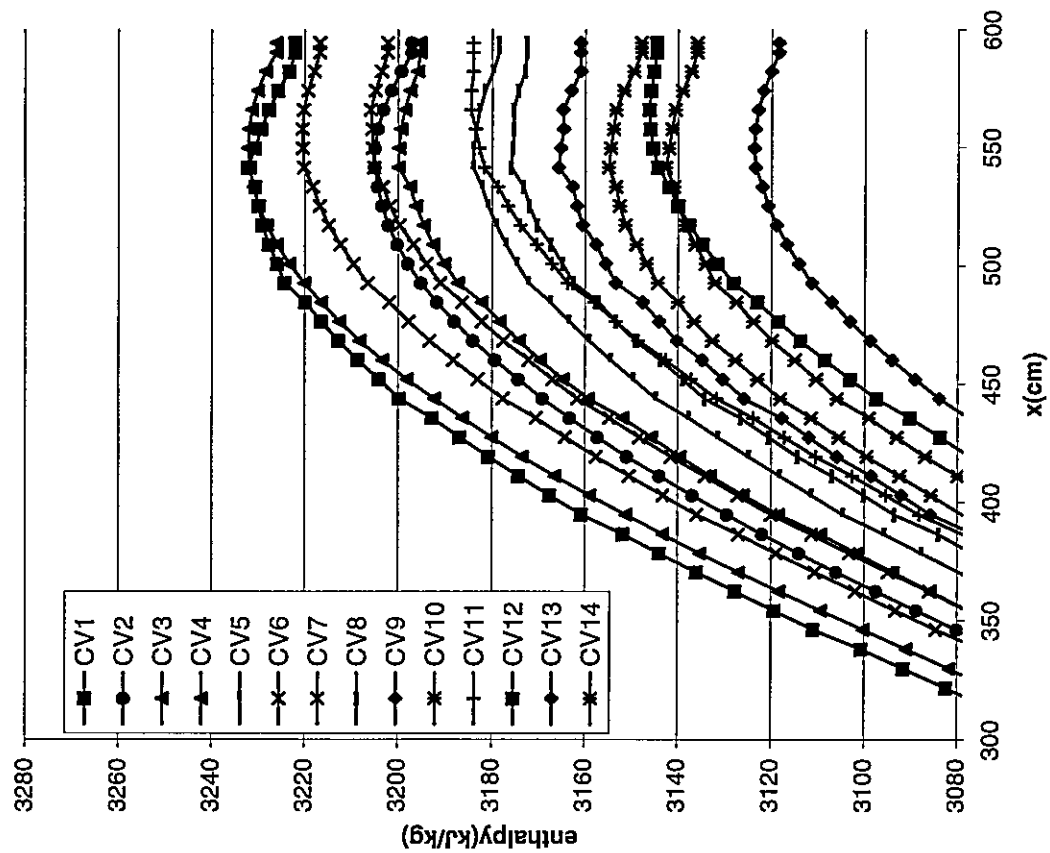


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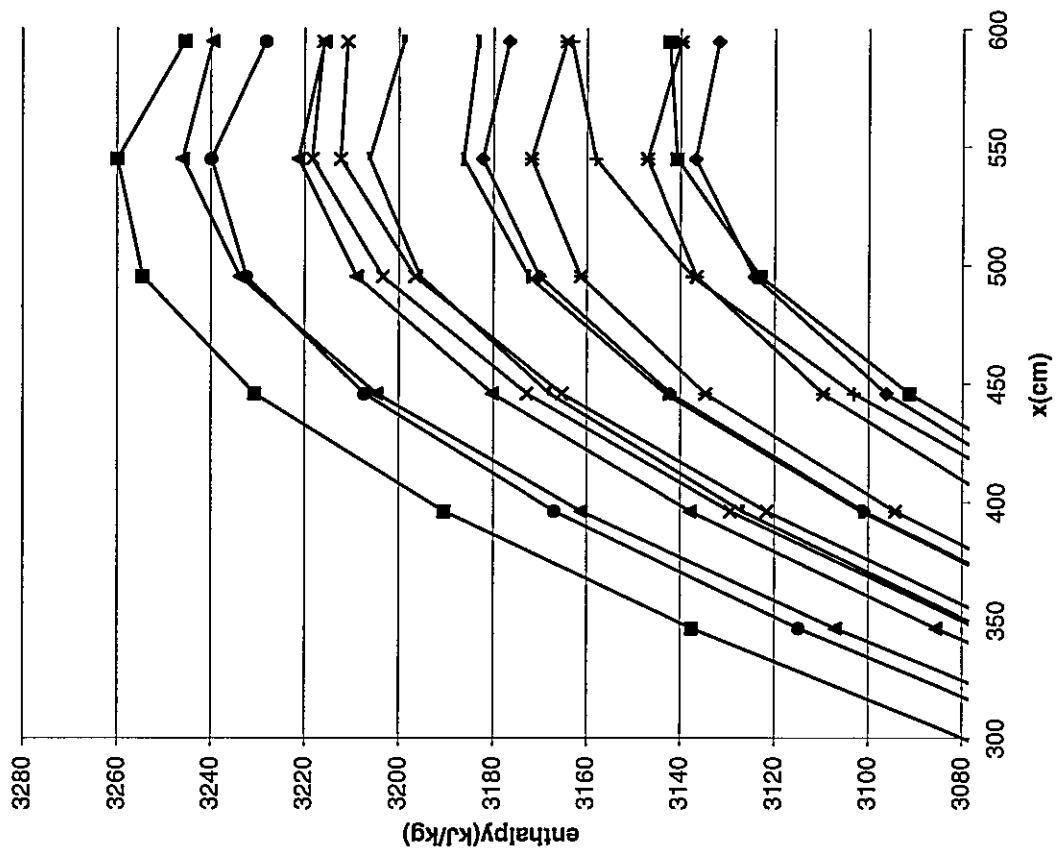
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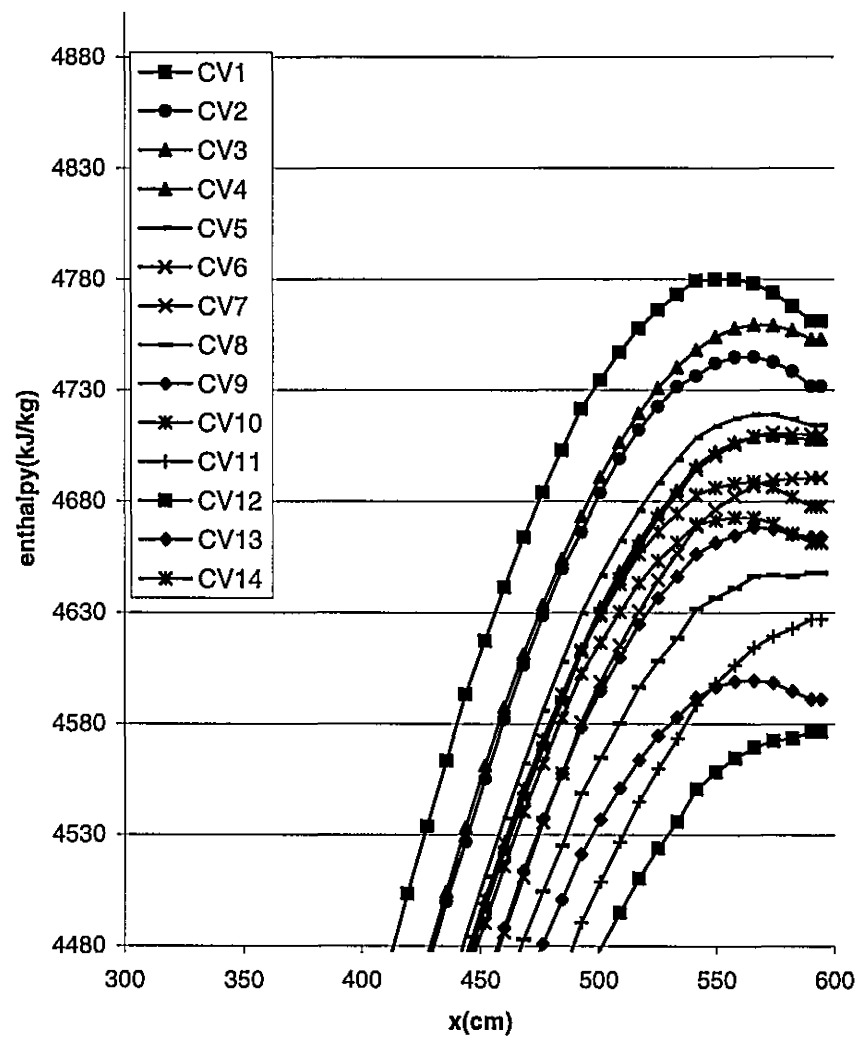


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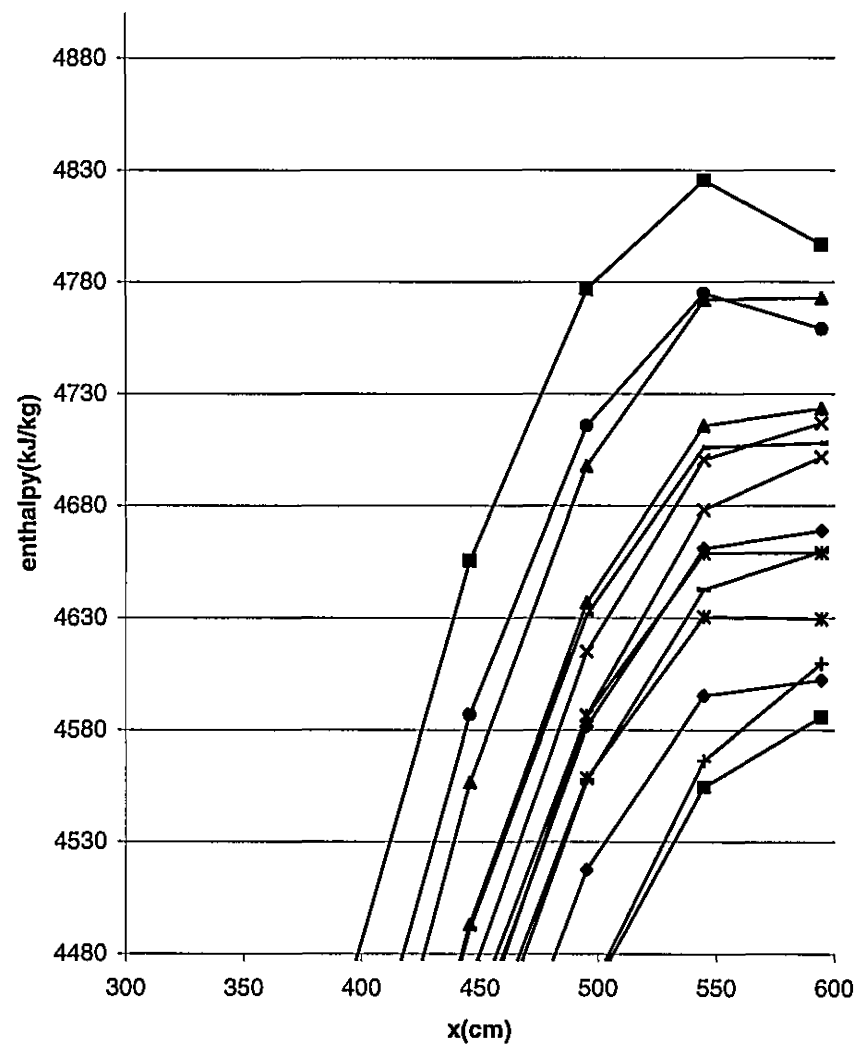
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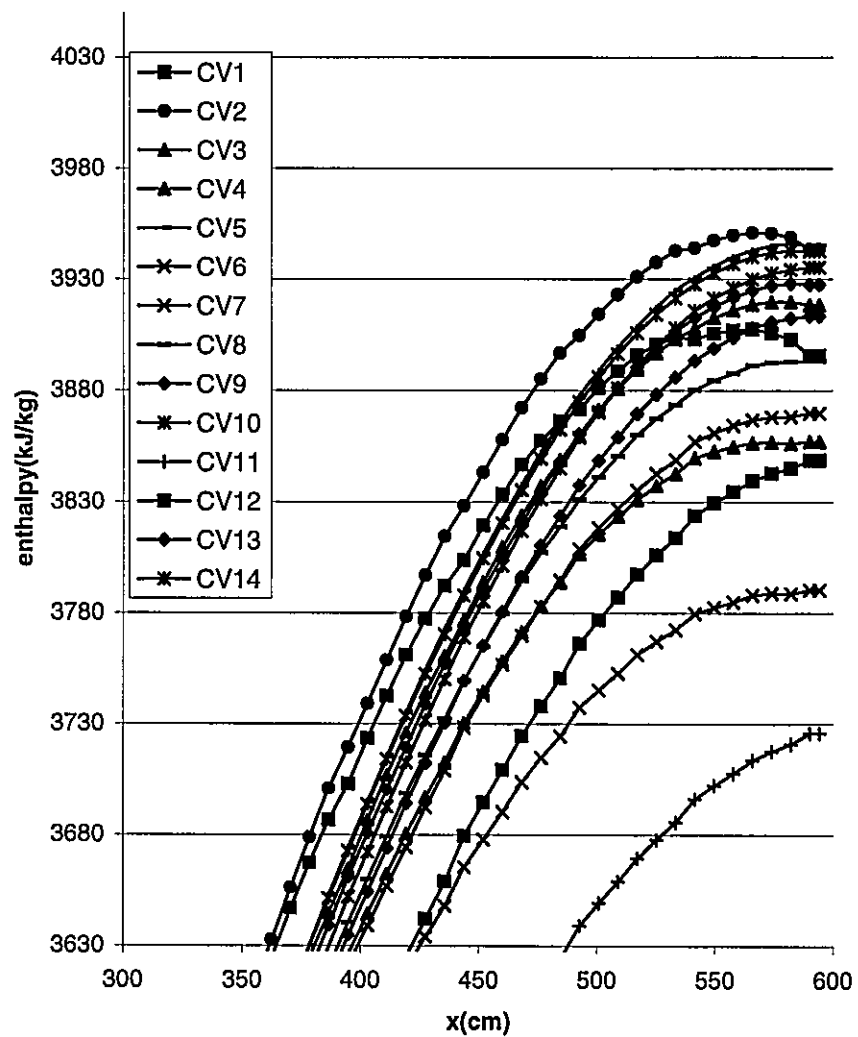
ASSERT
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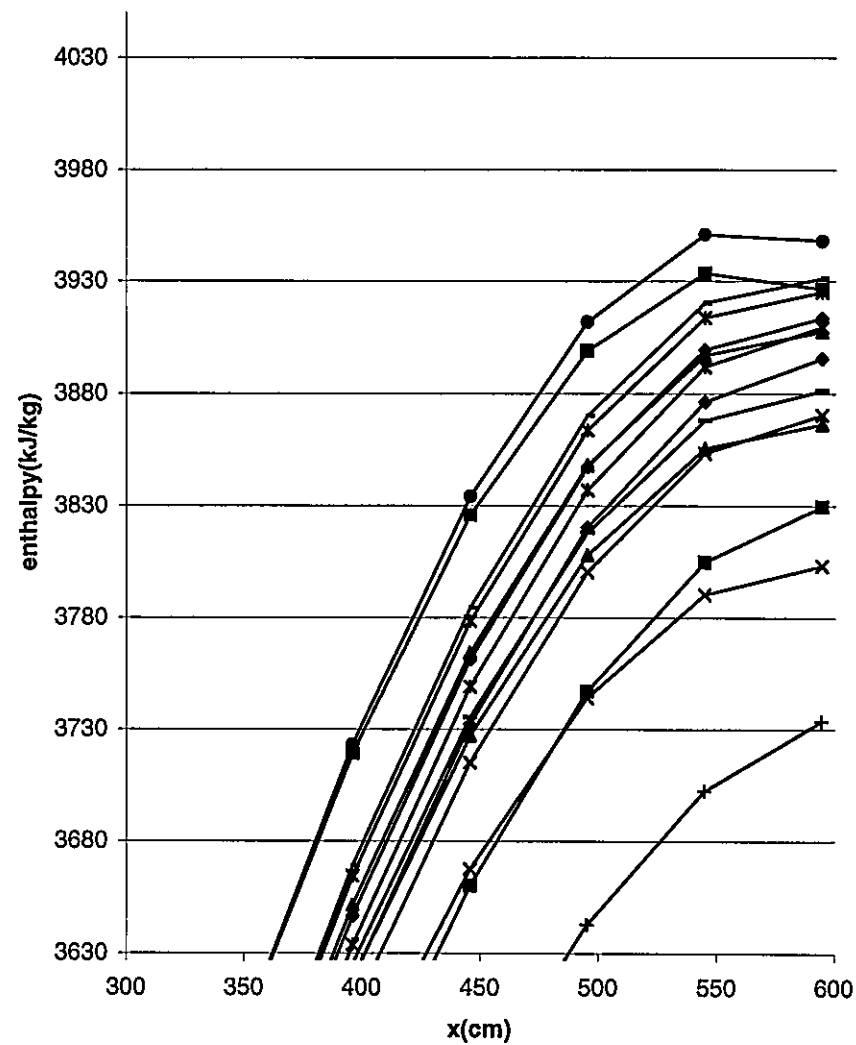
New Model
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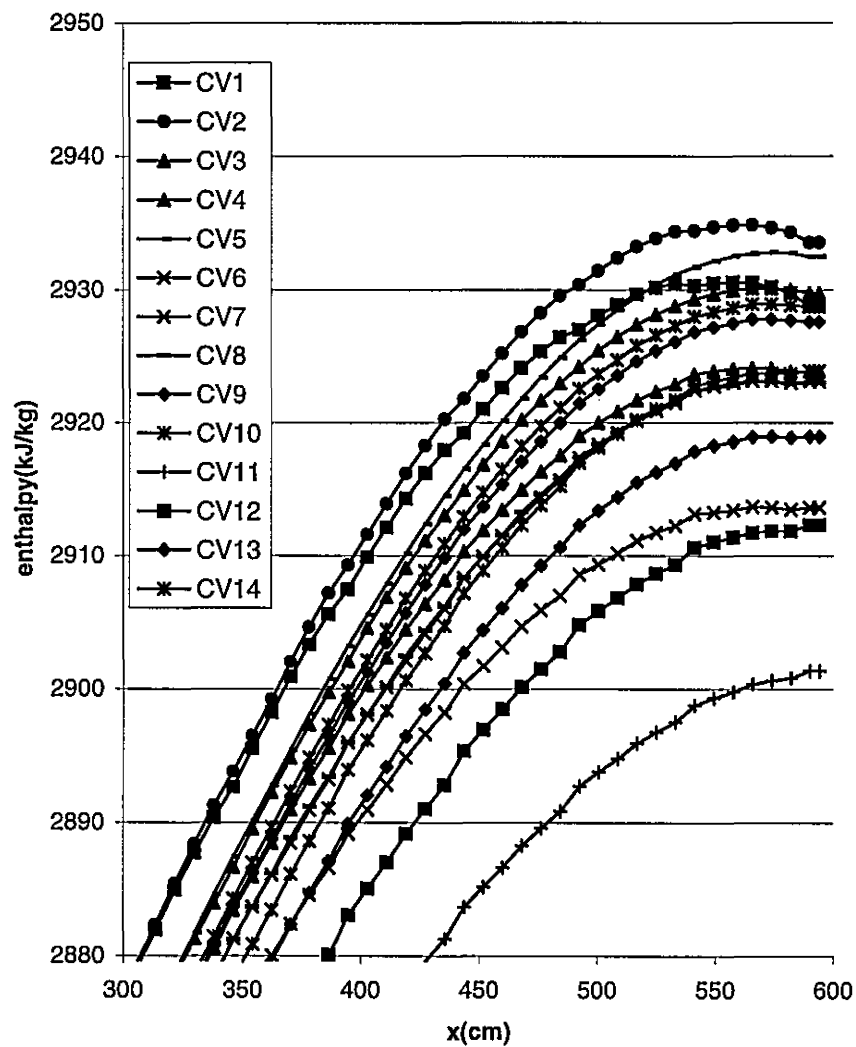
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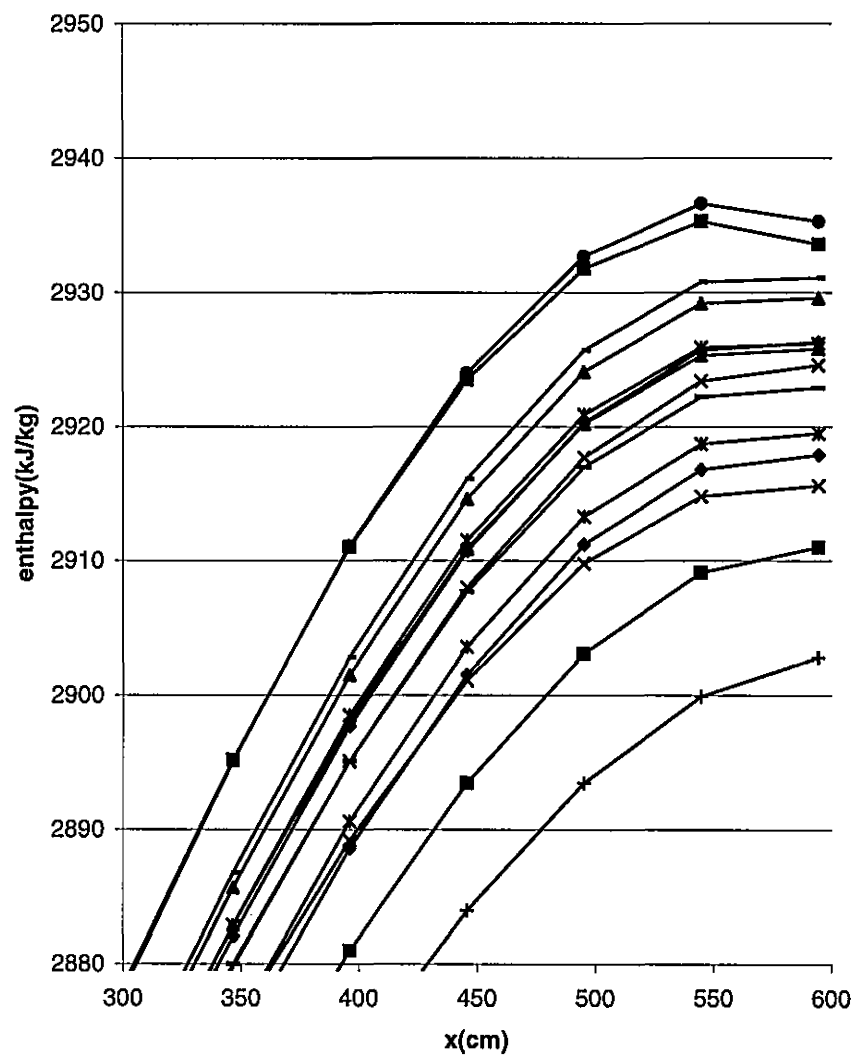
New Model
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ASSERT
4.00MPa 2800kJ/kg 0.65kg/s 0.08125MW

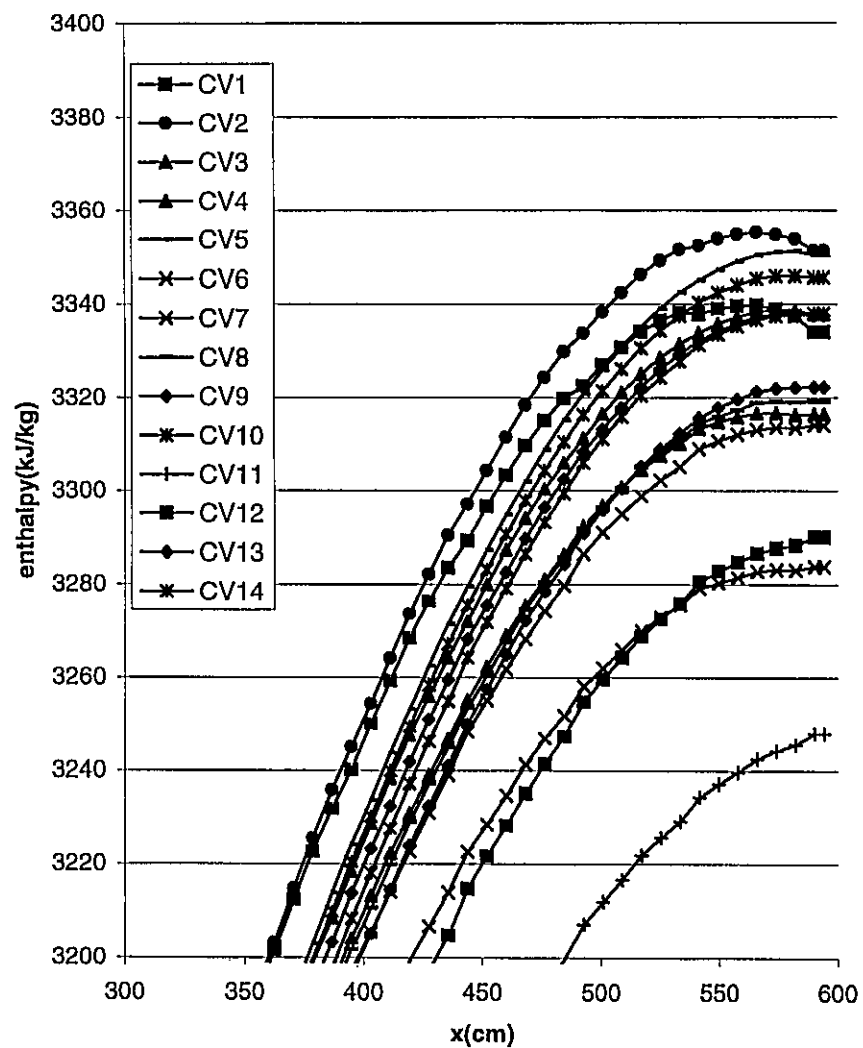


New Model
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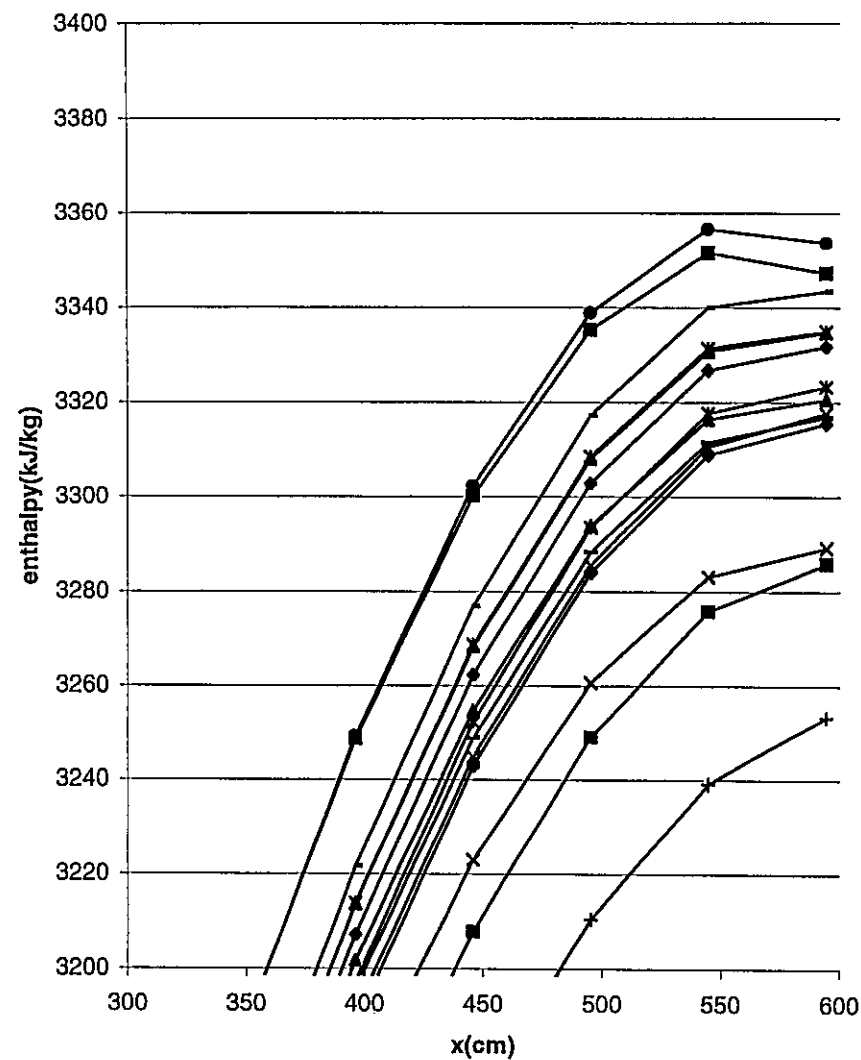
ASSERT

4.00MPa 2800kJ/kg 0.40kg/s 0.20MW



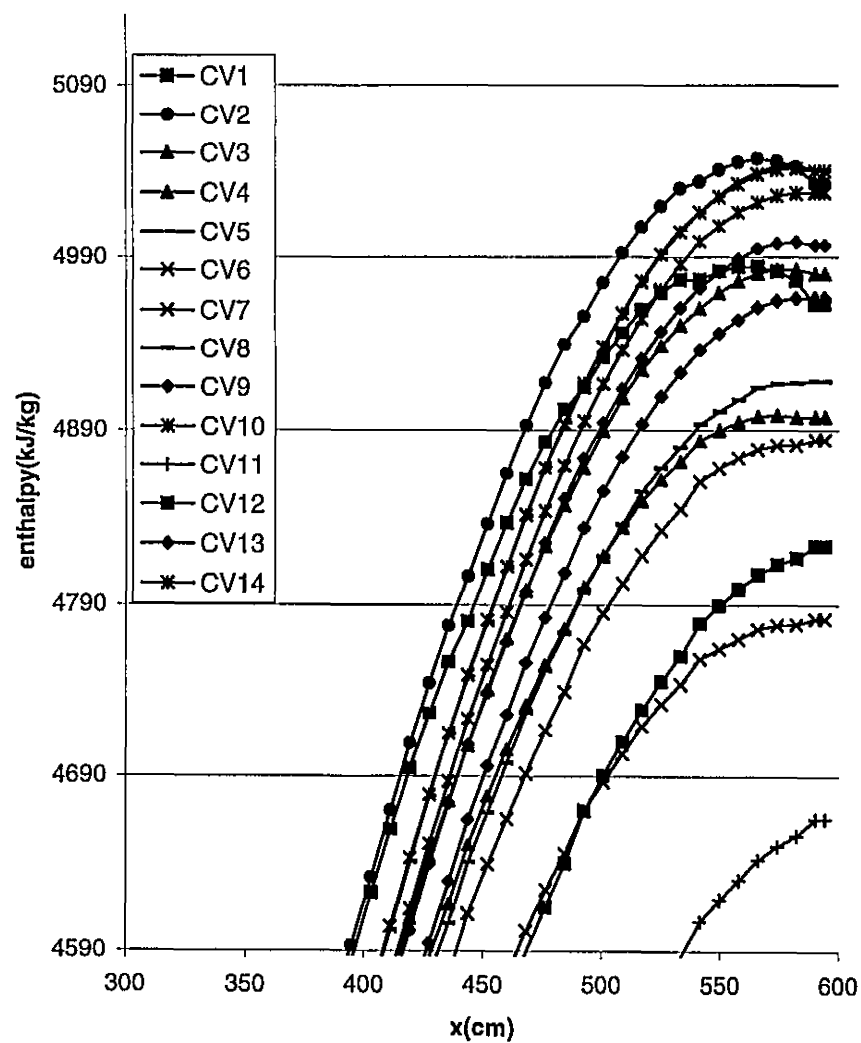
New Model

4.00MPa 2800kJ/kg 0.40kg/s 0.20MW



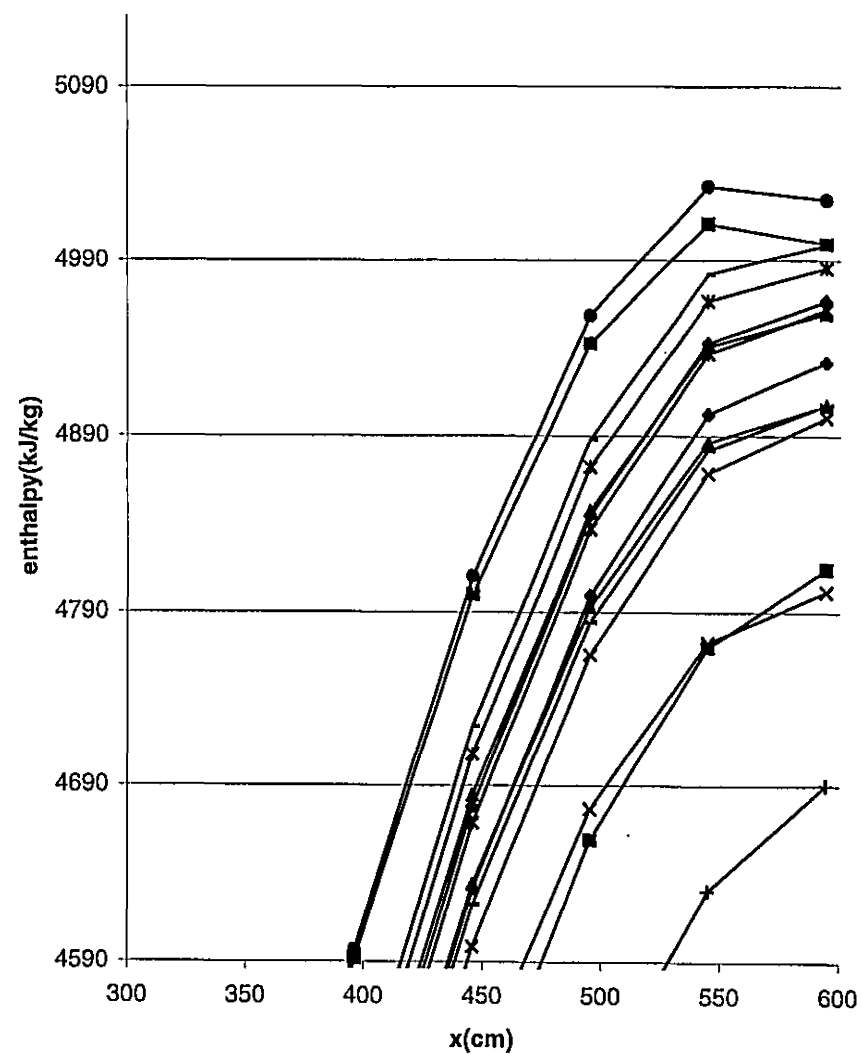
ASSERT

4.00MPa 2800kJ/kg 0.25kg/s 0.5MW



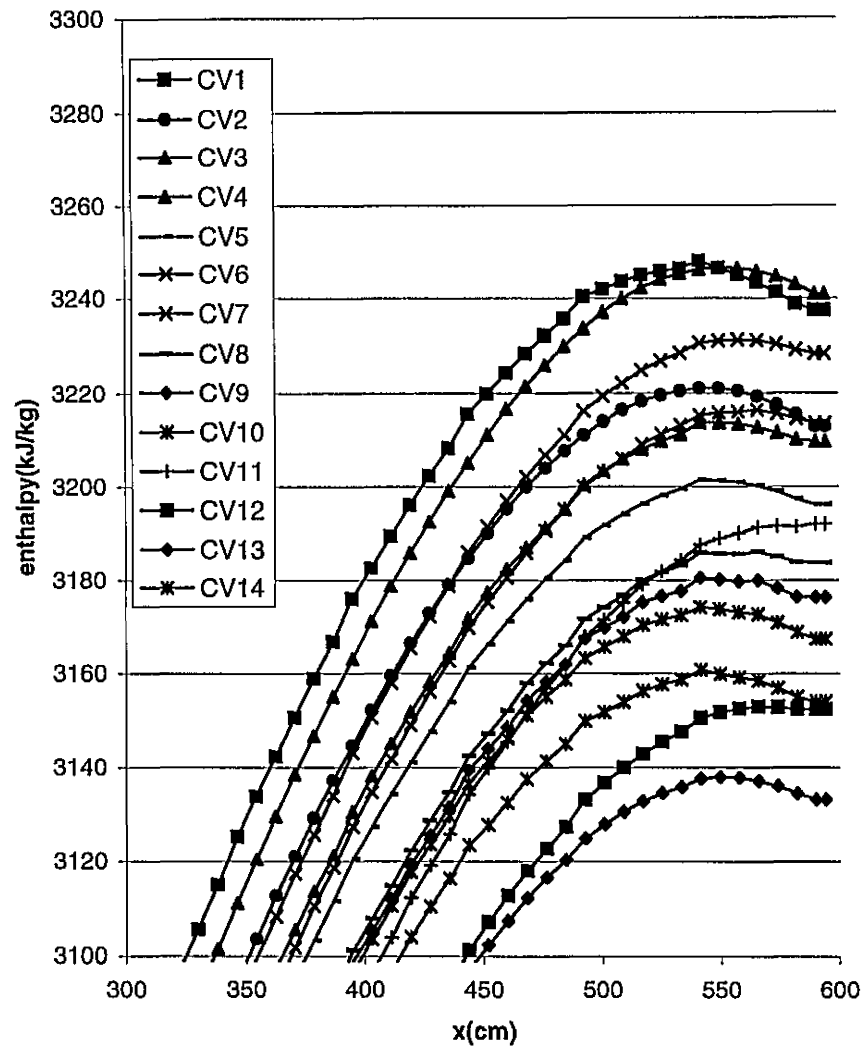
New Model

4.00MPa 2800kJ/kg 0.25kg/s 0.5MW



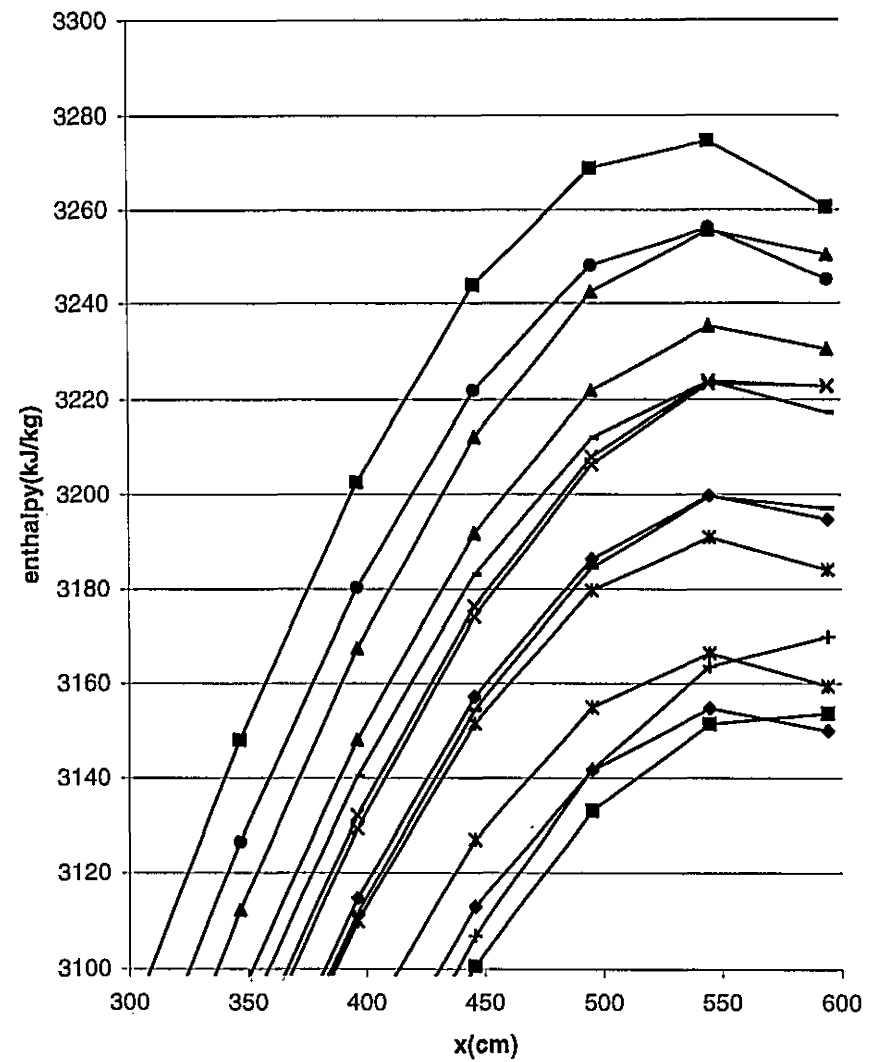
ASSERT

4.00MPa 2800kJ/kg 0.065kg/s 0.0325MW



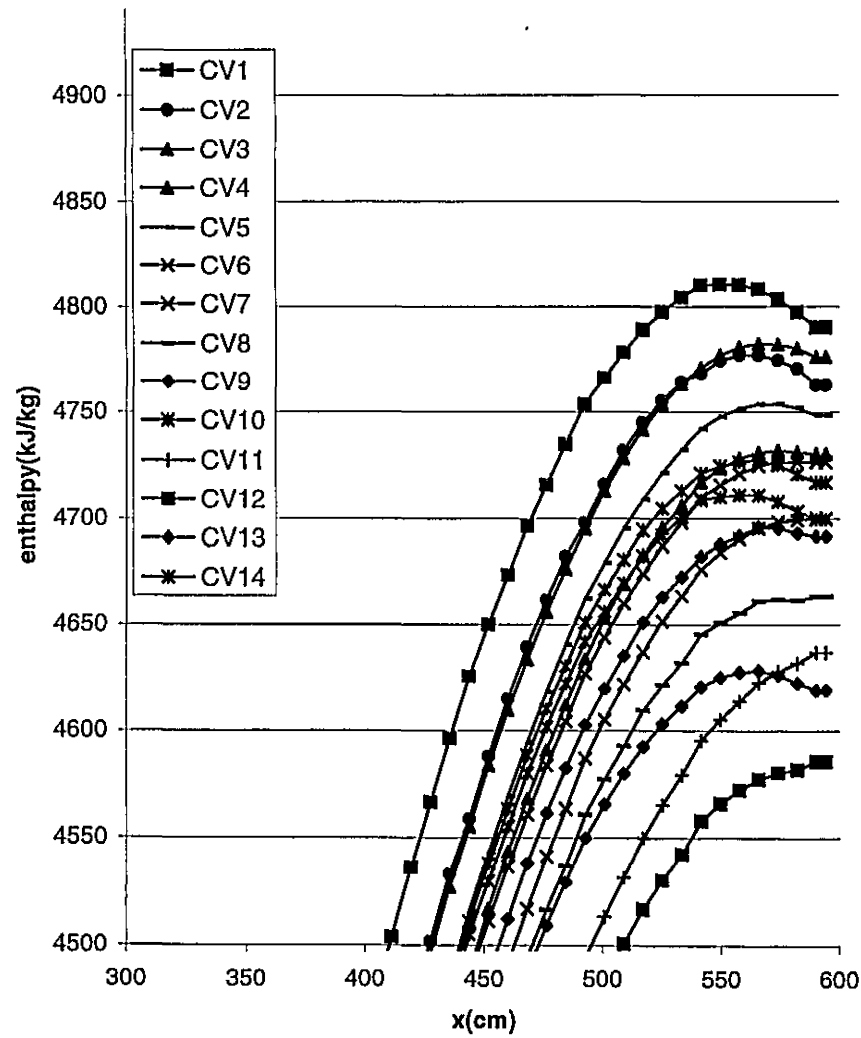
New Model

4.00MPa 2800kJ/kg 0.065kg/s 0.0325MW



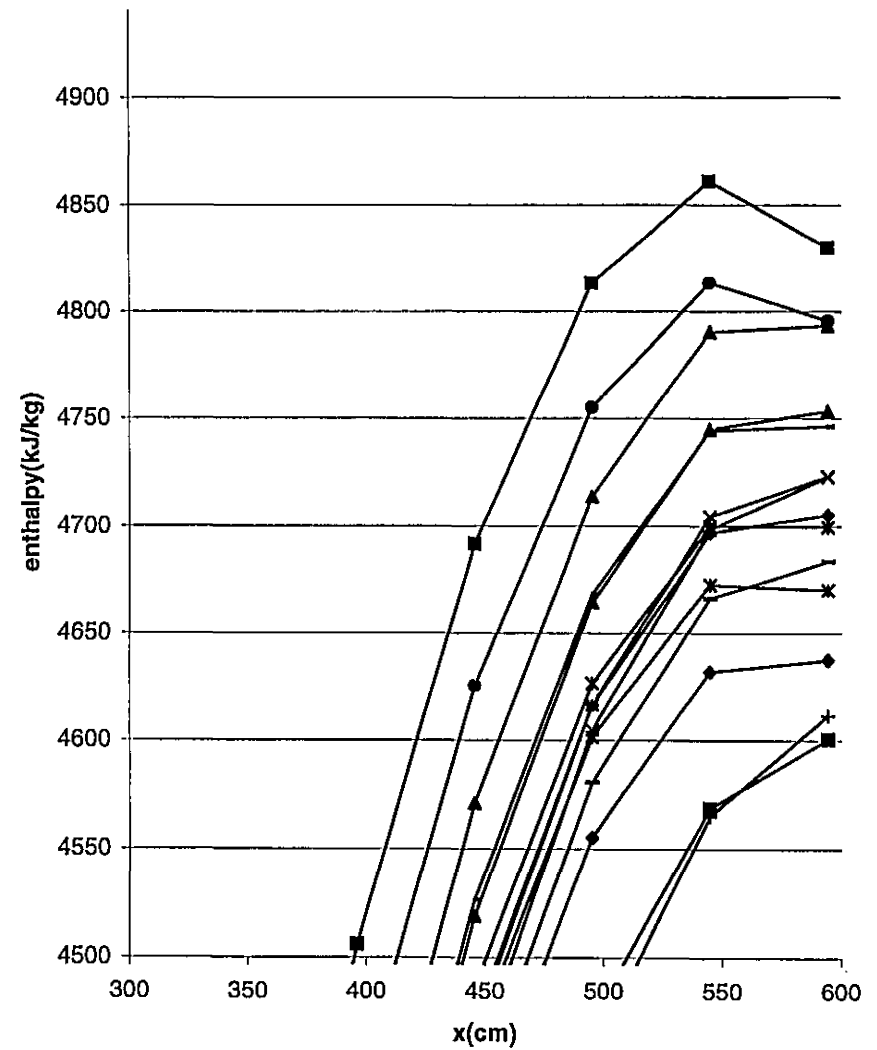
ASSERT

4.00MPa 2800kJ/kg 0.04kg/s 0.08MW

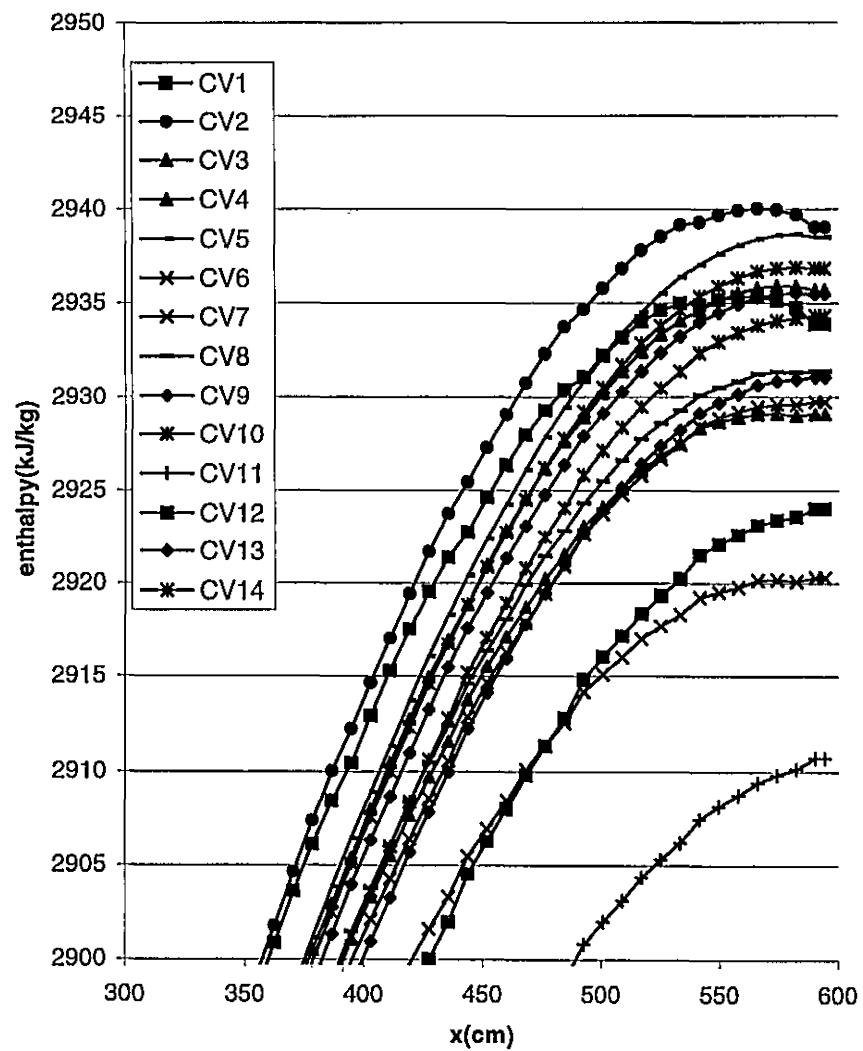


New Model

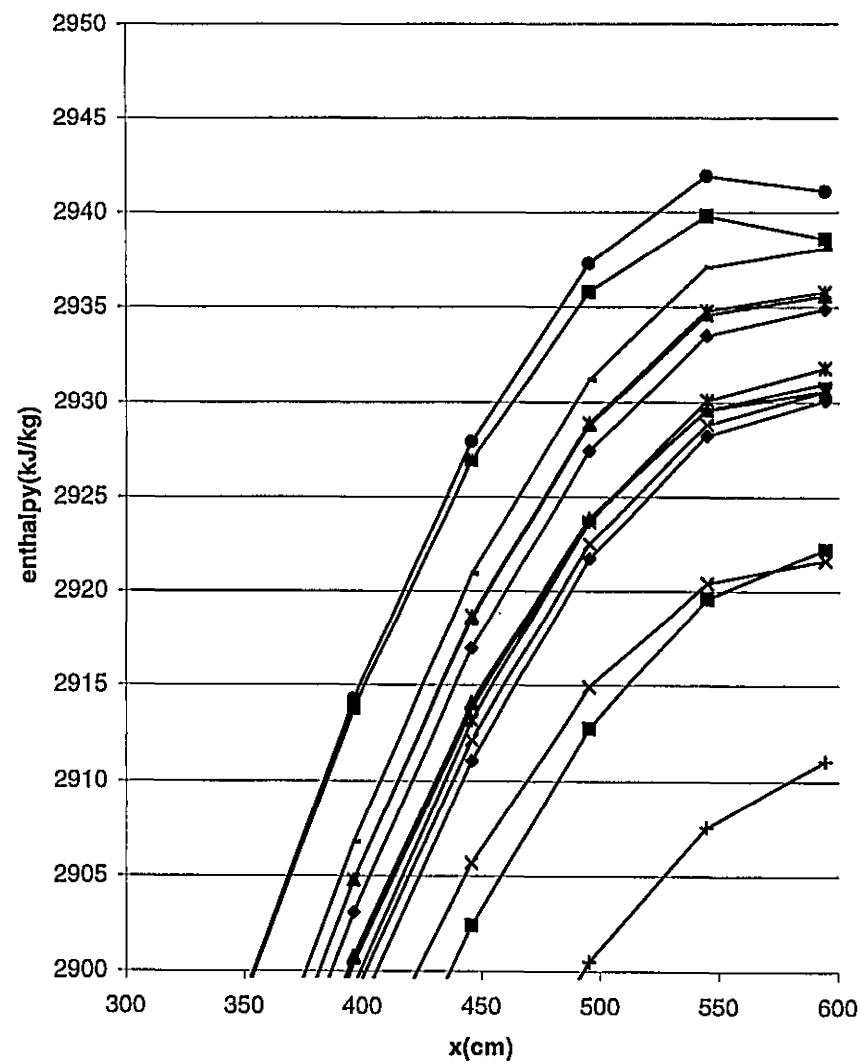
4.00MPa 2800kJ/kg 0.04kg/s 0.08MW



ASSERT
 3.00MPa 2800kJ/kg 1.50kg/s 0.1875MW

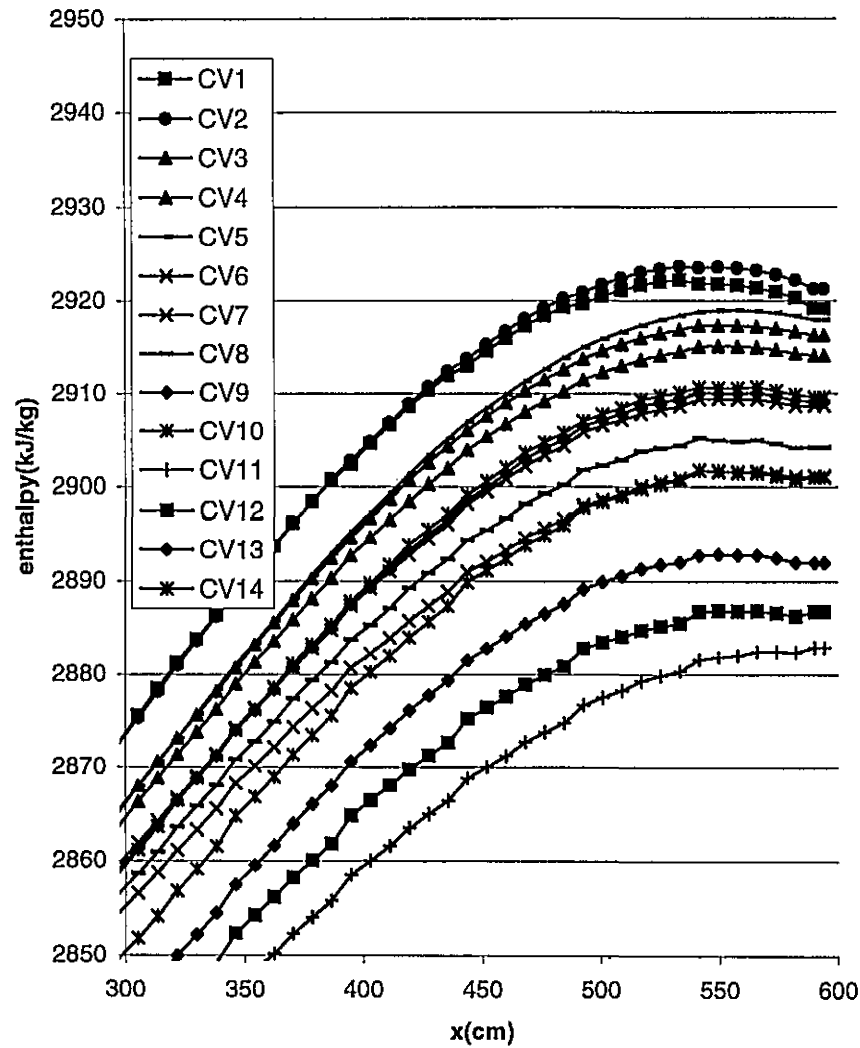


New Model
 3.00MPa 2800kJ/kg 1.50kg/s 0.1875MW



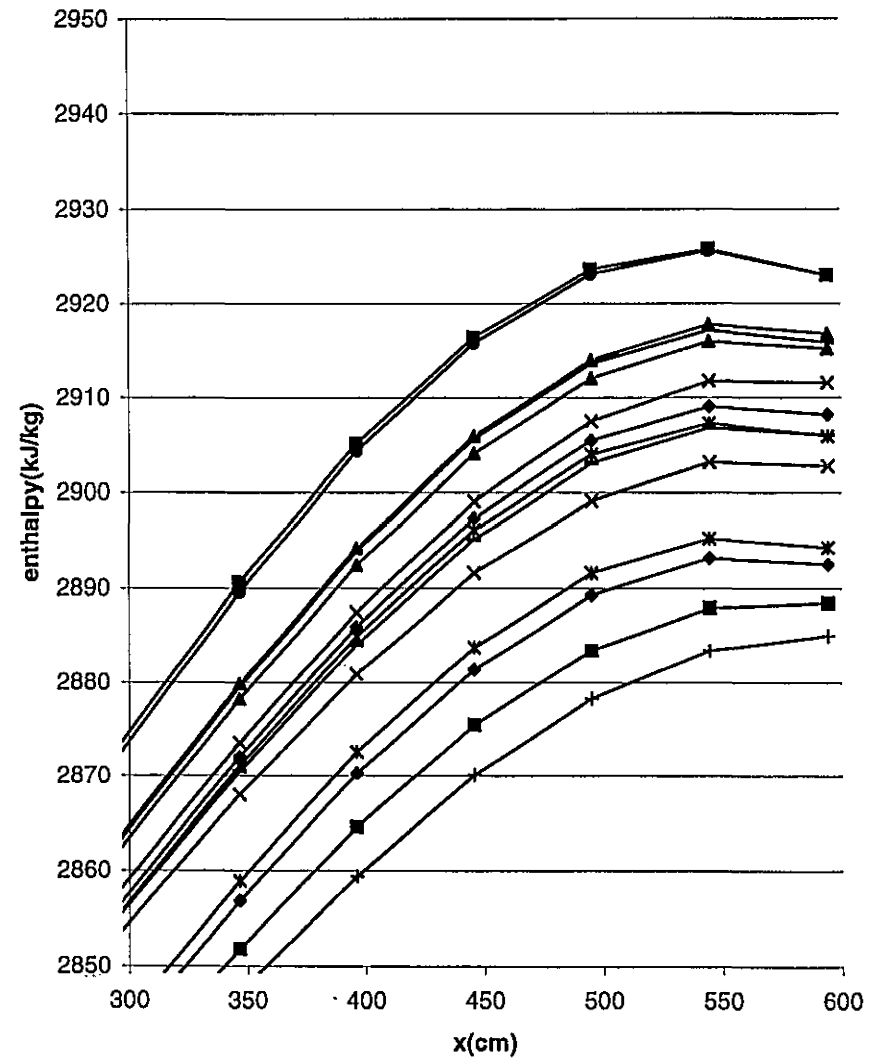
ASSERT

3.00MPa 2800kJ/kg 0.25kg/s 0.03125MW

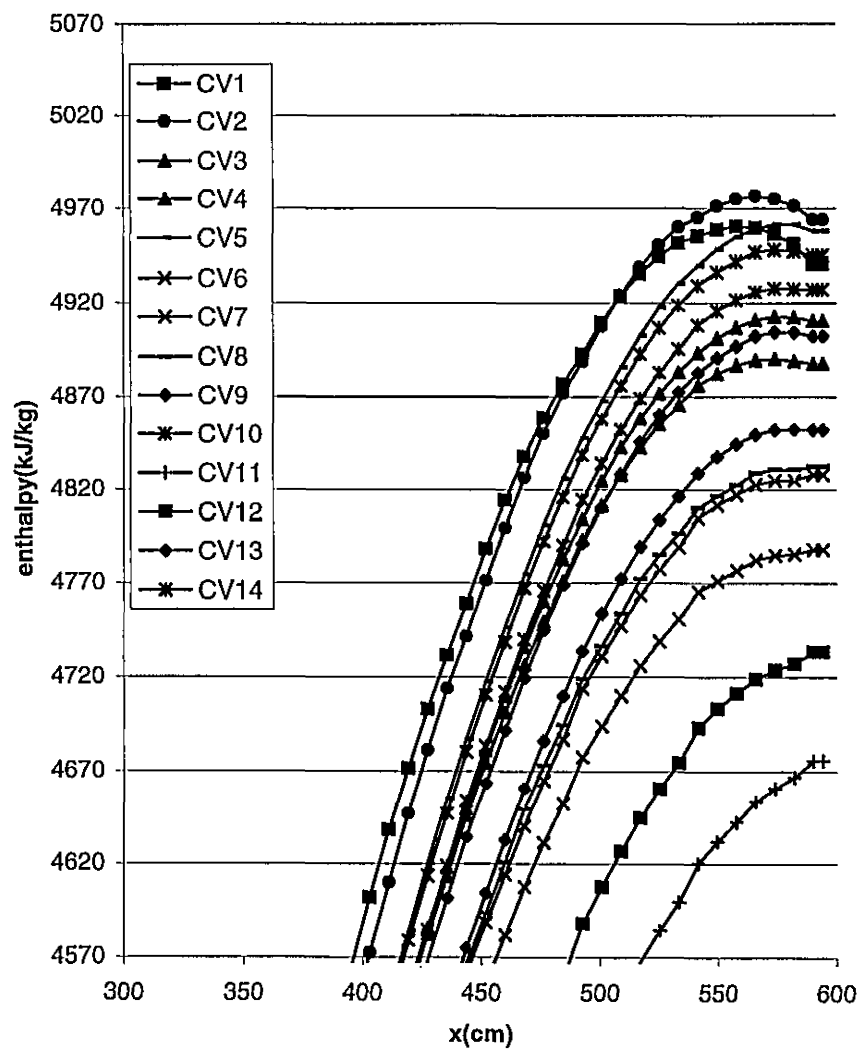


New Model

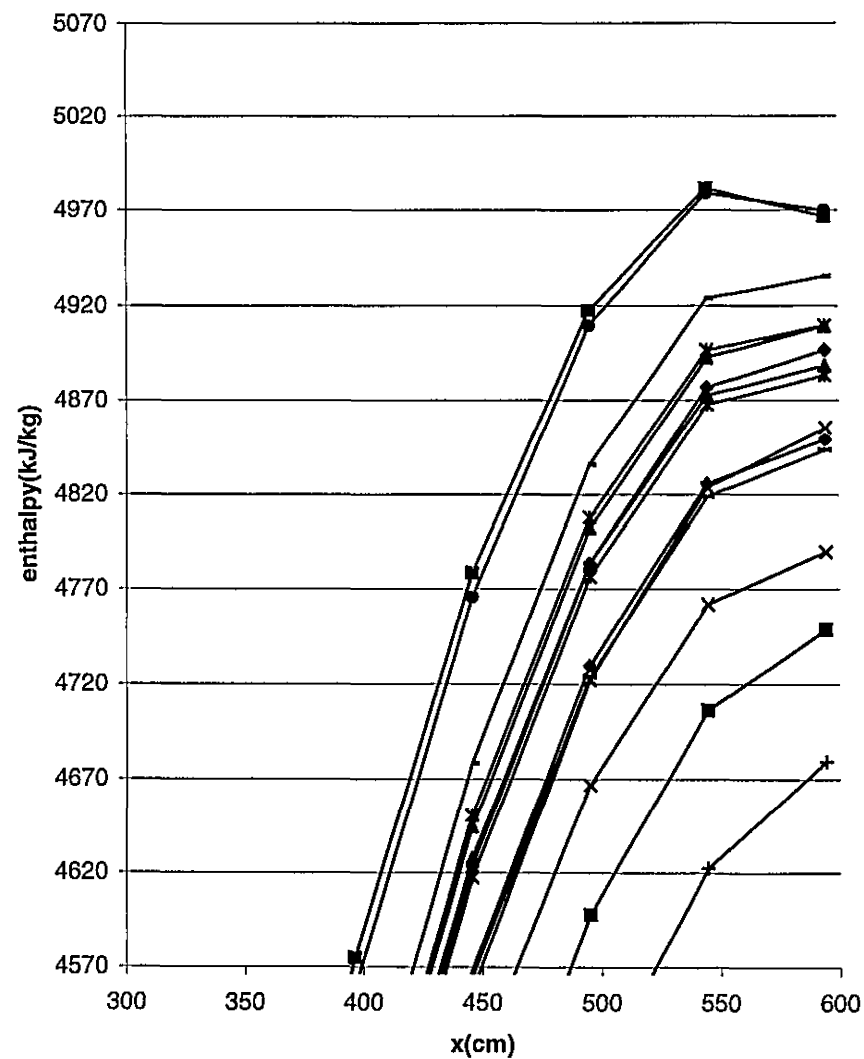
3.00MPa 2800kJ/kg 0.25kg/s 0.03125MW



ASSERT
3.00MPa 2800kJ/kg 0.1kg/s 0.2MW

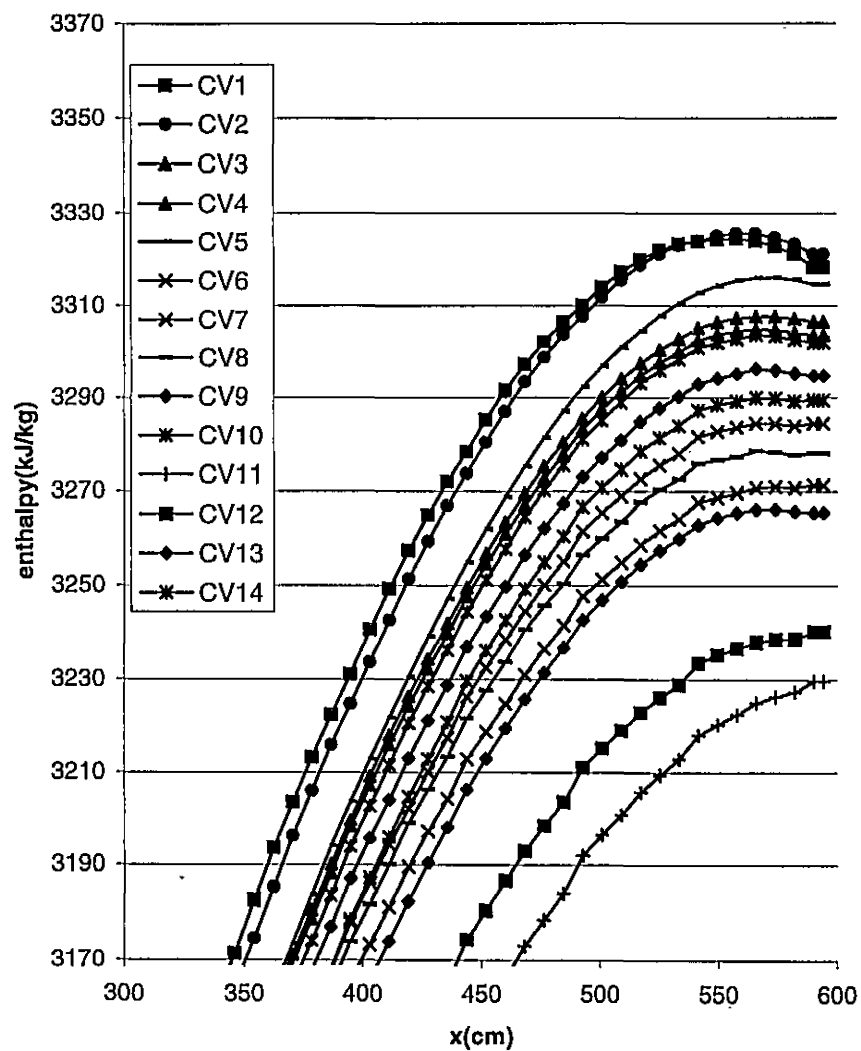


New Model
3.00MPa 2800kJ/kg 0.1kg/s 0.2MW



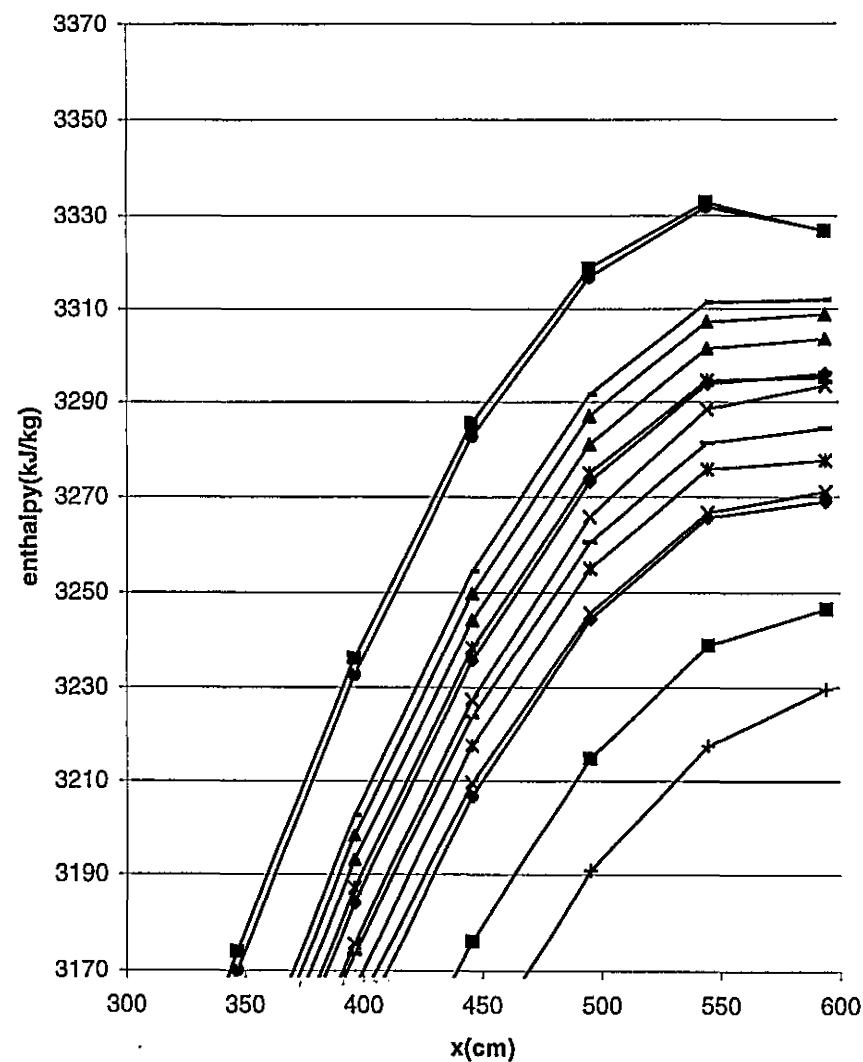
ASSERT

3.00MPa 2800kJ/kg 0.15kg/s 0.075MW

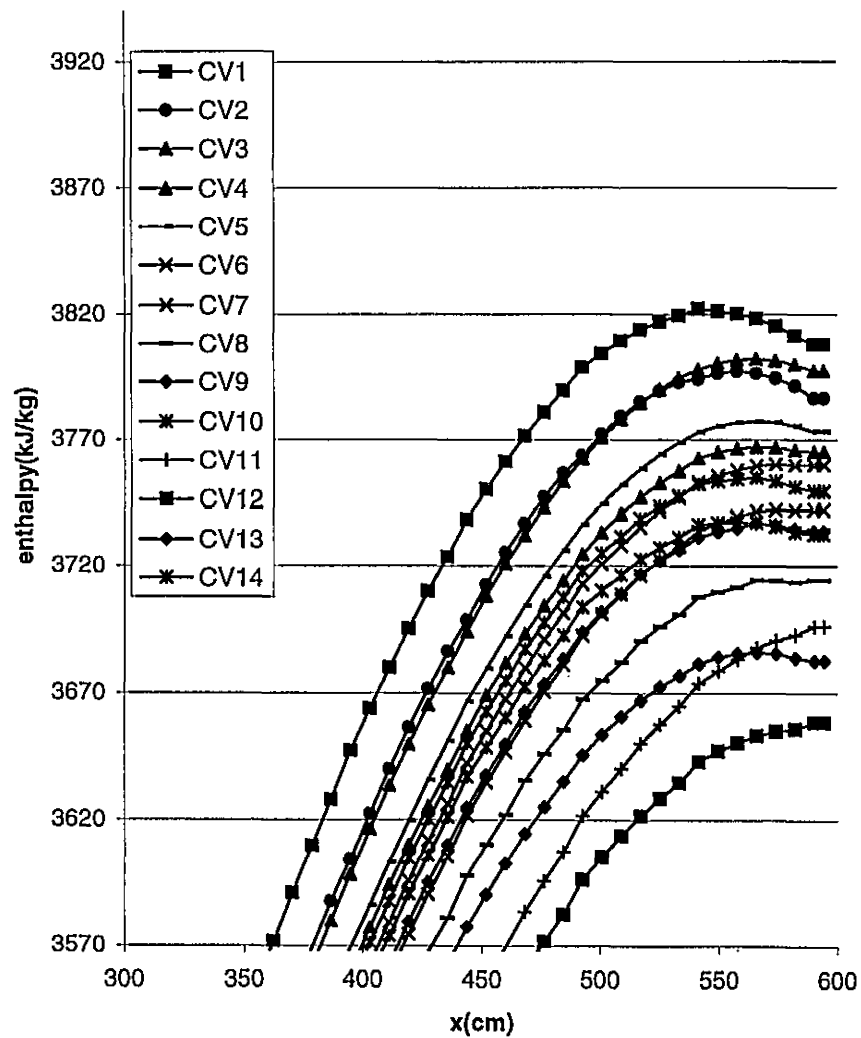


New Model

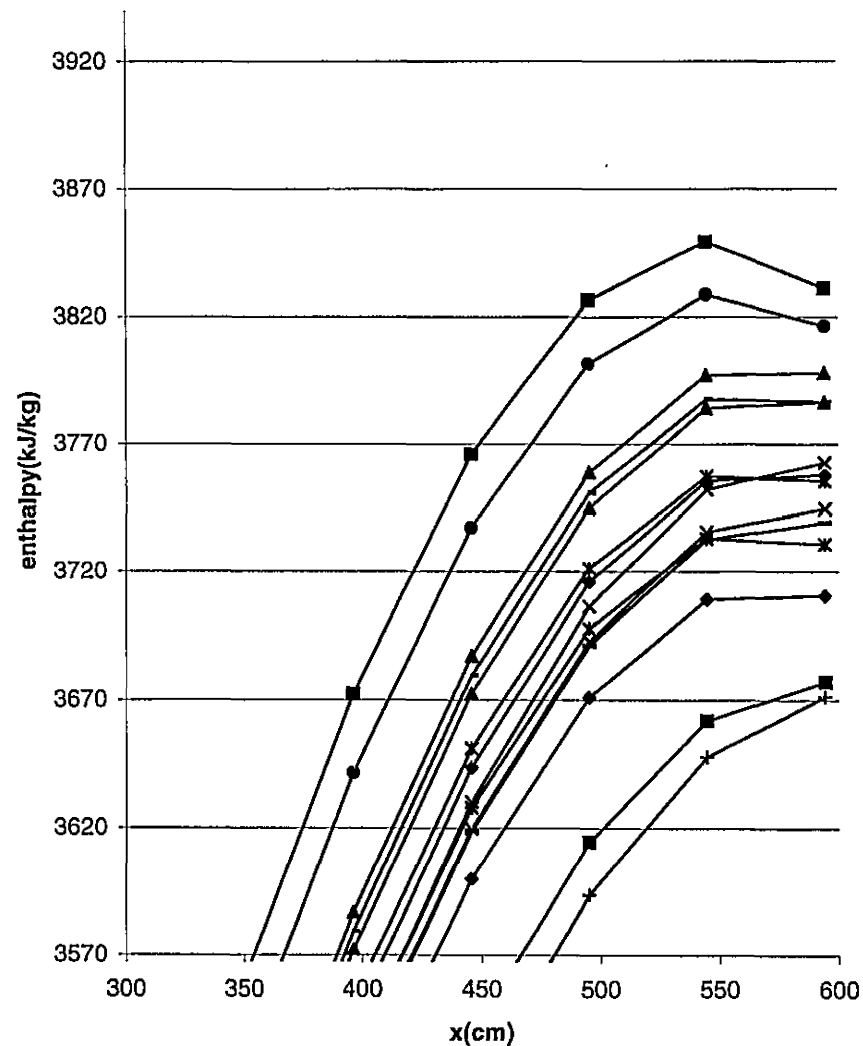
3.00MPa 2800kJ/kg 0.15kg/s 0.075MW



ASSERT
 3.00MPa 2800kJ/kg 0.065kg/s 0.065MW

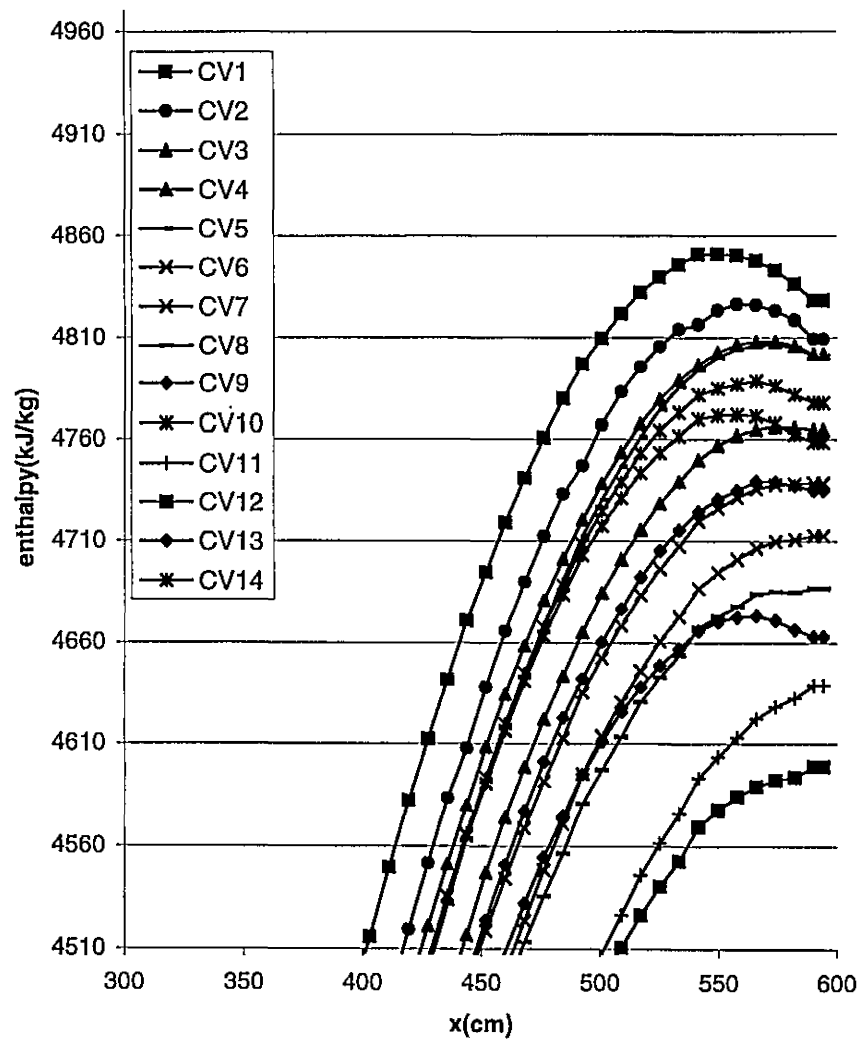


New Model
 3.00MPa 2800kJ/kg 0.065kg/s 0.065MW



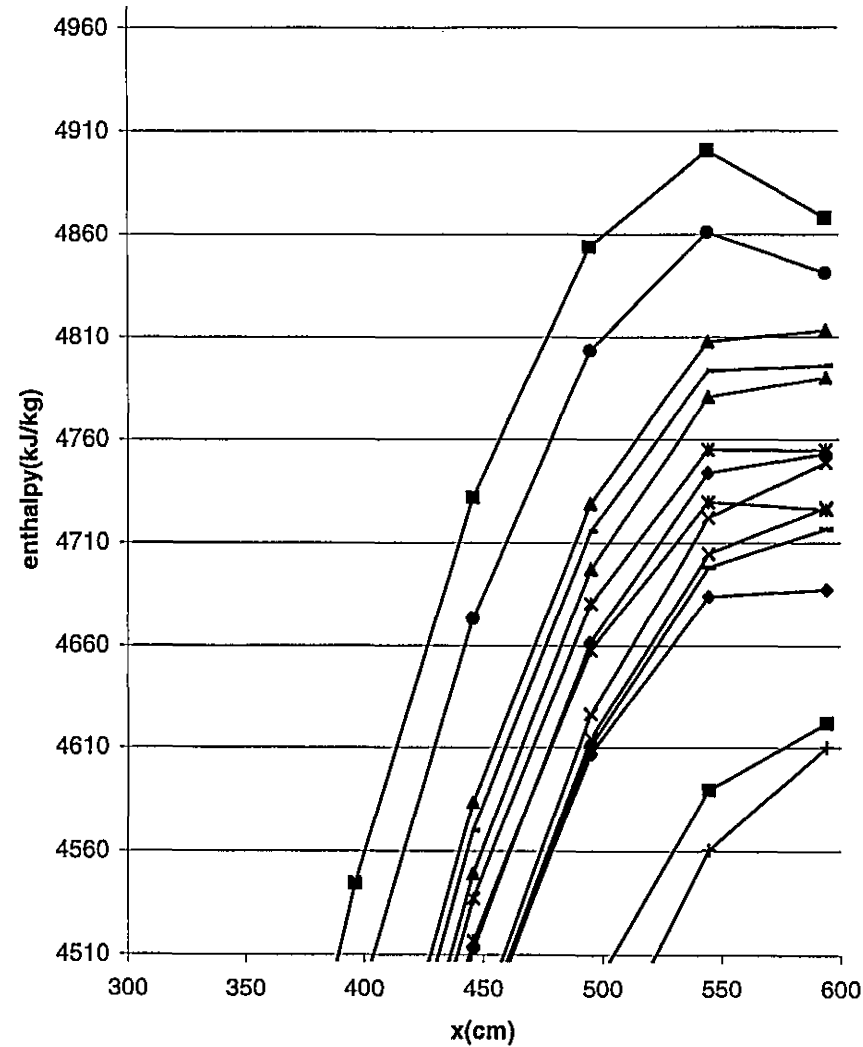
ASSERT

3.00MPa 2800kJ/kg 0.04kg/s 0.08MW



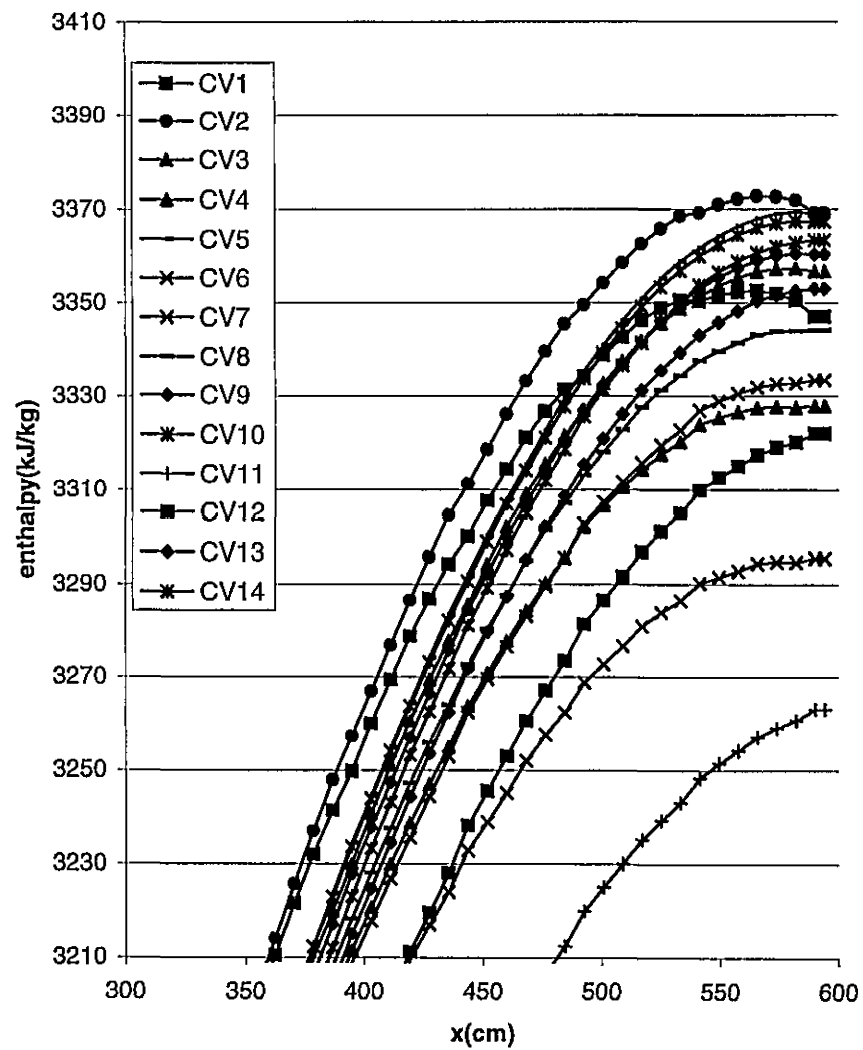
New Model

3.00MPa 2800kJ/kg 0.04kg/s 0.08MW



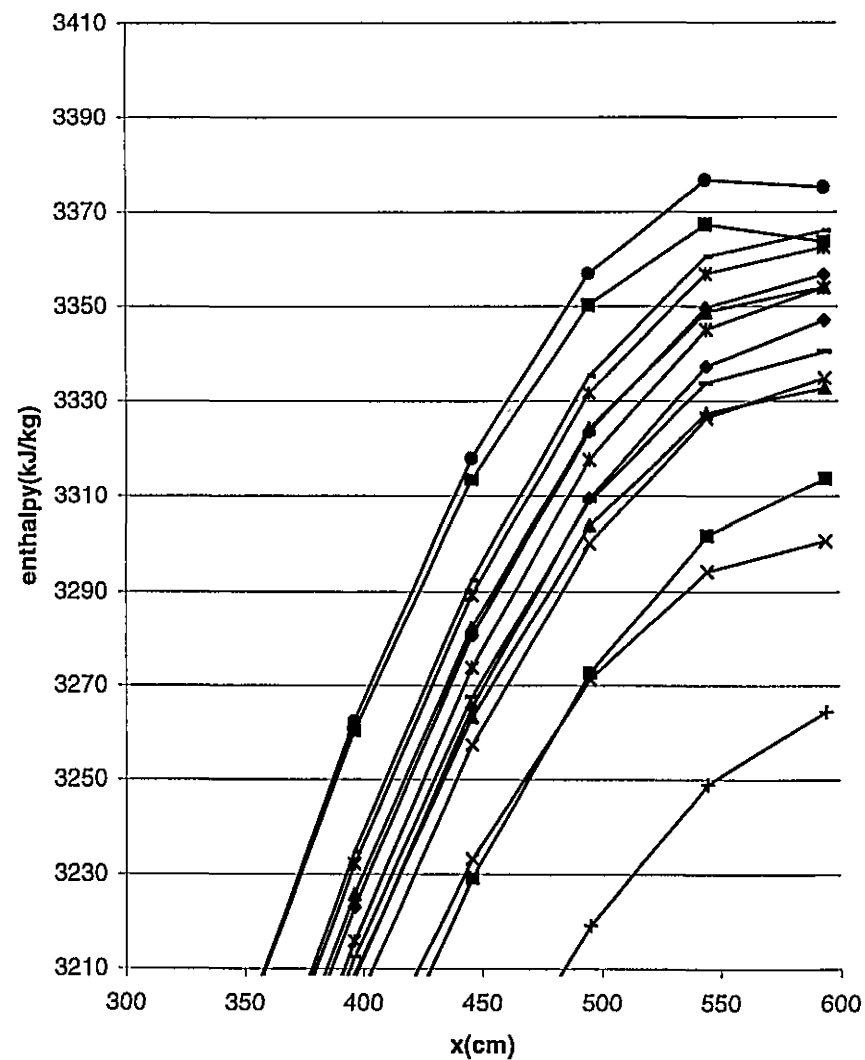
ASSERT

2.00MPa 2800kJ/kg 2.50kg/s 1.25MW



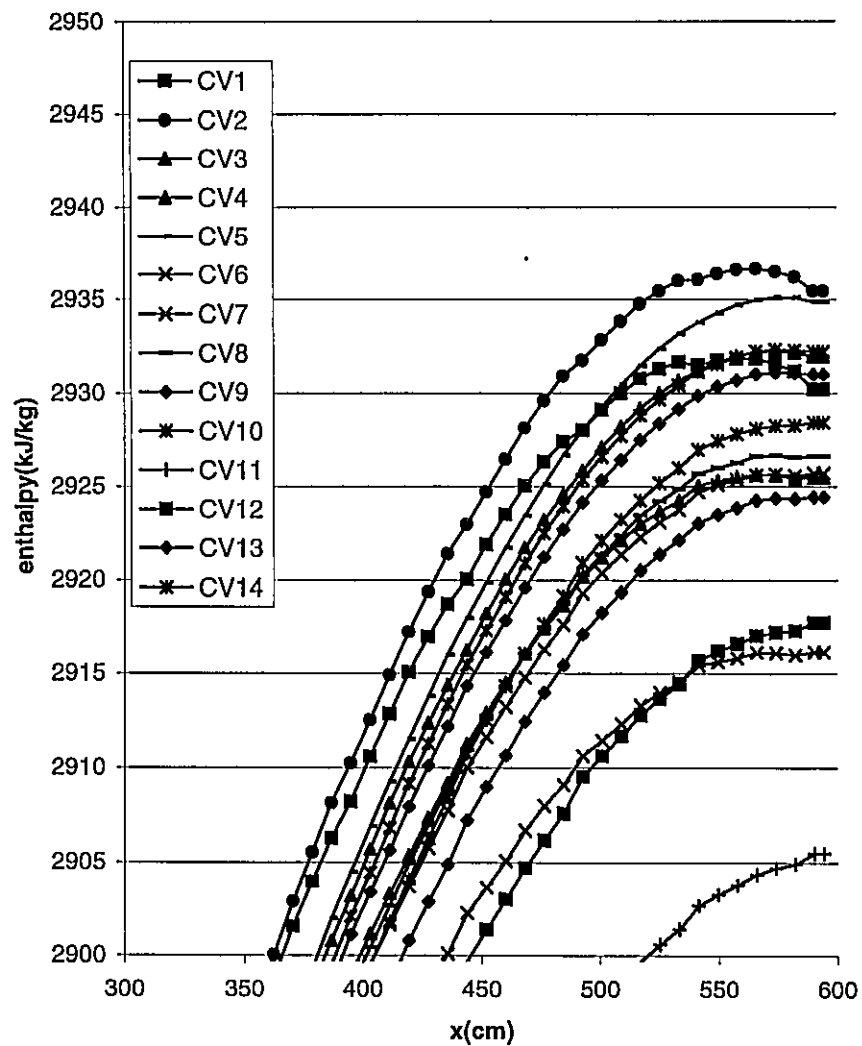
New Model

2.00MPa 2800kJ/kg 2.50kg/s 1.25MW



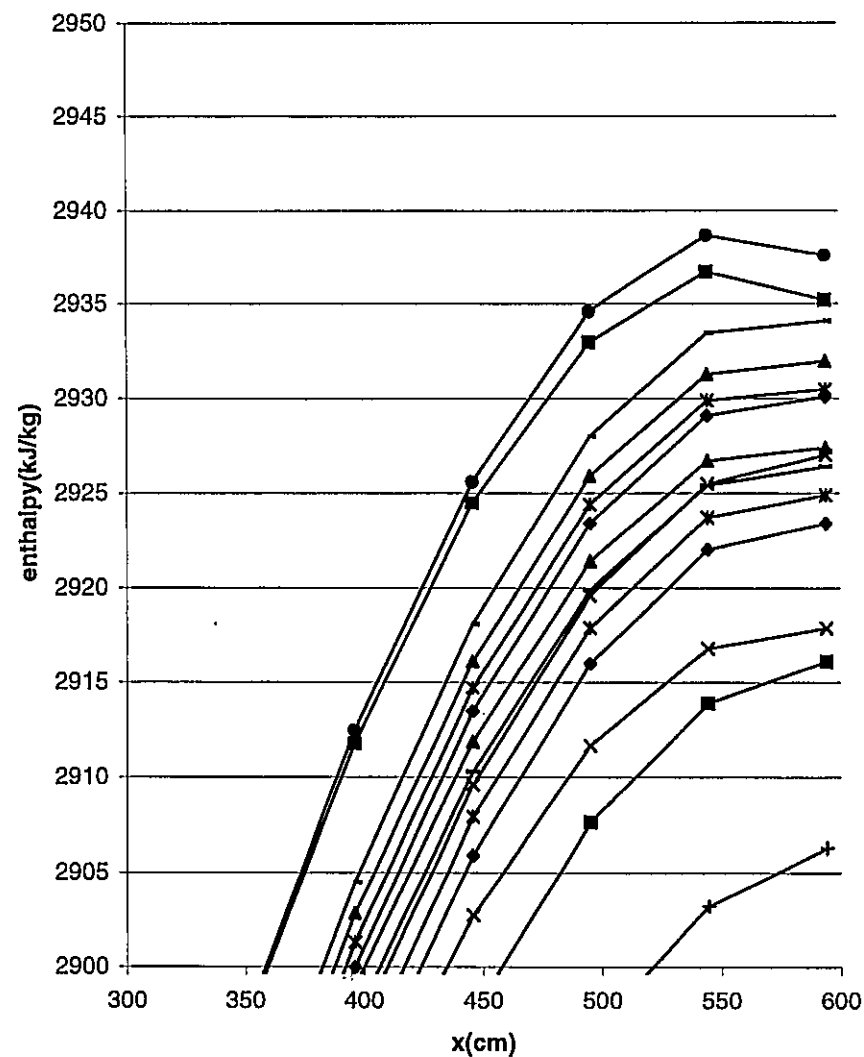
ASSERT

2.00MPa 2800kJ/kg 0.65kg/s 0.08125MW



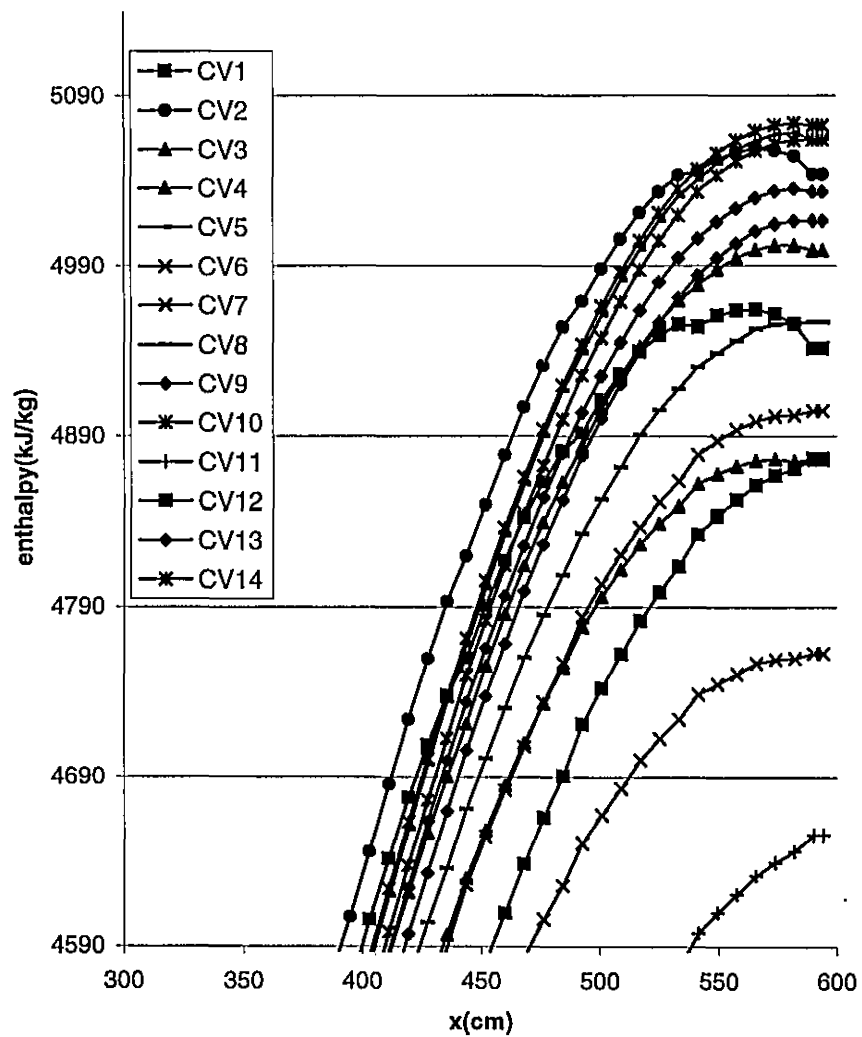
New Model

2.00MPa 2800kJ/kg 0.65kg/s 0.08125MW



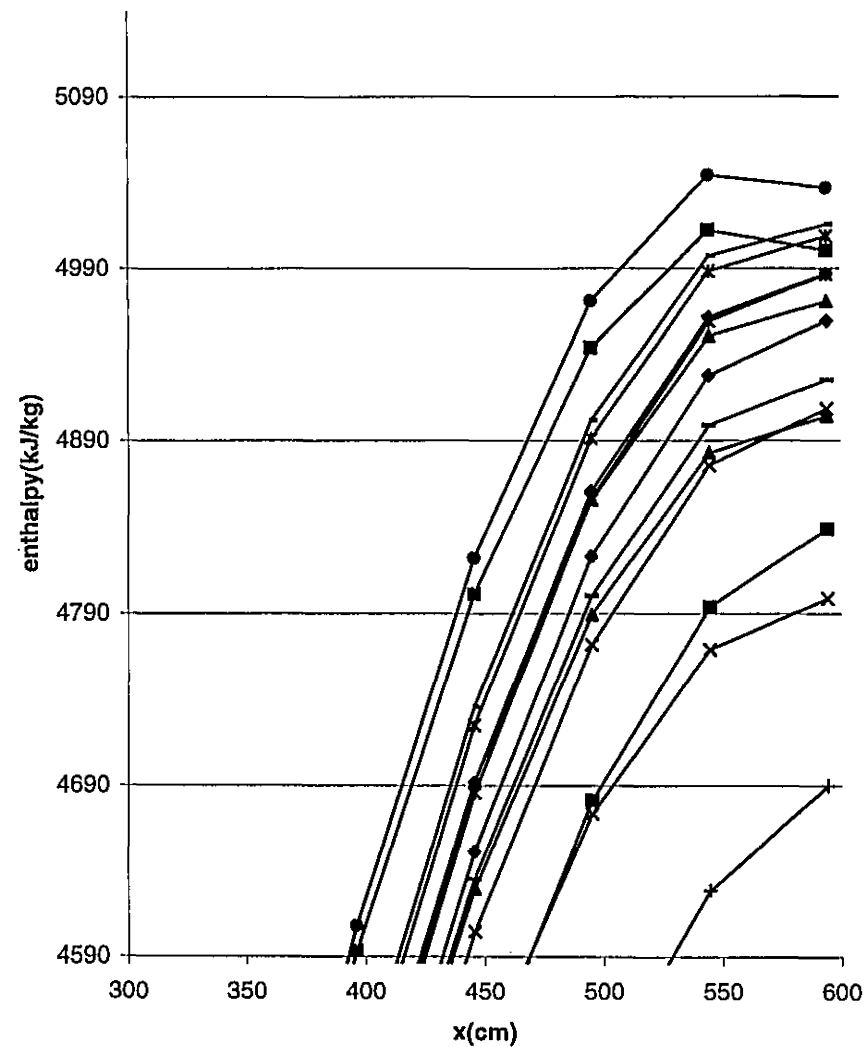
ASSERT

2.00MPa 2800kJ/kg 0.25kg/s 0.5MW

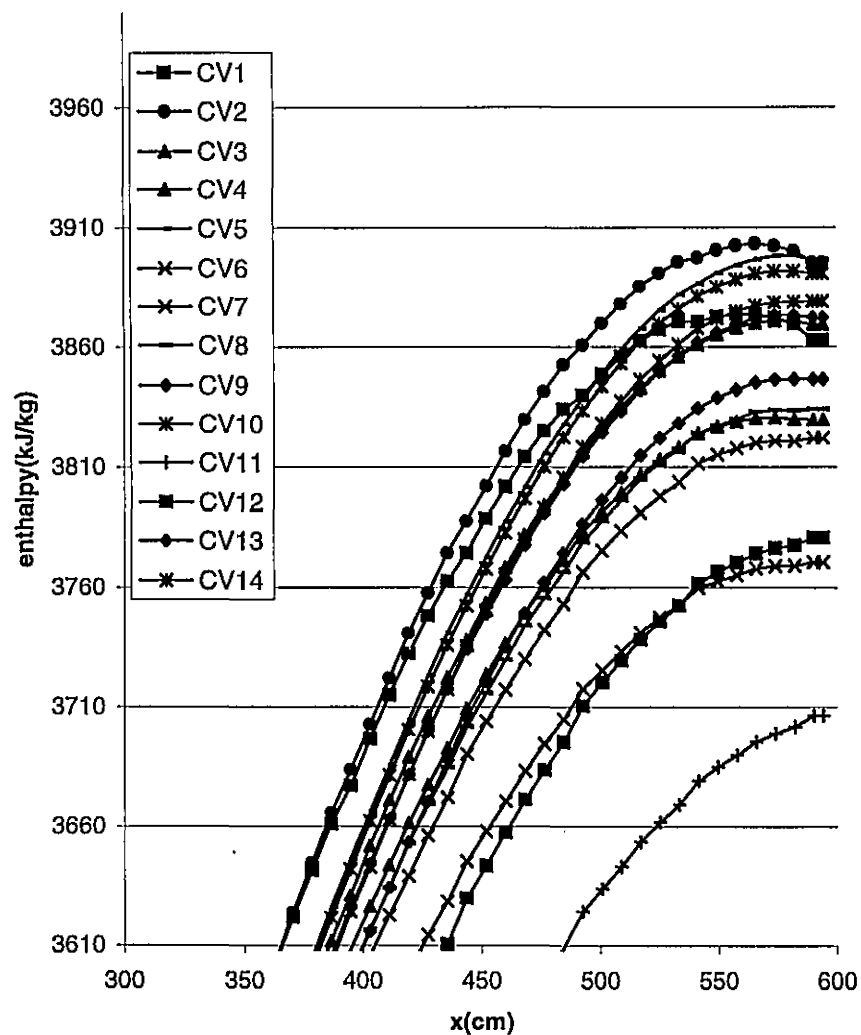


New Model

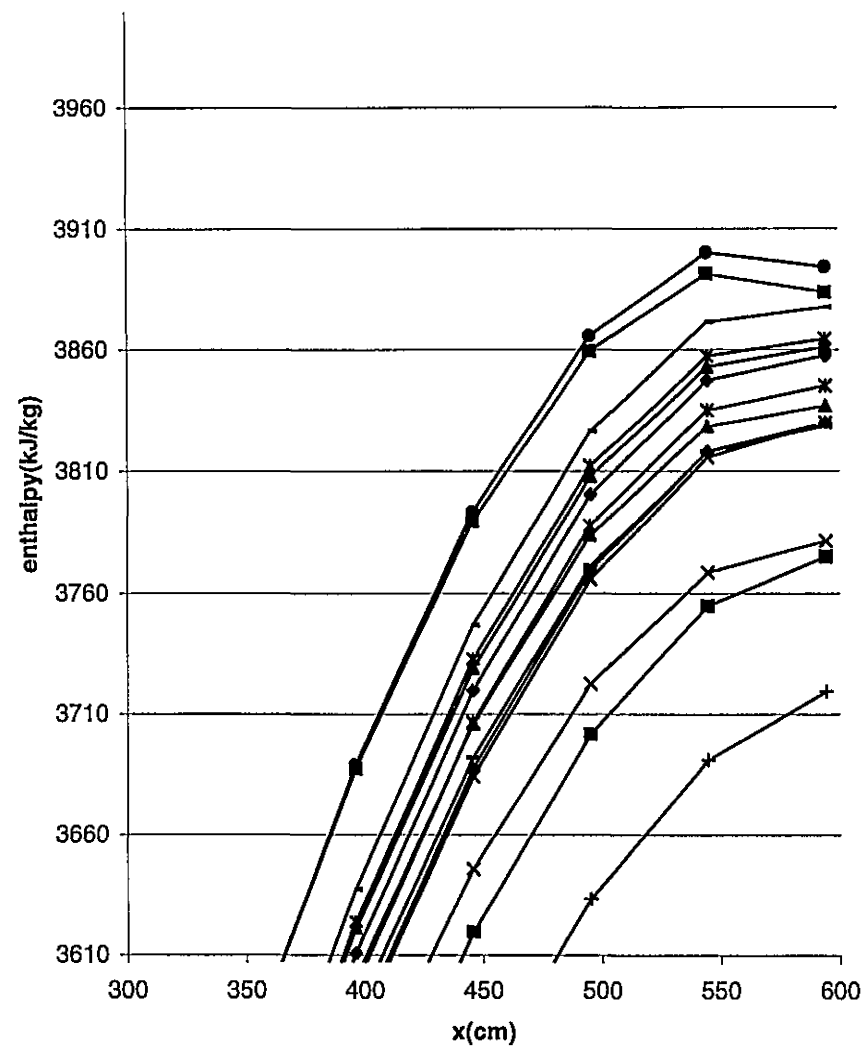
2.00MPa 2800kJ/kg 0.25kg/s 0.5MW



ASSERT
 2.00MPa 2800kJ/kg 0.150kg/s 0.150MW

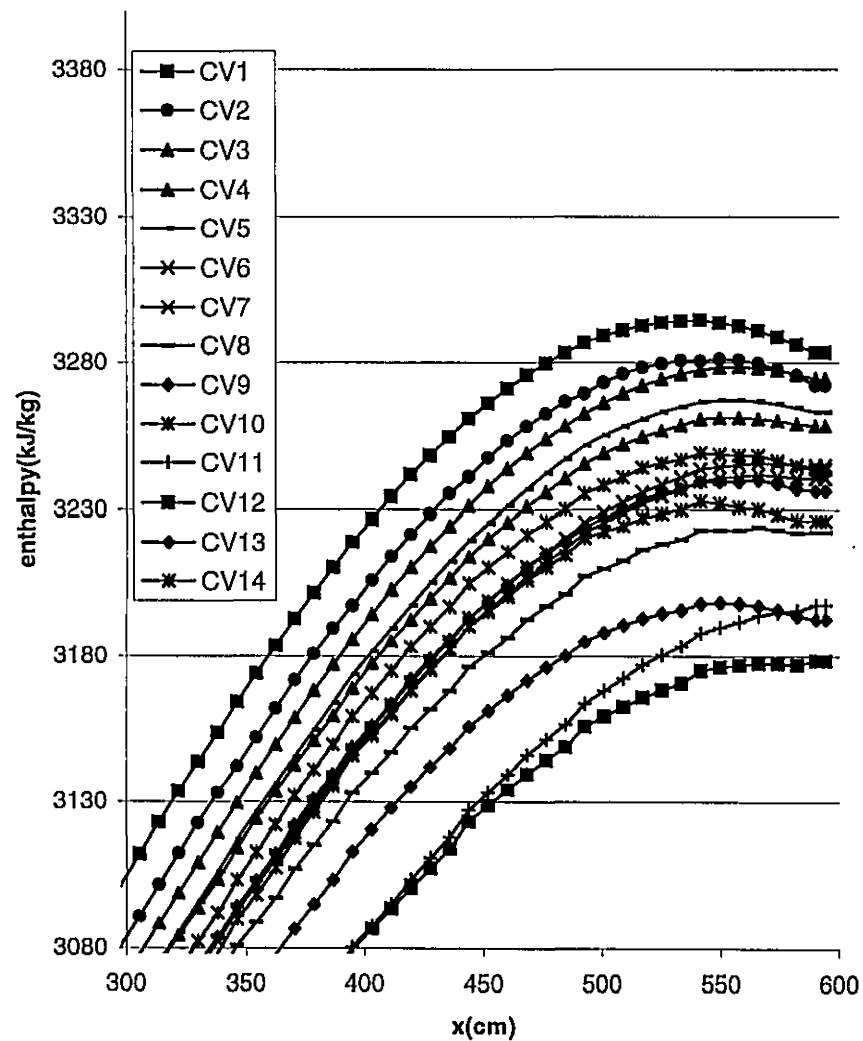


New Model
 2.00MPa 2800kJ/kg 0.150kg/s 0.150MW



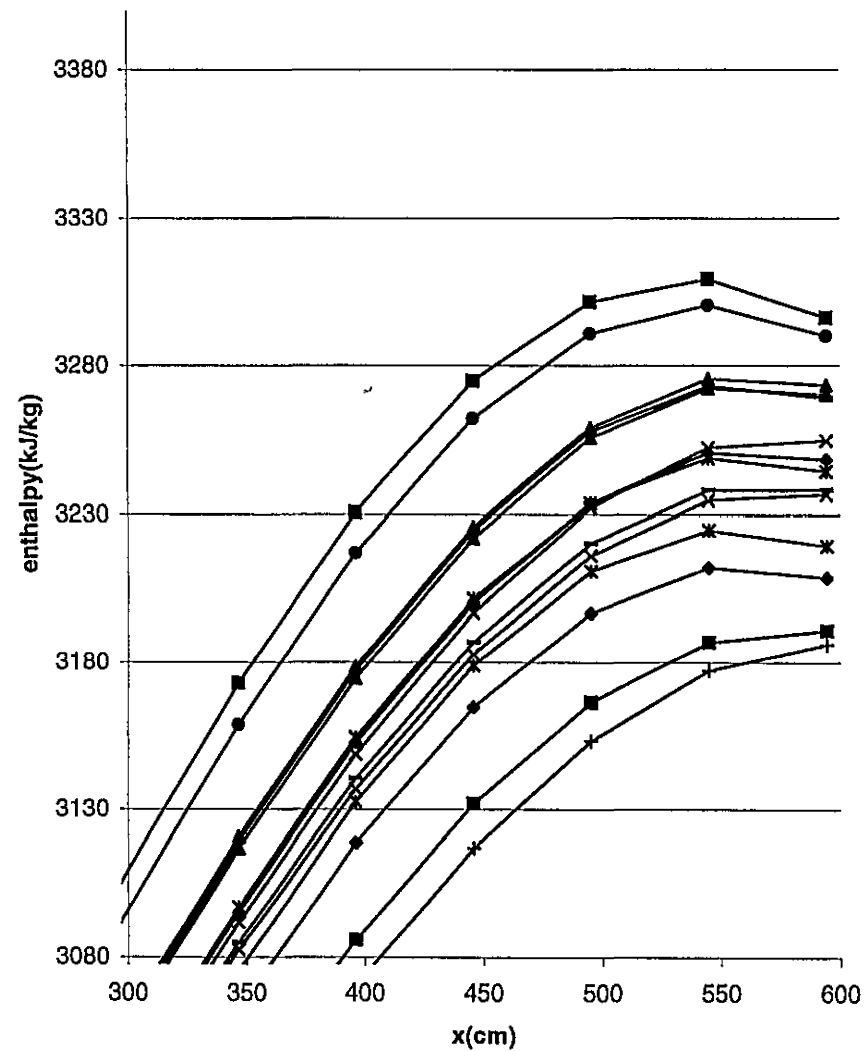
ASSERT

2.00MPa 2800kJ/kg 0.065kg/s 0.0325MW



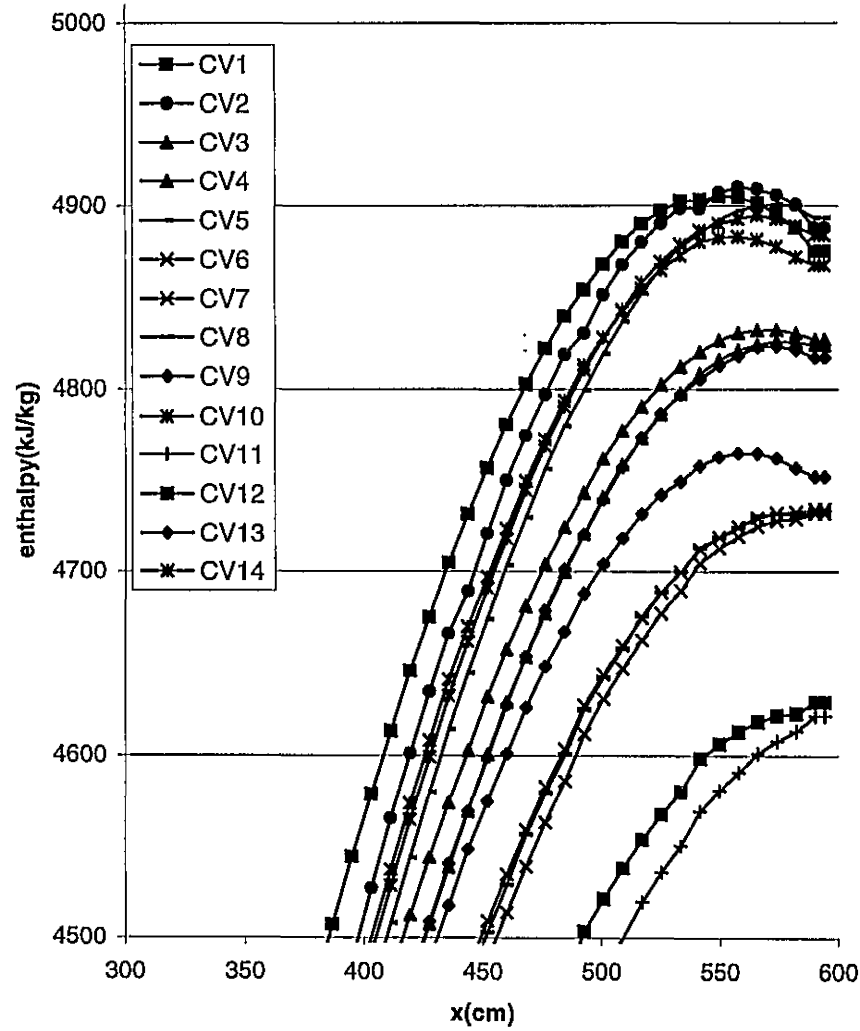
New Model

2.00MPa 2800kJ/kg 0.065kg/s 0.0325MW



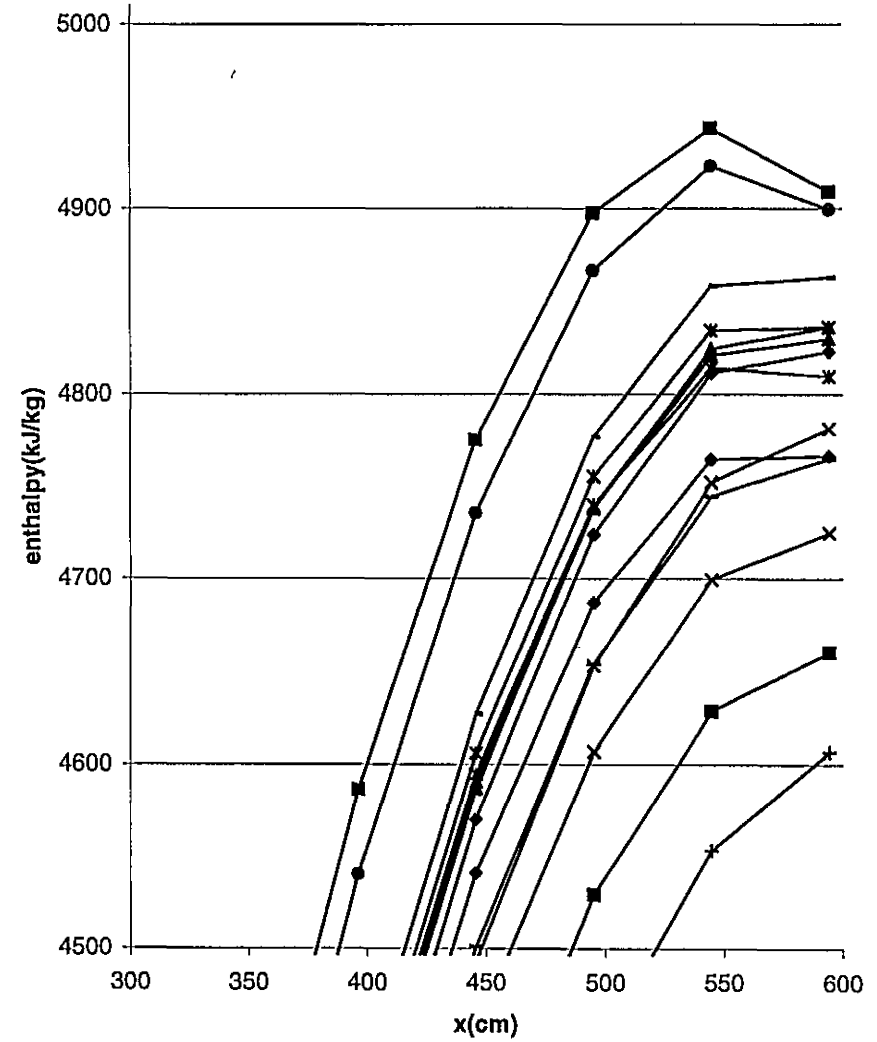
ASSERT

2.00MPa 2800kJ/kg 0.04kg/s 0.08MW



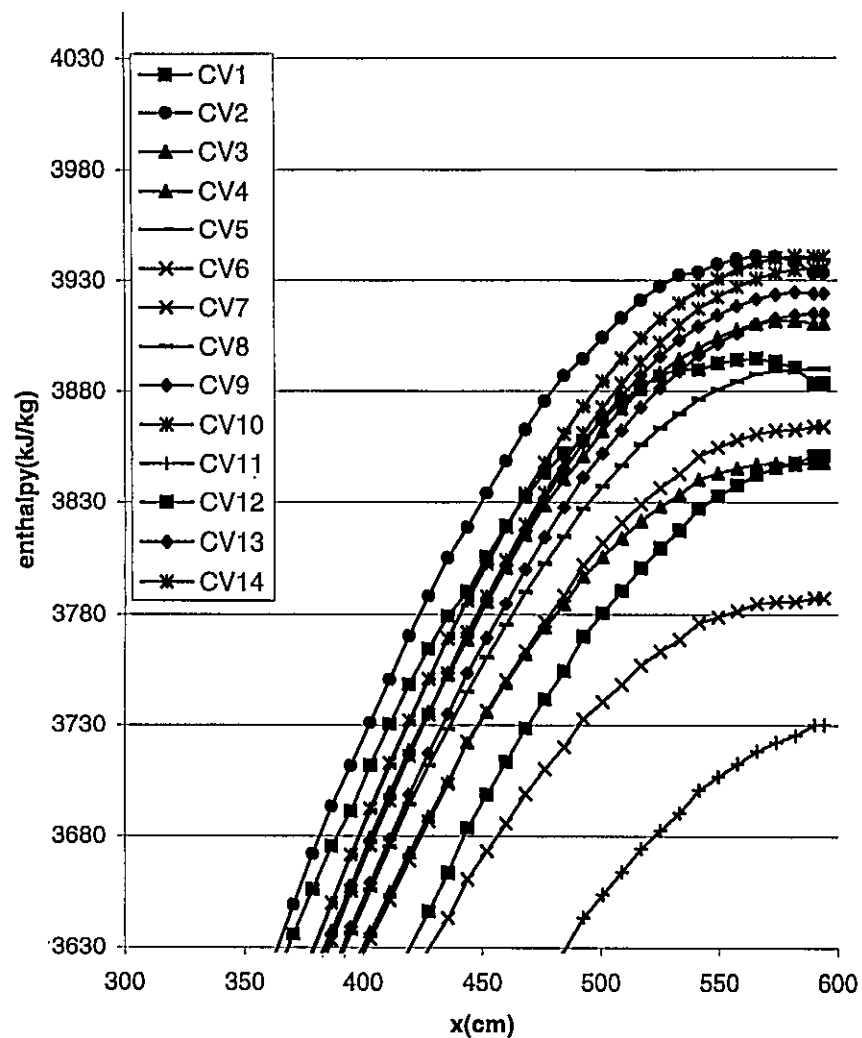
New Model

2.00MPa 2800kJ/kg 0.04kg/s 0.08MW



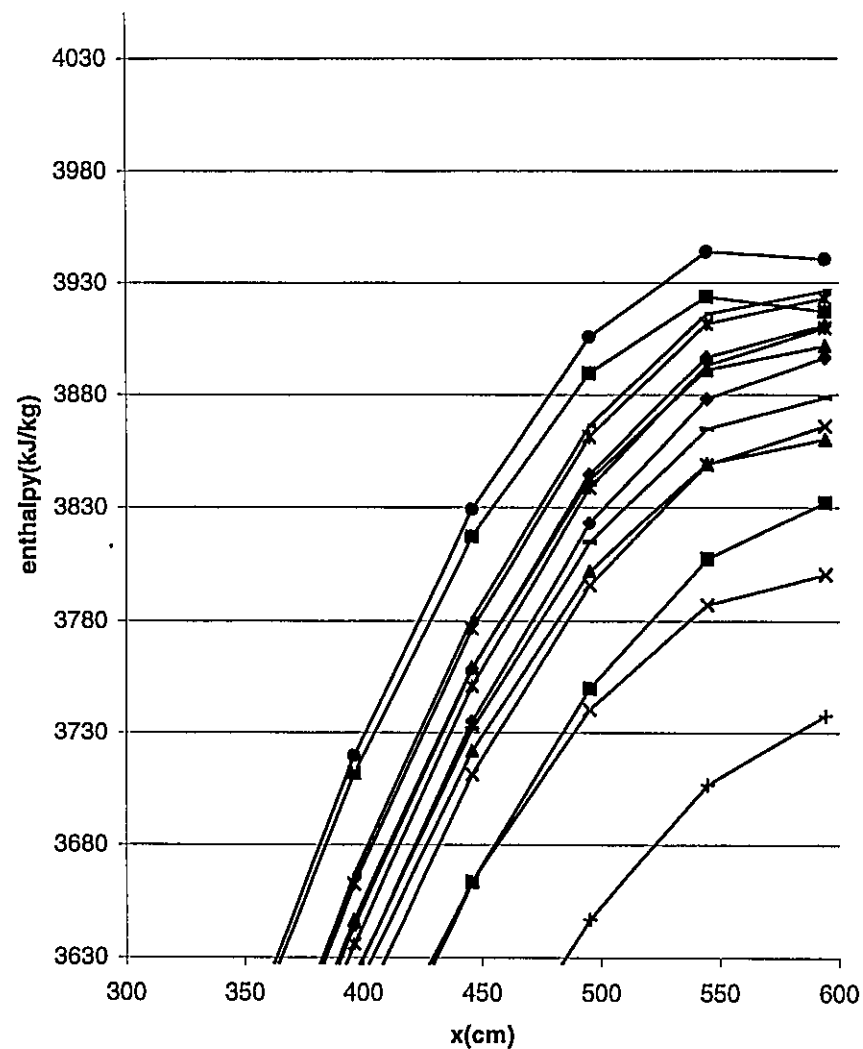
ASSERT

1.00MPa 2800kJ/kg 1.00kg/s 1.00MW



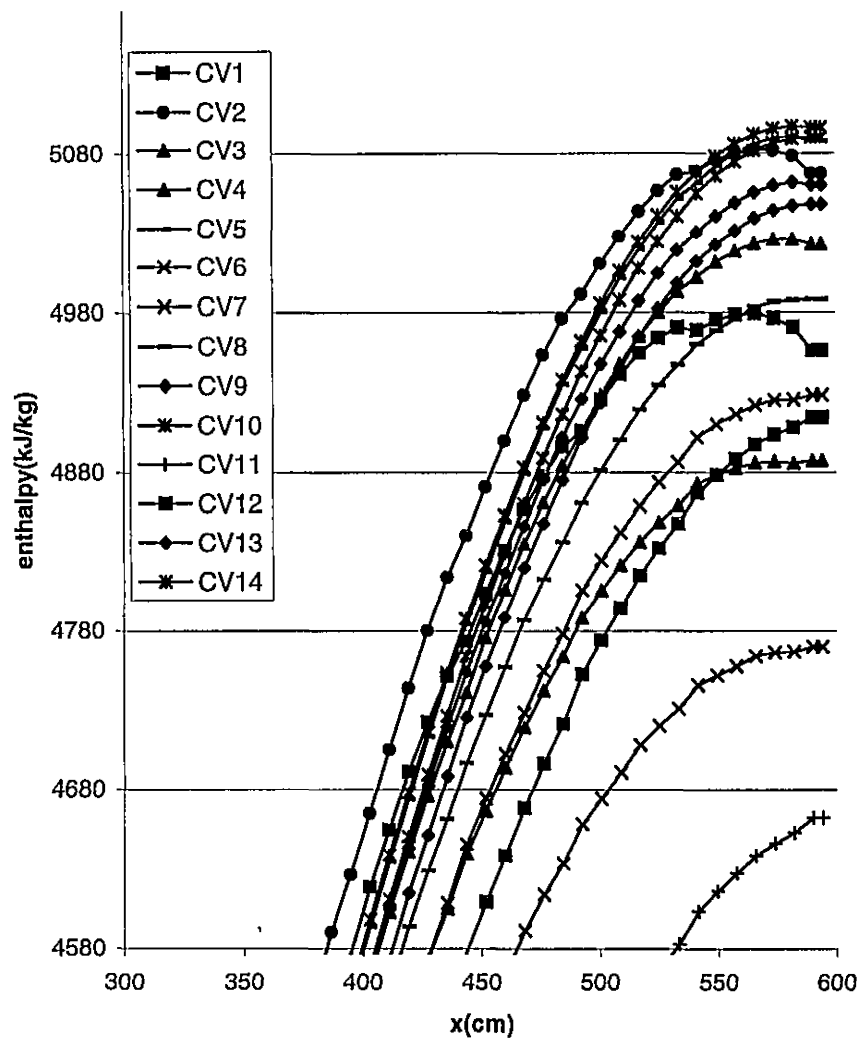
New Model

1.00MPa 2800kJ/kg 1.00kg/s 1.00MW



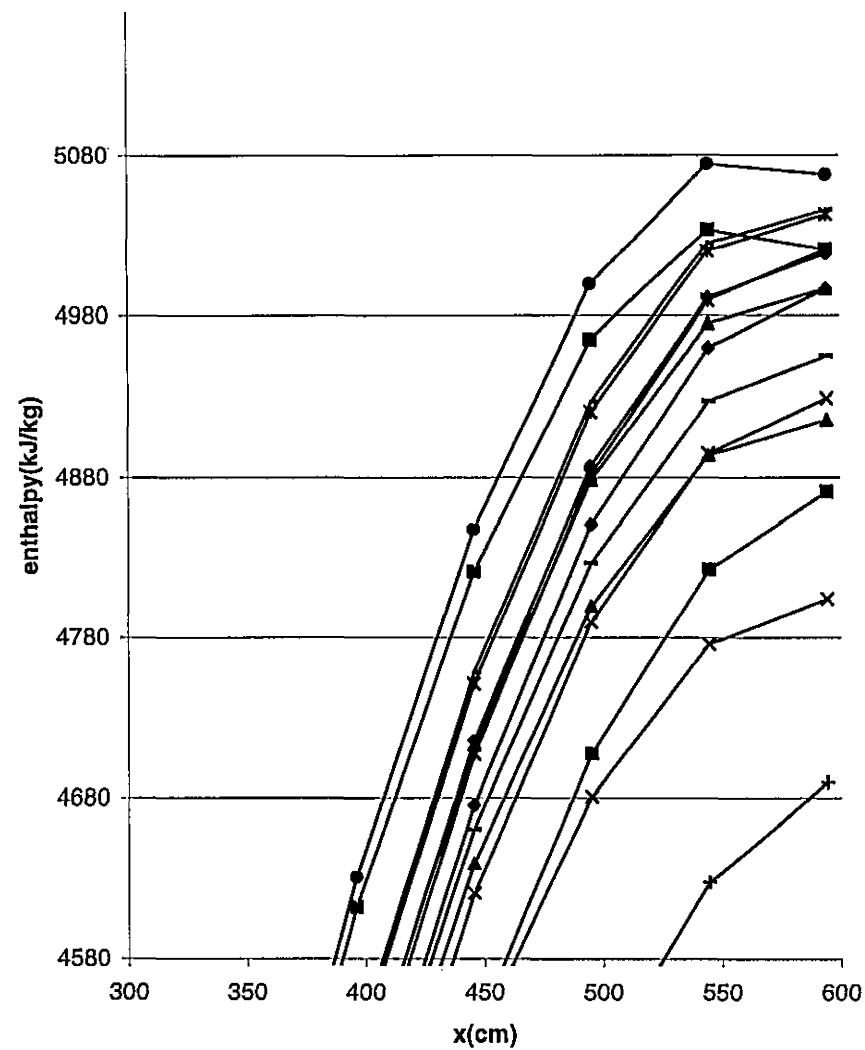
ASSERT

1.00MPa 2800kJ/kg 0.65kg/s 1.3MW



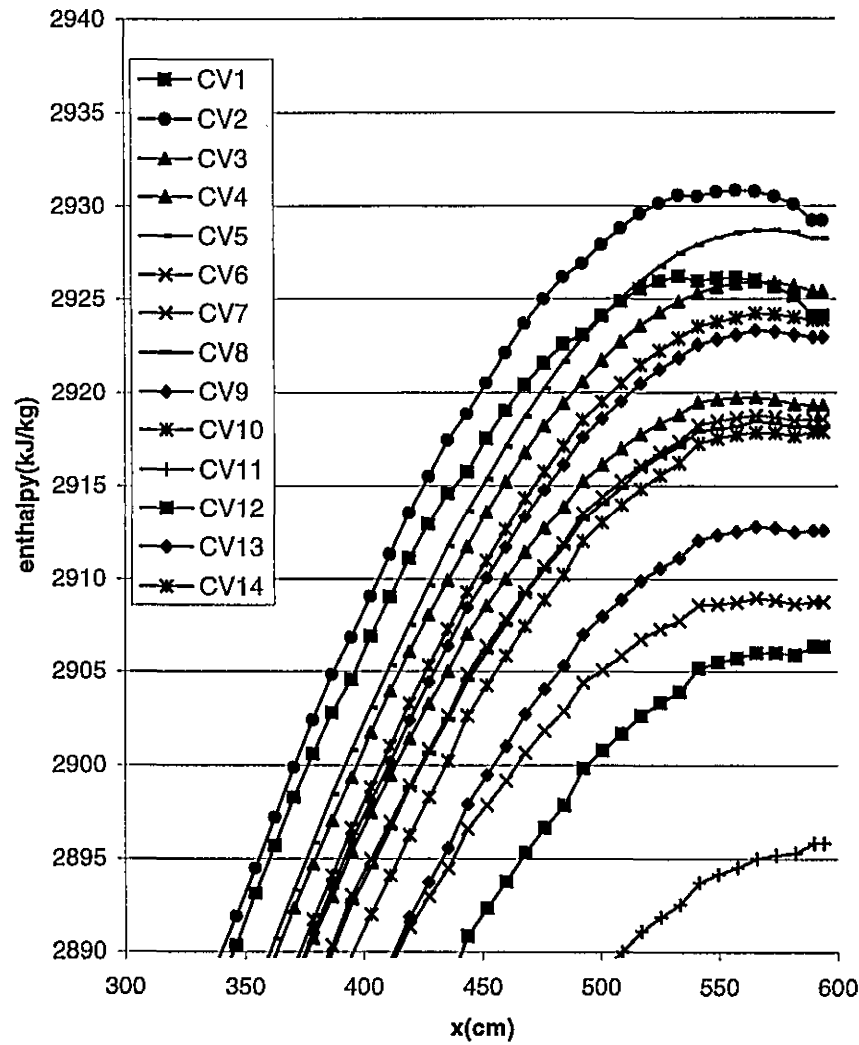
New Model

1.00MPa 2800kJ/kg 0.65kg/s 1.3MW



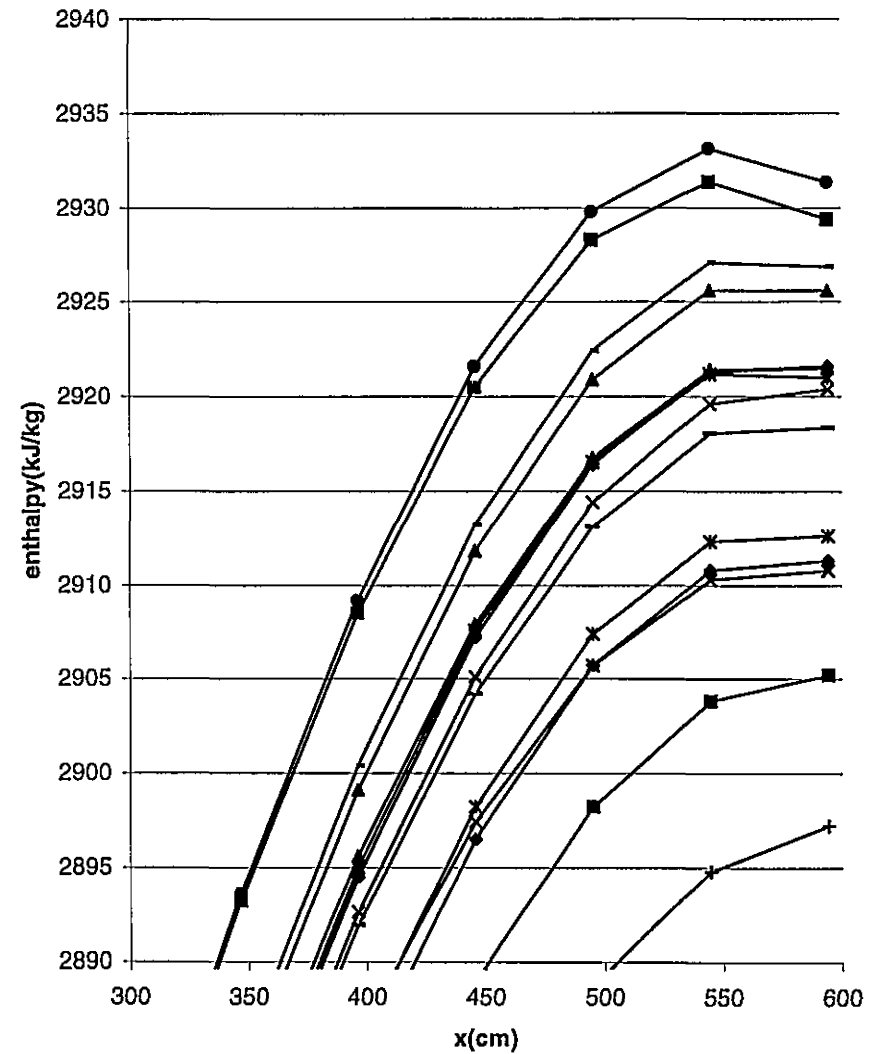
ASSERT

1.00MPa 2800kJ/kg 0.25kg/s 0.03125MW



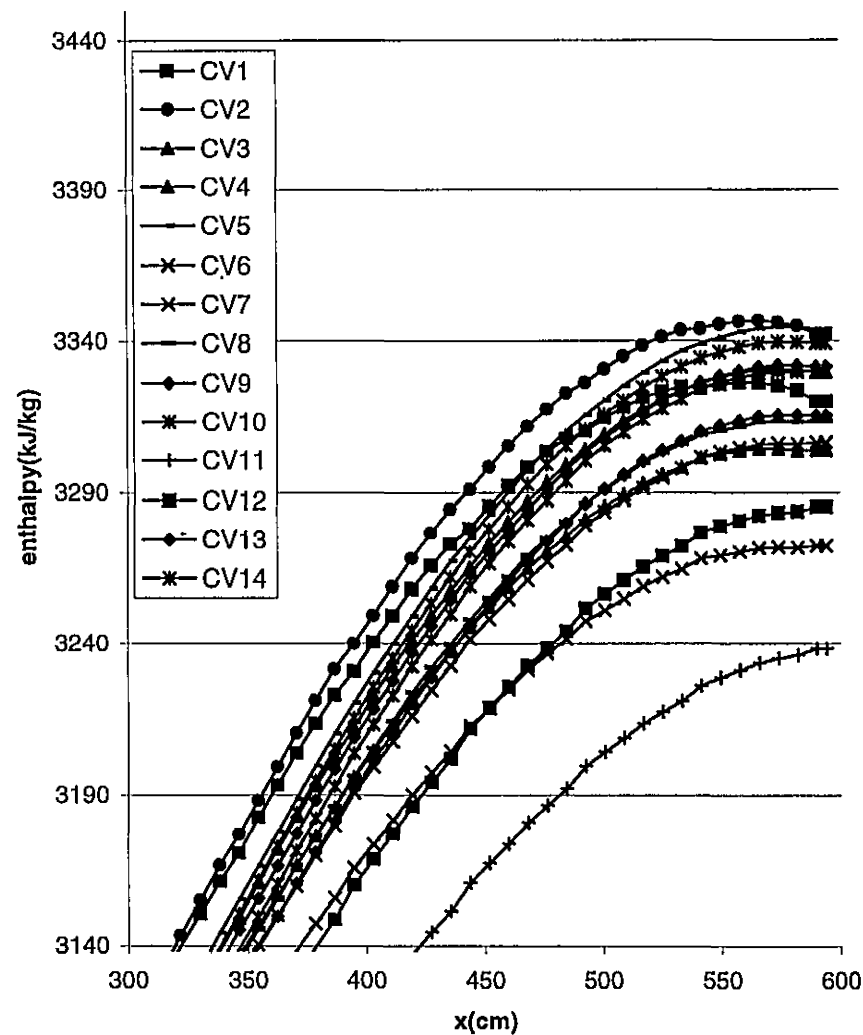
New Model

1.00MPa 2800kJ/kg 0.25kg/s 0.03125MW



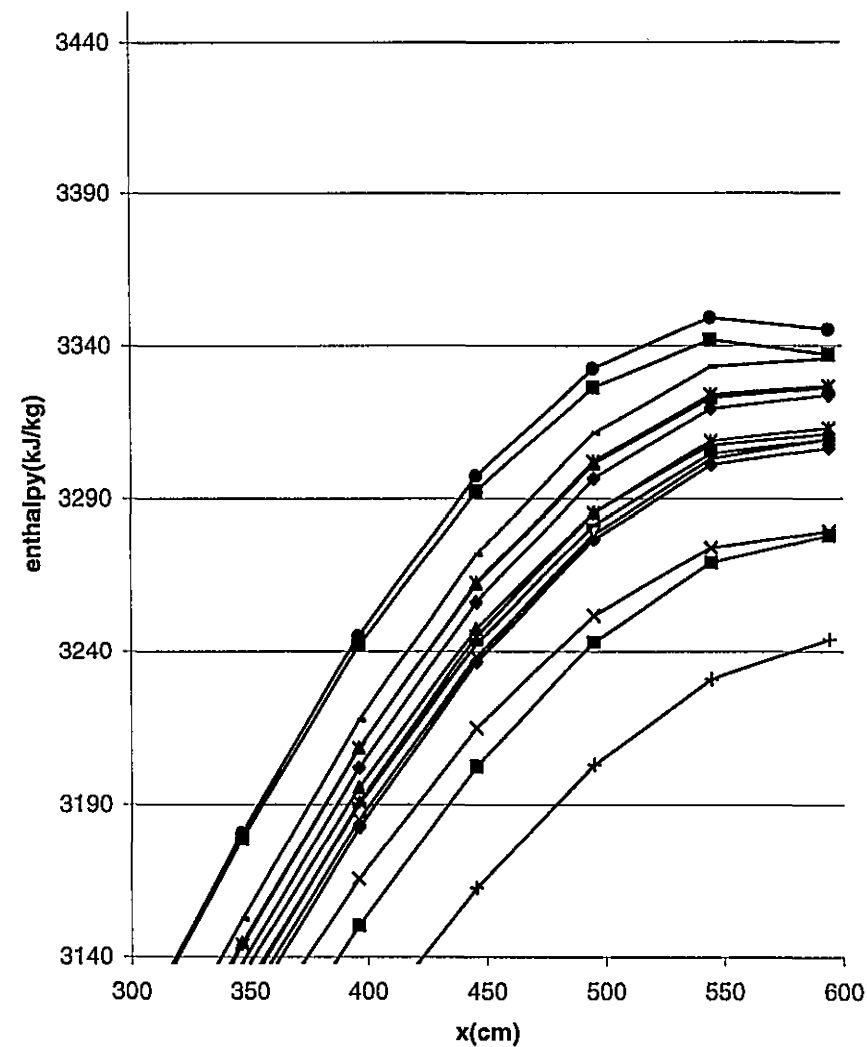
ASSERT

1.00MPa 2800kJ/kg 0.15kg/s 0.075MW



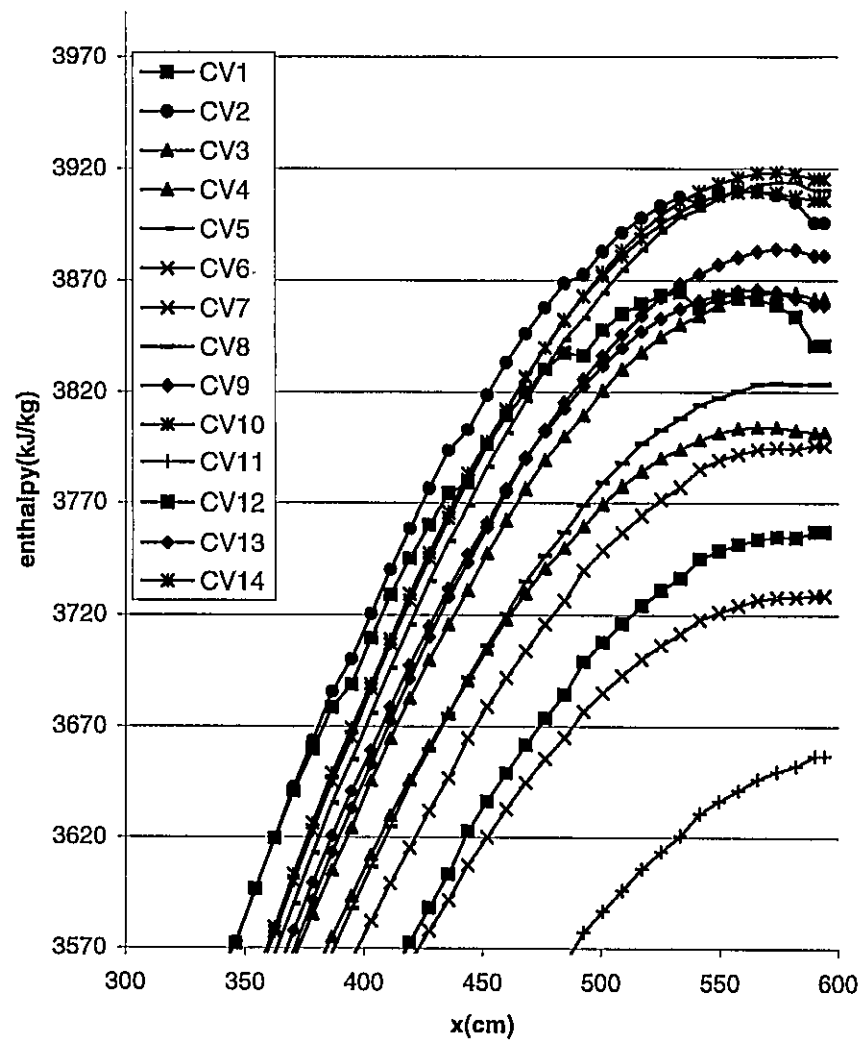
New Model

1.00MPa 2800kJ/kg 0.15kg/s 0.075MW



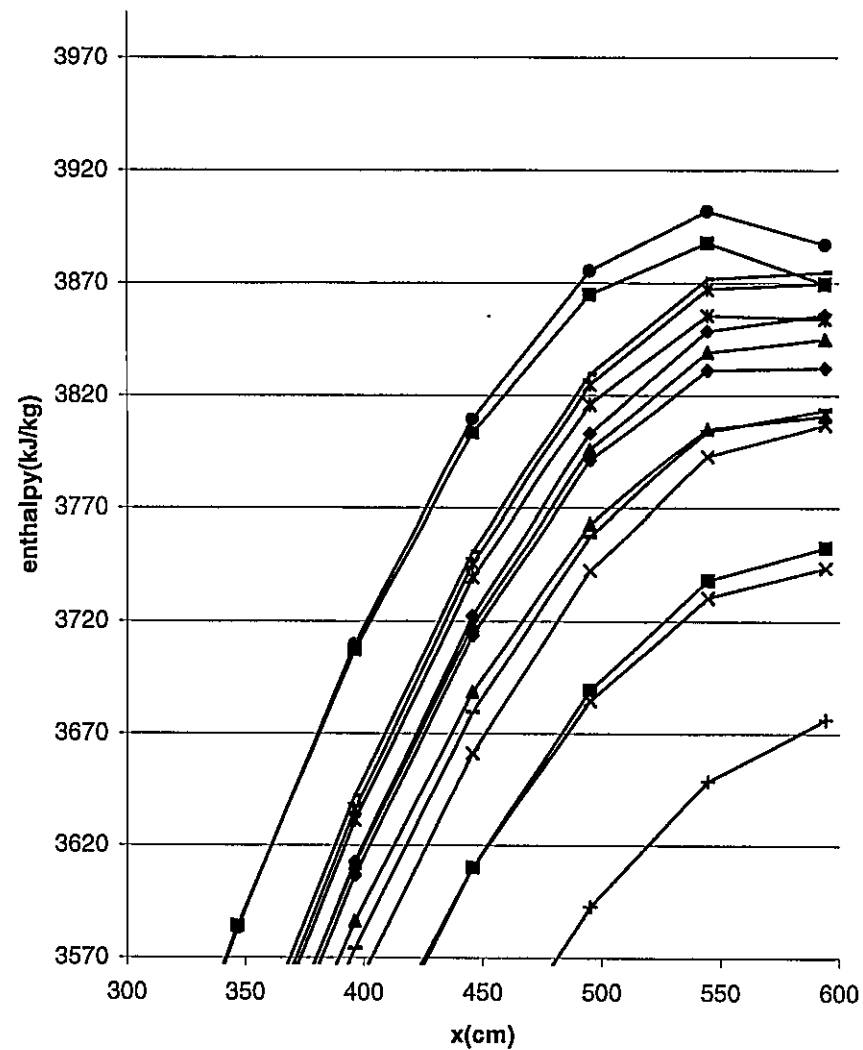
ASSERT

1.00MPa 2800kJ/kg 0.065kg/s 0.065MW



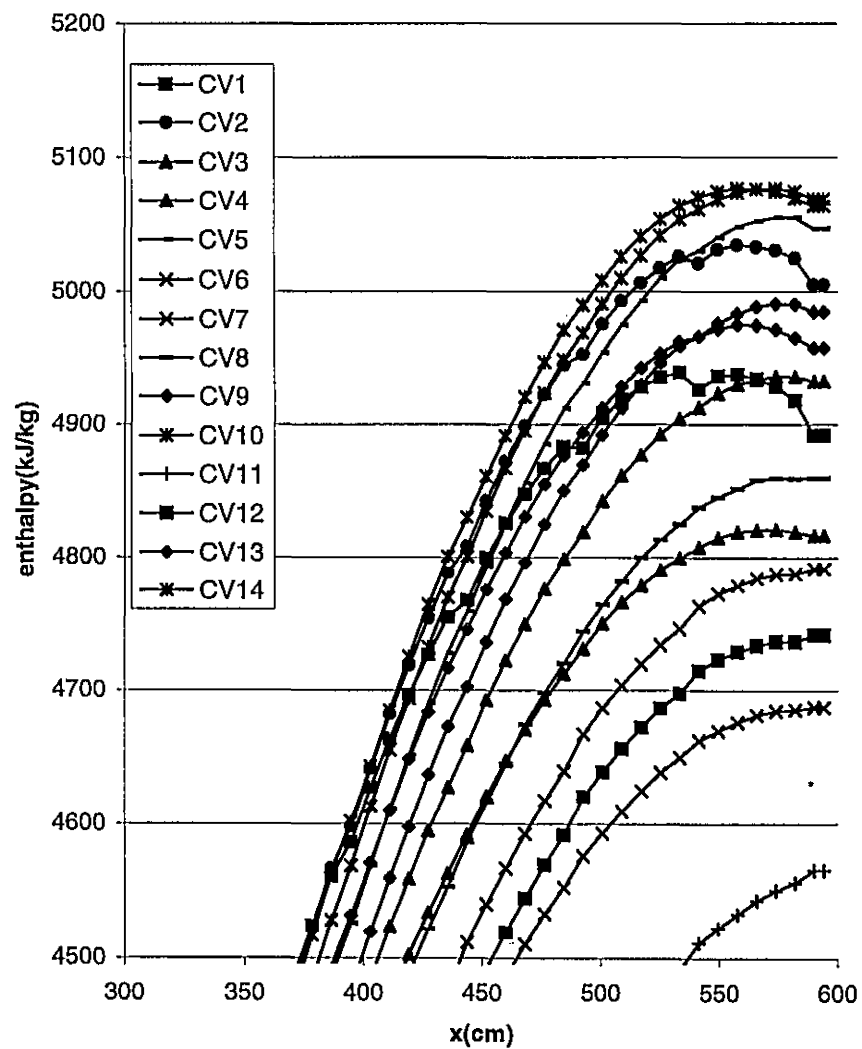
New Model

1.00MPa 2800kJ/kg 0.065kg/s 0.065MW



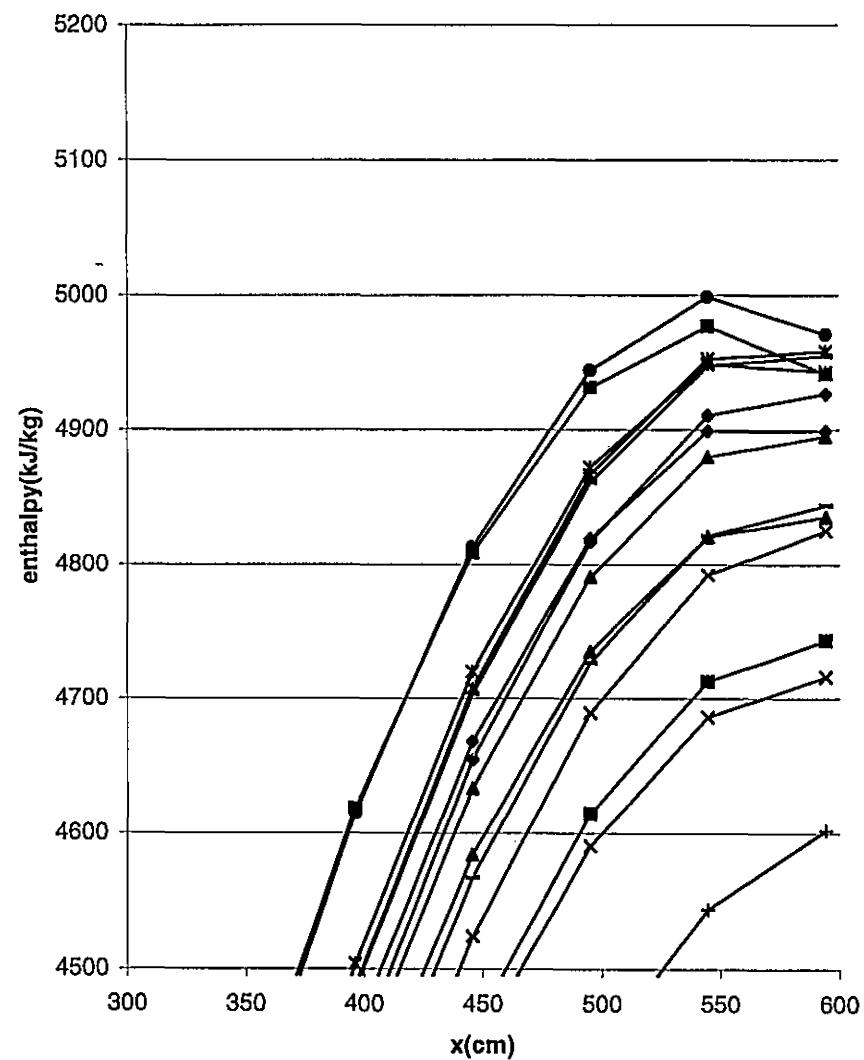
ASSERT

1.00MPa 2800kJ/kg 0.04kg/s 0.08MW



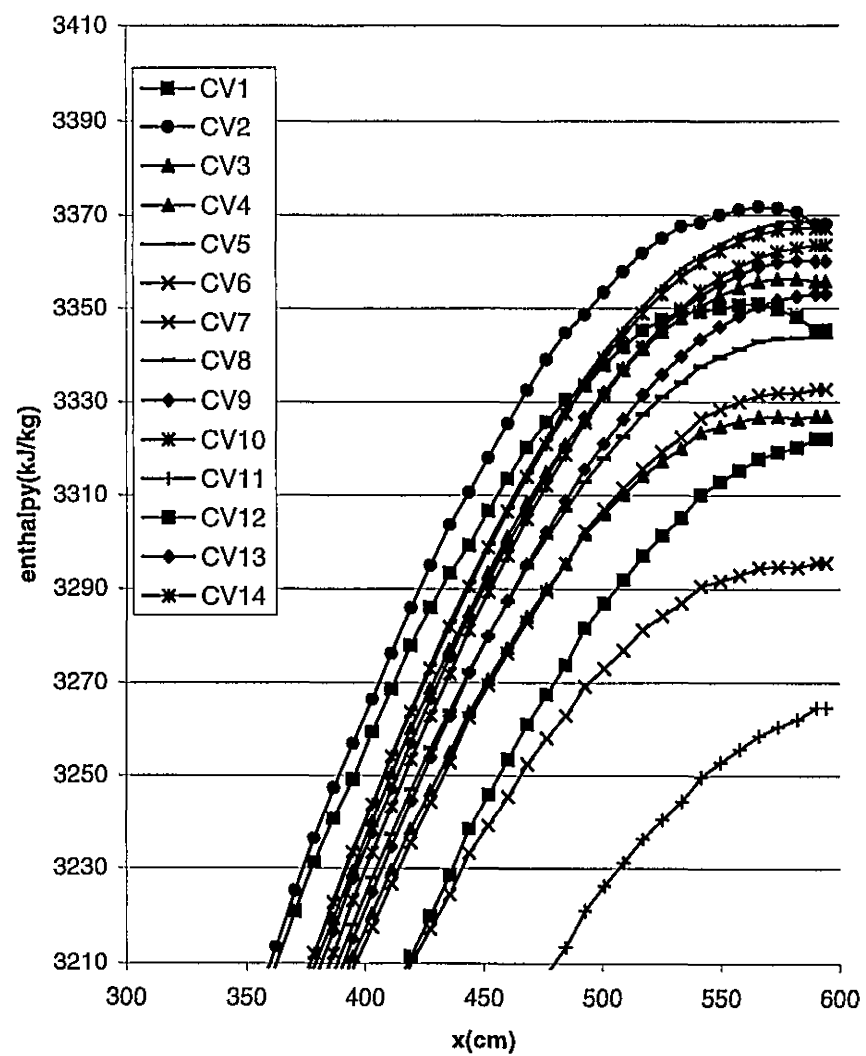
New Model

1.00MPa 2800kJ/kg 0.04kg/s 0.08MW



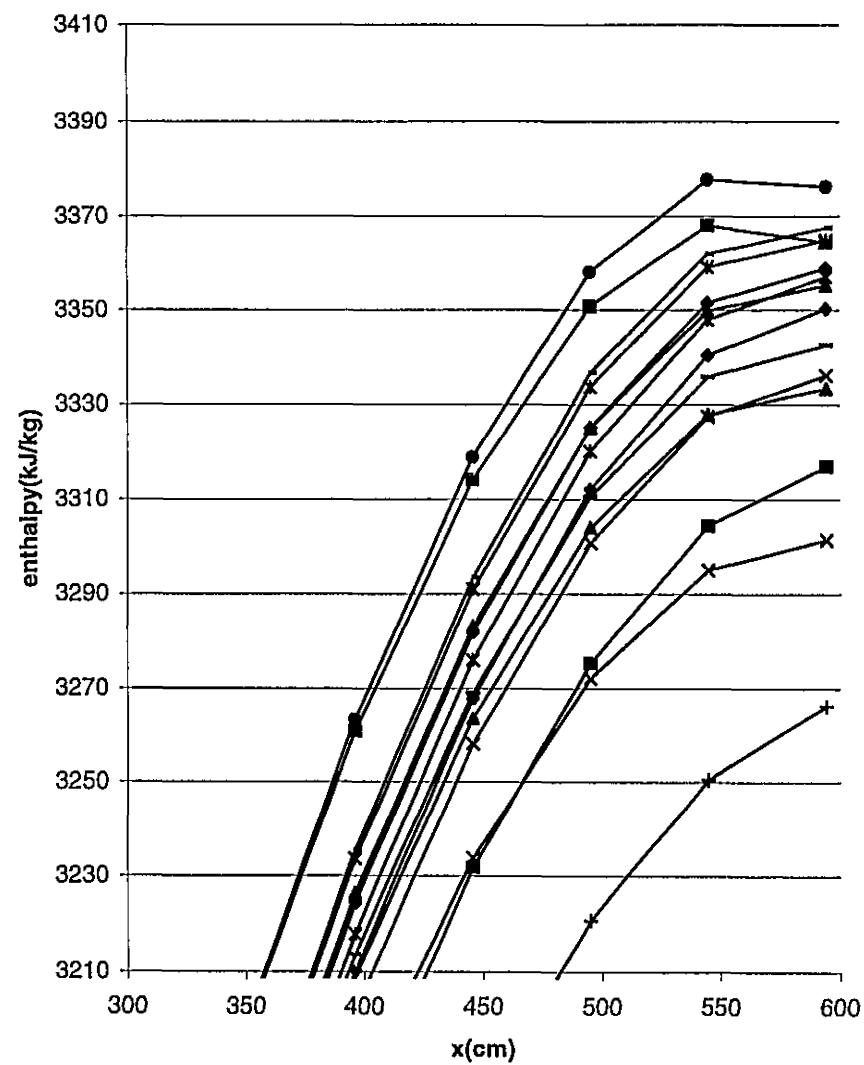
ASSERT

0.25MPa 2800kJ/kg 2.50kg/s 1.25MW

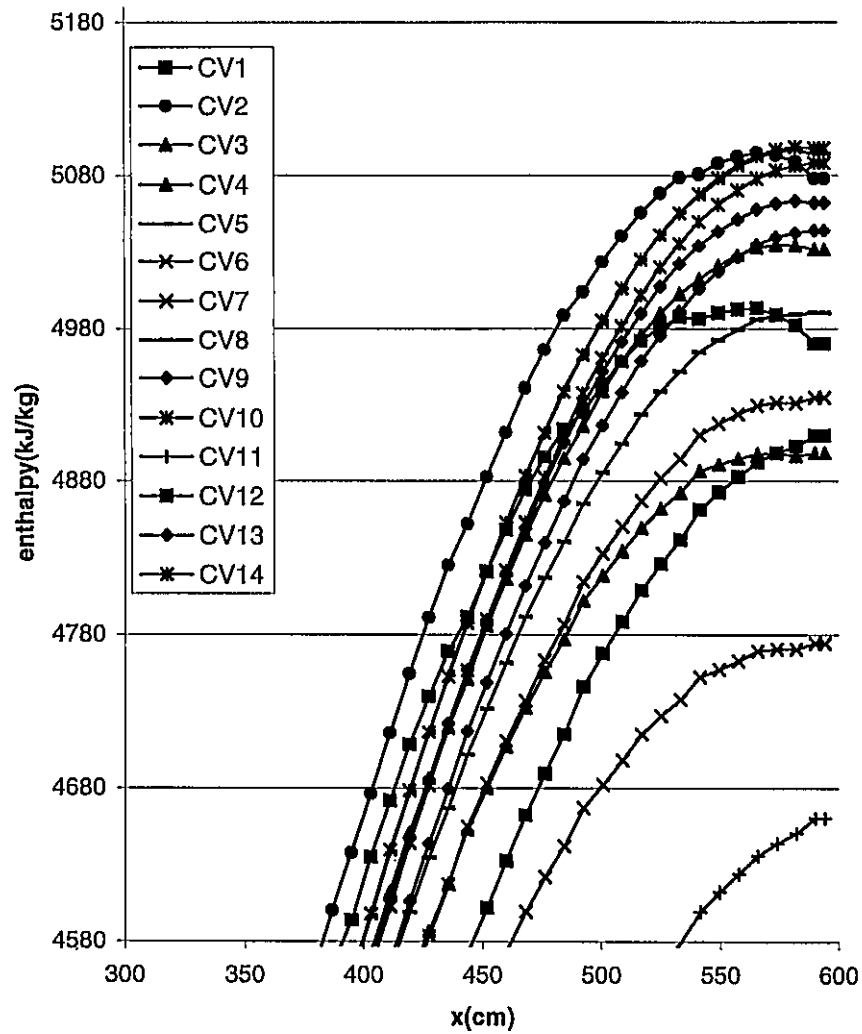


New Model

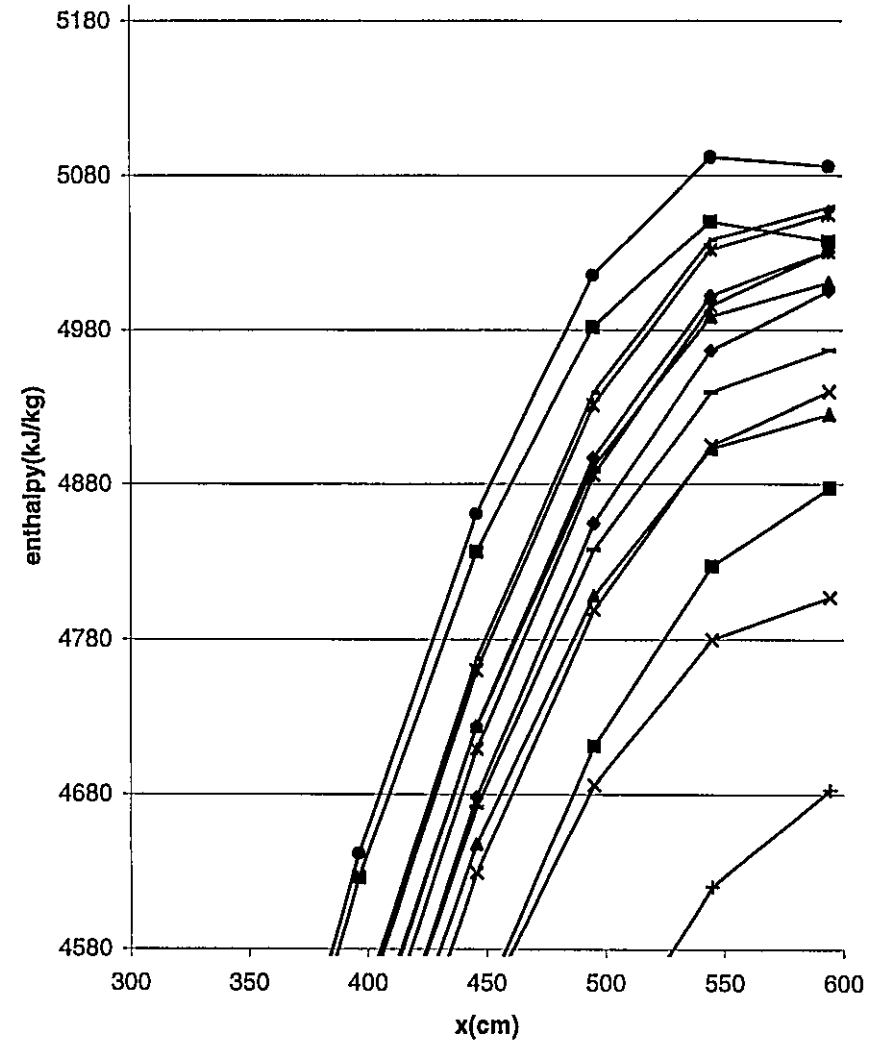
0.25MPa 2800kJ/kg 2.50kg/s 1.25MW



ASSERT
0.25MPa 2800kJ/kg 1.50kg/s 3.0MW

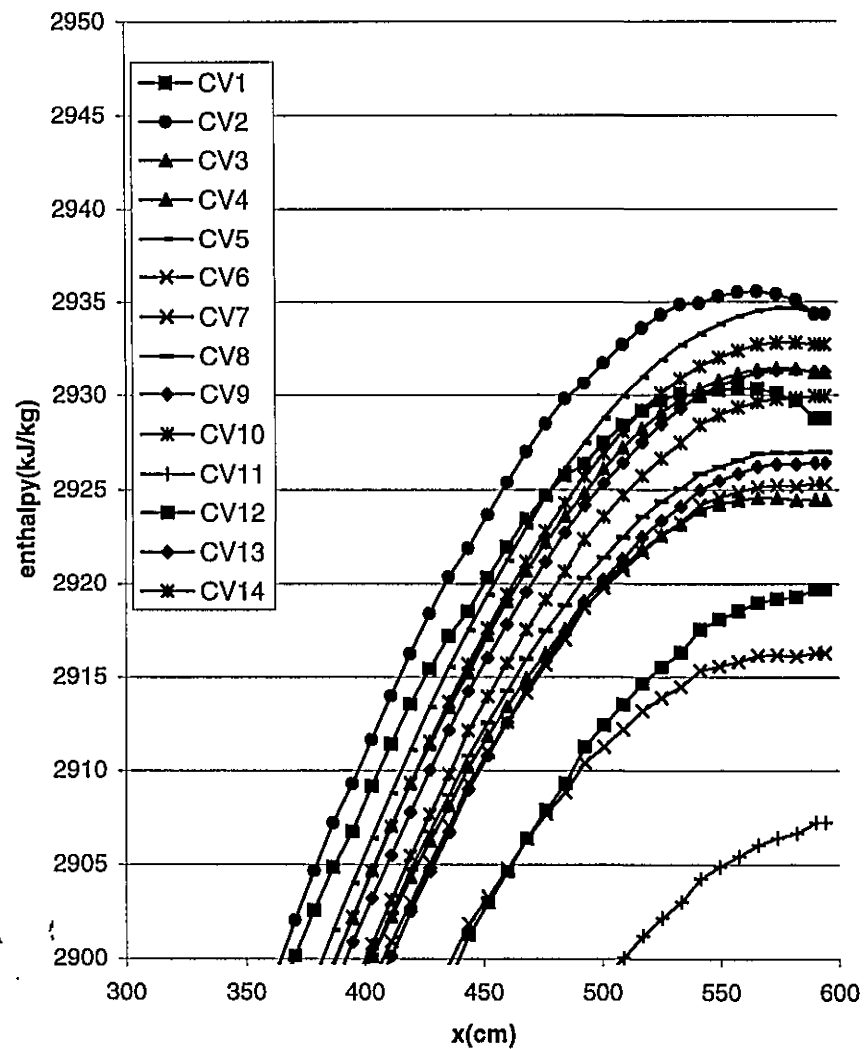


New Model
0.25MPa 2800kJ/kg 1.50kg/s 3.0MW



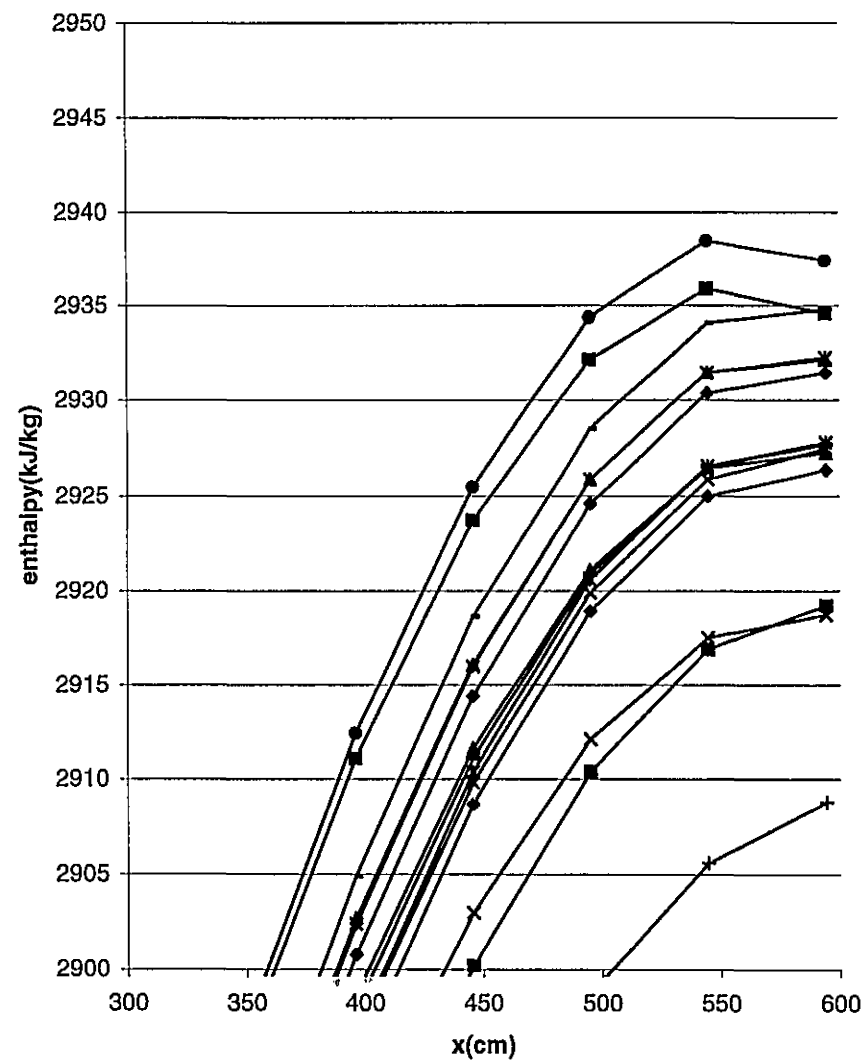
ASSERT

0.25MPa 2800kJ/kg 0.25kg/s 0.03125MW



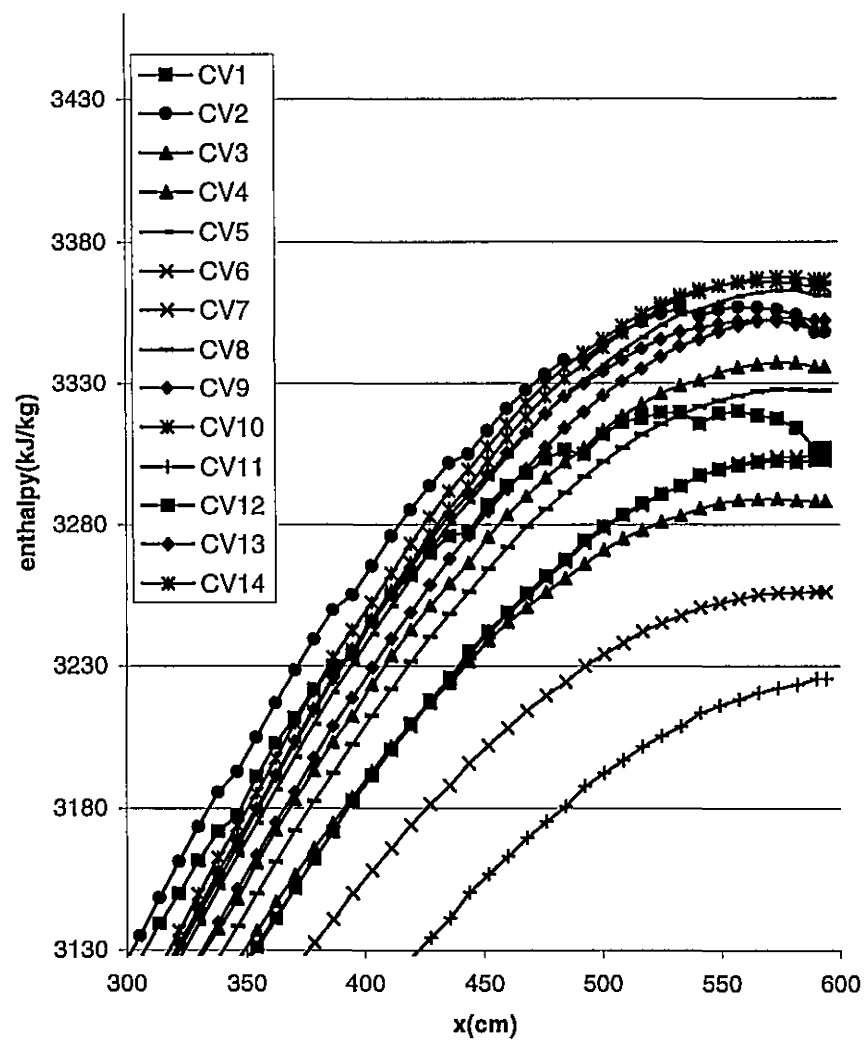
New Model

0.25MPa 2800kJ/kg 0.25kg/s 0.03125MW



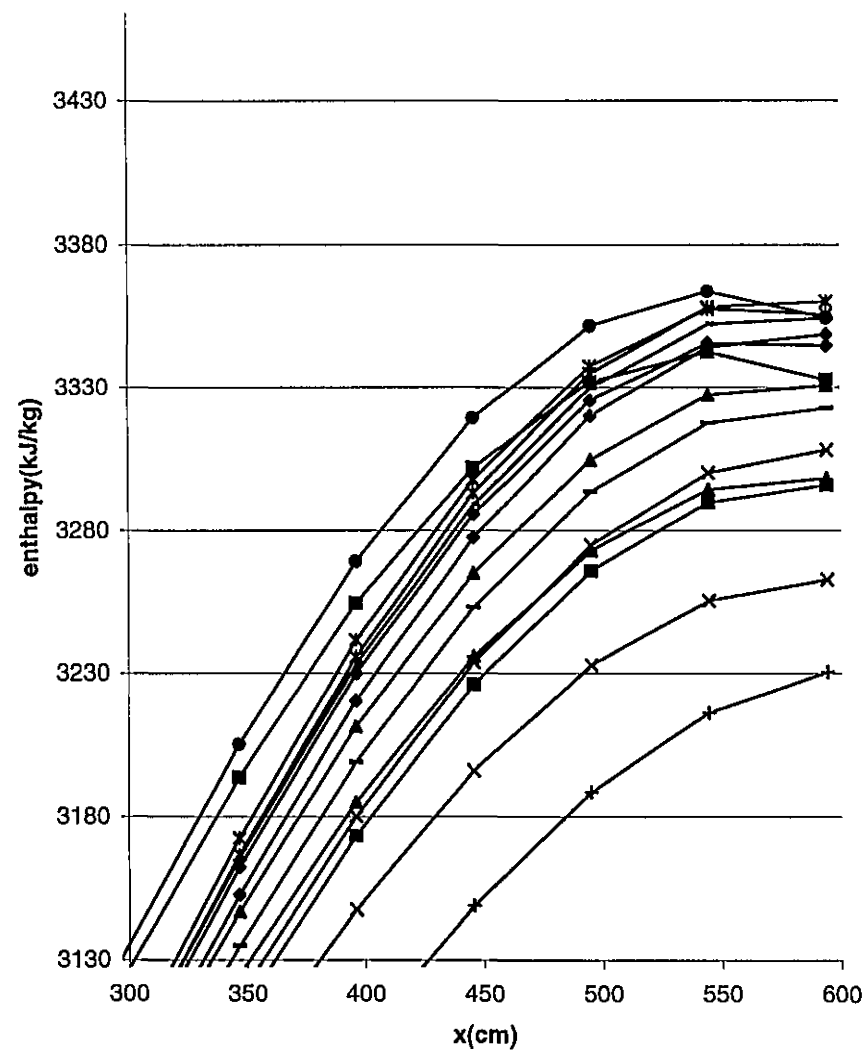
ASSERT

0.25MPa 2800kJ/kg 0.065kg/s 0.0325MW



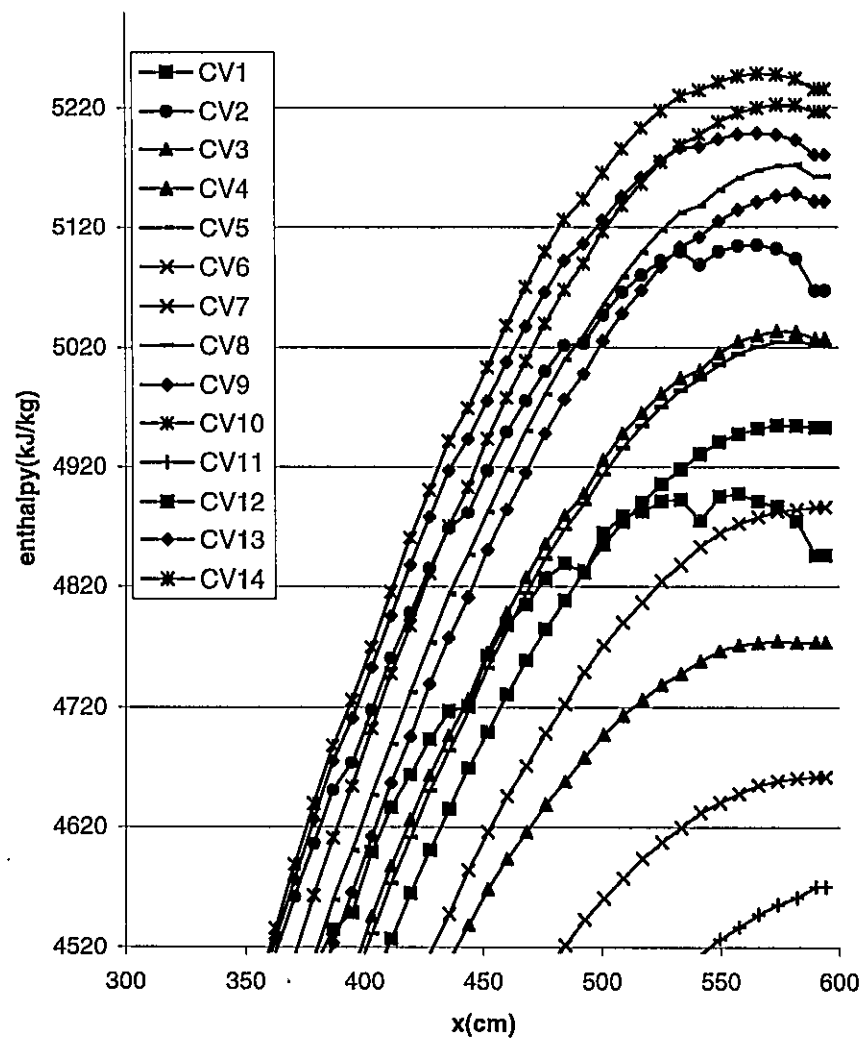
New Model

0.25MPa 2800kJ/kg 0.065kg/s 0.0325MW



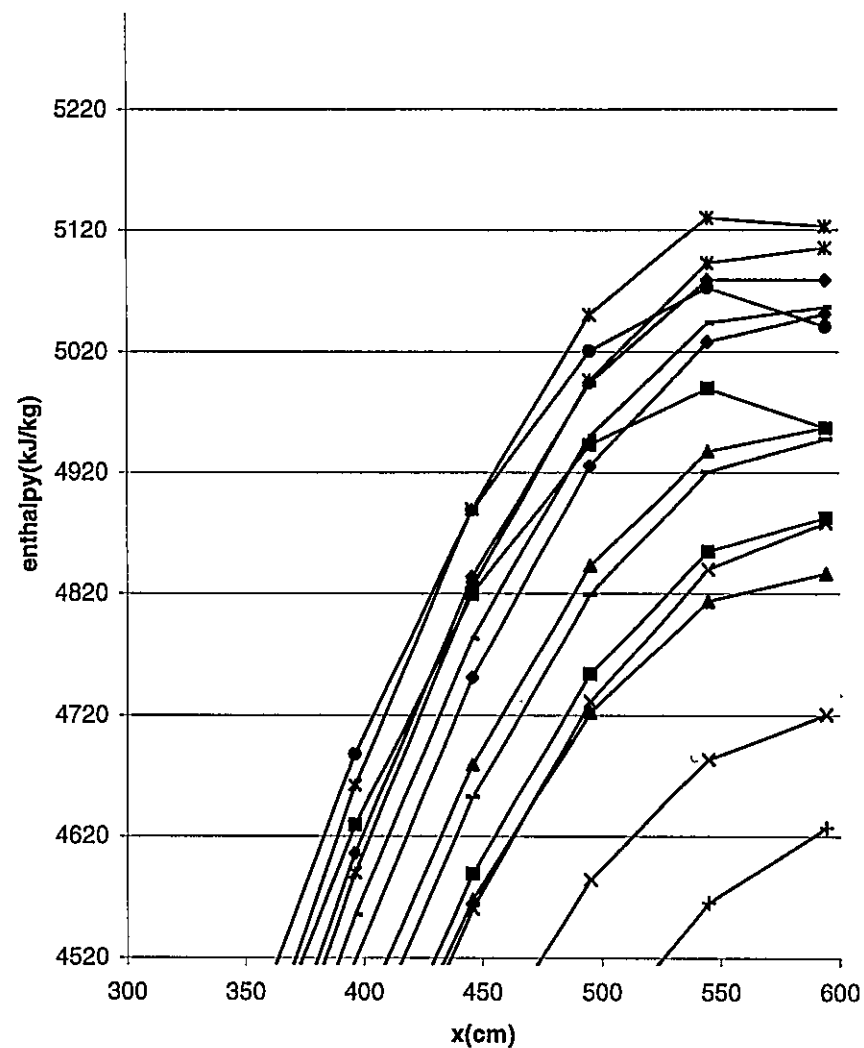
ASSERT

0.25MPa 2800kJ/kg 0.04kg/s 0.08MW



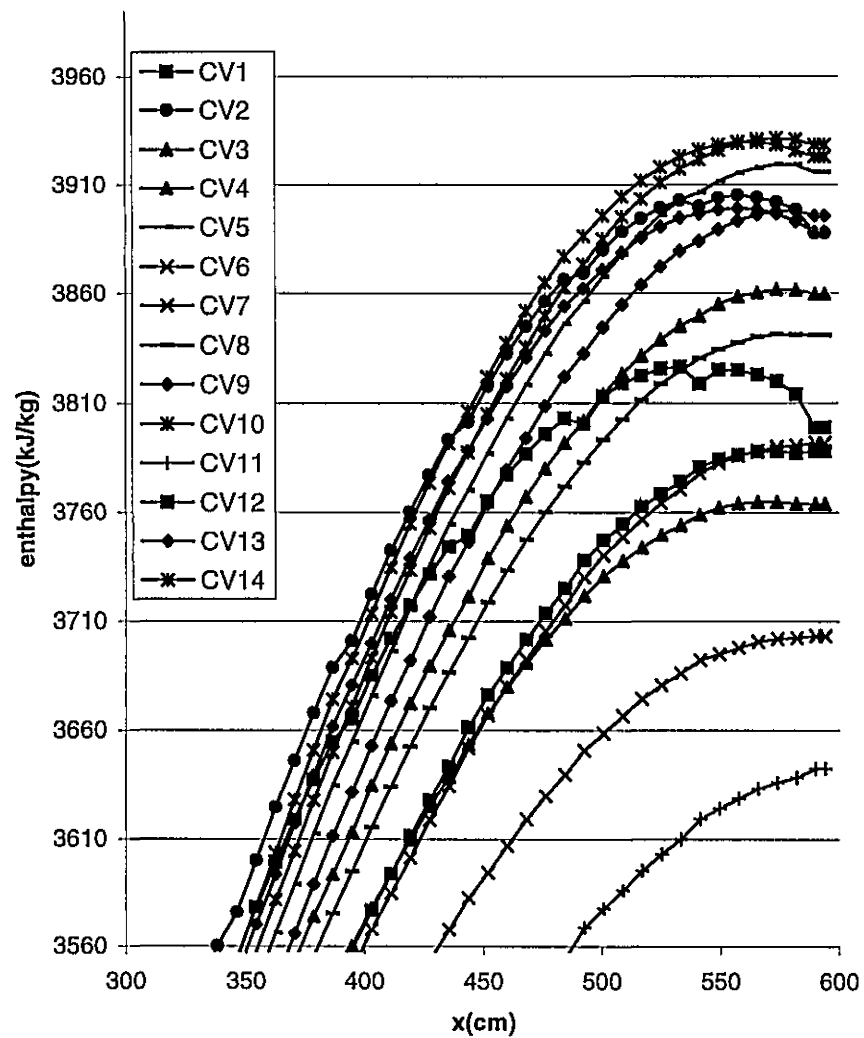
New Model

0.25MPa 2800kJ/kg 0.04kg/s 0.08MW



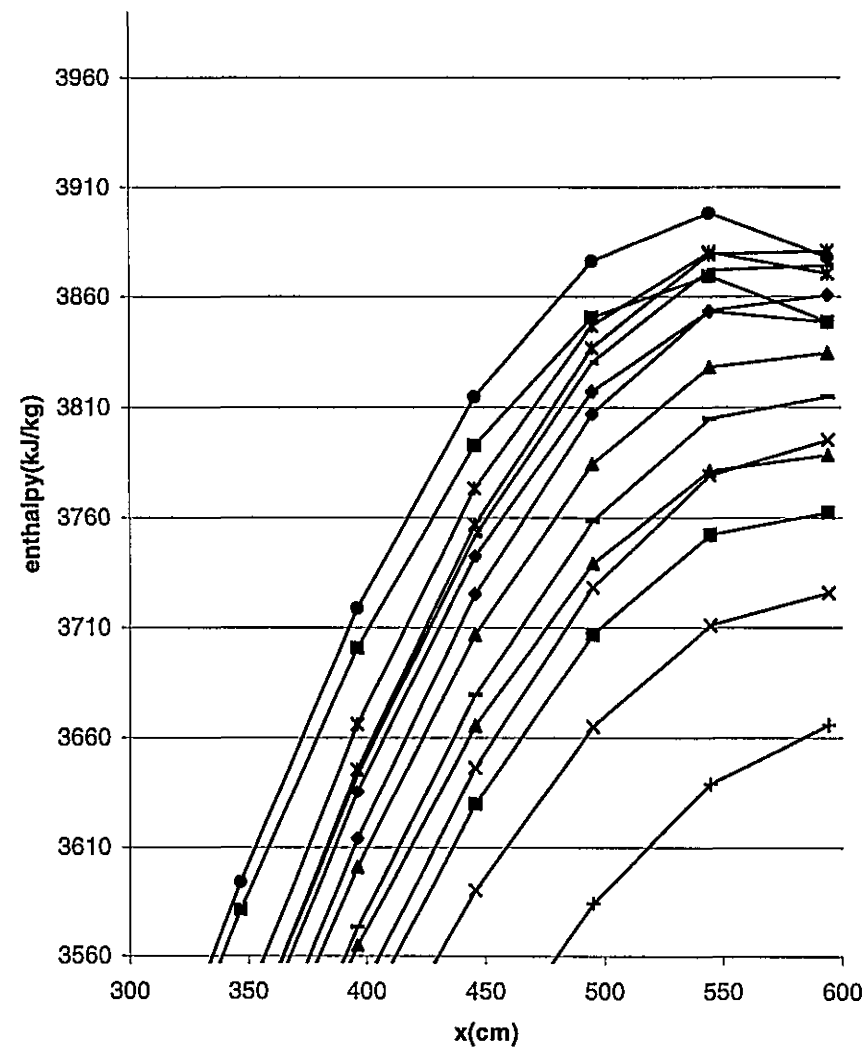
ASSERT

0.25MPa 2800kJ/kg 0.025kg/s 0.025MW



New Model

0.25MPa 2800kJ/kg 0.025kg/s 0.025MW



Appendix A
Sample ASSERT PV V3.0
Input Card

FILE: 37_ballooned_input.inp Jaff Robertson 2002.05.24

Ballooned PT case

Record i: Run Control (15)

MAXT: maximum CPU time (seconds), not used

9

Record ii: Case Control (15,2A2,II,A)

BASE - problem case number:

= 0: stop (default)

> 0: begin new case

INTIN - input data units option:

= SI: use SI units for input (default)

= BR: use British units for input

INTOUT - output data units option:

= SI: use SI units for output (default)

= BR: use British units for output

CHOPT - input data summary print option:

= 0: print only new input data (default)

= 1: print all input data

= 2: print only operating conditions

> 2: print all input data, then stop

EXT - output text for case identification (maximum of 64 characters)

KASE: case ID number

/ UNTIN=SI: use SI units for input

// UNTOUT=SI: use SI units for output

/// ECHOPT=1: print all input data

/// TEXT: case description

///

00SISI1 ASSERT-PV V3R0 Case 15.00: 37-Rod CANDU, With Feeders (Constant DP)

Group 1: Fluid Properties

PROP - number of entries to be read in the property table (if NPACK=0)

NPACK - source of the property data:

= 0: use property tables specified in the input data (Record 1.1) for

saturation properties and extrapolate for steam properties

= 1: compute all properties by calls to the HLWP property package

PLOOK - property evaluation switch:

= 0: evaluate all properties at the local (axial) pressure of the
reference subchannel

= 1: evaluate all properties at the reference (exit) pressure

FLUID - fluid (coolant) type switch, used by CHF and HLWP:

= 0: light water

= 1: light water

= 2: heavy water

= 3: user-specified fluid type

NPROP=0: no property table entries to read (ignored as NPACK=1)

/ NPACK=1: use HLWP property package

/ / NLOOK=0: local subchannel 1 pressure

GROUP / / / NFLUID=2: heavy water coolant

/ / / /

0 1 0 2

Record 1.1: Saturated liquid and vapour properties (include if NPACK=0)

(I), TT(I), VVF(I), VVG(I), HHF(I), HHG(I), UUF(I), KKF(I), SSIGMA(I),

JG(I), KKG(I), (I = 1, NPROP) (E5.2, F5.1, 9F10.0)

- pressure (MPa or psia)

- saturation temperature (degC or degF)

VF - liquid specific volume (m3/kg or ft3/lb)

VG - vapour specific volume (m3/kg or ft3/lb)

HF - liquid saturation enthalpy (kJ/kg or Btu/lb)

HG - vapour saturation enthalpy (kJ/kg or Btu/lb)

JF - liquid viscosity (kg/m.s or lb/ft.h)

* KKF - liquid thermal conductivity (W/m.K or Btu/h.ft.F)
 * SSIGMA - surface tension (N/m or lb/ft)
 * UUG - vapour viscosity (kg/m.s or lb/ft.h) (optional)
 * KKG - vapour thermal conductivity (W/m.K or Btu/h.ft.F) (optional)
 * Sample entry:
 * 9.0 303.9 0.001418 0.020510 1369.53 2742.05 0.000085 0.545403 0.014028
 *

* Group 2: Friction Factor and Two-Phase Flow Options

* NOPTN - thermal equilibrium options:

- * = 0: thermal equilibrium
- * = 1: liquid thermal non-equilibrium (recommended)
- * = 2: vapour thermal non-equilibrium
- * = 3: liquid and vapour thermal non-equilibrium

* NFRIC - turbulent single-phase friction factor options:

- * = 0: Blasius-type correlation of the form $f = a \cdot Re^b + c$ (Record 2.1)
- * = 1: Selander's approximation to the Colebrook-White formula (Record 2.2)
- * = 2: Colebrook-White implicit formula (recommended) (Record 2.2)
- * = 3: Chen's approximation to the Colebrook-White formula (Record 2.2)
- * = 4: Miller's approximation to the Colebrook-White formula (Record 2.2)
- * = 5: fully rough friction factor (Record 2.2)

* NMULT - 2-phase friction multiplier options:

- * = 0: homogeneous model
- * = 1: Armand correlation, not recommended
- * = 2: homogeneous model with Owen's viscosity
- * = 3: homogeneous model with McAdam's viscosity
- * = 5: user-supplied polynomial (function of quality, up to 6th order) (Record 2.5)
- * = 6: Friedel correlation (recommended)
- * = 8: Lorenc-Leung correlation, without subcooling

* NVISCW - heated-wall viscosity correction to friction factor:

- * = 0: wall viscosity correction not applied (recommended)
- * = 1: include wall viscosity correction (not operational)

* LAMNF - laminar single-phase friction factor:

- * = 0: no laminar friction factor (default)
- * > 0: laminar correlation of the form $f = a \cdot Re^b + c$ (Record 2.3)

* N6 - rod-to-coolant single-phase heat-transfer (HT) coefficient:

- * = 0: Dittus-Boelter correlation (default)
- * > 0: read a user-supplied correlation (Record 2.4)

* NGRAV - lateral momentum equation gravity term option:

- * = 0: no gravity terms (default)
- * = 1: include gravity terms (recommended)
- * = 2: include gravity terms in single-phase flow region only
- * = 3: include gravity terms in single-phase and two-phase bubbly flow regions only (i.e., up to a void fraction of 30%)

* NUREL - axial relative velocity option:

- * = 0: equal phasic velocities (mechanical/dynamic equilibrium) (default)
- * = 1: unequal phasic velocities (mechanical non-equilibrium) (recommended)
- * = -1: same as NUREL=1, but user supplies coefficients (Record 2.6)

* NVREL - lateral relative velocity option:

- * = 0: equal phasic velocities (no slip) (default)
- * = 1: Ohkawa-Lahey buoyancy-drift model
- * = 2: modified Wallis buoyancy-drift model, accounts for gap width
- * = 3: modified Wallis buoyancy-drift model, accounts for gap width and pressure effects (recommended)
- * < 0: same as ABS(NVREL), but user supplies coefficients (Record 2.7)

* NKMULT - 2-phase form loss multiplier options:

- * = 0: homogeneous model (recommended)
- * = 1: same as friction multiplier (NMULT)

* NOPTN=1: liquid thermal non-equilibrium, vapour equilibrium
 * / NFRIC=2: Colebrook-White 1-phase friction factor ($Re > 4000$)
 * / / NMULT=0
 * / / / NVISCW=0: no heated-wall viscosity correction
 * / / / / LAMNF=1: laminar friction $f = a \cdot Re^b + c$
 * / / / / / N6=0: Dittus-Boelter 1-phase HT coef.
 * / / / / / / $Re \geq 2000$, $.66 > P > 22$ (MPa) liquid water
 * / / / / / / NGRAV=1: include gravity terms
 * / / / / / / / NUREL=1: axial relative velocity
 * / / / / / / / / NVREL=1: transverse relative vel.
 * NGROUP / / / / / / / / NKMULT=0: homog. K mult.
 * / / / / / / / / / /

1 2 0 0 1 0 1 1 1 0

Record 2.1: Turbulent friction factor coefficients (include if NFRIC=0)

AA(I), BB(I), CC(I), (I = 1, 4) (12F5.0)
- $f = AA \cdot Re^{BB} + CC$, for up to 4 subchannel types (Record 4.1)
1-.148 .101-.148

Record 2.2: Subchannel roughness height (include if NFRIC>0)

UFHGT(I), (I = 1, 4) (6F10.0)
- roughness height (cm or in), for up to 4 subchannel types
- superceded by rod and PT roughness heights from Group 5
0005

Record 2.3: Laminar friction factor coefficients (include if LAMNF>0)

AL(I), BBL(I), CCL(I), (I = 1, 4) (12F5.0)
- $f = AAL \cdot Re^{BBL} + CCL$, for up to 4 subchannel types
0 -1.0 0.0

Record 2.4: Single-phase HT correlation coefficients (include if N6>0)

h(I), (I = 1, 4) (12E5.0)
- $h = (K/D) \cdot (AH(1) \cdot Re^{AH(2)} \cdot Pr^{AH(3)} + AH(4))$
6 0.0 0.0 0.0

Record 2.5: Two-phase friction multiplier coefficients (include if NMULT=5)

AF(I), (I = 1, 7) (15, 7E10.5)
- $TPMULT = AF(1) + AF(2) \cdot X + AF(3) \cdot X^2 + \dots + AF(NF) \cdot X^{(NF-1)}$
...

Record 2.6: Axial relative velocity coefficients (include if NUREL=-1)

UR(1) - coefficient of Ohkawa-Lahey multiplier (default: 2.9)
UR(2) - exponent of Ohkawa-Lahey multiplier (default: 1.0) (12F5.0)
1.5

Record 2.7: Lateral relative velocity coefficients (include if NVREL<0)

NVREL = -1, then (12F5.0)
AVR(1) - coefficient in bubble-rise velocity (default: 1.5)
AVR(2) - exponent of Ohkawa-Lahey rise velocity multiplier (default: 2.0)
NVREL = -2 or NVREL = -3, then
AVR(1) - coefficient of Wallis-type bubble rise velocity (default: 2.2)
AVR(2) - exponent of Wallis-type buoyancy-drift multiplier (default: 1.5)
AVR(3) - void fraction at bubble-to-slug transition (default: 0.35)
AVR(4) - exponent in gap size factor (default: 4.0)
NVREL = -3, then
AVR(5) - void fraction at slug-to-annular transition (default: 0.7)
AVR(6) - exponent in pressure factor of buoyancy multiplier (default: 0.6)
1.5 0.35 4.0 0.7 0.6

Record 2.8: Two-phase heat transfer and CHF options (10I5)

HTC - heat-transfer correlation option:
= 0: forced convection Dittus-Boelter correlation (default if NOPTN=0)
1: use correlation specified by NHPW (default if NOPTN>0)
(recommended for calculations up to CHF)
2: same as NHTC=1, plus simple PDO heat transfer (not recommended)
3: same as NHTC=1, plus detailed PDO heat transfer
(recommended for PDO calculations)

CHF - critical heat flux (CHF) option:

= 0: no CHF calculations (default)
= 1: Govan & Hewitt film-dryout model for annular flow
= 2: Weisman & Pei DNB model for bubbly flow
= 3: Biasi CHF correlation
= 5: LW-T-1996 table look-up method
= 9: use options 2, 3 and 5
= 10: use MAPLE-X10 CHF calculations (also activates MAPLE simulations)

HFW - two-phase wall-to-fluid heat transfer options:

= 0: Chen correlation (default)
= 1: Ahmad model and OSV criteria (recommended)
= 2: Rouhani-Axelsson model and ONB criteria
= 3: Chen correlation with refined interfacial area and reduced liquid
superheat (ONB)
= 4: Hancox-Nicoll model and OSV criteria
= 5: Maroti model (ONB)
= 6: Lahey-Moody model (with Ahmad's OSV criteria)

NCK1 - CHF table correction factor for subchannel hydraulic diameter

= 0: no correction applied (default)
= 1: apply diameter correction factor (recommended with NCK2=1)

NCK2 - CHF table correction factor for inter-element gap

= 0: no correction applied (default)
= 1: apply gap correction factor (recommended with NCK1=1)


```

* NCK3 - CHF correction for flow stratification in a horizontal channel:
* = 0: no correction applied (default)
* = 1: apply orientation correction factor (recommended)
*
* NCK4 - CHF enhancement factor for bundle appendages:
* = 0: no enhancement applied (default)
* = 1: apply CHF enhancement (recommended)
*
* NCK5 - option for boiling length average (BLA) heat flux with CHF table:
* = 0: BLA approach not used (default, recommended)
* = 1: use BLA heat flux
*-----
* NHTC=0: forced conv Dittus-Boelter only
* / NCHF=0: no CHF calcs
* / / NHFW=0: original Chen wall-fluid heat transfer
* / / / NCK1=0: for hyd. dia., no corr.
* / / / / NCK2=0: for gap, no corr.
* / / / / / NCK3=0: for flow stratification, no corr.
* / / / / / NCK4=0: for CHF enhance, no corr.
* / / / / / / NCK5=0: no BLA correction to CHF
* / / / / / / /
0 0 0 0 0 0 0 0 0

```

- outer 18 8.660 10 1.129

Computed Total Dimensions:

- flow area = 16.95852 cm²
- wetted perimeter = 92.49163 cm
- heated perimeter = 76.25274 cm
- hydraulic diameter = 0.73341 cm

NOT DIMENSIONS WOULD BE MORE APPROPRIATE FOR CHF CALCULATIONS.

SUBCHANNEL AND ROD GEOMETRY INFORMATION

CHANL ----> total number of subchannels (N1)

ROD ----> total number of rods (N2)

Axial variation data-specification (N3)

XVOPT = 0: no axial variation data specified

1: user specified axial variation data

Subchannel geometry:

TYPE ----> subchannel type up to 4 types, also connected to NFRIC

----> subchannel identification number

REASC ----> nominal subchannel area

PERIM ----> nominal subchannel wetted perimeter

PERIM ----> nominal subchannel heated perimeter

C ----> adjacent subchannel identification number

APWDS ----> the gap width between subchannel I and the adjacent subchannel

APDSS ----> distance between the centroid of subchannel I and the adjacent subchannel

APANG ----> angular orientation of centroid through the gap. 0 degree is vertical upward for a horizontal channel. For vertical channels, any reference is suitable for 0 deg.

Rod geometry:

FUEL ----> fuel shape and fuel material option

----> rod number

RODDIA ----> outer rod diameter. If there is cladding around the rod, RODDIA is the cladding outer diameter

RODFLX ----> radial heat-flux factor for rod I as a fraction of the average rod power

R ----> identification number of subchannels surrounding Rod I

HI ----> the fraction of the total rod power input to adjacent subchannel (i.e., the fraction of the outer rod perimeter facing facing the subchannel identified by LR)

Axial geometry:

HETA ----> channel orientation

= 0: vertical

90: horizontal

BNDLS ----> number of fuel bundles (this option not fully functional, choose the default 1)

NDLTL ----> length of one bundle (this option not fully functional, choose the total channel length)

NDLHL ----> heated length of one bundle (this option not fully functional, the total channel length choose)

NCHANL: number of subchannels

/ NROD: number of rods

group / / AXVOPT=0: no axial variations

/ / /

34 19 0

Subchannel Geometry Data (Record 4.1)

NTYPE: subchannel type

/ I: subchannel number

/ / AREASC: flow area (cm²)

/ / / WPERIM: wetted perimeter (cm)

/ / / / HPERIM: heated perimeter (cm)

/ / / / / LC: index of neighbouring subchannel

/ / / / / / GAPWDS: gap width (cm)

/ / / / / / / GAPDSS: centroid-to-centroid distance (cm)

/ / / / / / / / GAPANG: centroid-to-centroid angle (degrees clockwise from vertical)

/ / / / / / / / LC, GAPWDS, GAPDSS, GAPANG

/ / / / / / / /

/ / / / / / / /

.14271.0301.030 2.1780.8603120.0 -5.17801.176 0.00

.28542.0612.061 3.1780.8603180.0 7.17801.17660.00

.28542.0612.061 4.1780.8603240.0 9.17801.176120.0

.14271.0301.030 -11.17801.176180.0

.43552.0612.061 6.17951.17690.02 -12.17881.491 0.00

.28702.0612.061 7.17951.176150.0 14.1788.999130.00

.87104.1224.122 8.17951.176150.0 16.17881.49160.00

.28702.0612.061 9.17951.176210.0 18.1788.999190.00

.87104.1224.122 10.17951.176210.0 20.17881.491120.0

```

1 10.28702.0612.061 11.17951.176270.0 22.1788.9991150.0
1 11.43552.0612.061 -24.17881.491180.0
1 12.43382.0612.061 13.17041.25488.46 -25.19181.400 0.00
1 13.37312.0612.061 14.4062.7825147.4 26.19181.15021.84
1 14.47802.0612.061 15.4062.782592.56
1 15.37312.0612.061 16.17041.254151.5 27.19181.14337.77
1 16.86764.1224.122 17.17041.254148.5 28.19181.38059.72
1 17.37312.0612.061 18.4062.7825207.4 29.19181.11981.61
1 18.47802.0612.061 19.4062.7825152.6
1 19.37312.0612.061 20.17041.254211.5 30.19181.10597.51
1 20.86764.1224.122 21.17041.254208.5 31.19181.339119.7
1 21.37312.0612.061 22.4062.7825267.4 32.19181.080141.8
1 22.47802.0612.061 23.4062.7825212.6
1 23.37312.0612.061 24.17041.254271.5 33.19181.073157.7
1 24.43382.0612.061 -34.19181.317180.0
1 25.40992.0581.145 26.24501.708100.1
1 26.81274.1152.290 27.23751.707120.2
1 27.79274.1112.290 28.22331.704140.3
1 28.76214.1052.290 29.20421.701160.3
1 29.72494.0982.290 30.18261.697180.4
1 30.68574.0902.290 31.16111.693200.4
1 31.64914.0832.290 32.14231.690220.3
1 32.61944.0772.290 33.12831.687240.2
1 33.60024.0742.290 34.12091.686260.1
1 34.29682.0361.145

```

*

*----- Rod Geometry and RFD Data (Record 4.2)

* IDFUEL: >=0 cylindrical fuel specified (default 0)

* / I: rod number

* / / RODDIA: outside diameter of rod (cm)

* / / / RODFLX: rod heat flux normalized by average heat flux

* / / / / LR: subchannel adjacent to rod

* / / / / / PHI: fraction of rod power to subchannel LR

* / / / / / / LR PHI LR PHI LR PHI LR PHI LR PHI

* /

```

11.3120.784 1.0833 2.1667 3.1667 4.0833
21.3120.815 1.1667 2.1667 5.2500 6.1666 7.2500
31.3120.815 2.1667 3.1667 7.2500 8.1666 9.2500
41.3120.815 3.1667 4.1667 9.2500 10.1666 11.2500
51.3120.917 5.2500 6.1667 12.2507 13.1541 14.1786
61.3120.917 6.1667 7.2500 14.1786 15.1541 16.2507
71.3120.917 7.2500 8.1667 16.2507 17.1541 18.1786
81.3120.917 8.1667 9.2500 18.1786 19.1541 20.2507
91.3120.917 9.2500 10.1667 20.2507 21.1541 22.1786
101.3120.917 10.1667 11.2500 22.1786 23.1541 24.2507
111.3121.129 12.2493 13.1951 25.2778 26.2778
121.3121.129 13.1508 14.1428 15.1508 26.2778 27.2778
131.3121.129 15.1951 16.2493 27.2778 28.2778
141.3121.129 16.2493 17.1951 28.2778 29.2778
151.3121.129 17.1508 18.1428 19.1508 29.2778 30.2778
161.3121.129 19.1951 20.2493 30.2778 31.2778
171.3121.129 20.2493 21.1951 31.2778 32.2778
181.3121.129 21.1508 22.1428 23.1508 32.2778 33.2778
191.3121.129 23.1951 24.2493 33.2778 34.2778

```

*

*----- Axial Dimensions (Record 4.3)

* THETA: channel angle from vertical (degrees)

* / NBNDLS: number of bundles

* / / BNDLTL: bundle total length (cm)

* / / / BNDLHL: bundle heated length (cm)

* / / / /

* 90 1 594.36 594.36 * whole channel

* 90 12 49.53 48.03 * bundle lengths

*

* Group 7: Appendage Form Loss Data

*

* This group specifies the geometry data for these appendage types:

* 1) junction: bundle endplates

* 2) junction: flow area expansion

* 3) bearing pad plane

* 4) midplane: spacer pads

* 5) midplane: bearing pads

* from which the pressure loss factors in each subchannel are computed using

* Idelchik's 1994 thick-edged orifice formula.

*

* J6 - subchannel form loss data options:

* = 0: no axial form loss factors specified

* = 2: specify pressure drop coefficients directly (Records 7.1, 7.2 & 7.3)

* = 4: compute K-factors from geometry, Weisbach correlation (7.1,7.2,7.5)

* = 5: compute K-factors from geometry, Idelchik formula (7.1,7.2,7.4,7.5)

*

* NGRID - number of axial locations for form losses

NGRIDT - number of form loss types for which data is supplied

J6=5: compute K-factors using Idelchik's orifice formula
/ N2: not used
/ / NGRID: number of axial locations
NGROUP / / / NGRIDT: number of form loss types
/ / / / /
5 0 98 5

Record 7.1: Axial location and appendage type (include if J6>0)

GRIDXL(I), IGRID(I), (I = 1, NGRID) (6(E5.0,I5))

GRIDXL - relative axial location (X/L)

GRID - loss type at axial location GRIDXL

GRIDXL GRIDXL GRIDXL GRIDXL GRIDXL GRIDXL

/ IGRID / IGRID / IGRID / IGRID / IGRID / IGRID

// // // // // //

02 1 .0002 2 .0049 3 .0155 3 .0417 4 .0417 5

79 3 .0786 3 .0834 1 .0834 2 .0882 3 .0989 3

51 4 .1251 5 .1512 3 .1619 3 .1667 1 .1667 2

15 3 .1822 3 .2084 4 .2084 5 .2346 3 .2452 3

01 1 .2501 2 .2549 3 .2655 3 .2917 4 .2917 5

79 3 .3286 3 .3334 1 .3334 2 .3382 3 .3489 3

51 4 .3751 5 .4012 3 .4119 3 .4167 1 .4167 2

15 3 .4322 3 .4584 4 .4584 5 .4846 3 .4952 3

01 1 .5001 2 .5048 3 .5155 3 .5417 4 .5417 5

79 3 .5786 3 .5834 1 .5834 2 .5882 3 .5989 3

51 4 .6251 5 .6512 3 .6619 3 .6667 1 .6667 2

15 3 .6822 3 .7084 4 .7084 5 .7346 3 .7452 3

01 1 .7501 2 .7549 3 .7655 3 .7917 4 .7917 5

79 3 .8286 3 .8334 1 .8334 2 .8382 3 .8489 3

51 4 .8751 5 .9012 3 .9119 3 .9167 1 .9167 2

15 3 .9322 3 .9584 4 .9584 5 .9846 3 .9952 3

98 1 .9998 2

Include one copy of Record 7.2, plus Records 7.3, 7.4 or 7.5 (determined by J6), for each form loss type I (of NGRIDT types).

Record 7.2: Appendage loss factors (include if J6>0)

GRIDC (I5)

GRIDC - number of subchannels for which data are supplied

Record 7.3: Appendage loss factors (include if J6=2)

CD(J,I), PSP(J,I), (J = 1, NGRIDC) (I5,2E5.2)

- subchannel number for which data is supplied

CD - loss coefficient in subchannel J, for loss type I (IGRID)

SP - subchannel area obstruction ratio, for CHF enhancement (Record 2.7)

Record 7.4: Coefficients for Idelchik orifice formula (include if J6=5)

GBC(I,TERM), JTERM = 1, 3, GBNAME(I) (3E10.5,A20)

GBC(I,1) - coefficient of contraction term for loss type I (square edge: 0.5)

GBC(I,2) - coefficient of length term for loss type I (range: 0.0 to 1.35)

= -1: Idelchik's formula for wall thickness coefficient (recommended)

GBC(I,3) - coefficient of expansion term for loss type I (recommended: 1.0)

GBNAME - descriptive name for loss type (e.g., bundle endplate)

Record 7.5: Appendage geometry data (include if J6=4 or J6=5)

GBDA(J,I), GBDPW(J,I), GBL(J,I), (J = 1, GRIDC) (I5,3E10.5)

- subchannel number for which data is supplied

GBDA - change in subchannel J flow area (i.e., obstruction area) for type I

GBDPW - change in subchannel J wetted perimeter, for loss type I

GBL - length of obstruction in subchannel J for loss type I

Type 1: Bundle Endplate

NGRIDC: number of subchannels with endplate geometry data

GBC(1)=0.5: contraction term coefficient for a sharp edge

/ GBC(2)=-1: use formula for wall thickness coefficient

/ / GBC(3): coefficient of expansion term

/ / / GBNAME: descriptive name

/ / / /

5 -1. 1.0 Bundle Endplate

J: subchannel number

/ GBDA: change in subchannel flow area (cm²)

/ / GBDPW: change in subchannel wetted perimeter (cm)

/ / / GBL: length of obstruction (cm)

/ / / /

0.000000 0.000000 0.3175

0.148725 0.01230 0.3175

0.000000 0.000000 0.3175

4	0.000000	0.00000	0.3175
5	0.154485	0.08160	0.3175
6	0.013324	0.04090	0.3175
7	0.102533	-0.32110	0.3175
8	0.013324	0.04090	0.3175
9	0.308969	0.16320	0.3175
10	0.013324	0.04090	0.3175
11	0.049892	-0.16055	0.3175
12	0.110192	-0.19765	0.3175
13	0.037191	-0.15210	0.3175
14	0.058056	-0.25290	0.3175
15	0.037191	-0.15210	0.3175
16	0.220384	-0.39530	0.3175
17	0.037191	-0.15210	0.3175
18	0.058056	-0.25290	0.3175
19	0.037191	-0.15210	0.3175
20	0.220384	-0.39530	0.3175
21	0.037191	-0.15220	0.3175
22	0.058056	-0.25290	0.3175
23	0.037191	-0.15210	0.3175
24	0.110192	-0.19765	0.3175
25	0.037449	-0.13140	0.3175
26	0.074898	-0.26270	0.3175
27	0.074898	-0.26240	0.3175
28	0.074898	-0.26180	0.3175
29	0.074898	-0.26130	0.3175
30	0.074898	-0.26070	0.3175
31	0.074898	-0.26010	0.3175
32	0.074898	-0.25970	0.3175
33	0.074898	-0.25930	0.3175
34	0.037449	-0.12960	0.3175

*
 * --- Type 2: Junction Gap Flow Area Expansion
 * NGRIDC: all subchannels expand into junction gap
 * /
 34
 * GBC(1)=0.38: function of jet expansion rate into gap
 * / GBC(2)=0: no length term
 * / / GBC(3): coefficient of expansion term
 * / / / GBNAME: descriptive name
 * / / / /
 0.38 0.0 1.0 Junction Gap
 *
 * J: subchannel number
 * / GBDA: change in subchannel flow area (cm²)
 * / / GBDPW: change in subchannel wetted perimeter (cm)
 * / / / GBL: length of obstruction (cm)
 * / / / /

1	-0.06710	0.0000	0.657
2	-0.13420	0.0000	0.657
3	-0.13420	0.0000	0.657
4	-0.06710	0.0000	0.657
5	-0.12975	0.0000	0.657
6	-0.13407	0.0000	0.657
7	-0.25950	0.0000	0.657
8	-0.13407	0.0000	0.657
9	-0.25950	0.0000	0.657
10	-0.13407	0.0000	0.657
11	-0.12975	0.0000	0.657
12	-0.12975	0.0000	0.657
13	-0.13090	0.0000	0.657
14	-0.12888	0.0000	0.657
15	-0.13090	0.0000	0.657
16	-0.25924	0.0000	0.657
17	-0.13090	0.0000	0.657
18	-0.12888	0.0000	0.657
19	-0.13090	0.0000	0.657
20	-0.25924	0.0000	0.657
21	-0.13090	0.0000	0.657
22	-0.12888	0.0000	0.657
23	-0.13090	0.0000	0.657
24	-0.12962	0.0000	0.657
25	-0.06295	0.0000	0.657
26	-0.12589	0.0000	0.657
27	-0.12586	0.0000	0.657
28	-0.12582	0.0000	0.657
29	-0.12580	0.0000	0.657
30	-0.12582	0.0000	0.657
31	-0.12585	0.0000	0.657
32	-0.12591	0.0000	0.657
33	-0.12598	0.0000	0.657
34	-0.06300	0.0000	0.657

Type 3: Bearing Pad Plane

NGRIDC: number of subchannels obstructed by bearing pads

GBC(1)=0.2: contraction term coefficient for the bevelled edge
 / GBC(2)=-1: use formula for wall thickness coefficient
 / / GBC(3): coefficient of expansion term
 / / / GBNAME: descriptive name
 / / / /
 2 -1. 1.0 Bearing Pad Plane

J: subchannel number
 / GBDA: change in subchannel flow area (cm2)
 / / GBDPW: change in subchannel wetted perimeter (cm)
 / / / GBL: length of obstruction (cm)
 / / / /
 5 0.00935 0.0668 2.90
 5 0.01869 0.1335 2.90
 7 0.01869 0.1335 2.90
 5 0.01869 0.1335 2.90
 9 0.01869 0.1335 2.90
 9 0.01869 0.1335 2.90
 2 0.01869 0.1335 2.90
 2 0.01869 0.1335 2.90
 5 0.01869 0.1335 2.90
 2 0.00935 0.0668 2.90

Type 4: Midplane Spacer Pads

NGRIDC: all subchannels are obstructed by midplane spacers

GBC(1)=0.2: contraction term coefficient for the rounded edge
 / GBC(2)=-1: use formula for wall thickness coefficient
 / / GBC(3): coefficient of expansion term
 / / / GBNAME: descriptive name
 / / / /
 2 -1. 1.0 Midplane Spacer Pads

J: subchannel number
 / GBDA: change in subchannel flow area (cm2)
 / / GBDPW: change in subchannel wetted perimeter (cm)
 / / / GBL: length of obstruction (cm)
 / / / /
 0.03567 0.2700 0.8555
 0.07134 0.5400 0.8555
 0.07134 0.5400 0.8555
 0.03567 0.2700 0.8555
 0.04756 0.3600 0.8555
 0.07134 0.5400 0.8555
 0.09512 0.7200 0.8555
 0.07134 0.5400 0.8555
 0.09512 0.7200 0.8555
 0.07134 0.5400 0.8555
 0.04756 0.3600 0.8555
 0.04756 0.3600 0.8555
 0.10292 0.7790 0.8555
 0.13450 1.0180 0.8555
 0.10292 0.7790 0.8555
 0.09512 0.7200 0.8555
 0.10292 0.7790 0.8555
 0.13450 1.0180 0.8555
 0.10292 0.7790 0.8555
 0.09512 0.7200 0.8555
 0.10292 0.7790 0.8555
 0.13450 1.0180 0.8555
 0.10292 0.7790 0.8555
 0.04756 0.3600 0.8555
 0.01189 0.0900 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.02378 0.1800 0.8555
 0.01189 0.0900 0.8555

Type 5: Midplane Bearing Pads

NGRIDC: number of subchannels obstructed by midplane bearing pads

```

10
*   GBC(1)=0.2: contraction term coefficient for the bevelled edge
*   /   GBC(2)=-1: use formula for wall thickness coefficient
*   /   /   GBC(3): coefficient of expansion term
*   /   /   /   GBNAM: descriptive name
*   /   /   /   /
0.2  -1.  1.0  Midplane Bearing Pads
*
*   J: subchannel number
*   /   GBDA: change in subchannel flow area (cm2)
*   /   /   GBDPW: change in subchannel wetted perimeter (cm)
*   /   /   /   GBL: length of obstruction (cm)
*   /   /   /   /
25  0.01869  0.1335  2.90
26  0.03738  0.2670  2.90
27  0.03738  0.2670  2.90
28  0.03738  0.2670  2.90
29  0.03738  0.2670  2.90
30  0.03738  0.2670  2.90
31  0.03738  0.2670  2.90
32  0.03738  0.2670  2.90
33  0.03738  0.2670  2.90
34  0.01869  0.1335  2.90
*-----
* Record 7.6: Cross-flow form loss data
* KU: inter-subchannel gap loss coefficient (default: 0.5)
* /
1.0
*-----
* Group 9: Calculation Control
*-----
* NSKIPX - output print option for axial nodes:
* = 0 or 1: print at all axial nodes
* > 1: print every NSKIPX axial nodes
*
* NSKIPT - output print option for time steps:
* = 0 or 1: print at all time steps
* > 1: print every NSKIPT time steps
*
* NDXOPT - axial discretization options:
* = 0: uniform axial zone length
* = 1: user-specified axial zone length (Records 9.4 & 9.5)
* = 2: CANDU bundles, uniform grid in the heated section (Record 9.4)
* = 3: CANDU bundles, zone lengths in the heated section change by a
*      constant ratio, one zone for unheated bundle junction (Record 9.4)
*
* MFLOWX - axial momentum equation inertia term option:
* = 0: include the inertia term (default)
* = 1: neglect the inertia term for all nodes
* > 1: neglect the inertia term for the first MFLOWX nodes
*
* MFLOWY - lateral momentum equation inertia term option:
* = 0: include the inertia term (default)
* = 1: neglect the inertia term (may improve convergence in some cases)
*
* REINIT - re-initialization option:
* = 0: re-initialize the field variables (default)
* = 1: keep the solution of the previous case as the starting point for
*      the solution of the current case (not applicable for first case)
*-----
*      NSKIPX=0: print at all axial nodes
*      /   NSKIPT=0: print at all time steps
*      /   /   N3, N4, N5: not used
*      /   /   /   NDXOPT=0: uniform axial zone length
*      /   /   /   /   N7: not used
*      /   /   /   /   /   MFLOWX=0: include axial inertia
*      /   /   /   /   /   /   MFLOWY=0: incl. lat. inertia
* NGROUP / / / / / / / / REINIT=0: reset field
* / / / / / / / / / / / / variables
9  0  0  0  0  0  0  0  0  0  0  0
*-----
* Record 9.1: Iteration and convergence control (4I5,5F10.0)
* IELMT - maximum number of energy (enthalpy) iterations
* MAXINR - maximum number of inner (mass) iterations
* NTRIES - maximum number of outer (flow) iterations
* IREBAL - inner iteration frequency for global pressure rebalancing
* HERROR - relative enthalpy change criteria (Dh/h)
* EERROR - relative flow change criteria (Df/f)
* MERROR - mass equation relative residual error criteria
* TERROR - lateral momentum residual error criteria (N)
* AXEROR - axial momentum residual error criteria (N)
* IELMT  NTRIES

```

/ MAXINR / IREBAL HERROR EERROR MERROR TERROR AXEROR
 / / / / / / / /
 35 120 1 1.E-5 1.E-4 1.E-5 1.E-5 1.E-5

Record 9.2: Time step control (2(F10.0,I5))
 SSDT: steady-state time step size (default: 10^15)
 / NSSS: number of steady-state time steps (default: 1)
 / / TIDT: transient time step size (default: 0)
 / / / NDT: number of transient time steps (default: 0)
 / / / /
 E15 1 0.5 0

Record 9.3: Relaxation parameters (4E5.0)
 WRELAX: lateral momentum relaxation parameter (default: 1)
 / FRELAX: axial momentum relaxation parameter (default: 1)
 / / RRELAX: density relaxation parameter (default: 1)
 / / / HRELAX: enthalpy relaxation parameter (default: 1)
 / / /
 1.0

Record 9.4: Number of Axial Zones (*)
 NHTDX: number of axial zones in each bundle heated length
 / - if there is an unheated length (i.e., BNDLHL < BNDLTL), then the
 / total number of zones is $NDX = (1 + NBNDLS * (NHTDX + 1))$,
 / - otherwise $NDX = NBNDLS * NHTDX$

Record 9.5: Discretization by Axial Zones (include if NDXOPT=1)
 IDNODE(J), X(J), (J = 2, NDX+1) (6(I5,E5.2))
 IDNODE - type of zone (from X(J-1) to X(J))
 = 0: normal heated zone (default)
 = 1: unheated inlet-end zone
 = 2: unheated bundle-junction zone
 = 3: unheated exit-end zone
 - axial location of end of zone (from inlet at X(1) = 0)
 IDNODE IDNODE IDNODE IDNODE IDNODE IDNODE
 X / X / X / X / X / X
 / / / / / / / / /
 5.237 0 10.47 0 20.44 0 25.68 0 28.43 0 29.88
 627.6 0 628.4 0 629.8 0 632.5 0 637.4 0 646.8

Group 10: Mixing Models and Parameters

NAMIX - thermal and momentum (TM) mixing and void diffusion (VD) options
 = 0: no mixing
 = 1: Carlucci TM and VD mixing (one equivalent coefficient is used for
 VD mixing of both phases) (recommended)
 = 2: Carlucci TM and VD mixing (separate VD coefficients for each phase)
 = 3: Carlucci TM and Rowe VD mixing
 = 4: Carlucci TM and modified Shoukri VD mixing
 = 5: Rogers-Rosehart TM and modified Shoukri VD mixing

ALFAQ - equilibrium void (EV) fraction options
 = 0: no equilibrium void
 = 1: Rowe et al. EV model (new for V3R0) (recommended)
 = 2: Lahey EV model (from V2R8)

SPMIX - homogeneous flow TM mixing flag for subchannel pairs (NAMIX=1 to 4)
 = 0: sets defaults for triangles $ATR=0.0018$, $BTR=-0.4$,
 and for squares $ASQ=0.005$, $BSQ=0.106$ (default)
 = 1: user specifies parameter values (Record 10.1)

INMIX - incremental VD mixing multiplier flag (NAMIX=1 or 2)
 = 0: sets INMULT=3.0 (default)
 = 1: user specifies value for INMULT (Record 10.2)

OBFAC - TM mixing obstruction factor flag (NAMIX=1 to 4)
 = 0: sets OFA=3.3 and OFB=0.13 (default)
 = 1: user specifies values for OFA and OFB (Record 10.3)

GPFAC - TM mixing mass flux and pressure dependent factor flag (NAMIX>0)
 = 0: sets FGPA=11.0 and FGPB=0.9 (default)
 = 1: user specifies values for FGPA and FGPB (Record 10.4)

ROWVM - Rowe et al. VD coefficient flag (NAMIX=3)
 = 0: sets ROWVM=0.026 (default)
 = 1: user specifies value for ROWVM (Record 10.5)

ASSVM - modified Shoukri VD coefficients flag (NAMIX=4 or 5)
 = 0: sets VD coefficient ASSVM1=0.05 and


```

*      exponent of Ohkawa-Lahey VD multiplier ASSVM2=1.5 (default)
*      =1: user specifies values for ASSVM1 and ASSVM2 (Record 10.6)
*
* NRWEQV - Rowe et al. EV coefficient flag (NAMIX>0, NALFAQ=1)
*      =0: sets AEVR=0.85 (default)
*      =1: user specifies value for AEVR (Record 10.7)
*
*-----
*      NAMIX=5: Rogers and Rosehart
*      /typical CANDU pressures and mass fluxes: air,water
*      /  NALFAQ=1: default Rowe EV model
*      /  /0.1>P>0.4MPa, 0.45>G>0.09Mg/m^2s: air, water
*      / /  NSPMIX=0: default homogeneous TM mixing parameters
*      / / /  NINMIX=0: default incremental VD multiplier
*      / / / /  NOBFAC=0: default TM obstruction factor
*      / / / / /  NGPFAC=0: default G- and P-dependent TM
*      / / / / / /  NROWVM=0: default Rowe VD
*      / / / / / / /  NASSVM=0: default Shoukri VD
* NGROUP / / / / / / /  NRWEQV=0: default Rowe EV
* / / / / / / / /
10 5 1 0 0 0 0 0 0 0
*
*-----
* Records 10.1 to 10.7: Mixing options parameter values    (12E5.0)
*
* Record 10.1: TM mixing parameters (include if NAMIX=1 to 4 and NSPMIX=1)
*      ATR: coefficient in mixing relation for triangular arrays
*      /  BTR: exponent in triangular array mixing relation
*      / /  ASQ: coefficient in mixing relation for square arrays
*      / / /  BSQ: exponent in square array mixing relation
*      / / / /
*.0018 -0.4 .005 .106
*
*-----
* Record 10.2: Incremental VD mixing (include if NAMIX=1 or 2 and NINMIX=1)
*      INMULT: multiplier for incremental void mixing coefficient
*      /
* 3.0
*
*-----
* Record 10.3: Obstruction factor (include if NAMIX=1 to 4 and NOBFAC=1)
*      OFA: coefficient of factor to enhance TM mixing near obstructions
*      /  OFB: obstruction factor exponent
*      / /
* 3.3 0.13
*
*-----
* Record 10.4: Mass-flux and pressure factor (include if NAMIX>0 and NGPFAC=1)
*      FGPA: coefficient in factor accounting for mass-flux and pressure
*      /  effects on TM mixing (set FGPA=0 to turn off factor)
*      /  FGPB: 2nd coefficient in mass-flux and pressure factor
*      / /
* 11.0 0.9
*
*-----
* Record 10.5: Rowe VD mixing (include if NAMIX=3 and NROWVM=1)
*      ROWVM: coefficient for Rowe et al. void diffusion model
*      /
* .026
*
*-----
* Record 10.6: Shoukri VD mixing (include if NAMIX=4 or 5 and NASSVM=1)
*      ASSVM1: modified Shoukri turbulent VD mixing coefficient
*      /  ASSVM2: exponent of Ohkawa-Lahey VD mixing multiplier
*      / /
* 0.05 1.5
*
*-----
* Record 10.7: Rowe EV model (include if NAMIX>0, NALFAQ=1 and NRWEQV=1)
*      AEVR: coefficient for Rowe et al. equilibrium void model
*      /
* 0.85

```

* Group 11: Operating Conditions and Transient Forcing Functions

```

* IH  - thermal inlet/outlet boundary condition options:
*      = 0: specify flow specific enthalpy THXIN or THXOUT (Record 11.1)
*      = 1: specify temperature THXIN or THXOUT (Record 11.1)
*      = 2: specify specific enthalpy for each subchannel (Record 11.2)
*      = 3: specify inlet temperature for each subchannel (Record 11.2)
*      = 4: specify flow equilibrium quality THXIN or THXOUT (Record 11.1)
*      = 5: specify inlet equilibrium quality for each subchannel (Record 11.2)
*
* IG  - flow inlet/outlet boundary condition (Records 11.1 & 11.2) options:
*      = 0: specify uniform INLET mass flux GIN (Record 11.1) (default)
*      = 1: average INLET mass flux GIN (11.1) is split to equalize the axial
*           friction and form-loss pressure drop in each subchannel
*      = 2: average INLET mass flux GIN (11.1) is split between subchannels by
*           specified flow fractions (Record 11.3)

```

nominal PT case (using actual flow area fractions for nominal geometry)

.0084.0168.0168.0084.0257.0169.0514.0169.0514.0169.0257.0256
.0220.0282.0220.0512.0220.0282.0220.0512.0220.0282.0220.0256
.0242.0479.0467.0449.0427.0404.0383.0365.0354.0175

*-----
* Record 11.4: Pressure transient table (include if NP>1)
* YP(I), FP(I), (I = 1, NP) (12E5.0)
* YP - time to apply transient pressure factor FP
* FP - fraction of steady-state pressure PEXIT at time YP
* 0.0 1.0 0.4 1.1 0.5 1.0 1.0 1.0 1.0 0.0 2.0 0.0

*-----
* Record 11.5: Thermal inlet BC transient table (include if NH>1)
* YH(I), FH(I), (I = 1, NH) (12E5.0)
* YH - time to apply transient enthalpy/temperature factor FH
* FH - fraction of inlet enthalpy (IH=0 or 2), temperature (IH=1 or 3)
* or quality (IH=4 or 5) at time YH
* 0.0 1.0 1.0 1.0

*-----
* Record 11.6: Flow or pressure drop transient table (include if NG>1)
* YG(I), FG(I), (I = 1, NG) (12E5.0)
* YG - time to apply flow/DP factor FG
* FG - fraction of steady-state mass flux GIN (DPS=0) or pressure drop DPS
* (DPS>0, NDPTBL=1), or actual pressure drop (DPS>0, NDPTBL=0), at YG
* 0.0 1.0 0.2 0.8 0.4 0.4 0.6 0.3 0.8 0.3 1.0 0.4

*-----
* Record 11.7: Heat flux transient table (include if NQ>1)
* YQ(I), FQ(I), (I = 1, NQ) (12E5.0)
* YQ - time to apply transient heat flux factor FQ
* FQ - fraction of steady-state heat flux AFLUX at time YQ
* 0.0 1.0 0.4 1.2 1.0 1.2 1.1 0.14 2.0 0.06

*-----
* Record 11.8: Thermal outlet BC transient table (include if NHX>1)
* YHX(I), FHX(I), (I = 1, NHX) (12E5.0)
* YHX - time to apply transient enthalpy/temperature factor FHX
* FHX - fraction of exit enthalpy (IH=0 or 2), temperature (IH=1 or 3) or
* quality (IH=4 or 5) at time YHX
* 0.0 1.0 1.0 1.0

*-----
* Record 11.9: Onset-of-dryout iterations (include if ODVMAX>0)
* ODVNMU, MCHFLO, MCHFUP, ODVTOL (*)
* ODVNMU - name of BC parameter on which to iterate (case-insensitive string)
* = 'Heat Flux' : iterate on average heat flux AFLUX
* = 'Inlet Temperature' : iterate on inlet temperature THXIN
* = 'Inlet Mass Flux' : iterate on inlet mass flux GIN
* = 'Exit Pressure' : iterate on exit pressure PEXIT
* MCHFLO - lower bound for the target minimum CHF ratio (MCHFR)
* MCHFUP - upper bound for the target minimum CHF ratio (MCHFR)
* ODVTOL - relative convergence criteria for the iterate ODVNMU
* 'Heat Flux' 0.9995 1.0005 5.E-4

* Group 12: Output Printout Options

*-----
* NPAXL - option to print subchannel data at any axial node(s):
* = 0: print nodal subchannel data at the channel exit only
* < 0: print subchannel data at all axial nodes
* > 0: read NPAXL axial nodes to print (Record 12.1), plus the channel exit

* NPCHAN - option for printing subchannel data:
* = 0: print no subchannel data
* < 0: print data for all subchannels
* > 0: read NPCHAN subchannel numbers to print out (Record 12.2)

* NPROD - option for printing fuel rod heat fluxes and temperatures:
* = 0: print no fuel rod data
* < 0: print data for all rods
* > 0: read NPROD rod numbers to print out (Record 12.3)

* NPNODE - option for printing interior rod temperatures:
* = 0: print rod centerline and rod cladding surface temperature
* = 3 to 7: NPNODE equally spaced interior rod temperatures are printed along
* with the clad surface temperature

* NPGAP - option for printing cross-flows through gaps:
* = 0: print no gap cross-flow data
* < 0: print cross-flow data for all gaps
* > 0: read NPGAP gap numbers at which to print cross-flows (Record 12.4)

* NPLOT - plotting option:
* = 0: no plots
* = 3: create REGIS files of section geometry at given nodes (Record 12.9)

* NSCHF - number of subsequent sorted CHF ratios to print:

= 0: print minimum CHF ratio data only
> 0: also print the next NSCHF smallest CHF ratios

NPAXL: number of axial nodes to print
/ NPCHAN: number of subchannels to print
/ / NPROD: number of rods to print
/ / / NPNODE: number of interior fuel nodes to print
/ / / / NPGAP: number of gap cross-flows to print
/ / / / / NPLOT=0: no cross-section plots
/ / / / / NMARK, NPCRS: not used
GROUP / / / / / / / / NSCHF: subsequent CHFRs
/ / / / / / / /
2 -1 -1 -1 0 -1 0 0 0 0

Record 12.1: Axial nodes to print (include if NPAXL>0)
PRINTX(I), (I = 1, NPAXL) (24I3)
PRINTX - axial node numbers at which to print subchannel data
2111117

Record 12.2: Subchannels to print (include if NPCHAN>0)
PRINTC(I), (I = 1, NPCHAN) (24I3)
PRINTC - subchannel numbers for which data is printed
31 62 63

Record 12.3: Rods to print (include if NPROD>0)
PRINTR(I), (I = 1, NPROD) (24I3)
PRINTR - rod numbers for which data is printed
30

Record 12.4: Gaps to print (include if NPGAP>0)
PRINTG(I), (I = 1, NPGAP) (24I3)
PRINTG - gap numbers for which data is printed
10 12 14 34 36 38 76 78

Record 12.5: Cross-sectional geometry plots (include if NPLOT=3) (*)
NPLOTS - number of nodes (Record 12.6) at which to plot geometry

Record 12.6: Cross-sections to plot (include if NPLOT=3 and NPLOTS>0)
LTNOD(I), (I = 1, NPLOTS) (12I5)
LTNOD - axial node numbers at which to plot cross-section geometry

GROUP 16: PRESSURE TUBE HEAT TRANSFER MODEL

geometry: pressure tube inner dia: 12.18 cm
pt thickness: 0.361 cm
ct thickness: 0.140 cm
PT and CT are both: Zr-2.5%Nb (material type 2)
Heat transfer coeff (gap+ht to moderator) = 1 kW/m2K
Moderator Temperature: 79.85 C

#axial# | | rad | props#
walls|node|sect| | thetal | temp|iter|output
summing ballooned PT geometry
6 2 60 10 0 2 0 1 200
summing nominal PT geometry
5 3 60 10 0 2 0 1 200
n1 n2 n3 n4 n5 n6 n7 n8

ID|Max error (PTID=press tube inner dia - [cm])

looned
.18 .05
minal
4 .05
aterial Types (2=Zr-2.5Nb)
looned
2 2
minal
5 2

umber of radial wall segments

looned
3 3
minal
3 3

all thickness [cm]

looned
1 .140
minal
.160 .140

```

*
* Subchannel moderator htc
* Sect. I angle temperature [kW/m2K]
* | | | | |
*ballooned outer subchannel information
* 1 25 12.91 79.85 1.0
* 2 26 25.14 79.85 1.0
* 3 27 23.47 79.85 1.0
* 4 28 21.51 79.85 1.0
* 5 29 19.77 79.85 1.0
* 6 30 18.41 79.85 1.0
* 7 31 17.43 79.85 1.0
* 8 32 16.79 79.85 1.0
* 9 33 16.43 79.85 1.0
* 10 34 8.12 79.85 1.0

```

```

*-----
*nominal outer subchannel information
1 25 10.15 79.85 1.0
2 26 20.28 79.85 1.0
3 27 20.22 79.85 1.0
4 28 20.14 79.85 1.0
5 29 20.05 79.85 1.0
6 30 19.95 79.85 1.0
7 31 19.85 79.85 1.0
8 32 19.78 79.85 1.0
9 33 19.73 79.85 1.0
10 34 9.86 79.85 1.0

```

```

*-----
* End of Case
0
* End of File
0

```

Appendix B

New Model FORTRAN Code

MAIN.F

```

PROGRAM MAIN
IMPLICIT NONE
INTEGER ID,JD,KD,I,J,K,JB,JE,IB,IE,IDAT
PARAMETER(ID=15,JD=16,KD=24,IDAT=10)

```

ID is the array dimension for subchannel arrays, KD is the array dimension for gap arrays, and JD is the array dimension for all outer wall segment arrays, inclusive (PT, gap, and CT). therefore the following must be true:
 ID.GT.NUMV, JD.GT.(NUMW1+NUMW2+NUMW3+1), KD.GT.NUMG

```

INTEGER NUMV,NUMG,IWG(KD),IEG(KD),IMAX,ITER,
: BUNDLE,BUNI,NUMITER,NUMW1,NUMW2,NUMW3,WALMAT(JD),
: GAPN(ID),GAPV(ID,ID),GN(ID,KD),OPCV(ID,ID),
: INNRT,INNRTOT,MIDIT,MIDTOT,IMODHL,PTFILM,SYMMET
REAL HIN(ID),HINI,H(ID),HVG(ID),HWRK(ID),HOCALC,HICALC,
: MTOT,MTOTO,FRAC(ID),MDOT(ID),PRESS,
: QLOSS(ID),QMODBUN,QMODCH,QCHAN,QBUN,QFUEL(ID),
: DHYD(ID),PWET(ID),AREAX(ID),DHYDTOT,PWETTOT,AREATOT,
: AREAG(KD),GAP(KD),LEN,RODDIA(KD),
: TW(JD,ID),HMOD,TMOD,ROT(JD),ANG(ID),WID(JD),
: BPO(ID),BP(ID),WPG(KD),DG(KD),APP(ID),DGN(ID,ID),BMASS(KD),
: ERR,HDIFFMAX,DIFF,X,XI,TCONST,PI,MULT,RELAX,
: HNMX(ID),HMIK(ID),HFCTR(ID),HFCTRI(ID),

```

these are the unsaturated vapour and saturated (liquid or vapour) properties, respectively. the saturated liquid properties (if desired) may be used to calculate the heat transfer coefficient at the PT wall. This would be done if there were a liquid film predicted to exist at the PT wall. Otherwise the unsaturated vapour properties should be used

```

: TEMP(ID),TEMPK(ID),DEN(ID),CP(ID),VISC(ID),COND(ID),
: TEMPS(ID),TEMPKS(ID),DENS(ID),CPS(ID),VISCS(ID),CONDS(ID)
CHARACTER HNAME*52
PARAMETER(TCONST=273.15,PI=3.141593,RELAX=0.627,SYMMET=1)

```

establishing a constant to account for the utilization of symmetry (to use symmetry, set SYMMET.eq.1)

```

MULT=1.0
IF (SYMMET.EQ.1) MULT=0.5

```

open input and output files

```
CALL FILE(IDAT)
```

specifying the geometrical parameters

```

CALL GEOM(DHYD,PWET,AREAG,AREAX,GAP,LEN,
: DHYDTOT,AREATOT,PWETTOT,MULT,GN,
: RODDIA,IWG,IEG,NUMG,NUMV,GAPN,GAPV,OPCV,ID,KD)

```

reading in convergence parameter data, operating condition data, and moderator heat loss conditions and options

```

CALL INITAL(HNAME,HIN,HNMX,H,HINI,BMASS,HICALC,QCHAN,
: MTOT,MTOTO,PRESS,XI,X,ERR,HDIFFMAX,HMOD,TMOD,MULT,
: IMODHL,PTFILM,IMAX,NUMITER,BUNI,NUMV,NUMG,
: NUMW1,NUMW2,NUMW3,IDAT,ID,KD)

```

defining moderator heat loss geometry and parameters based on options read in from INITAL

```

CALL GEOM2(WID,ROT,ANG,PI,MULT,
: NUMV,NUMW1,NUMW2,NUMW3,WALMAT,ID,JD,IB,IE,JB,JE)

```

writing out the channel conditions to the enthalpy output files:

```
CALL HEADER(MTOTO,QCHAN,PRESS,SYMMET)
```

writing out the inlet enthalpy distribution for the first bundle:

```

write(12,1001) x,(HIN(I),I=1,NUMV),HICALC
01 FORMAT(F6.1,1X,15(F8.1))

```

calculate the flow fractions of each CV based on correlations derived from ASSERT results

```
CALL FLOWSPLIT(FRAC,MTOTO,PRESS,NUMV,ID)
```

calculate CV mass flow

```

DO 10 I=1,NUMV
MDOT(I)=FRAC(I)*MTOT

```

```

C-----
C make initial guess at all wall temperatures, (helps convergence
C for middle loop of the first bundle). The initial guess for wall
C temperature for subsequent bundles is equal to the wall temperature
C solution from the previous bundle
C-----
      CALL WTIG(TW,TCONST,NUMW1,NUMW2,NUMW3,JD,JB,JE,ID,IB,IE)
C-----
C calculate the constant that governs the degree of buoyancy induced
C mixing. The constant is a function of pressure, mass flow,
C channel power and inlet enthalpy
C-----
      CALL BUOYMASS(BMASS,PRESS,MTOT,QCHAN,HINI,MULT,NUMG,KD)
C-----
C the code contains 3 nested loops, the outer loop is the bundle loop,
C the middle loop is the updating property and wall temperature loop,
C and the inner loop is the Point Gauss Seidel (PGS) solver.
C-----
C starting the outer loop for calculations for each bundle
C-----
      DO 200 BUNDLE=BUNI,12
C-----
C calculating the bundle fuel power, CV fuel power, total CV energy
C source and properties for the fluid in each control volume:
C (note that the energy source (BPO) does not yet include heat losses
C to the moderator-these will be subtracted in an inner property loop)
C-----
      CALL QBUNDLE(QBUN,QCHAN,BUNDLE)
      CALL QCV(QFUEL,QBUN,BUNDLE,NUMV,ID)
      CALL SOURCE(BPO,QFUEL,MDOT,HIN,NUMV,ID)
      CALL PROPCV(PRESS,HIN,
:      TEMP,TEMPK,DEN,CP,VISC,COND,TCONST,
:      TEMPS,TEMPKS,DENS,CPS,VISCS,CONDS,NUMV,ID)
C-----
C middle loop to check on effect of updating flow properties and
C updating wall temperatures:(MIDIT is middle loop iteration counter)
C-----
      MIDIT=0
      DO 100 ITER=1,NUMITER
        MIDIT=MIDIT+1
C-----
C setting the value for HWRK to H (used for relaxation)
C-----
      CALL HRESET(HWRK,H,NUMV,ID)
C-----
C calculating the thermal mixing coefficient due to turbulence
C for each gap:
C-----
      CALL WTURB(WPG,MDOT,VISC,DHYD,AREAX,RODDIA,GAP,PWET,DEN,
:      IEG,IWG,NUMG,ID,KD)
C-----
C calculating the diffusion coefficient for turbulent and
C crossflow mixing
C-----
      CALL DIFPHI(DG,WPG,AREAG,GAP,MDOT,LEN,IWG,IEG,NUMG,ID,KD)
C-----
C calculating the lateral mass flow rate for buoyancy cross flow and
C adding it to lateral mass flow rate due to turbulent diffusion.
C-----
      CALL BUOYFLO(DG,DGN,BMASS,QCHAN,MDOT,AREAX,DEN,LEN,
:      NUMG,NUMV,GAPN,GAPV,OPCV,GN,IWG,IEG,ID,KD)
C-----
C calculating the APP (kg/s) coefficient:
C-----
      CALL COEFF(APP,DGN,MDOT,IEG,IWG,NUMG,NUMV,GAPN,ID,KD)
C-----
C if IMODHL=1, then heat loss to moderator will be considered.
C wall heat loss calculated assuming only radial conduction
C-----
C ASSERT uses unsaturated liquid properties to calculate
C the heat loss to the moderator (to simulate a liquid film on
C the PT wall). The user may want to use unsaturated vapour
C properties to calculate moderator heat loss.
C To use saturated liquid properties,let PTFILM=1,
C to use unsaturated vapour properties,let PTFILM=0 (or anything else).
C the value CON=1.44 is used only for ASSERT comparison reasons;
C it seems to compensate for the difference between using unsaturated
C liquid properties (as ASSERT does), and saturated liquid properties.
C-----
      IF (IMODHL.EQ.1) THEN
        IF (PTFILM.EQ.1) THEN
          CALL WALLHT(QLOSS,TMOD,HMOD,TW,TCONST,TEMPKS,MDOT,
:          CONDS,CPS,VISCS,ROT,LEN,AREAX,DHYD,ANG,WID,

```



```

      :      1.44,WALMAT,ID,JD,KD,JB,JE,IB,IE)      MAIN.F
      ELSE
      CALL WALLHT(QLOSS,TMOD,HMOD,TW,TCONST,TEMPK,MDOT,
      :      COND,CP,VISC,ROT,LEN,AREAX,DHYD,ANG,WID,
      :      1.00,WALMAT,ID,JD,KD,JB,JE,IB,IE)
      END IF
      END IF

```

calculating new heat source terms (BP in kW) that include the wall heat losses (QLOSS in W)

```

      DO I=1,NUMV
      BP(I)=BPO(I)-0.001*QLOSS(I)
      ENDDO

```

inner loop - running PGS algorithm to get enthalpy convergence

```

      CALL PGS(H,ERR,APP,BP,DGN,OPCV,
      :      IWG,IEG,NUMV,NUMG,IMAX,GAPV,GAPN,INNRT,INNRTOT,ID,KD)

```

applying relaxation--good value seems to be RELAX=0.63

```

      DO 20 K=1,NUMV
      HAVG(K)=RELAX*H(K)+(1-RELAX)*HWRK(K)
      CONTINUE

```

updating fluid properties

```

      CALL PROPCV(PRESS,HAVG,
      :      TEMP,TEMPK,DEN,CP,VISC,COND,TCONST,
      :      TEMPS,TEMPKS,DENS,CPS,VISCS,CONDS,NUMV,ID)

```

calculating the average enthalpy entering and leaving the bundle:

```

      CALL AVG_H(HOCALC,H,MDOT,MTOT,NUMV,ID)
      CALL AVG_H(HICALC,HIN,MDOT,MTOT,NUMV,ID)

```

calculating the difference in the enthalpies between the current iteration and the previous:

```

      CALL HDIFF(DIFF,H,HWRK,NUMV,ID)

```

exiting the middle loop if the property loop has converged:

```

      IF (DIFF.LT.HDIFFMAX) GOTO 110
      CONTINUE
      CONTINUE
      MIDTOT=MIDTOT+MIDIT
      IF (ITER.GE.NUMITER) WRITE(12,*) 'PROPERTY LOOP CONV. PROBLEM'
      IF (ITER.GE.NUMITER) WRITE(6,*) 'PROPERTY LOOP CONV. PROBLEM'

```

calc the enthalpy using FACTAR Partial Mixing methodology, and also for mixing models using no mixing and mixing at endplates:

```

      CALL FACTAR(HFCTR,HFCTRI,MDOT,QFUEL,HIN,BUNDLE,BUNI,ID)
      CALL ANALYTICAL(HNMX,HMIX,HICALC,MDOT,QFUEL,NUMV,ID)

```

setting the enthalpy calculated for this bundle to the inlet enthalpy for the next bundle, also calculating new axial position:

```

      CALL HRESET(HIN,H,NUMV,ID)
      X=X+LEN*100.0

```

calculations for current bundle are complete. Writing out output:

```

      CALL OUTDAT(APP,BP,MDOT,QFUEL,WPG,
      :      DIFF,AREAG,DG,X,H,HMIX,HNMX,HOCALC,HFCTR,
      :      BUNDLE,ITER,NUMG,NUMV,ID,KD)

```

calc total mod heat losses and exit the outer loop (the bundle loop)

```

      CALL MODHL(QMODBUN,QMODCH,QLOSS,IB,IE,ID)
      CONTINUE

```

write out total heat loss to moderator over entire channel length. also write total iterations needed for convergence

```

      WRITE(12,30) QMODCH
      FORMAT(' QMODCH= ',F12.6)
      WRITE(12,*) 'INNRTOT=',INNRTOT
      WRITE(12,*) 'MIDTOT=',MIDTOT

```

```

      STOP
      END

```

```

      GEOM.F
SUBROUTINE GEOM(DHYD,PWET,AREAG,AREAX,GAP,LEN,
:             DHYDTOT,AREATOT,PWETTOT,MULT,GN,
:             RODDIA,IWG,IEG,NUMG,NUMV,GAPN,GAPV,OPCV,ID,KD)
IMPLICIT NONE
INTEGER ID,KD,I,K,IWG(KD),IEG(KD),IW,IE,NUMG,NUMV,
:       GAPN(ID),GAPV(ID,ID),OPCV(ID,ID),GN(ID,KD)
REAL DHYD(ID),AREAG(KD),AREAX(ID),GAP(KD),PWET(ID),LEN,
:     DHYDTOT,AREATOT,PWETTOT,RODDIA(KD),MULT

```

This subroutine sets up the geometry for the 'FACTAR'
control volumes

```

DHYD(I) = hydraulic diameter for cv I [m]
PWET(I) = wetted perimeter for cv I [m]
AREAG(I) = flow area for gap I [m2]
AREAX(I) = cross-sectional flow area for control volume I [m2]
GAP(I) = width of a *single* ASSERT gap for gap number I [m]
LEN = length of FACTAR control volume = 1 bundle length [m]
AREATOT = bundle cross-sectional flow area [m2]
PWETTOT = bundle wetted perimeter [m]
DHYDTOT = bundle hydraulic diameter [m]
IWG(I) = control volume number west of gap I
IEG(I) = control volume number east of gap I
NUMG = total number of gaps (16)
NUMV = total number of control volumes (11)
ID = array dimension (>16)
RODDIA(K)=average diameter of fuel rod at gap K (m)
GAPN(I)=the number of gaps surrounding CV I.
GN(I,J)=the number of the gap between CV I and J.
GAPV(I,J)=the value of the gap CV I at gap number J
OPCV(I,J)=the CV opposite to CV I at gap number J

```

defining the number of gaps, control volumes and the cv length:

```

NUMG=23
NUMV=14
LEN=0.4953

```

assigning the wetted perimeter for each control volume:

```

PWET(1)=6.18E-02*MULT
PWET(2)=6.18E-02*MULT
PWET(3)=1.65E-01*MULT
PWET(4)=1.24E-01*MULT
PWET(5)=8.24E-02*MULT
PWET(6)=2.89E-01*MULT
PWET(7)=4.12E-02*MULT
PWET(8)=1.24E-01*MULT
PWET(9)=8.24E-02*MULT
PWET(10)=8.24E-02*MULT
PWET(11)=3.70E-01*MULT
PWET(12)=1.63E-01*MULT
PWET(13)=1.63E-01*MULT
PWET(14)=4.07E-02*MULT

```

assigning the flow area for each control volume:

```

AREAX(1)= 8.56200E-05*MULT
AREAX(2)= 8.56200E-05*MULT
AREAX(3)= 3.18700E-04*MULT
AREAX(4)= 2.31600E-04*MULT
AREAX(5)= 1.44500E-04*MULT
AREAX(6)= 5.79740E-04*MULT
AREAX(7)= 9.56000E-05*MULT
AREAX(8)= 2.48140E-04*MULT
AREAX(9)= 1.70220E-04*MULT
AREAX(10)= 1.61380E-04*MULT
AREAX(11)= 7.00460E-04*MULT
AREAX(12)= 2.66960E-04*MULT
AREAX(13)= 2.43920E-04*MULT
AREAX(14)= 5.93600E-05*MULT

```

assigning the hydraulic diameter for each control volume:

```

DO I=1,NUMV
  DHYD(I)=4.0*AREAX(I)/PWET(I)
ENDDO

```

calculating the total bundle cross-sectional area, wetted
perimeter and hydraulic diameter

```

AREATOT=0.0
PWETTOT=0.0
DO 10 I=1,NUMV

```

```

      AREATOT=AREATOT+AREAX(I)
      PWETTOT=PWETTOT+PWET(I)
10  CONTINUE
      DHYDTOT=(4.0*AREATOT/PWETTOT)
C-----
C  assigning the width of individual ASSERT gaps:
C-----
      DO K=1,3
        GAP(K)=0.00178
      ENDDO
      DO K=4,8
        GAP(K)=0.001788
      ENDDO
      DO K=9,13
        GAP(K)=0.001918
      ENDDO
      GAP(14)=0.00178
      GAP(15)=0.001795
      GAP(16)=0.001795
      GAP(17)=0.004062
      GAP(18)=0.004062
      GAP(19)=0.001704
      GAP(20)=0.004062
      GAP(21)=0.001826
      GAP(22)=0.001423
      GAP(23)=0.001209
C-----
C  define average rod diameter for each gap
C-----
      DO K=1,20
        RODDIA(K)=0.01312
      ENDDO
C-----
C  for gaps next to the PT wall, the average rod diameter is half of
C  the single rod it is adjacent to.
C-----
      DO K=21,23
        RODDIA(K)=0.5*0.01312
      ENDDO
C-----
C  assigning the gap areas for FACTAR gaps:
C  AREAG = (number of ASSERT gaps)*(ASSERT gap width)*(length)
C-----
      AREAG(1)= 3.0*GAP(1)*LEN*MULT
      AREAG(2)= 2.0*GAP(2)*LEN*MULT
      AREAG(3)= 1.0*GAP(3)*LEN*MULT
      AREAG(4)= 5.0*GAP(4)*LEN*MULT
      AREAG(5)= 2.0*GAP(5)*LEN*MULT
      AREAG(6)= 2.0*GAP(6)*LEN*MULT
      AREAG(7)= 2.0*GAP(7)*LEN*MULT
      AREAG(8)= 1.0*GAP(8)*LEN*MULT
      AREAG(9)= 9.0*GAP(9)*LEN*MULT
      AREAG(10)=4.0*GAP(10)*LEN*MULT
      AREAG(11)=2.0*GAP(11)*LEN*MULT
      AREAG(12)=2.0*GAP(12)*LEN*MULT
      AREAG(13)=1.0*GAP(13)*LEN*MULT
      DO K=14,NUMG
        AREAG(K)=2.0*GAP(K)*LEN*MULT
      ENDDO
C-----
C  assigning pointers for the gap #s: IWG(GAP) and IEG(GAP) point
C  to the two CVs on either side of 'GAP'
C  note that the west CVs are always vertically higher than the east
C  this is useful for buoyancy calculations later in the code.
C-----
      IWG(1)=1
      IWG(2)=2
      IWG(3)=2
      IWG(4)=3
      IWG(5)=4
      IWG(6)=4
      IWG(7)=5
      IWG(8)=5
      IWG(9)=6
      IWG(10)=8
      IWG(11)=9
      IWG(12)=10
      IWG(13)=10
      IWG(14)=1
      IWG(15)=3
      IWG(16)=4
      IWG(17)=6
      IWG(18)=7
      IWG(19)=8

```

```

IWG(20)=9
IWG(21)=11
IWG(22)=12
IWG(23)=13

```

```

IEG(1)=3
IEG(2)=4
IEG(3)=5
IEG(4)=6
IEG(5)=7
IEG(6)=8
IEG(7)=9
IEG(8)=10
IEG(9)=11
IEG(10)=12
IEG(11)=13
IEG(12)=13
IEG(13)=14
IEG(14)=2
IEG(15)=4
IEG(16)=5
IEG(17)=7
IEG(18)=8
IEG(19)=9
IEG(20)=10
IEG(21)=12
IEG(22)=13
IEG(23)=14

```

 now assigning pointers in the other direction.
 For instance: GAPV(SC,GAPN) points to a gap adjacent to subchannel
 'SC', while GAPN defines how many gaps are adjacent to 'SC'.
 For this geometry, GAPN is always less than or equal to 5 because
 no subchannel other than 4 has as many as 5 adjacent gaps.
 GN(I,J) points to the number (not the value) of the gap that is
 adjacent to CV I, at GAP J

first initialize to zero

```

DO I=1,NUMV
  GAPN(I)=0
  DO K=1,NUMV
    GAPV(I,K)=0
  ENDDO
  DO K=1,NUMG
    GN(I,K)=0
  ENDDO
ENDDO

DO I=1,NUMV
  DO K=1,NUMG
    IF ((IWG(K).EQ.I) .OR. (IEG(K).EQ.I)) THEN
      GAPN(I)=GAPN(I)+1
      GN(I,K)=GAPN(I)
      GAPV(I,GAPN(I))=K
    END IF
  ENDDO
ENDDO

```

 now assigning a pointer for opposite CVs, for instance, OPCV(I,K)
 points to the CV that is opposite CV I, at GAP K

first initialize to zero

```

DO I=1,NUMV
  DO K=1,NUMV
    OPCV(I,K)=0
  ENDDO
ENDDO

DO I=1,NUMV
  DO K=1,GAPN(I)
    IF (IWG(GAPV(I,K)).EQ.I) THEN
      OPCV(I,K)=IEG(GAPV(I,K))
    ELSE IF (IEG(GAPV(I,K)).EQ.I) THEN
      OPCV(I,K)=IWG(GAPV(I,K))
    END IF
  ENDDO
ENDDO

RETURN
END

```

```

                                GEOM.F
SUBROUTINE GEOM2(WID,ROT,ANG,PI,MULT,
:               NUMV,NUMW1,NUMW2,NUMW3,WALMAT,ID,JD,IB,IE,JB,JE)
IMPLICIT NONE
INTEGER I,J,JB,JE,IB,IE,ID,JD
INTEGER NUMV,NRW,NUMW1,NUMW2,NUMW3,WALMAT(JD)
REAL WID(JD),RWALLI,RWALLO,ROT(JD),
:     ANG(ID),SECT(ID),PI,PTWID,GAPWID,CTWID,MULT
C-----
C  this subroutine calculates the geometry for the moderator heat
C  loss routine
C  NRW = the total number of wall segments being modelled
C  JB-1 = the face of the inside wall, JE+1 is the face of the outside wall
C  JB = the first normal wall segment, JE is the last normal wall segment
C  IB = first outer subchannel, IE is the last outer subchannel
C  RWALLI=inner radius of PT (m)
C  PTWID=width of pressure tube (m)
C  GAPWID=width of CO2 gap (m)
C  CTWID=width of CT (m)
C  RWALLO=outer radius of CT (m)
C  WID(J)=width of segment J (m)
C  WALMAT(J)=type of wall material at segment J.
C  ROT(J)=outer radius of segment J (m)
C  SECT(I)=angle (in degrees) subtended by subchannel I on the PT
C  ANG(I)=angle (in radians) subtended by subchannel I on the PT
C-----
      NRW=NUMW1+NUMW2+NUMW3
      JB=2
      JE=NRW+JB-1
      IB=11
      IE=NUMV
C-----
C  wall segment width info
C-----
      RWALLI=0.0517
      PTWID =0.00361
      GAPWID=0.0016
      CTWID =0.0014
      RWALLO=RWALLI+PTWID+GAPWID+CTWID
      WID(JB-1)=0.0
      WID(JE+1)=0.0
      DO J=JB,JE
         IF (J.GE.JB)           WID(J)=PTWID/(NUMW1)
         IF (J.GE.JB+NUMW1)     WID(J)=GAPWID/(NUMW2)
         IF (J.GE.JB+NUMW1+NUMW2) WID(J)=CTWID/(NUMW3)
      ENDDO
C-----
C  define wall material types
C  WALMAT=1 indicates Zirc + 2.5%Nb
C  WALMAT=2 indicates CO2
C  WALMAT=3 indicates a wall of zero thickness
C-----
      WALMAT(JB-1)=3
      WALMAT(JE+1)=3
      DO J=JB,JE
         IF (J.GE.JB)           WALMAT(J)=1
         IF (J.GE.JB+NUMW1)     WALMAT(J)=2
         IF (J.GE.JB+NUMW1+NUMW2) WALMAT(J)=1
      ENDDO
C-----
C  define outer wall radii
C-----
      ROT(JB-1)=RWALLI
      DO J=JB,JE+1
         ROT(J)=ROT(J-1)+WID(J)
      ENDDO
C-----
C  these are the angles that the outer subchannels
C  subtend on the pressure tube
C-----
      SECT(11)=181.656*MULT
      SECT(12)= 79.596*MULT
      SECT(13)= 79.020*MULT
      SECT(14)= 19.728*MULT
      DO I=IB,IE
         ANG(I)=SECT(I)*PI/180.0
      ENDDO
C
      RETURN
      END

```

```
SUBROUTINE FILE(IDAT)
  INTEGER IDAT
```

```
opening the files for i/o:
```

```
OPEN(IDAT,FILE='input.dat')
OPEN(11,FILE='output.out')
OPEN(14,FILE='hmix.out')
OPEN(15,FILE='h_nomix.out')
OPEN(16,FILE='h_factor.out')
OPEN(18,FILE='a.dat')
```

```
RETURN
END
```

```
SUBROUTINE HEADER(MTOT,QCHAN,PRESS,SYMMET)
  IMPLICIT NONE
  INTEGER SYMMET
  REAL MTOT,QCHAN
  REAL PRESS
```

```
This subroutine writes out the header for the enthalpy
output file. The header contains information on the channel
conditions: Header is written to unit 12.
```

```
MTOT = total mass flow [kg/s]
QCHAN = total channel power [MW]
PRESS = outlet pressure [MPa]
```

```
write(12,2000) MTOT,QCHAN,PRESS
write(12,2001)
write(14,2000) MTOT,QCHAN,PRESS
write(14,2001)
write(15,2000) MTOT,QCHAN,PRESS
write(15,2001)
```

```
000 FORMAT('# Predicted Enthalpies [kJ/kg]: mdot=',F8.4,
: ' [kg/s]; Q=',F8.2,' [MW]; P=',F8.4,' [MPa]')
001 FORMAT('# x[cm]  h-cv1  h-cv2  h-cv3  h-cv4  h-cv5  h-cv6
:h-cv7  h-cv8  h-cv9  h-cv10  h-cv11  h-cv12  h-cv13  h-cv14
:bnd1 avg')

write(16,*) ' x[cm]    h-inner    h-outer  [kJ/kg]'
RETURN
END
```

```

                                TINTTAT, F
SUBROUTINE INITIAL(HNAME,HIN,HNMX,H,HINI,BMASS, HICALC,QCHAN,
: MTOT,MTOTO,PRESS,XI,X,ERR,HDIFFMAX,HMOD,TMOD,MULT,
: IMODHL,PTFILM,IMAX,NUMITER,BUNI,NUMV,NUMG,
: NUMW1,NUMW2,NUMW3,IDAT,ID,KD)
IMPLICIT NONE
INTEGER ID,KD,I,K,IDAT,NUMV,NUMG,IMAX,BUNI,NUMITER,
: NUMW1,NUMW2,NUMW3,UNICON,IMODHL,PTFILM
REAL HICALC,QCHAN,MTOT,XI,HUNI,HVARI(ID),HVAVG,
: X,ERR,HNMX(ID),H(ID),HDIFFMAX,HMOD,TMOD,MULT,HIN(ID)
REAL PRESS,BMASS(KD),HINI,MTOTO
CHARACTER PCH*4,HCH*6,MCH*5,QCH*6,FNAME*52,HNAME*52

```

```

ERR=maximum error for PGS loop
IMAX=maximum number of iterations for PGS loop
HDIFFMAX=maximum error for property loop
NUMITER=maximum number of iterations for property loop
BUNI=1st bundle to be modelled
PRESS=channel pressure (MPa)
HUNI=uniform inlet enthalpy (kJ/kg)
HINI=average inlet enthalpy (kJ/kg)
XI=axial distance of first bundle(m)
HVARI(I)=(non-uniform) inlet enthalpy of CV I (kJ/kg)
MTOTO=channel mass flow rate (kg/s)
MTOT=channel mass flow following symmetry calcs.
QCHAN=channel power(MW)
UNICON=option for uniform/non-uniform inlet enthalpy
IMODHL=option for using moderator heat loss
PTFILM=option for using saturated liquid properties or
non-saturated vapour properties for moderator heat
loss calcs.
HMOD=convection coefficient of moderator (W/m^2K)
TMOD=temperature of moderator (K)
NUMW1=number of wall segments for PT
NUMW2=number of wall segments for CO2 gap.
NUMW2=number of wall segments for CT

```

reading in the data from input.dat. this data is assumed to be for a full bundle (not a half bundle). NOTE: HUNI and HVARI both specify the inlet enthalpy, which one is used is dependant on the value that UNICON is assigned. If UNICON=0, then HVARI is used, otherwise, HUNI is used.

```

READ(18,4) (BMASS(K),K=1,NUMG)
FORMAT(E12.5)
READ(IDAT,5) ERR,IMAX,HDIFFMAX,NUMITER,BUNI
READ(IDAT,*) PRESS
READ(IDAT,*) HUNI
READ(IDAT,*) XI,(HVARI(I),I=1,NUMV),HVAVG
READ(IDAT,*) MTOTO
READ(IDAT,*) QCHAN
READ(IDAT,6) UNICON
READ(IDAT,7) IMODHL,PTFILM
READ(IDAT,*) HMOD,TMOD
READ(IDAT,*) NUMW1,NUMW2,NUMW3
FORMAT(/E7.1,I5,1X,E7.1,I5,I2/)
FORMAT(I4/)
FORMAT(2(I2))

```

recalculates channel conditions based on the half bundle (symmetry) option.

```

QCHAN=QCHAN*MULT*1.0432443
QCHAN=QCHAN*MULT
MTOT =MTOTO*MULT

```

closing the data file so that it may be reopened and read with the operating conditions as character type data. The operating conditions are then converted to file names for the output data.

```

CLOSE(IDAT)
OPEN(IDAT,FILE='input.dat')
READ(IDAT,8) PCH,HCH,MCH,QCH
FORMAT(///A4/A6//A5/A6)

```

FNAME is for the value check file name, HNAME is for the enthalpy output file name.

```

FNAME=PCH// 'MPa_' //HCH// 'kJpkg_' //
: MCH// 'kgps_' //QCH// 'MW_' // 'check.out'
HNAME=PCH// 'MPa_' //HCH// 'kJpkg_' //
: MCH// 'kgps_' //QCH// 'MW_' // 'enthalpy.out'
OPEN(17,FILE=FNAME)
OPEN(12,FILE=HNAME)

```

```

                                TINTAT..F
C the following allows the user to choose between specifying a uniform
C channel inlet enthalpy distribution or a variable channel inlet
C enthalpy distribution. if UNICON=1: uniform inlet enthalpy dist'n
C-----
      IF (UNICON.EQ.0) THEN
        DO I=1,NUMV
          HIN(I)=HVARI(I)
        ENDDO
        HICALC=HVAVG
        X=XI
      ELSE
        DO I=1,NUMV
          HIN(I)=HUNI
        ENDDO
        HICALC=HUNI
        X=0.0
      END IF
      HINI=HICALC
C-----
C setting the array HNMX(I) equal to the inlet enthalpy:
C-----
      DO I=1,NUMV
        HNMX(I)=HIN(I)
      ENDDO
C-----
C guessing a value for H(I) (required for buoyancy calculation):
C-----
      DO I=1,NUMV
        H(I)=HIN(I)
      ENDDO
C
      RETURN
      END

```



```

                                Flowspli.f
SUBROUTINE FLOWSPLIT(FRAC, MTOT,PRESS,NUMV,ID)
IMPLICIT NONE
INTEGER ID,NUMV
REAL FRAC(15),MTOT
REAL PRESS

```

This subroutine calculates the fraction of the mass flow through each control volume. It is based on the correlations developed from a multitude of ASSERT-PV simulations at a range of pressures, mass flows, fuel powers, and inlet enthalpy.

MTOT = total mass flow through channel [kg/s]
PRESS = channel pressure [MPa]
FRAC(I) = fraction of total mass flow in cv I [-]

```

CALL CV1(FRAC(1),MTOT,PRESS)
CALL CV2(FRAC(2),MTOT,PRESS)
CALL CV3(FRAC(3),MTOT,PRESS)
CALL CV4(FRAC(4),MTOT,PRESS)
CALL CV5(FRAC(5),MTOT,PRESS)
CALL CV6(FRAC(6),MTOT,PRESS)
CALL CV7(FRAC(7),MTOT,PRESS)
CALL CV8(FRAC(8),MTOT,PRESS)
CALL CV9(FRAC(9),MTOT,PRESS)
CALL CV10(FRAC(10),MTOT,PRESS)
CALL CV12(FRAC(12),MTOT,PRESS)
CALL CV13(FRAC(13),MTOT,PRESS)
CALL CV14(FRAC(14),MTOT,PRESS)
CALL SUMCV(FRAC(11),11,FRAC)
RETURN
END

```

=====

```

SUBROUTINE CV1(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL A(10),B(10),C(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

-setting array values (determined by least squares fit to ASSERT output)

```

A(1)= -.0301
A(2)= .0414
A(3)= .4599
A(4)= .6278
A(5)= .5056
A(6)= .2677
B(1)= .0361
B(2)= .0401
B(3)= -.0006
B(4)= -.0180
B(5)= -.0036
B(6)= .0219
C(1)= .0131
C(2)= .0131
C(3)= .0143
C(4)= .0151
C(5)= .0152
C(6)= .0151
D= .0001
E= .0202
MINT(1)= .24129
MINT(2)= .14930
MINT(3)= .11180
MINT(4)= .10360
MINT(5)= .10076
MINT(6)= .10004

```

```

CALL PRESSEND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT(SPLIT,PRESS,MTOT,MINT,A,B,C,D,E,IBIG,ISMAIL)
RETURN
END

```

=====

```

SUBROUTINE CV2(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL A(10),B(10),C(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

-setting array values (determined by least squares fit to ASSERT output)

```

A(1)= -.0473
A(2)= .1124
A(3)= .1415
A(4)= .0969
A(5)= -.0503
A(6)= .0240
B(1)= .0458
B(2)= .0284
B(3)= .0414
B(4)= .0484
B(5)= .0644
B(6)= .0491
C(1)= .0132
C(2)= .0147
C(3)= .0151
C(4)= .0157
C(5)= .0158
C(6)= .0168
D= .0005
E= .0221
MINT(1)= .23618
MINT(2)= .14419
MINT(3)= .10449
MINT(4)= .09092
MINT(5)= .08414
MINT(6)= .07905

```

```

C-----
CALL PRESSEBND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT(SPLIT,PRESS,MTOT,MINT,A,B,C,D,E,IBIG,ISMAIL)
RETURN
END

```

C

```

C=====
SUBROUTINE CV3(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL A(10),B(10),C(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

```

C-----
C--form of correlation: split = A*mtot^2 + B*mtot + C
C
C--setting array values (determined by least squares fit to ASSERT
C output)
C-----

```

```

A(1)= -.1748
A(2)= .1597
A(3)= .3897
A(4)= .4522
A(5)= .4067
A(6)= .2997
B(1)= -.0141
B(2)= -.0470
B(3)= -.0748
B(4)= -.0817
B(5)= -.0723
B(6)= -.0503
C(1)= .1007
C(2)= .0980
C(3)= .0969
C(4)= .0962
C(5)= .0954
C(6)= .0942
D= -.0004
E= .0939
MINT(1)= .14991
MINT(2)= .16834
MINT(3)= .15455
MINT(4)= .15892
MINT(5)= .16621
MINT(6)= .17539

```

```

C-----
CALL PRESSEBND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT(SPLIT,PRESS,MTOT,MINT,A,B,C,D,E,IBIG,ISMAIL)
RETURN
END

```

C

```

C=====
SUBROUTINE CV4(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL D2(10),E2(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

```

C-----
C--form of correlation: split = A*mtot^2 + B*mtot + C
C

```

setting array values (determined by least squares fit to ASSERT
output)

```

D2(1)= -.0021
D2(2)= -.0021
D2(3)= -.0021
D2(4)= -.0021
D2(5)= -.0021
D2(6)= -.0021
E2(1)= .0604
E2(2)= .0604
E2(3)= .0604
E2(4)= .0604
E2(5)= .0604
E2(6)= .0604
D= -.0005
E= .0641
MINT(1)= .09905
MINT(2)= .09905
MINT(3)= .09905
MINT(4)= .09905
MINT(5)= .09905
MINT(6)= .09905

```

```

CALL PRESSBND(IBIG, ISMALL, PRESS)
CALL CALCSPLIT2(SPLIT, PRESS, MTOT, MINT, D2, E2, D, E, IBIG, ISMALL)
RETURN
END

```

```

=====
SUBROUTINE CV5(SPLIT, MTOT, PRESS)
IMPLICIT NONE
INTEGER IBIG, ISMALL
REAL A(10), B(10), C(10), D, E, MINT(10), SPLIT, PRESS, MTOT

```

form of correlation: $\text{split} = A \cdot \text{mtot}^2 + B \cdot \text{mtot} + C$

setting array values (determined by least squares fit to ASSERT
output)

```

A(1)= .0165
A(2)= .1145
A(3)= .2530
A(4)= .2144
A(5)= .2067
A(6)= .2218
B(1)= .0066
B(2)= -.0138
B(3)= -.0456
B(4)= -.0423
B(5)= -.0443
B(6)= -.0496
C(1)= .0400
C(2)= .0414
C(3)= .0433
C(4)= .0437
C(5)= .0442
C(6)= .0448
D= .6000E-04
E= .4220E-01
MINT(1)= .20948
MINT(2)= .15853
MINT(3)= .14775
MINT(4)= .14553
MINT(5)= .14243
MINT(6)= .12674

```

```

CALL PRESSBND(IBIG, ISMALL, PRESS)
CALL CALCSPLIT(SPLIT, PRESS, MTOT, MINT, A, B, C, D, E, IBIG, ISMALL)
RETURN
END

```

```

=====
SUBROUTINE CV6(SPLIT, MTOT, PRESS)
IMPLICIT NONE
INTEGER IBIG, ISMALL
REAL A(10), B(10), C(10), D, E, MINT(10), SPLIT, PRESS, MTOT

```

form of correlation: $\text{split} = A \cdot \text{mtot}^2 + B \cdot \text{mtot} + C$

setting array values (determined by least squares fit to ASSERT
output)

```

A(1)= -.9778

```

```

A(2)= -.5221
A(3)= .1791
A(4)= .5990
A(5)= .6432
A(6)= .6312
B(1)= .0519
B(2)= -.0082
B(3)= -.1160
B(4)= -.1820
B(5)= -.1819
B(6)= -.1730
C(1)= .1933
C(2)= .1892
C(3)= .1892
C(4)= .1894
C(5)= .1880
C(6)= .1866
D=-.1200E-02
E= .1744E+00
MINT(1)= .15990
MINT(2)= .14709
MINT(3)= .13505
MINT(4)= .18904
MINT(5)= .18602
MINT(6)= .18831

```

```

C-----
CALL PRESSBND(IBIG, ISMALL, PRESS)
CALL CALCSPLIT(SPLIT, PRESS, MTOT, MINT, A, B, C, D, E, IBIG, ISMALL)
RETURN
END

```

```

C
C=====
SUBROUTINE CV7(SPLIT, MTOT, PRESS)
IMPLICIT NONE
INTEGER IBIG, ISMALL
REAL D2(10), E2(10), D, E, MINT(10), SPLIT, PRESS, MTOT

```

```

C-----
C--form of correlation:  split = A*mtot^2 + B*mtot + C
C
C--setting array values (determined by least squares fit to ASSERT
C output)
C-----

```

```

D2(1)= -.0031
D2(2)= -.0031
D2(3)= -.0031
D2(4)= -.0031
D2(5)= -.0031
D2(6)= -.0031
E2(1)= .0245
E2(2)= .0245
E2(3)= .0245
E2(4)= .0245
E2(5)= .0245
E2(6)= .0245
D= -.0003
E= .0295
MINT(1)= .16769
MINT(2)= .16769
MINT(3)= .16769
MINT(4)= .16769
MINT(5)= .16769
MINT(6)= .16769

```

```

C-----
CALL PRESSBND(IBIG, ISMALL, PRESS)
CALL CALCSPLIT2(SPLIT, PRESS, MTOT, MINT, D2, E2, D, E, IBIG, ISMALL)
RETURN
END

```

```

C
C=====
SUBROUTINE CV8(SPLIT, MTOT, PRESS)
IMPLICIT NONE
INTEGER IBIG, ISMALL
REAL D2(10), E2(10), D, E, MINT(10), SPLIT, PRESS, MTOT

```

```

C-----
C--form of correlation:  split = A*(mtot)**B
C
C--setting array values (determined by least squares fit to ASSERT
C output)
C-----

```

```

D2(1)= -.0030
D2(2)= -.0030
D2(3)= -.0030
D2(4)= -.0030
D2(5)= -.0030

```

```

D2(6)= -.0030
E2(1)= .0684
E2(2)= .0684
E2(3)= .0684
E2(4)= .0684
E2(5)= .0684
E2(6)= .0684
D= -.0006
E= .0727
MINT(1)= .16673
MINT(2)= .16673
MINT(3)= .16673
MINT(4)= .16673
MINT(5)= .16673
MINT(6)= .16673

```

```

-----
CALL PRESSEND(IBIG, ISMALL, PRESS)
CALL CALCSPLIT2(SPLIT, PRESS, MTOT, MINT, D2, E2, D, E, IBIG, ISMALL)
RETURN
END

```

```

=====
SUBROUTINE CV9(SPLIT, MTOT, PRESS)
IMPLICIT NONE
INTEGER IBIG, ISMALL
REAL D2(10), E2(10), D, E, MINT(10), SPLIT, PRESS, MTOT

```

```

-----
-form of correlation:      split = A*(mtot)**B

```

```

-setting array values (determined by least squares fit to ASSERT
output)

```

```

-----
D2(1)= -.0033
D2(2)= -.0033
D2(3)= -.0033
D2(4)= -.0033
D2(5)= -.0033
D2(6)= -.0033
E2(1)= .0445
E2(2)= .0445
E2(3)= .0445
E2(4)= .0445
E2(5)= .0445
E2(6)= .0445
D= -.0004
E= .0507
MINT(1)= .11792
MINT(2)= .11792
MINT(3)= .11792
MINT(4)= .11792
MINT(5)= .11792
MINT(6)= .11792

```

```

-----
CALL PRESSEND(IBIG, ISMALL, PRESS)
CALL CALCSPLIT2(SPLIT, PRESS, MTOT, MINT, D2, E2, D, E, IBIG, ISMALL)
RETURN
END

```

```

=====
SUBROUTINE CV10(SPLIT, MTOT, PRESS)
IMPLICIT NONE
INTEGER IBIG, ISMALL
REAL D2(10), E2(10), D, E, MINT(10), SPLIT, PRESS, MTOT

```

```

-----
-form of correlation:      split = A*(mtot)**B

```

```

-setting array values (determined by least squares fit to ASSERT
output)

```

```

-----
D2(1)= -.001598
D2(2)= -.001598
D2(3)= -.001598
D2(4)= -.001299
D2(5)= -.001299
D2(6)= -.001025
E2(1)= .043874
E2(2)= .043874
E2(3)= .043874
E2(4)= .044354
E2(5)= .044354
E2(6)= .044940
D= -.000253
E= .046905
MINT(1)= .10418

```

```

MINT(2)= .10418
MINT(3)= .10418
MINT(4)= .08730
MINT(5)= .08730
MINT(6)= .07849

```

```

C-----
CALL PRESSBND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT2(SPLIT,PRESS,MTOT,MINT,D2,E2,D,E,IBIG,ISMAIL)
RETURN
END

```

C

```

C=====
SUBROUTINE CV12(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL A(10),B(10),C(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

```

C-----
C--form of correlation:  split = A*(mtot)**B
C
C--setting array values (determined by least squares fit to ASSERT
C output)
C-----

```

```

A(1)= .7018
A(2)= -.2678
A(3)= -1.1766
A(4)= -1.1766
A(5)= -1.1766
A(6)= -1.1766
B(1)= -.0189
B(2)= .1276
B(3)= .2642
B(4)= .2642
B(5)= .2642
B(6)= .2642
C(1)= .0628
C(2)= .0631
C(3)= .0633
C(4)= .0633
C(5)= .0633
C(6)= .0633
D= .5000E-03
E= .7760E-01
MINT(1)= .15468
MINT(2)= .16063
MINT(3)= .14783
MINT(4)= .14783
MINT(5)= .14783
MINT(6)= .14783

```

```

C-----
CALL PRESSBND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT(SPLIT,PRESS,MTOT,MINT,A,B,C,D,E,IBIG,ISMAIL)
RETURN
END

```

C

```

C=====
SUBROUTINE CV13(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL A(10),B(10),C(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

```

C-----
C--form of correlation:  split = A*(mtot)**B
C
C--setting array values (determined by least squares fit to ASSERT
C output)
C-----

```

```

A(1)= .8952
A(2)= 1.9653
A(3)= 1.4039
A(4)= .5625
A(5)= .0842
A(6)= -.2708
B(1)= -.0348
B(2)= -.0996
B(3)= -.0027
B(4)= .0890
B(5)= .1392
B(6)= .1734
C(1)= .0469
C(2)= .0508
C(3)= .0506
C(4)= .0505
C(5)= .0508
C(6)= .0514
D= .1000E-02

```

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```

E= .6640E-01
MINT(1)= .16129
MINT(2)= .11174
MINT(3)= .09898
MINT(4)= .09508
MINT(5)= .08988
MINT(6)= .08287

```

```

-----
CALL PRESBND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT(SPLIT,PRESS,MTOT,MINT,A,B,C,D,E,IBIG,ISMAIL)
RETURN
END

```

```

=====
SUBROUTINE CV14(SPLIT,MTOT,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL A(10),B(10),C(10),D,E,MINT(10),SPLIT,PRESS,MTOT

```

form of correlation: $\text{split} = A * (\text{mtot})^{**B}$

setting array values (determined by least squares fit to ASSERT output)

```

-----
A(1)= .0350
A(2)= .0552
A(3)= -.0419
A(4)= -.0826
A(5)= -.0706
A(6)= -.0705
B(1)= .0255
B(2)= .0195
B(3)= .0315
B(4)= .0340
B(5)= .0278
B(6)= .0239
C(1)= .0100
C(2)= .0114
C(3)= .0120
C(4)= .0126
C(5)= .0133
C(6)= .0140
D= .2000E-03
E= .1610E-01
MINT(1)= .18090
MINT(2)= .15439
MINT(3)= .14653
MINT(4)= .13649
MINT(5)= .12647
MINT(6)= .22579

```

```

-----
CALL PRESBND(IBIG,ISMAIL,PRESS)
CALL CALCSPLIT(SPLIT,PRESS,MTOT,MINT,A,B,C,D,E,IBIG,ISMAIL)
RETURN
END

```

```

=====
SUBROUTINE PRESBND(IBIG,ISMAIL,PRESS)
IMPLICIT NONE
INTEGER IBIG,ISMAIL
REAL P(10),PRESS

```

```

-----
P(1)=0.25
P(2)=1.0
P(3)=2.0
P(4)=3.0
P(5)=4.0
P(6)=5.0

```

-determining bounding pressures:

----low pressure:

```

-----
IF (PRESS.LT.P(1)) THEN
  IBIG=2
  ISMAIL=1
  GOTO 100
ENDIF

```

----intermediate pressures:

```

-----
IF ((PRESS.GE.P(1)).AND.(PRESS.LT.P(2))) THEN
  IBIG=2
  ISMAIL=1

```

```

      GOTO 100
ENDIF
C
  IF ((PRESS.GE.P(2)).AND.(PRESS.LT.P(3))) THEN
    IBIG=3
    ISMALL=2
    GOTO 100
  ENDIF
C
  IF ((PRESS.GE.P(3)).AND.(PRESS.LT.P(4))) THEN
    IBIG=4
    ISMALL=3
    GOTO 100
  ENDIF
C
  IF ((PRESS.GE.P(4)).AND.(PRESS.LT.P(5))) THEN
    IBIG=5
    ISMALL=4
    GOTO 100
  ENDIF
C
  IF ((PRESS.GE.P(5)).AND.(PRESS.LT.P(6))) THEN
    IBIG=6
    ISMALL=5
    GOTO 100
  ENDIF
C-----high pressure:
C-----
  IF (PRESS.GE.P(6)) THEN
    IBIG=6
    ISMALL=5
    GOTO 100
  ENDIF
C----- ending determination of bounding pressures:
C-----
100 CONTINUE
C
  RETURN
END
C=====
SUBROUTINE CALCSPLIT(SPLIT,PRESS,MTOT,MINT,
:                   A,B,C,D,E,IBIG,ISMALL)
  IMPLICIT NONE
  INTEGER IBIG,ISMALL
  REAL SPLIT,PRESS,MTOT,MINT(10),A(10),B(10),C(10),D,E,P(10),
:     SPLITSMALL,SPLITBIG
C-----
  P(1)=0.25
  P(2)=1.0
  P(3)=2.0
  P(4)=3.0
  P(5)=4.0
  P(6)=5.0
C-----
C---calculate the flow splits, starting with lower pressure value:
C-----
  IF (MTOT.LE.MINT(ISMALL)) THEN
    SPLITSMALL=A(ISMALL)*MTOT**2.0+B(ISMALL)*MTOT+C(ISMALL)
  ELSE
    SPLITSMALL=D*LOG(MTOT)+E
  ENDIF
C-----
C---calculate the flow split for higher pressure value:
C-----
  IF (MTOT.LE.MINT(IBIG)) THEN
    SPLITBIG=A(IBIG)*MTOT**2.0+B(IBIG)*MTOT+C(IBIG)
  ELSE
    SPLITBIG=D*LOG(MTOT)+E
  ENDIF
C-----
C---interpolate flowsplit to correct pressure:
C-----
  SPLIT=SPLITSMALL + ((PRESS-P(ISMALL))/(P(IBIG)-P(ISMALL)))*
:     (SPLITBIG-SPLITSMALL)
C
  RETURN
END
C
C=====
SUBROUTINE CALCSPLIT2(SPLIT,PRESS,MTOT,MINT,

```


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D2,E2,D,E,IBIG,ISMAIL)

```
: IMPLICIT NONE
  INTEGER IBIG,ISMAIL
  REAL SPLIT,PRESS,MTOT,MINT(10),D2(10),E2(10),D,E,P(10),
  : SPLITSMALL,SPLITBIG
```

```
P(1)=0.25
P(2)=1.0
P(3)=2.0
P(4)=3.0
P(5)=4.0
P(6)=5.0
```

--calculate the flow splits, starting with lower pressure value:

```
IF (MTOT.LE.MINT(ISMAIL)) THEN
  SPLITSMALL=D2(ISMAIL)*LOG(MTOT)+E2(ISMAIL)
ELSE
  SPLITSMALL=D*LOG(MTOT)+E
ENDIF
```

--calculate the flow split for higher pressure value:

```
IF (MTOT.LE.MINT(IBIG)) THEN
  SPLITBIG=D2(IBIG)*LOG(MTOT)+E2(IBIG)
ELSE
  SPLITBIG=D*LOG(MTOT)+E
ENDIF
```

--interpolate flowsplit to correct pressure:

```
SPLIT=SPLITSMALL + ((PRESS-P(ISMAIL))/(P(IBIG)-P(ISMAIL)))*
: (SPLITBIG-SPLITSMALL)
```

```
RETURN
END
```

```
=====
SUBROUTINE SUMCV(SPLIT,CVI,SPLITARY)
  IMPLICIT NONE
  INTEGER I,CVI
  REAL SPLIT,SPLITARY(15),SUM
```

--This subroutine ensures that the sum of the mass splits is unity

```
SPLITARY(CVI)=0.0
SUM=0.0
```

--summing up the flow splits for the control volumes:

```
DO 10 I=1,14
  SUM=SUM+SPLITARY(I)
CONTINUE
```

--setting the value of SPLIT at CVI equal to unity minus the sum of the other flowsplits

```
SPLIT=1.0-SUM
```

```
RETURN
END
```

```

SUBROUTINE QBUNDLE(QBUN,QCHAN,BUNDLE)
IMPLICIT NONE
INTEGER BUNDLE
REAL QBUN,QCHAN

```

```

BUNDLE = bundle number for current calculation [-]
QBUN = fuel power for current bundle [MJ/s]
QCHAN = total channel power [MW]

```

This subroutine calculates the total bundle power. The fractional power comes from the axial flux distribution used in ASSERT-PV. this is a cosine function max/average=1.6

```

IF (BUNDLE.EQ.1) QBUN=0.0170*QCHAN
IF (BUNDLE.EQ.2) QBUN=0.0500*QCHAN
IF (BUNDLE.EQ.3) QBUN=0.0795*QCHAN
IF (BUNDLE.EQ.4) QBUN=0.1036*QCHAN
IF (BUNDLE.EQ.5) QBUN=0.1206*QCHAN
IF (BUNDLE.EQ.6) QBUN=0.1294*QCHAN
IF (BUNDLE.EQ.7) QBUN=0.1294*QCHAN
IF (BUNDLE.EQ.8) QBUN=0.1206*QCHAN
IF (BUNDLE.EQ.9) QBUN=0.1036*QCHAN
IF (BUNDLE.EQ.10) QBUN=0.0795*QCHAN
IF (BUNDLE.EQ.11) QBUN=0.0500*QCHAN
IF (BUNDLE.EQ.12) QBUN=0.0170*QCHAN

```

```

RETURN
END

```

```

SUBROUTINE QCV(QFUEL,QBUN,BUNDLE,NUMV,ID)
IMPLICIT NONE
INTEGER ID,I,NUMV,BUNDLE
REAL QFUEL(ID),QBUN,CHECK

```

This subroutine calculates the rate of energy input from the fuel to the control volume. The constants used come from the radial flux distribution specified in ASSERT and the fuel area in contact with each FACTAR control volume.

```

QFUEL(I) = fuel power into control volume I [MJ/s]
QBUN = total fuel power for current bundle [MJ/s]
CHECK = sum of QFUEL(I) - checking to make sure that the
        total energy distributed to each cv is correct
BUNDLE = current bundle number

```

```

QFUEL(1)= 0.032626*QBUN
QFUEL(2)= 0.032626*QBUN
QFUEL(3)= 0.094081*QBUN
QFUEL(4)= 0.070676*QBUN
QFUEL(5)= 0.047271*QBUN
QFUEL(6)= 0.195585*QBUN
QFUEL(7)= 0.026420*QBUN
QFUEL(8)= 0.084029*QBUN
QFUEL(9)= 0.055168*QBUN
QFUEL(10)=0.056388*QBUN
QFUEL(11)=0.152580*QBUN
QFUEL(12)=0.067813*QBUN
QFUEL(13)=0.067813*QBUN
QFUEL(14)=0.016953*QBUN

```

doing a check to make sure the sum of QFUEL(i) = QBUN

```

CHECK=0.0
DO 10 I=1,NUMV
    CHECK=CHECK+QFUEL(I)
10 CONTINUE

```

writing out if the check fails:

```

IF (ABS((CHECK-QBUN)/QBUN).GT.1.0E-4) THEN
    WRITE(6,*) 'Message from fuel.f: Energy distribution incorrect'
ENDIF

```

```

RETURN
END

```

PROPCV.F

```

SUBROUTINE PROPCV(PRESS,HINN,
:      TEMP, TEMPK, DEN, CP, VISC, COND,TCONST,
:      TEMPS,TEMPKS,DENS,CPS,VISCS,CONDS,NUMV,ID)
IMPLICIT NONE
INTEGER ID,IERRV,I,NUMV
REAL TCONST, HINN(ID),PRESS
REAL TEMP(ID), DEN(ID), CP(ID), VISC(ID), COND(ID), TEMPK(ID)
REAL TEMPS(ID),DENS(ID),CPS(ID),VISCS(ID),CONDS(ID),TEMPKS(ID)
-----
      PRESS - PRESSURE (MPa)
      HINN - SPECIFIC ENTHALPY (J/kg)
      TEMP - TEMPERATURE (C)
      DEN - DENSITY (kg/m3)
      CP - SPECIFIC HEAT AT CONST. PRESSURE (J/kg-K)
      VISC - DYNAMIC VISCOSITY (N-s/m2)
      COND - THERMAL CONDUCTIVITY (W/m-K)

      TEMPS - saturation TEMPERATURE (C)
      DENS - saturation DENSITY (kg/m3)
      CPS - saturation SPECIFIC HEAT AT CONST. PRESSURE (J/kg-K)
      VISCS - saturation DYNAMIC VISCOSITY (N-s/m2)
      CONDS - saturation THERMAL CONDUCTIVITY (W/m-K)
-----
DO 10 I=1,NUMV
  CALL PROP(PRESS*1.0E06,HINN(I)*1.0E03,
:    TEMP(I), DEN(I), CP(I), VISC(I), COND(I),
:    TEMPS(I),DENS(I),CPS(I),VISCS(I),CONDS(I),IERRV)

  TEMPK(I) =TEMP(I)+TCONST
  TEMPKS(I)=TEMPS(I)+TCONST
CONTINUE

RETURN
END

```

```

                                DIFFUS.F
SUBROUTINE WTURB(WPG,MDOT,VISC,DHYD,AREAX,RODDIA,GAP,PWET,DEN,
: IEG,IWG,NUMG,ID,KD)
IMPLICIT NONE
INTEGER ID,KD,IEG(KD),IWG(KD),NUMG,I,J,K
REAL WPG(KD),MDOT(ID),DHYD(ID),AREAX(ID),RODDIA(KD),GAP(KD),
: PWET(ID),DEN(ID),VISC(ID),REI,REJ,SMI,SMJ,LIJ,GI,GJ

```

This subroutine uses Petrunik's vapour thermal mixing correlation to calculate the mixing coefficient w' . Note that this quantity is associated with a GAP not a control volume.

The Reynolds number which appears in the correlation is based on the total hydraulic diameter and total flow through the two adjacent control volumes.

WPG(IG) - effective mass flow through gap IG due to turb per unit length of control volume and for a single ASSERT gap [kg/ms]
MDOT(I) - mass flow through cv I [kg/s]
VISC(I) - viscosity of fluid in cv I [kg/ms]
DHYD(I) - hydraulic diameter of control volume I [m]
AREAX(I) - cross-sectional area of cv I [m²]
PWET(I) - wetted perimeter of cv I [m]
DEN(I) - density of fluid in cv I [kg/m³]
REG(IG) - average Reynolds number of adjacent cv to gap IG
REI,REJ=Reynolds number for CVs I and J
SMI,SMJ laminar mixing reduction factors
LIJ=Rogers and Rosehart gap size/rod size factor for mixing
GI,GJ=mass fluxes for I and J (kg/m²s)
WPG=turbulent diffusion flow rate (kg/ms)

```

-----
DO 10 K=1,NUMG
  I=IWG(K)
  J=IEG(K)
  REI=(MDOT(I)/AREAX(I))*DHYD(I)/VISC(I)
  REJ=(MDOT(J)/AREAX(J))*DHYD(J)/VISC(J)
  SMI=(1.0+(DHYD(J)/DHYD(I))**1.5)*
: (DHYD(I)/RODDIA(K))/(2.0*REI**0.1)
  SMJ=(1.0+(DHYD(I)/DHYD(J))**1.5)*
: (DHYD(J)/RODDIA(K))/(2.0*REJ**0.1)
  LIJ=0.0058*(GAP(K)/RODDIA(K))**(-1.46)
  GI=MDOT(I)/AREAX(I)
  GJ=MDOT(J)/AREAX(J)
  WPG(K)=0.5*LIJ*(SMI*GI+SMJ*GJ)*GAP(K)
CONTINUE
CALL OUT1D(WPG,'WPG',17,1,NUMG,1,KD)

RETURN
END

```

```

-----
SUBROUTINE DIFPHI(DG, WPG,AREAG,GAP,MDOT,LEN,IWG,IEG,NUMG,ID,KD)
IMPLICIT NONE
INTEGER NUMG,ID,KD,IG,I,K,IWG(KD),IEG(KD)
REAL DG(KD),WPG(KD),AREAG(KD),GAP(KD),MDOT(ID),MC
REAL CRAD(2),LEN

```

This subroutine calculates the 'diffusion' coefficient due to turbulent diffusion and diversion flow mixing

DG(IG) = diffusion coefficient [kg/s]
WPG(IG) = thermal mixing coeff [kg/ms]
AREAG(IG) = area of control volume gap IG [m²]
GAP(IG) = width of ASSERT gap for gap IG [m]
MDOT(I) = mass flow through cv I [kg/s]
NUMG = number of FACTAR gaps
ID = array dimension

first, calculating the contribution from turbulence:

```

-----
DO 5 IG=1,NUMG
  DG(IG)=AREAG(IG)*WPG(IG)/GAP(IG)
CONTINUE
CALL OUT1D(DG,'DG',17,1,NUMG,1,KD)

```

second, calculating the contribution to DG(IG) from cross-flow mixing:

```

-----
CRAD(1)=0.02
DO K=1,13
  DG(K)=DG(K)+CRAD(1)*(MDOT(IWG(K))+MDOT(IEG(K)))
ENDDO
CALL OUT1D(DG,'DG',17,1,NUMG,1,KD)

```

NIPEUS F
C gaps 14 through 23 are in the circumferential direction and convection
C will not be accounted for so there are no changes to (DG(i),i=14,...,23)
C-----

RETURN
END

```

                                BUOY.F
SUBROUTINE BUOYMASS(BMASS,PRESS,MTOT,QCHAN,HINI,MULT,NUMG,KD)
IMPLICIT NONE
INTEGER IBIG,ISMAIL,K,KD,NUMG
REAL C(6),D(6),E(6),P(6),X,BMASS(KD),B(KD),BCON,BCONSMALL,BCONBIG,
:    PRESS,MTOT,QCHAN,HINI,PFRAC,MULT,CON

```

this subroutine calculates the appropriate degree of mixing due to buoyancy based on the channel pressure, channel power, and channel mass flow.

```

P =channel pressure(MPa)
C,D,E=coefficients for proportionality factor BCON
X =x value in the BCON correlation
BCON=proportionality factor
B(K)=symbolic mass flow at gap K.

```

define pressure ranges

```

P(1)=0.25
P(2)=1.0
P(3)=2.0
P(4)=3.0
P(5)=4.0
P(6)=5.0

```

form of correlation: $BCON = C \cdot x^2 + D \cdot x + E$
where $x = (QCHAN/MTOT)^3 + (0.001H)^3$

```

C(1)= 0.00020125
C(2)= 0.00051625
C(3)= 0.00119875
C(4)= 0.001617
C(5)= 0.001931125
C(6)= 0.002184
D(1)= -0.02538375
D(2)= -0.0685125
D(3)= -0.15199625
D(4)= -0.21501375
D(5)= -0.258335
D(6)= -0.29372
E(1)= 0.9792475
E(2)= 3.105795
E(3)= 6.41823875
E(4)= 9.39826125
E(5)= 11.65476375
E(6)= 13.581785

```

establish which pressure range the channel pressure falls under

```

CALL PRESSEBND(IBIG,ISMAIL,PRESS)
WRITE(17,*) 'IBIG,ISMAIL',IBIG,ISMAIL

```

calculate the upper and lower bounds of BCON based on the pressure range

```

X=(QCHAN/MTOT)**3.0+(0.001*HINI)**3.0
BCONSMALL=C(ISMAIL)*(X**2.0)+D(ISMAIL)*X+E(ISMAIL)
BCONBIG =C(IBIG)*(X**2.0)+D(IBIG)*X+E(IBIG)
WRITE(17,*) 'BCONSMALL,BCONBIG',BCONSMALL,BCONBIG

```

calculate BCON using interpolation

```

PFRAC=(PRESS-P(ISMAIL))/(P(IBIG)-P(ISMAIL))
BCON=BCONSMALL+PFRAC*(BCONBIG-BCONSMALL)

```

these are the gap mass flows predicted to occur under buoyancy dominant conditions. These are only proportional to the actual mass flows, they must still be multiplied by BCON to get the true mass flow

```

B(1)= 0.000137915
B(2)= -9.56161E-05
B(3)= -4.36942E-05
B(4)= 0.000250811
B(5)= -1.28908E-05
B(6)= -9.9217E-05
B(7)= -8.39496E-05
B(8)= -5.78781E-05
B(9)= 0.000271447
B(10)=-0.000110188
B(11)=-7.71355E-05
B(12)=-0.000162829
B(13)= 7.87057E-05
B(14)=-0.000137915
B(15)=-0.000112897

```

```
B(16)=-9.95293E-05
B(17)=-2.53339E-05
B(18)=-3.04494E-05
B(19)=-2.04204E-05
B(20)=-2.6245E-05
B(21)= 0.000271447
B(22)= 0.000161259
B(23)=-7.87057E-05
```

```
DO K=1,NUMG
  BMASS(K)=B(K)*BCON*MULT
ENDDO
```

```
RETURN
END
```

```
-----
SUBROUTINE BUOYFLO(DG,DGN,BMASS,QCHAN,MDOT,AREAX,DEN,LEN,
: NUMG,NUMV,GAPN,GAPV,OPCV,GN,IWG,IEG,ID,KD)
IMPLICIT NONE
INTEGER I,J,K,IG,ID,KD,NUMG,NUMV,IWG(KD),IEG(KD),
: GAPN(ID),GAPV(ID,ID),IW,IE,OPCV(ID,ID),GN(ID,KD)
REAL DG(KD),BMASS(KD),DGN(ID,ID),ALP(ID,ID),MDOT(ID),VAVG,
: QCHAN,AREAX(ID),DEN(ID),AREASUM,RHOAVG,GRAV,CONST,LEN,VOL
```

```
-----
C This subroutine calculates the total mass flow at any one gap
C ALP(I,J)=the flow direction factor for the buoyancy cross flow
C for CV I adjacent to CV J.
C DG(K) =thetotal diffusion flow at gap K
C BMASS(K)=the total buoyancy croos flow at gap K.
```

```
-----
C ALP is equivalent to ALPHA, a value which is generated from the
C Peclet number of the advective flow.
```

```
-----
DO I=1,NUMV
  DO J=1,NUMV
    ALP(I,J)=0.0
  ENDDO
ENDDO
```

```
-----
C the value of ALP is dependant on the direction of B
C if B is leaving the CV, then ALP=0.0,
C if it is entering the CV, then ALP=+1.0
```

```
-----
DO K=1,NUMG
  IW=IWG(K)
  IE=IEG(K)
  IF (BMASS(K).GT.0.0) THEN
    ALP(IW,GN(IW,K))=0.0
    ALP(IE,GN(IE,K))=+1.0
  ELSE
    ALP(IW,GN(IW,K))=+1.0
    ALP(IE,GN(IE,K))=0.0
  END IF
```

```
-----
C DGN(I,K) is the total mass flow entering CV I at gap K, due to
C both turbulent diffusion and buoyant convection.
C the turbulent diffusion component is DG(K), the buoyant convection
C component is ALP(I,K)*abs(BMASS(K))
```

```
-----
DGN(IW,GN(IW,K))=DG(K)+ALP(IW,GN(IW,K))*ABS(BMASS(K))
DGN(IE,GN(IE,K))=DG(K)+ALP(IE,GN(IE,K))*ABS(BMASS(K))
ENDDO
```

```
-----
RETURN
END
```

```

                                COEFF.F
SUBROUTINE COEFF(APP, DGN,MDOT,IEG,IWG,NUMG,NUMV,GAPN,ID,KD)
IMPLICIT NONE
INTEGER ID,KD,IG,I,J,NUMG,NUMV,IWG(KD),IEG(KD),IW,IE,GAPN(ID)
REAL APP(ID),MDOT(ID),DGN(ID,ID)

```

This subroutine calculates the APP coefficient for enthalpy.

```

APP(I) = ap coefficient for cv I [kg/s]
MDOT(I) = mass flow through cv I [kg/s]
DGN(IG) = total mass flow for gap IG [kg/s]
NUMG = number of gaps
NUMV = number of control volumes
ID = array dimension

```

next calculate the contribution from the 'flow' through the gaps
 initialize APP to equal the axial massflow through the CV, and then
 add on all of the lateral flow (through the gaps) contributions

```

DO I=1,NUMV
  APP(I)=MDOT(I)
  DO J=1,GAPN(I)
    APP(I)=APP(I)+DGN(I,J)
  ENDDO
ENDDO

RETURN
END

```

```

SUBROUTINE SOURCE(BP, QFUEL,MDOT,HIN,NUMV,ID)
IMPLICIT NONE
INTEGER ID,I,NUMV
REAL BP(ID),QFUEL(ID),MDOT(ID)
REAL HIN(ID)

```

```

BP(I) = source term for discrete equation [kJ/s]
QFUEL(I) = fuel power into control volume I [MJ/s]
MDOT(I) = mass flow through control volume I [kg/s]
HIN(I) = inlet enthalpy for cv I [kJ/kg]
NUMV = total number of control volumes
ID = array dimension

```

This subroutine calculates the source term for the discrete equation for coolant enthalpy.

The source is from the energy convected into the cv plus the energy from the fuel.

```

DO 10 I=1,NUMV
  BP(I)=MDOT(I)*HIN(I) + 1000.0*QFUEL(I)
CONTINUE

RETURN
END

```



```

      WALLHT.F
SUBROUTINE WALLHT(QLOSS,TMOD,HMOD,TW,TCONST,TEMPK,MDOT,
: COND,CP,VISC,ROT,LEN,AREAX,DHYD,ANG,WID,
: CON,WALMAT,ID,JD,KD,JB,JE,IB,IE)
IMPLICIT NONE
INTEGER ID,JD,KD,I,J,K,JB,JE,IB,IE,WALMAT(JD),PTFILM
REAL ROT(JD),AREAX(ID),DHYD(ID),LEN,ANG(ID),WID(JD),
: RE(ID),PR(ID),NULAM,NUTURB(ID),NU(ID),
: KW(JD,ID),HCOOL(ID),HMOD,
: TW(JD,ID),TMOD,TCONST,
: R(JD,ID),RTOT(ID),QLOSS(ID),MDOT(ID)
REAL TEMPK(ID),COND(ID),CP(ID),VISC(ID),CON

```

this subroutine calculates the heat lost to the moderator based
 on the present subchannel enthalpies, properties and wall temps
 HCOOL(I)=the PT wall convection coefficient of subchannel I. (W/m²K)
 HMOD=moderator CT wall convection coefficient (W/m²K)
 TW(J,I)=temperature of wall segment J closest to subchannel I (K)
 KW(J,I)=conduction coefficient of wall segment J closest to
 subchannel I (W/mK)
 R(J,I)=resistance to heat transfer of wall segment J closest
 to subchannel I (K/W)
 RTOT(I)=total resistance to heat transfer of walls closest
 to subchannel I. (K/W)
 QLOSS(I)=amount of heat lost from CV I to moderator (W)

using laminar (7.86) and turbulent (Dittus Boelter) Nusselt
 numbers, calculate coolant convection coefficient HCOOL (W/m²K)

Aug 21, 2002: discovered ASSERT only uses turbulent Nu # for wall heat
 loss. consequently, below code was modified to ignore laminar Nu #

```

NULAM=7.86
DO I=IB,IE
  RE(I)=MDOT(I)*DHYD(I)/(VISC(I)*AREAX(I))
  PR(I)=CP(I)*VISC(I)/COND(I)
  NUTURB(I)=0.023*(RE(I)**0.8)*(PR(I)**0.4)
  NU(I)=MAX(NUTURB(I),NULAM)
  NU(I)=NUTURB(I)
  HCOOL(I)=NU(I)*COND(I)/DHYD(I)
ENDDO

```

calculate conduction coefficients of each wall
 segment, for each subchannel, based on current temperatures.
 so far, only Zirc + 2.5%Nb, and CO2 are allowed as wall materials

```

DO 301 I=IB,IE
  DO 301 J=JB,JE
    CALL GTKW(TW(J,I),KW(J,I),TCONST,WALMAT(J))
01 CONTINUE

```

calculate all wall heat resistances R (K/W)
 The constant 1.44 is needed only for ASSERT comparison reasons.
 ASSERT incorrectly uses the saturated vapout properties to calculate
 the mod heat loss.
 When the unsaturated vapour properties are (correctly) used
 instead of the saturated liquid properties (as ASSERT uses),
 then this constant isn't needed.

```

DO I=IB,IE
  R(JB-1,I)=1/(CON*HCOOL(I)*ANG(I)*ROT(JB-1)*LEN)
  R(JE+1,I)=1/(CON*HMOD*ANG(I)*ROT(JE+1)*LEN)
  DO J=JB,JE
    R(J,I)=LOG(ROT(J)/ROT(J-1))/(CON*ANG(I)*KW(J,I)*LEN)
  ENDDO
ENDDO

```

set total resistance initially to zero and then sum all R(J,I) (K/W)

```

DO I=IB,IE
  RTOT(I)=0.0
ENDDO
DO I=IB,IE
  DO J=JB-1,JE+1
    RTOT(I)=RTOT(I)+R(J,I)
  ENDDO
ENDDO

```

calculate heat loss (W) based on total wall heat resistance,
 mod temp, and coolant temp. Also update wall temps.

```

DO I=1,IE
  QLOSS(I)=0.0
ENDDO
DO I=IB,IE

```

```

      QLOSS(I)=(TEMPK(I)-TMOD)/RTOT(I)
      TW(JB-1,I)= TEMPK(I)-QLOSS(I)*R(JB-1,I)
      TW(JE+1,I)=      TMOD+QLOSS(I)*R(JE+1,I)
      DO J=JB,JE
        TW(J,I)= TW(J-1,I)-QLOSS(I)*R(J,I)
      ENDDO
ENDDO

```

```

C
RETURN
END

```

```

C-----
SUBROUTINE GTKW(TWZ,KWZ,TCONST,MATTYP)
IMPLICIT NONE
INTEGER MATTYP
REAL TWZ,KWZ,TCONST

```

```

C-----
IF (MATTYP.EQ.1) THEN

```

```

C-----
C Pressure tube wall heat resistance (Zirc + 2.5% Nb)
C-----

```

```

      IF ((TWZ-TCONST) .LE. 200.0) THEN
        KWZ = 20.2 + 0.008 * (TWZ - 150.0-TCONST)
      ELSE IF ((TWZ-TCONST) .LE. 250.0) THEN

```

```

C-----
C this (**...**) is ASSERT's correlation from subroutine 'COND.f'
C (I think it is wrong because it creates a discontinuity
C in the temperature-conduction curve)
C ** KWZ = 17.7 + 0.004 * (TWZ - 200.0-TCONST) **
C the following line is the correlation that makes more sense
C to me (it is continuous)
C-----

```

```

      KWZ = 20.6 + 0.004 * (TWZ - 200.0-TCONST)
      ELSE IF ((TWZ-TCONST) .LE. 300.0) THEN
        KWZ = 20.8 + 0.010 * (TWZ - 250.0-TCONST)
      ELSE
        KWZ = 21.3 + 0.008 * (TWZ - 300.0-TCONST)
      END IF

```

```

C-----
C Gap heat resistance (Carbon Dioxide)-Same as ASSERT correlation
C-----

```

```

      ELSE IF (MATTYP.EQ.2) THEN
        IF ((TWZ-TCONST) .LE. 537.7778) THEN
          KWZ = 1.4510D-2 + (TWZ-TCONST) * 0.76324D-4
        ELSE IF ((TWZ-TCONST) .LE. 815.5556) THEN
          KWZ = 2.0860D-2 + (TWZ-TCONST) * 0.63551D-4
        ELSE
          KWZ = 3.2039D-2 + (TWZ-TCONST) * 0.49844D-4
        END IF
      ELSE IF (MATTYP.EQ.3) THEN
        KWZ=0.0
      ELSE
        write(17,201)MATTYP
201 format('no such material for WALMAT= ',i4)
      END IF

```

```

C
RETURN
END

```

```

C-----
SUBROUTINE WTIG(TW,TCONST,NUMW1,NUMW2,NUMW3,
:              JD,JB,JE,ID,IB,IE)
IMPLICIT NONE
INTEGER NUMW1,NUMW2,NUMW3,J,I,JD,JB,JE,ID,IB,IE,M
REAL TW(JD,ID),TCONST,T1,T2,T3,T4,INC2

```

```

C-----
C wall temp initial guesses for BUNDLE=1 (all temperatures in Kelvins)
C these guesses are only rough approximations of the final wall temps,
C and are only used to improve the rate of convergence of the middle
C loop for the first bundle.
C-----

```

```

C T4 is the temp at the wall closest to the moderator
C-----

```

```

      T4=83.5+TCONST

```

```

C-----
C T3 and T2 are the temperatures of the outside and inside segments
C of the CO2 gap
C-----

```

```

      T3=105.5+TCONST
      T2=216.5+TCONST

```

```

C-----
C T1 is the temperature of the wall closest to the outer subchannels
C-----

```

T1=233.5+TCONST

Wallht.f

INC2 is the amount by which the temperature drops in each successive
segment of the CO2 gap

```
IF (NUMW2.EQ.1) THEN .  
  INC2=0.0  
ELSE  
  INC2=(T2-T3) / (NUMW2-1)  
END IF
```

now assigning the temperatures to TW(J,K) based on the number of
wall segments requested in input.dat

```
DO 40 I=IB,IE  
  DO 40 J=JB-1,JE+1  
    M=J-NUMW1-JB  
    IF (J.GE.JB-1) TW(J,I)=T1  
    IF (J.GE.JB+NUMW1) THEN  
      IF (NUMW2.EQ.1) THEN  
        TW(J,I)=(T2+T3)*0.5  
      ELSE  
        TW(J,I)=T2-M*INC2  
      END IF  
    END IF  
    IF (J.GE.JB+NUMW1+NUMW2) TW(J,I)=T4  
  CONTINUE  
  
RETURN  
END
```

SUBROUTINE MODHL(QMODBUN,QMODCH,QLOSS,IB,IE,ID)
IMPLICIT NONE
INTEGER IB,IE,ID,I
REAL QMODBUN,QMODCH,QLOSS(ID)

calculating heat loss for each bundle and
heat loss for all the bundles (in MW)

```
QMODBUN=0.0  
DO I=IB,IE  
  QMODBUN=QMODBUN+QLOSS(I)*1.0E-06  
ENDDO  
QMODCH=QMODCH+QMODBUN  
  
RETURN  
END
```

```

      SUBROUTINE PGS(H,ERR, APP,BP,DGN,OPCV,IWG,IEG,NUMV,NUMG,
      : IMAX,GAPV,GAPN,INNRLT,INNTOT,ID,KD)
      IMPLICIT NONE
      INTEGER ID,KD,ITER,I,J,IEG(KD),IWG(KD),NUMV,NUMG,IMAX,
      : GAPV(ID,ID),GAPN(ID),INNRLT,INNTOT,OPCV(ID,ID)
      REAL H(ID),APP(ID),BP(ID),DGN(ID,ID),RES,ERR,SUMDGH(ID)

```

 This subroutine solves the discrete equations for
 the control volume enthalpies.

Need to include both circumferential and radial diffusion

H(I) = enthalpy of fluid at cv I [kJ/kg]
 RES = average residual at end of the solution [kJ/s]
 RESI = initial residual before solver [kJ/s]
 IEND = maximum number of solver iterations
 ERR = maximum error at end
 WRK(I) = work array for solver
 APP(I) = discrete equation coefficient for cv I[kg/s]
 BP(I) = discrete equation source term for cv I [kW]
 DGN(I,J) = diffusion coefficient for CV I from CV J. [kg/s]
 SUMDGH(I)=total energy entering CV I from surrounding CVs.
 INNRLT=number of inner iterations

```

      DO I=1,NUMV
      SUMDGH(I)=0.0
      ENDDO

```

 start iterations

```

      RES=1.0
      INNRLT=0
      DO 20 ITER=1,IMAX
      INNRLT=INNRLT+1

```

 sweeping forwards along subchannels

SUMDGH(I) is the sum of all energy entering a CV from neighboring CVs

```

      DO I=1,NUMV
      DO J=1,GAPN(I)
      SUMDGH(I)=SUMDGH(I)+DGN(I,J)*H(OPCV(I,J))
      ENDDO
      H(I)=(SUMDGH(I)+BP(I))/APP(I)
      SUMDGH(I)=0.0
      ENDDO

```

 sweeping backwards along subchannels

```

      DO I=NUMV,1,-1
      DO J=1,GAPN(I)
      SUMDGH(I)=SUMDGH(I)+DGN(I,J)*H(OPCV(I,J))
      ENDDO
      H(I)=(SUMDGH(I)+BP(I))/APP(I)
      SUMDGH(I)=0.0
      ENDDO

```

 calculate the residual, and exit the loop if it is
 sufficiently small

```

      CALL RESID(RES, H,APP,BP,DGN,OPCV,
      : NUMV,IWG,IEG,GAPN,GAPV,ID,KD)
      IF (RES.LT.ERR) THEN
      GOTO 30
      ENDIF

```

 writing out flag for solver problems:

```

      IF (ITER.GE.IMAX) THEN
      WRITE(6,*) 'PGS CONVERGENCE PROBLEM'
      WRITE(6,*) 'RES=',RES
      WRITE(17,*) 'PGS CONVERGENCE PROBLEM'
      WRITE(17,*) 'RES=',RES
      ENDIF

```

```

0  CONTINUE
0  CONTINUE
  WRITE(17,*) 'INNRLT= ',INNRLT
  INNTOT=INNTOT+INNRLT

  RETURN
  END

```

```

SUBROUTINE RESID(RES, H,APP,BP,DGN,
:   OPCV,NUMV,IWG,IEG,GAPN,GAPV,ID,KD)
IMPLICIT NONE
INTEGER NUMV,ID,KD,I,J,GAPN(ID),GAPV(ID,ID),
:   IEG(KD),IWG(KD),OPCV(ID,ID)
REAL RES,WRK(ID),H(ID),APP(ID),BP(ID),DGN(ID,ID)
REAL SUMDGH(ID)
C-----
C   This subroutine calculates the average residual in kJ/s
C   from the PGS solver.
C-----
      DO I=1,NUMV
        SUMDGH(I)=0.0
      ENDDO
C
      DO I=1,NUMV
        DO J=1,GAPN(I)
          SUMDGH(I)=SUMDGH(I)+DGN(I,J)*H(OPCV(I,J))
        ENDDO
        WRK(I)=H(I)-(SUMDGH(I)+BP(I))/APP(I)
        SUMDGH(I)=0.0
      ENDDO
C-----
C   averaging the errors:
C-----
      RES=0.0
      DO 10 I=1,NUMV
        RES=RES+ABS(WRK(I))
10  CONTINUE
      RES=RES/NUMV
C
      RETURN
      END

```

```
SUBROUTINE HDIFF(DIFF, H,HWRK,NUMV,ID)
IMPLICIT NONE
INTEGER ID,I,NUMV
REAL DIFF,H(ID),HWRK(ID)
```

HCALCS.F

This subroutine calculates the average difference between
H calculated at current property loop iteration and the values
calculated at the previous iteration

DIFF = average difference in enthalpies [kJ/kg]
H(I) = enthalpy for control volume I [kJ/kg]
HWRK(I) = enthalpy for cv I from previous iteration [kJ/kg]
NUMV = number of control volumes
ID = array dimension

calculating the total difference in enthalpies:

DIFF=0.0
DO 10 I=1,NUMV
DIFF = DIFF + ABS(H(I)-HWRK(I))
CONTINUE

calculating the average difference:

DIFF=DIFF/NUMV

RETURN
END

SUBROUTINE AVG_H(HOCALC, H,MDOT,MTOT,NUMV,ID)
IMPLICIT NONE
INTEGER I,ID,NUMV
REAL H(ID),MDOT(ID),MTOT,HOCALC

This subroutine checks to see what the average enthalpy
is at the outlet.

HOCALC = average enthalpy at bundle exit [kJ/kg]
H(I) = enthalpy for cv I [kJ/kg]
MDOT(I) = mass flow in cv I [kg/s]
MTOT = total channel mass flow [kg/s]
NUMV = number of control volumes [-]
ID = array dimension

HOCALC=0.0
DO 10 I=1,NUMV
HOCALC=HOCALC+MDOT(I)*H(I)
CONTINUE

HOCALC=HOCALC/MTOT
RETURN
END

```

      FACTAR.F
SUBROUTINE FACTAR(HFCTR,HFCTRI, MDOT,QFUEL,HIN,BUNDLE,BUNI,ID)
IMPLICIT NONE
INTEGER I,ID,BUNDLE,BUNI
REAL HFCTR(ID),HFCTRI(ID),MDOT(ID),QFUEL(ID),HIN(ID),
:   MDOT1,MDOT2,Q1,Q2

```

```

This subroutine calculates the enthalpy at the bundle exit
using 'FACTAR PARTIAL MIXING' methodology.
HFCTR(I) = enthalpy at bundle outlet using FACTAR Partial Mixing
           (two control volumes only) [kJ/kg]
HFCTRI(I) = enthalpy of fluid entering bundle (for FACTAR
           control volumes) [kJ/kg]
MDOT(I)   = mass flow in control volume I [kg/s]
QFUEL(I)  = heat transfer from fuel for control volume I [kJ/s]
HIN(I)    = enthalpy of fluid entering bundle using new mixing
           model [kJ/kg]
MDOT1     = mass flow in inner portion of bundle [kg/s]
MDOT2     = mass flow in outer flow annulus [kg/s]
Q1        = fuel power in inner portion of bundle [kJ/s]
Q2        = fuel power in outer portion of bundle [kJ/s]

```

```

mass flows for inner CVs

```

```

MDOT1=0.0
Q1=0.0
DO 10 I=1,10
  MDOT1=MDOT1+MDOT(I)
  Q1=Q1+QFUEL(I)
CONTINUE

```

```

mass flows for outer CVs

```

```

MDOT2=0.0
Q2=0.0
DO 20 I=11,14
  MDOT2=MDOT2+MDOT(I)
  Q2=Q2+QFUEL(I)
CONTINUE

```

```

for first bundle

```

```

IF (BUNDLE.EQ.BUNI) THEN

```

```

inlet enthalpy for FACTAR cv 1: (inner)

```

```

HFCTRI(1)=0.0
DO 30 I=1,10
  HFCTRI(1)=HFCTRI(1)+MDOT(I)*HIN(I)
CONTINUE
HFCTRI(1)=HFCTRI(1)/MDOT1

```

```

inlet enthalpy for FACTAR cv 2: (outer)

```

```

HFCTRI(2)=0.0
DO 40 I=11,14
  HFCTRI(2)=HFCTRI(2)+MDOT(I)*HIN(I)
CONTINUE
HFCTRI(2)=HFCTRI(2)/MDOT2
ENDIF

```

```

calculate the outlet enthalpy for each FACTAR control volume:

```

```

HFCTR(1)=HFCTRI(1)+1000.0*Q1/MDOT1
HFCTR(2)=HFCTRI(2)+1000.0*Q2/MDOT2

```

```

reset the inlet enthalpy to outlet enthalpy from last bundle

```

```

HFCTRI(1)=HFCTR(1)
HFCTRI(2)=HFCTR(2)

```

```

RETURN
END

```

```

SUBROUTINE ANALYTICAL(HNMX,HMIX, HICALC,MDOT,QFUEL,NUMV,ID)
IMPLICIT NONE
INTEGER I,ID,NUMV
REAL HNMX(ID),HMIX(ID),HICALC,MDOT(ID),QFUEL(ID),DEL

```

This subroutine calculates the enthalpy at the bundle outlet using two different analytical approaches. These are:

1) Mixing at endplates: (HMIX(I))

2) No mixing at all (HNMIX(I))

C
C
C HNMIX(I) = calculated enthalpy if there were no mixing at all [kJ/kg]
C HMIK(I) = calculated enthalpy for complete mixing at endplates [kJ/kg]
C HICALC = average enthalpy at inlet [kJ/kg]
C MDOT(I) = mass flow through control volume I [kg/s]
C QFUEL(I) = fuel power to cv I [kJ/s]
C NUMV = number of control volumes
C ID = array dimension
C

C-----
C DO 10 I=1,NUMV
C DEL=QFUEL(I)/MDOT(I)
C HMIK(I)=HICALC + 1000.0*DEL
C HNMIX(I)=HMIK(I) + 1000.0*DEL
10 CONTINUE
C
C RETURN
C END


```

      SUBROUTINE OUTDAT(APP,BP,MDOT,QFUEL,WPG,      OUTDAT.F
:      DIFF,AREAG,DG,X,H,HMIX,HNMX,HOCALC,HFCTR,
:      BUNDLE,ITER,NUMG,NUMV,ID,KD)
      IMPLICIT NONE
      INTEGER I,K,NUMV,ID,NUMG,KD,BUNDLE,ITER
      REAL APP(ID),BP(ID),MDOT(ID),QFUEL(ID),WPG(KD)
      REAL AREAG(KD),DG(KD),X,H(ID),HOCALC,HMIX(ID)
      REAL HNMX(ID),HFCTR(ID),QLOSS(ID),DIFF

```

convergence data

```

      write(6,49) BUNDLE,ITER,DIFF
      write(11,49) BUNDLE,ITER,DIFF
      FORMAT('BUNDLE= ',I2,2X,'ITER= ',I4,2X,'DIFF= ',E10.4)

```

other data

```

      CALL OUT1D(APP, 'APP', 11,1,NUMV,1,ID)
      CALL OUT1D(BP, 'BP', 11,1,NUMV,1,ID)
      CALL OUT1D(MDOT, 'MDOT', 11,1,NUMV,1,ID)
      CALL OUT1D(QFUEL, 'QFUEL', 11,1,NUMV,1,ID)
      CALL OUT1D(WPG, 'WPG', 11,1,NUMV,1,KD)
      CALL OUT1D(DG, 'DG', 11,1,NUMV,1,KD)
      write(12,1001) x, (H(I), I=1, NUMV), HOCALC
      write(14,1001) x, (HMIX(I), I=1, NUMV), HOCALC
      write(15,1001) x, (HNMX(I), I=1, NUMV), HOCALC
      write(16,1002) x, (HFCTR(I), I=1, 2)

```

001 FORMAT(F6.1,1X,15(F8.1))

002 FORMAT(F6.1,1X,2(F12.3))

```

      RETURN
      END

```

Appendix C
E-mail Correspondence Concerning
ASSERT Limitations Under Low Flow