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MODCONV : SIMULATION OF MODERATOR

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MODCONV : A COMPUTER CODE TO PREDICT THE  
LOCAL VELOCITIES AND TEMPERATURES  
INSIDE A MODERATOR

By

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## ABSTRACT

MODCONV is a FORTRAN Computer code using the primitive form of the conservation equations for natural convection in porous medium to calculate the velocity and temperature distribution in the moderator of a typical CANDU reactor under normal and shut down operations, as well as postulated LOCA for which the rupture in the system is external to the core. Appropriate velocities are imposed at the boundary walls so that the free convection equations set can be used to model a mixed convection problem. Purely explicit, donor cell finite differencing scheme is used. A heat exchanger model using NTU method is also included to give a realistic inflow temperature for the moderator. The heat load distribution is calculated according to a channel power map, but can be redefined through input.

### ACKNOWLEDGEMENTS

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### Nomenclatures:

- $A_v$  - specific surface area ( $m^2$ )  
 $C$  - specific heat capacity ( $kJ/kg^{\circ}C$ )  
 $D_p$  - characteristic length of the particles (m)  
 $g$  - gravitational acceleration ( $m/sec^2$ )  
 $K$  - permeability of the porous medium ( $m^2$ )  
 $P$  - pressure ( $N/m^2$ )  
 $P_l$  - pressure fluctuation ( $N/m^2$ )  
 $r$  - radius of the cylinders (m)  
 $T$  - temperature ( $^{\circ}C$ )  
 $T_e$  - reference temperature ( $^{\circ}C$ )  
 $v$  - filtration velocity (m/sec)  
 $\beta$  - volumetric expansion coefficient ( $/^{\circ}C$ )  
 $\lambda$  - thermal conductivity ( $kJ/m \text{ sec}^{\circ}C$ )  
 $\nu$  - kinematic viscosity ( $m^2/sec$ )  
 $\rho$  - density ( $kg/m^3$ )  
 $\phi$  - porosity  
 $\nabla$  -  $i \partial/\partial x + j \partial/\partial y$  ( $m^{-1}$ )

## I INTRODUCTION

The goal of developing MODCONV is to investigate the flow patterns and temperature distribution inside the moderator. The code can handle the case of normal and shut down operations, as well as those postulated LOCA for which the system rupture is external to the core.

Numerical scheme used is similar to the one described by A. Chan (1) for a pure fluid in a rectangular enclosure without flow boundaries. A porous region surrounded by a pure fluid with flow boundaries is used to simulate the moderator. The basic equations set used is the primitive form of the conservation equations for natural convection in porous medium. A heat exchanger model using NTU method is included to calculate transient effects. Local heat generation is distributed according to a channel power distribution map, but can be rewritten either through tape or input cards. The heat generation and temperature in different locations can also be monitored during power transient calculations.



## II MATHEMATICAL FORMULATIONS

For natural convection flows with small density changes the conservation equations may be simplified by the Boussinesq approximation. The fluid density is considered constant except in the buoyancy force term which drives the natural convection. For a fluid with a linear density variation caused by temperature changes alone, and for a homogeneous and isotropic porous medium, the conservation equation of the mass, momentum and energy may then be written as in Combarous (2):

$$\nabla \left( \frac{V}{\phi} \right) = 0 \quad 2-1$$

$$\frac{\partial V}{\partial t} = -(\mathbf{v} \cdot \nabla) \frac{V}{\phi} - \frac{\phi}{\rho} \nabla P' - \beta \phi g (T - T_e) - \left( \phi \frac{\nu}{K} V + B V |V| \right) + \nu \phi \nabla^2 \left( \frac{V}{\phi} \right) \quad 2-2$$

$$\phi \rho C \frac{\partial T}{\partial t} = \nabla \cdot (\lambda \nabla T) - \nabla \cdot (\rho C V T) + Q''' \quad 2-3$$

For the sake of completeness, both the Darcy and viscous frictional drag terms are included in the momentum equations. In the pure fluid region, the Darcy drag term is zero and only the viscous drag term is effective. Similarly, the viscous drag term is relatively small as compare to the Darcy drag term in the porous region.

The initial conditions for temperature and velocity must be specified. For the finite difference formulation described later this amounts to specifying the initial velocity and temperature at each mesh point or cell.

In our particular problem, we have considered rigid, no slip walls, except at the inlet and outlet locations which we imposed the desired velocities and temperatures.

Concerning the permeability which is also required, it is calculated by the Blake - Kozency relationship from Bird (3):

$$K = \frac{D_p^2 \phi^3}{150 (1 - \phi)^2} \quad 2-4$$

where  $D_p$  is the Characteristic length of the constituting particles.

In general

$$D_p = \frac{6}{a_v} \quad 2-5$$



and the specific surface,  $a_v$ , for the cylindrical particles is  $2/\text{radius}$ . Then the permeability for a porous bed which consists of cylindrical particles is

$$0.06 r^2 \frac{\phi^3}{(1-\phi)^2} \quad 2-6$$

The second term of the Darcy's frictional drag is obtained from Burke-Plummer equation for turbulent flow, where B is

$$\frac{1.75 \cdot (1-\phi)}{D_p \phi^3} \quad 2-7$$

Note that for high rate of flow the Burke-Plummer equation becomes important while for low rate of flow the Blake-Kozeny equation becomes important.

### III MODEL OF THE MODERATOR SYSTEM

A typical CANDU moderator system is shown in Figure 1. Our model involves the calandria and the heat exchangers system. The cross section of the calandria is idealized as in Figure 2. The heat exchangers are treated as a separate system. Detailed formulation and computation procedures for the heat exchangers model can be found in Appendix B.

To simplify the problem we neglect axial effects in the calandria. For this reason, we can model the velocity and temperature field with two dimensional transient convective flow for porous medium in an enclosure. The center part of the calandria, where the fuel channels are located, is simulated by a cylindrical - shaped porous bed, while the rest of the calandria is treated as pure fluid. Conductivity, viscosity and heat capacity of the heavy water for the conservation equations are taken at each cell temperature, while the density in the momentum equation is taken at a fixed reference temperature. Inlet and outlet flows are imposed through the boundary conditions at each time step.

The total moderator heat load under normal operation includes neutronic heating of the moderator as well as "conventional" heat transfer from fuel channel. Heat load is distributed in a similar fashion as the channel power. For a reactor shut down or accident case, the total and local heat load can be changed with respect to time.

#### IV NUMERICAL TECHNIQUE

The conservation equations 2-1 to 2-3 are written in finite difference form for cells of the type shown in Fig 3. Subscripts  $i, j$  denote quantities at the cell center. Subscripts  $i+1/2, j+1/2$ , denote quantities on the right hand, and upper cell faces respectively. The finite difference form of the equations used for our calculations use donor cell or fully upsteam formulation for the advective terms. The essential feature of the donor-cell differencing scheme is that the transport of the momentum and energy components is advected only in the direction of the velocity.

Mass conservation equation:

$$D = \left[ U_{i+1/2,j}^{n+1} / (\phi_{i+1,j} + \phi_{i,j}) - U_{i-1/2,j}^{n+1} / (\phi_{i,j} + \phi_{i-1,j}) \right] / \Delta x_{ij} \\ + \left[ V_{i,j+1/2}^{n+1} / (\phi_{i,j+1} + \phi_{i,j}) - V_{i,j-1/2}^{n+1} / (\phi_{i,j} + \phi_{i,j-1}) \right] / \Delta y_{ij} = 0$$

4-1

Momentum equations:

$$U_{i+1/2,j}^{n+1} = U_{i+1/2,j}^n + \Delta t \cdot \left[ (P_{i,j}^n - P_{i+1,j}^n) / \Delta x_{ij} + P_{X1} \cdot (VISX - \right.$$



$$COEX \cdot U_{i+1/2j}^n - COX \cdot |U_{i+1/2j}^n| U_{i+1/2j}^n - FUX - FUY ] \quad 4-2$$

$$V_{ij+1/2}^{n+1} = V_{ij+1/2}^n + \Delta t \left[ (P_{ij}^n - P_{ij+1}^n) / \Delta Y_{ij} + PYI \cdot (1/2 \beta g ($$

$$T_{ij+1} + T_{ij} - 2 T_o) + VISY - COEY \cdot V_{ij+1/2} - COY \cdot |V_{ij+1/2}| V_{ij+1/2} - FVX - FVY ]$$

4-3

where ,

$$FUX = ( (U_{i+1/2j} / PX2 - U_{i+1/2j} / PX1) \cdot (U_{i+1/2j} - |U_{i+1/2j}|) +$$

$$(U_{i+1/2j} / PX1 - U_{i-1/2j} / PX0) \cdot (U_{i+1/2j} + |U_{i+1/2j}|) ) / 2 \cdot \Delta X$$

$$FUY = ( (2 \cdot U_{i+1/2j+1} / (\phi_{i+1j-1} + \phi_{ij-1}) - U_{i+1/2j} / PX1) \cdot (VX - |VX|) +$$

$$(U_{i+1/2j} / PX1 - 2 \cdot U_{i+1/2j-1} / (\phi_{i+1j-1} + \phi_{ij-1})) \cdot (VX + |VX|) ) / 2 \cdot \Delta Y$$

$$FVX = ( (2 \cdot V_{i+1j+1/2} / (\phi_{i+1j+1} + \phi_{i+1j}) - V_{ij+1/2} / PYI) \cdot (UY - |UY|) +$$

$$(V_{ij+1/2} / PYI - 2 \cdot V_{i-1j+1/2} / (\phi_{i-1j} + \phi_{i-1j+1})) \cdot (UY + |UY|) ) / 2 \cdot \Delta X$$



$$VX = (V_{i,j+1/2} + V_{i,j-1/2} + V_{i+1,j+1/2} + V_{i+1,j-1/2}) / 4.$$

$$UY = (U_{i-1/2,j} + U_{i-1/2,j+1} + U_{i+1/2,j} + U_{i+1/2,j+1}) / 4.$$

$$VISX = CX \cdot ((U_{i+1/2,j} / PX2 - 2 \cdot U_{i+1/2,j} / PX1 + U_{i-1/2,j} / PX0) / \Delta X^2 +$$

$$2 \cdot (U_{i+1/2,j+1} / (\phi_{i+1,j+1} + \phi_{i,j+1}) - U_{i+1/2,j} / PX1 + U_{i+1/2,j-1} / (\phi_{i+1,j-1}$$

$$+ \phi_{i,j-1})) / \Delta Y^2)$$

$$VISY = CY \cdot (2 \cdot (V_{i+1,j+1/2} / (\phi_{i+1,j+1} + \phi_{i+1,j}) - V_{i,j+1/2} / PY1 + V_{i-1,j+1/2} /$$

$$(\phi_{i-1,j+1} + \phi_{i-1,j})) / \Delta X^2 + (V_{i,j+1/2} / PY2 - 2 \cdot V_{i,j+1/2} / PY1 +$$

$$V_{i,j-1/2} / PY0) / \Delta Y^2)$$

$$PX0 = (\phi_{i-1,j} + \phi_{i,j}) / 2.$$

$$PX1 = (\phi_{i,j} + \phi_{i+1,j}) / 2.$$

$$PX2 = (\phi_{i+1j} + \phi_{i+2j}) / 2.$$

$$CX = (\mu_{i+1j} + \mu_{ij}) / 2 / \rho$$

$$COEX = 16.67 \cdot CX \cdot (1 - PX1)^2 / PX1^3 / \text{RAD}^2$$

$$COX = 0.583 \cdot (1 - PX1) / PX1^3 / \text{RAD}$$

Energy equation:

$$T_{ij}^{n+1} = T_{ij}^n + \Delta t / \phi_{ij} / (\rho C)_{ij}^n \cdot (TSX + TSY - TUX - TVY + Q''') \quad 4.4$$

where

$$TUX = ((U_{i+1/2j} + U_{i-1/2j} - |U_{i+1/2j} + U_{i-1/2j}|) \cdot (T_{i+1j} \cdot (\rho C)_{i+1j} -$$

$$T_{ij} \cdot (\rho C)_{ij}) + (U_{i+1/2j} + U_{i-1/2j} + |U_{i+1/2j} + U_{i-1/2j}|) \cdot (T_{ij} \cdot (\rho C)_{ij} -$$

$$T_{i-1j} \cdot (\rho C)_{i-1j}) / 4 / \Delta X.$$

$$TVY = ((V_{ij+1/2} + V_{ij-1/2} - V_{ij+1/2} + V_{ij-1/2} |) \cdot (T_{ij+1} \cdot (\rho C)_{ij+1} -$$

$$T_{ij} \cdot (\rho C)_{ij}) + (V_{ij+1/2} + V_{ij-1/2} + V_{ij+1/2} + V_{ij-1/2} |) \cdot (T_{ij} \cdot (\rho C)_{ij} -$$

$$T_{ij-1} \cdot (\rho C)_{ij-1}) / 4 \cdot \Delta Y.$$

$$TSX = ((\lambda_{i+1j} + \lambda_{ij}) \cdot (T_{i+1j} - T_{ij}) - (\lambda_{ij} + \lambda_{i-1j}) \cdot$$

$$(T_{ij} - T_{i-1j})) / 2 \cdot \Delta X^2.$$

$$TSY = ((\lambda_{ij+1} + \lambda_{ij}) \cdot (T_{ij+1} - T_{ij}) - (\lambda_{ij} + \lambda_{ij-1}) \cdot$$

$$(T_{ij} - T_{ij-1})) / 2 \cdot \Delta Y^2.$$

To impose the necessary boundary conditions, the fluid is considered to be surrounded by a single layer of fictitious cells in which the variables are specified.

i) typical rigid, no slip wall cell

$$U_{1/2,j} = 0.$$

$$V_{1,j+1/2} = -V_{2,j+1/2}$$

ii) At the inlet flow cells

$$U_{1/2,j} = U_I$$

$$V_{1,j+1/2} = V_{2,j+1/2} = V_I$$

$$V_{1,j-1/2} = V_{2,j-1/2} = V_I$$

where  $U_I$  and  $V_I$  are the  $x^{\text{th}}$  and  $y^{\text{th}}$  component of the inflow velocity.

iii) At the outlet flow cell

$$V_{1,1/2} = -V_o$$

where  $V_o$  is the outflow velocity.

- iv) All wall cells are adiabatic except at the two inlets

$$T_{1j} = T_{2j}$$

The temperatures of the corner boundary cells are set to the average of the temperatures of the three adjacent cells.

- v) Isothermal, constant temperature wall cells at the two inlets

$$T_{1j} = 2 \cdot T_{\text{boundary}} - T_{2j}$$



V NUMERICAL STABILITY AND COMPUTATION TIME

The finite difference equations are in the donor cell form. Numerical stability is obtained provided the fluid is not permitted to cross more than one cell in one time step. Thus, the time increment must satisfy the usual Courant number criterion for purely explicit schemes:

$$C_x = \frac{U \Delta t}{\phi \Delta X} < 1.0$$

$$C_y = \frac{V \Delta t}{\phi \Delta X} < 1.0$$

In our problem, the maximum velocity is found to be the inlet flow velocity. Therefore, the optimized time increment is calculated with the above equations at the inlet cell. For a flow of  $0.89 \text{ m}^3/\text{sec}$  at  $76^\circ$ , the maximum time increment is about 0.12 seconds.

The problem computation time required per time increment (cycle) depends, in general, on i) the number of cells, ii) the cell size, iii) the time step size, and iv) the convergence criterion set for the velocity field iteration to satisfy the continuity equation. The cell size

and time step size are interrelated by the stability conditions.

In our problem, we found that it took about 0.055 seconds for each iteration in a 33 x 32 meshes (0.27384 x 0.28575 m<sup>2</sup> each) calculation, thus, it took 0.572 + 0.055 x no. of iterations seconds for each time step calculations, in which 0.002 seconds was consumed in the heat exchangers model. We have chosen the convergence criterion to be  $4 \times 10^{-4}$ .

VI CALCULATION PROCEDURES

- i) Compute estimates for the new velocity field from the momentum equations using previous time step values for all quantities on the right hand side of the equation 4-2, 4-3, this is done for all cells.
  
- ii) Adjust the new velocity field iteratively to satisfy the mass conservation equation by changing the cell pressures. If the divergence of a cell is negative, this corresponds to a net flow of mass into the cell, the cell pressure is then increased to eliminate the net inflow. Likewise, the cell pressure can be decreased to eliminate net outflow if  $D$  is positive. If the pressure of one cell is adjusted, then the adjacent cells are also affected. Therefore, the pressure adjustment must be done iteratively. The pressure change required to make  $D$  equal to zero is:

$$\Delta P'' = - \frac{D}{2 \cdot \Delta t (A + B)}$$

where

$$A = \frac{l}{\Delta X^2} \left( \frac{l}{\phi_{i+1,j} + \phi_{i,j}} + \frac{l}{\phi_{i,j} + \phi_{i-1,j}} \right)$$

$$B = \frac{l}{\Delta Y^2} \left( \frac{l}{\phi_{i,j+1} + \phi_{i,j}} + \frac{l}{\phi_{i,j} + \phi_{i,j-1}} \right)$$

The new pressure and velocity field components after each iteration are given by

$$P''_{i,j} = P'_{i,j} + \Delta P''$$

$$U_{i \pm 1/2, j} = U'_{i \pm 1/2, j} \pm \Delta t \cdot \Delta P'' / \Delta X$$



$$V_{ij\pm 1/2} = V_{ij\pm 1/2} \pm \Delta t \Delta P / \Delta Y$$

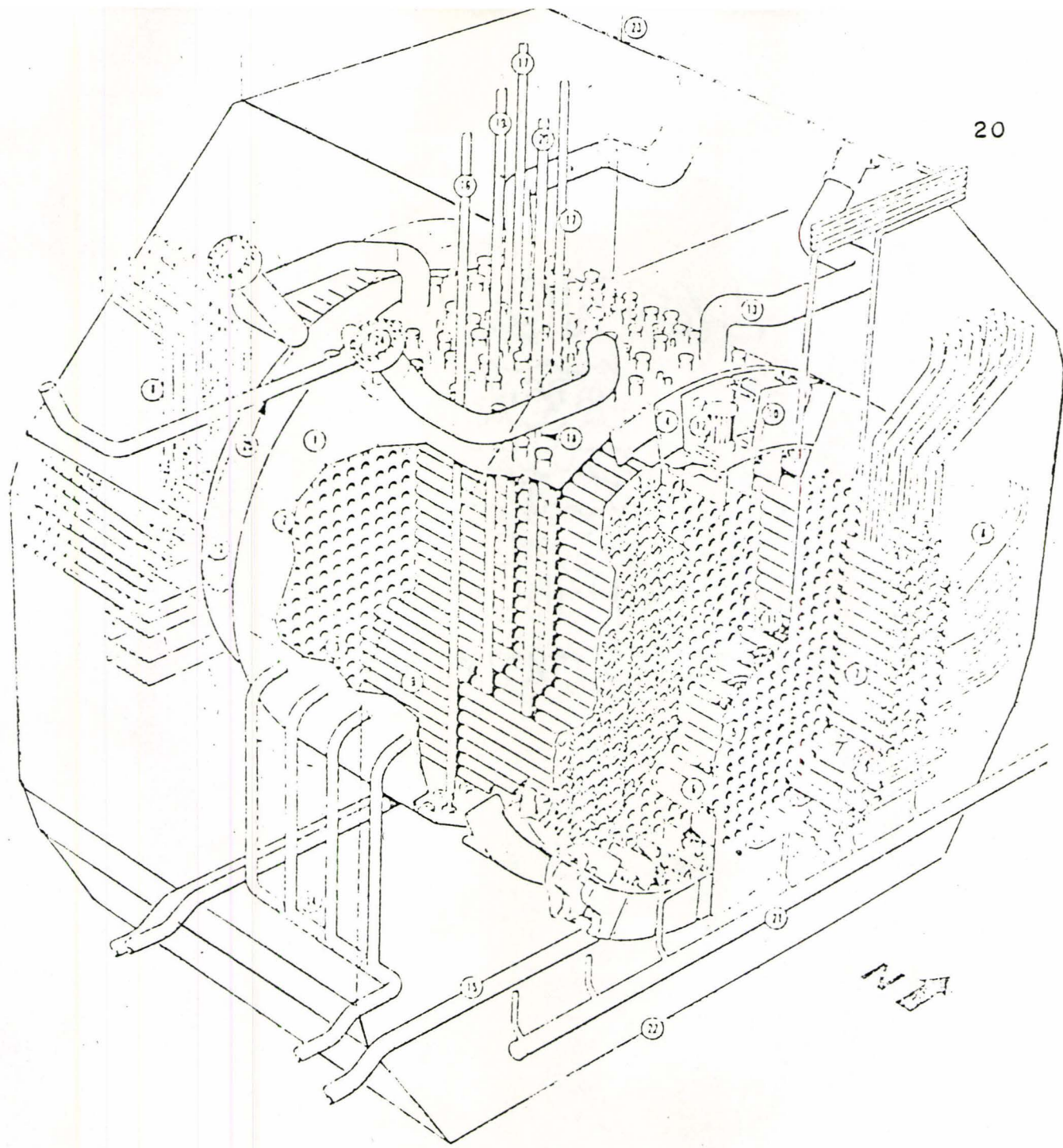
$\Delta p''$  is obtained when the above u and v are substituted into the continuity equation.

- iii) When the new velocity field has been calculated, the necessary velocity boundary conditions are imposed at the appropriate wall cells.
- iv) If it is a transient calculation, the local heat disposition routine is called, which provides or changes the necessary heat sources in the area for future calculations. This step is by-passed if it is a steady state calculation.
- v) The new temperature field is calculated using the energy equation 4-4.
- vi) Heat exchangers model is called to give the inlet temperatures for the moderator. The



necessary temperature boundary conditions are then imposed after this calculation.

- vii) The velocity, temperature and pressure fields are then used as the starting values for the next time step cycles.



- 1 CALANDRIA
- 2 CALANDRIA SHELL
- 3 CALANDRIA SIDE TUBE SHEET
- 4 BAFFLE PLATE
- 5 FUELLING MACHINE SIDE TUBE SHEET
- 6 LATTICE TUBE
- 7 END FITTINGS
- 8 FEEDERS
- 9 CALANDRIA APERTURE
- 10 SHIELD TANK TO CALANDRIA
- 11 STEEL BALL SHIELDING END SHIELD
- 12 MANHOLE
- 13 MODERATOR DISCHARGE PIPES

- 14 MODERATOR INLETS
- 15 MODERATOR OUTLETS
- 16 SHUT OFF UNIT
- 17 ADJUSTER UNIT
- 18 VERTICAL FLUX DIRECTION
- 19 CONTROL ARMATURE
- 20 LIQUID ZONE CALANDRIA TANK
- 21 FUELING MACHINE DISCHARGE
- 22 SHIELD TANK
- 23 SHIELD TANK EXTENSION
- 24 DISCHARGE DISC ASSEMBLY
- 25 MODERATOR OVERFLOW

25 11115  
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**FIGURE 1 : TYPICAL MODERATOR SYSTEM**



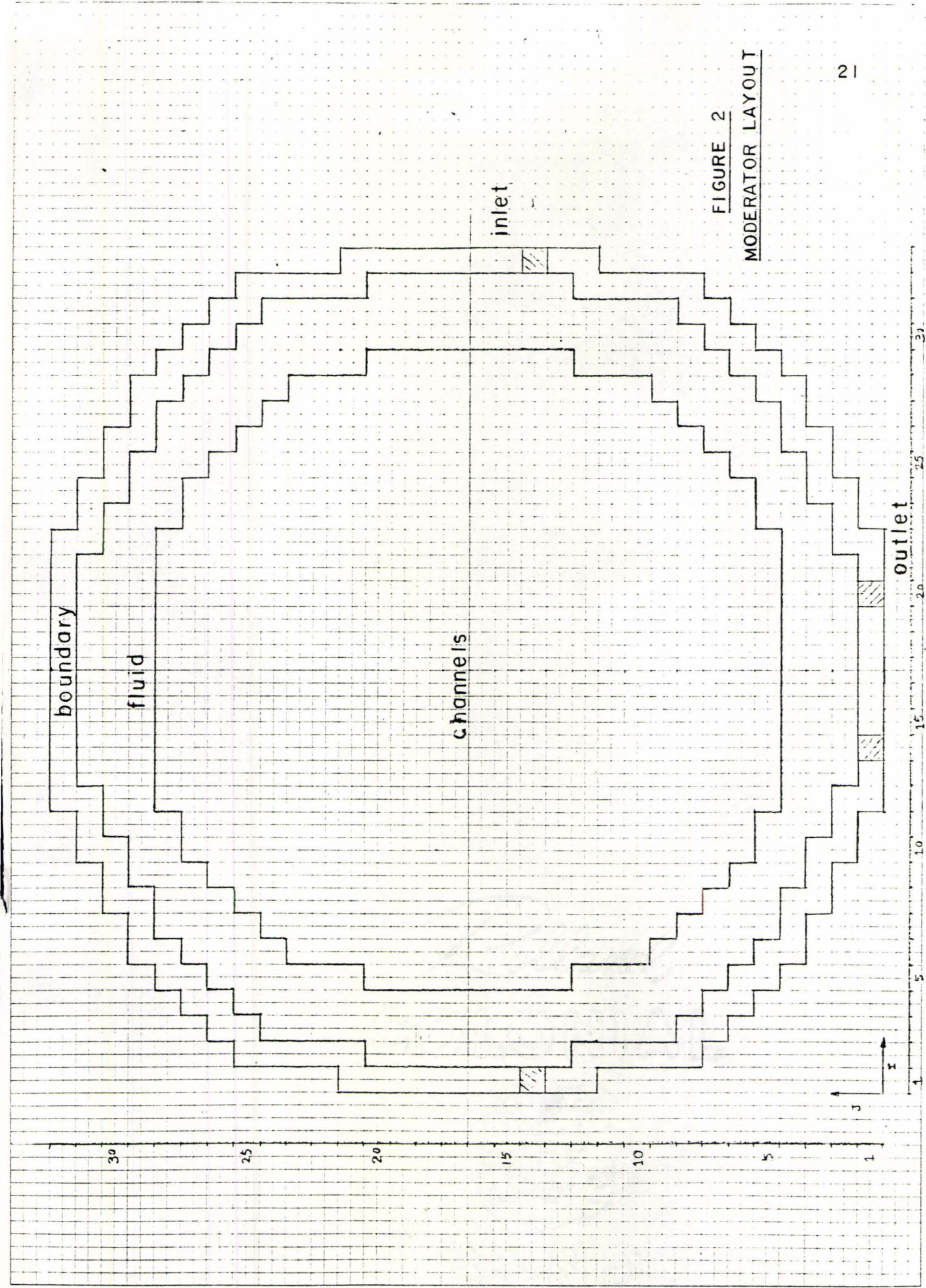


FIGURE 2  
 MODERATOR LAYOUT

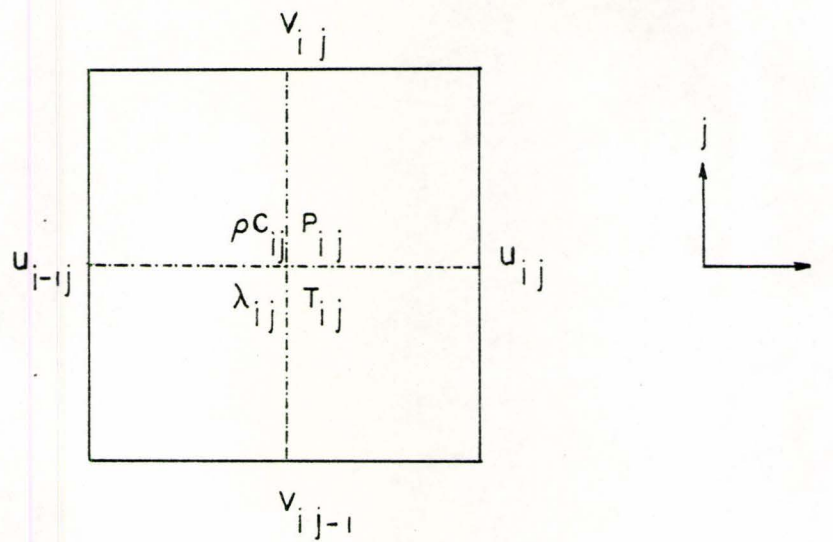


FIGURE : 3

CELL STRUCTURE

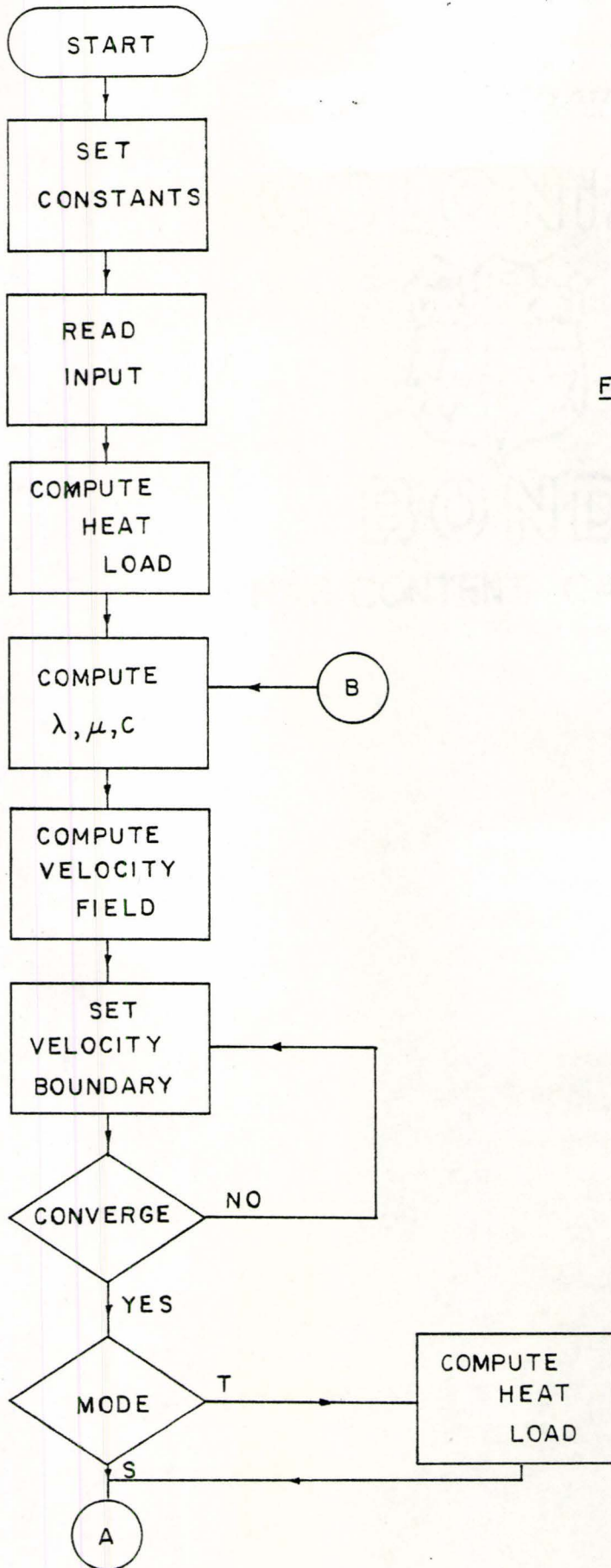
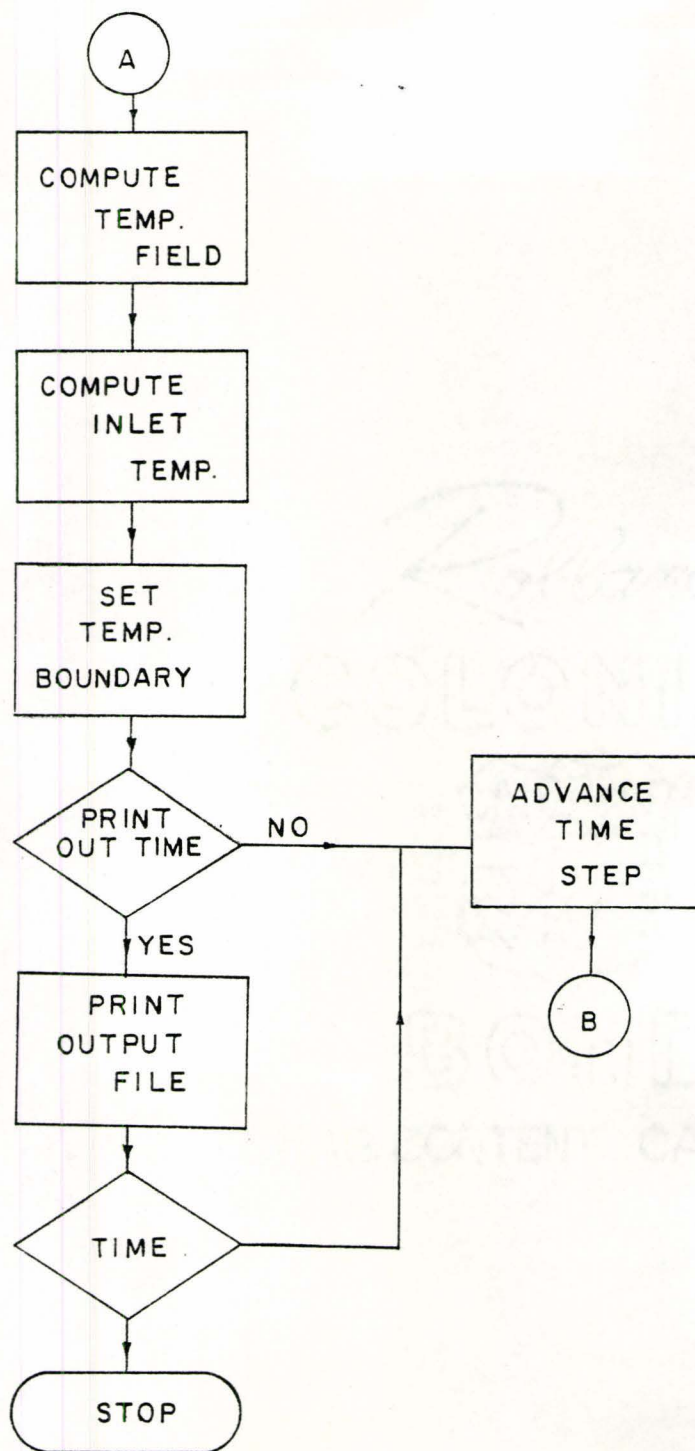


FIGURE 4  
FLOW CHART



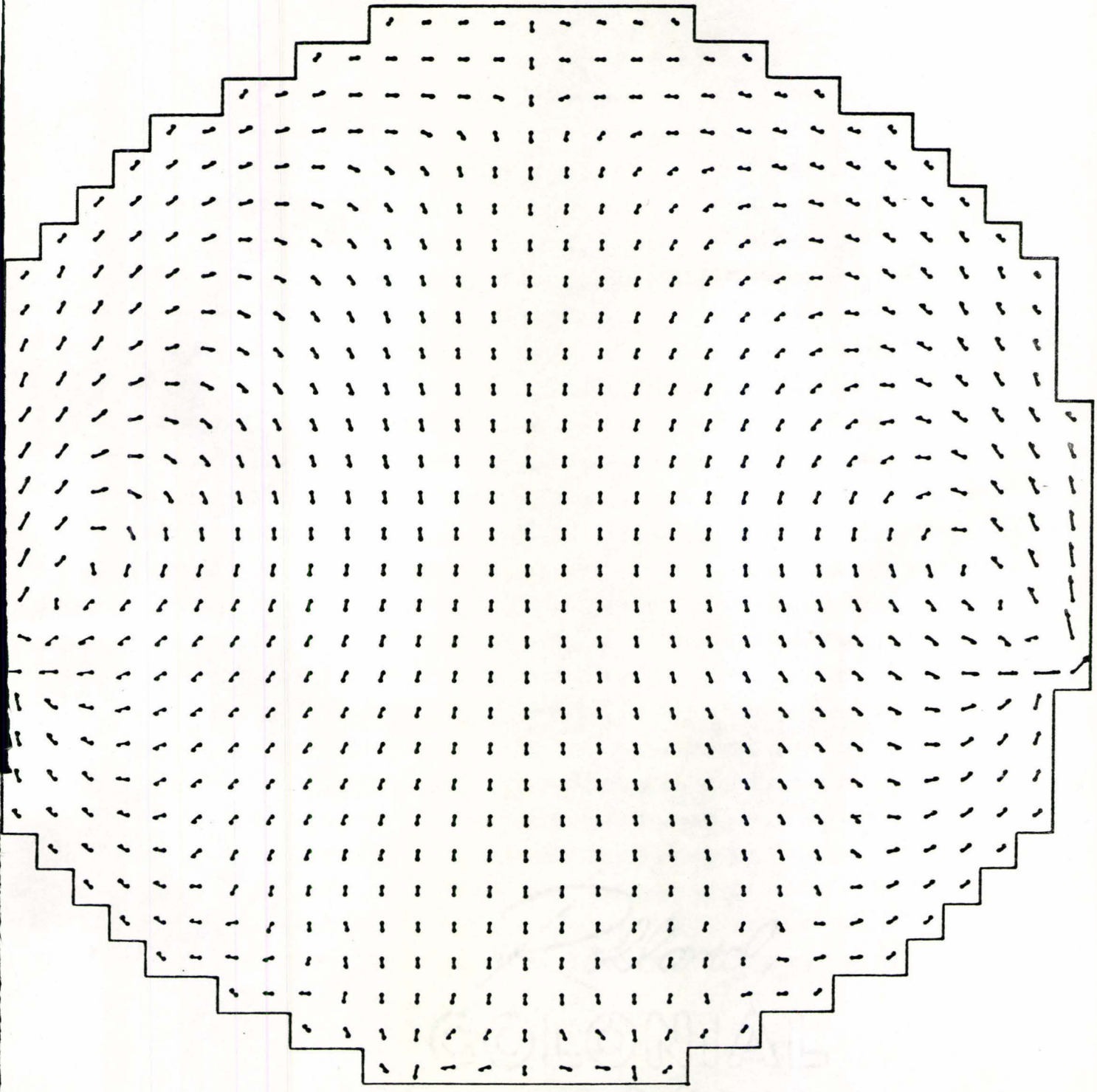




VII EXAMPLE

The moderator system in Darlington is used as an example. The calculations are performed without the heat exchangers model, since some of the information for the heat exchangers are not available. The nominal inlet volume flow rate is  $0.89 \text{ m}^3/\text{sec}$  at  $41^\circ\text{C}$ . All other parameters are indicated in the assign and initial statements at the beginning of the code. Results are shown from the following figures.

TIME = 161.4 SEC

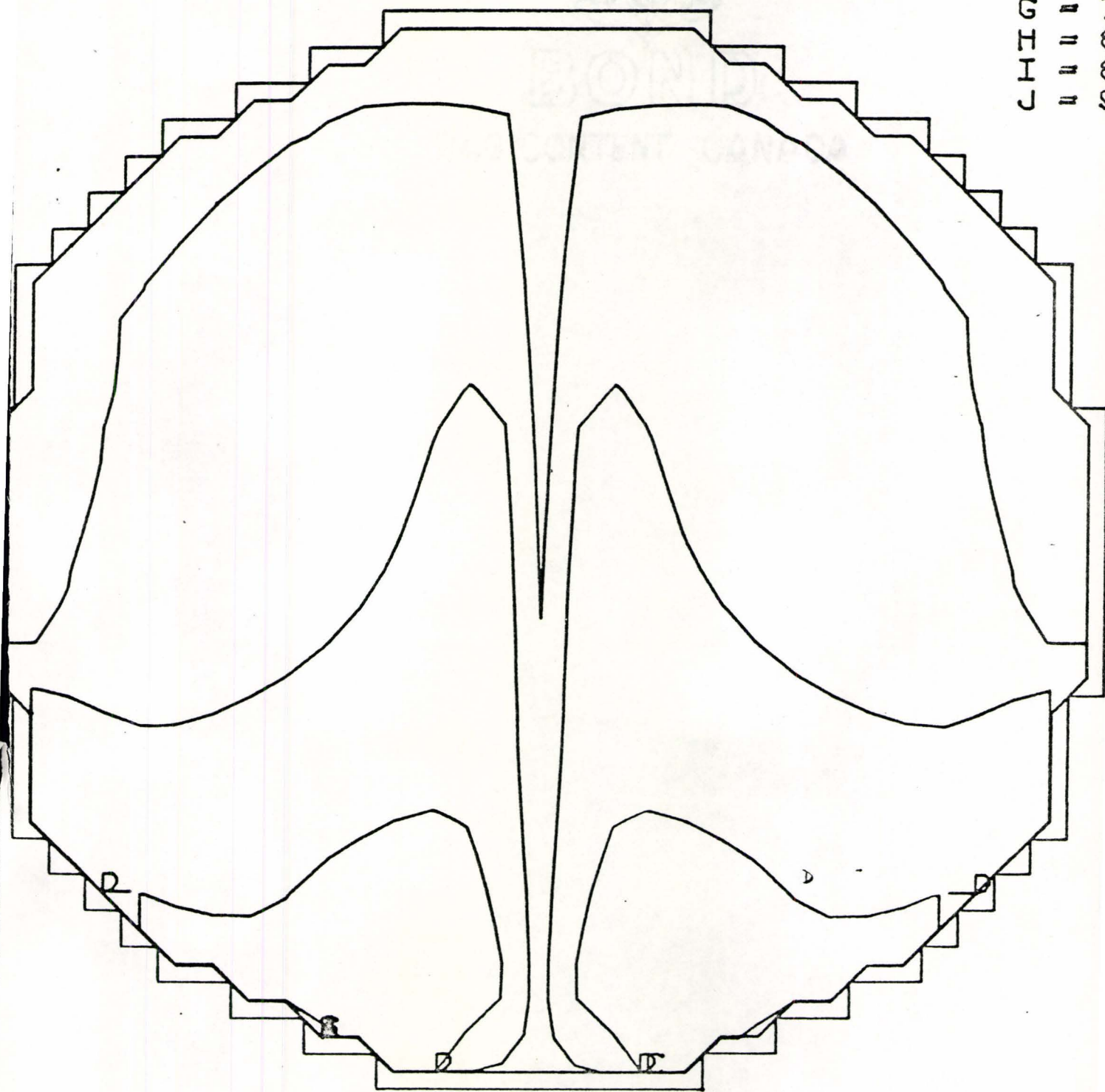


SCALE

TEMP. CONTOURS

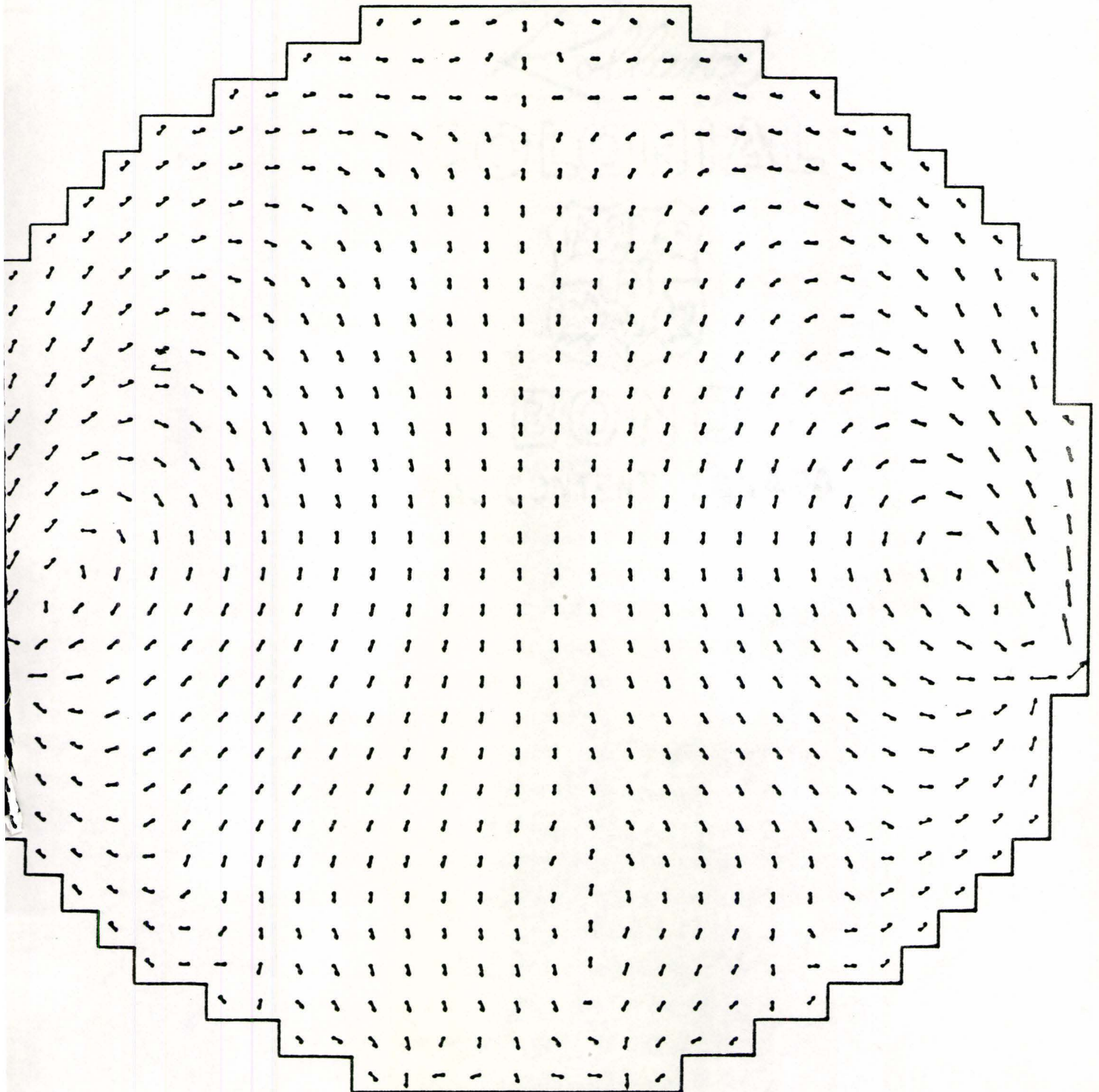
27

A = 4  
B = 5  
C = 5  
D = 6  
E = 7  
F = 7  
G = 8  
H = 8  
I = 9





IME = 543.5 SEC

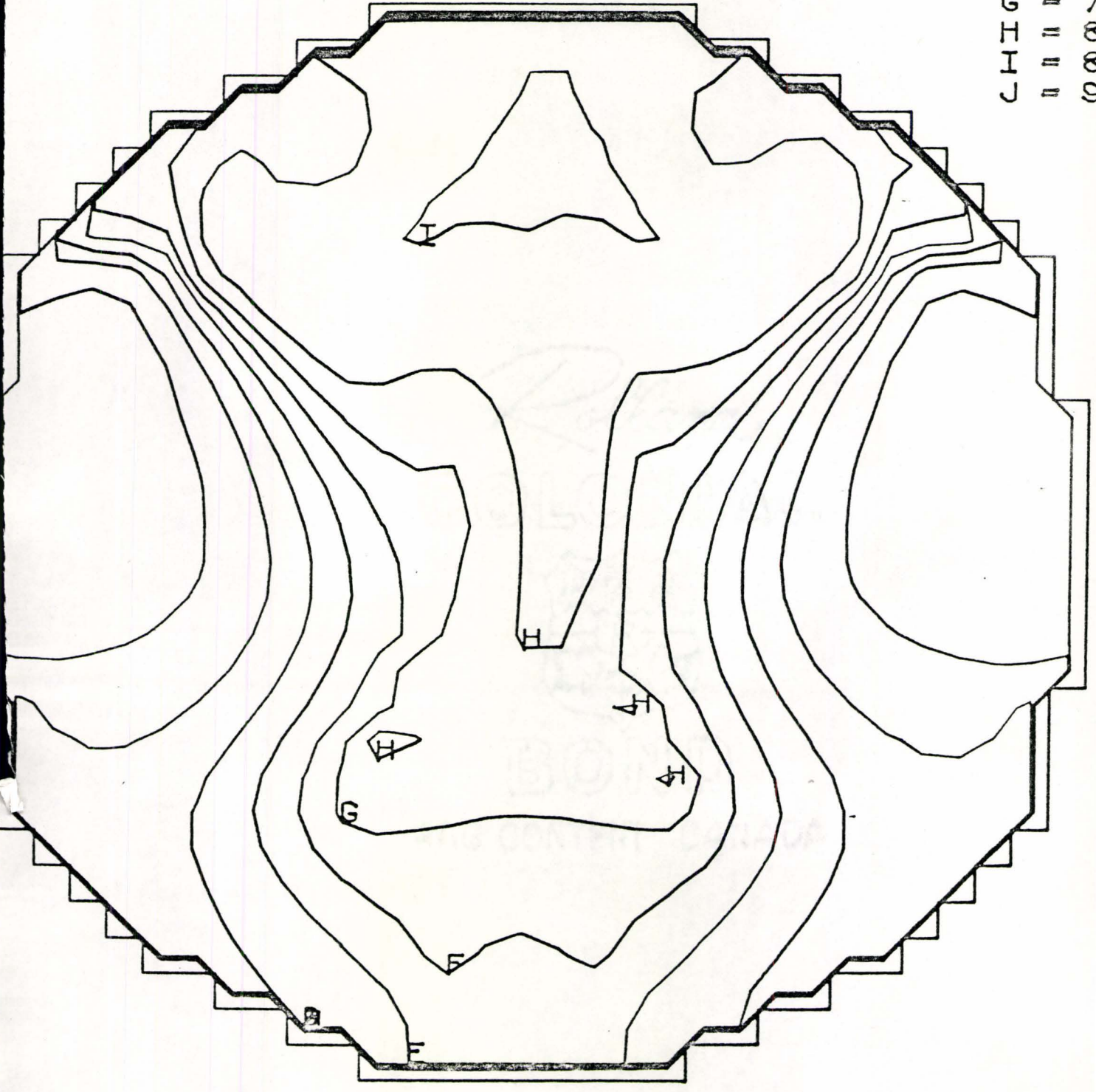


SCALE =

# TEMP. CONTOURS

29

A		4
B		5
C		5
D		6
E		6
F		7
G		7
H		8
I		8





### VIII CONCLUSIONS

A basic computer code to investigate the local velocities and temperatures inside the moderator has been developed.

At the present time, the code describes a 2-dimensional system, but it can be modified to 3-dimensional model with only an addition of zth component to each of the finite difference equations. 3-dimensional model can describe the effect of the non-uniformity of the axial heat flux and unevenly spaced injection of flow in the zth direction. Consequently, the velocity and temperature field will be different in each plane.

Coefficients of the Ergun equation might need to be adjusted to give a better approximation solution, because the equation applies to homogeneous porous bed with many particles. This can be achieved by either reduce the drag force term or replace it by an expression for single cylinder. Eddy viscosity is suggested to use in the viscous term for the pure fluid term.

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## Appendix A

### Documentation of MODCONV

#### A-1 General

The computer program MODCONV makes use of the idea of free convection in a porous medium to calculate the local velocity and temperature distributions inside the moderator. Fortran and some basic plotting routine found in CALCOMP plot library are used in the code.

The code can be roughly divided into steady state and transient calculations. The former calculation provides of the distribution of the local temperatures and velocities under normal operation of the moderator, as well as a starting point for the reactor shut down case run. A restart option is provided any time between runs. This is achieved by writing the result on a tape at the end of each run. The normal operation run is standard, since most of the information required are under these conditions. Therefore, they are initialized at the beginning of the program instead of having a long input card deck.



There are several options for the transient calculations which corresponds to a shut down case run. The inlet nozzle flow rate, both in magnitude and angle can be changed at the beginning of each continuous run. This simulates a loss of class IV power in the pumps or abnormal flow condition of  $D_2O$  in the system. Since the inlet temperature is coupled by the heat exchangers, change of flow rate will result in change of inlet velocity and temperature. The local heat load is allowed to change with respect to time either in a continuous or stepwise manner. A continuous decrease of heat load with a continuous increase (with bounds, or fix valve) of heat load in some particular zones simulates a pressure tube break outside core shut down case.

#### A-2 Main MODCONV

##### Purpose:

To find the velocity and temperature distribution of the moderator.

##### Theory:

Set up constants, routines for the subprograms and format the printout.

## Procedures:

See the calculations procedures and flow charts.

## Common Blocks:

/BLOCK1/ UN, VN, TP, P  
/BLOCK2/ U, V  
/BLOCK3/ INDEX1, INDEX2, INDEX3, DELT, DEXX, DETT, DEZZ  
/BLOCK4/ PO, VOR, CNF, RAD, TAV, TOI, BETA  
/BLOCK5/ TPN, QNG  
/BLOCK6/ UM, ANGLE, UREF  
/BLOCK8/ HTEMP, HVISC, HCOND, NDH  
/BLOCK9/ TEMPI, VROR, CNDF, DECA, DDEN, ND  
/BLOCKA/ TD2ØM, TH2Ø, PSFLOW, Z2, Z3, Z5, Z6,  
Z7, AX, DI, DO, AHI, PSF02, AHO, RC, RW  
/BLOCKB/ ACTM, ARRY, IY, IZ, JY, JZ, TSHUT, NZ, ITAP

## Supporting functions:

ATAN2 - Antan  
HEAT - to produce local heat load  
HTEXCH - heat exchangers model  
LINT - linear interpolate routine  
OUTPLOT - plot velocity and temperature field



PLOT - plot two points routine  
PLOTID - open plotting routine  
SECOND - return CP second ellpsed  
SQRT - square root  
TAN - tan  
TEMPFD - compute temperature field  
TRPLOT - plot power and temperature history  
VELFD - compute velocity field  
TAPE1 - mass storage for velocities, temperatures  
and pressures  
TAPE2 - mass storage for power and temperature history  
in different locations  
TAPE3 - mass data stransfer for heat disposition after  
shut down in different zones

## Nomenclatures:

AHI	-	tube side heat transfer coefficient under design conditions ( $\text{kw/m}^2\text{C}$ )
AHO	-	shell side heat transfer coefficient under design conditons ( $\text{kw/m}^2\text{C}$ )
ANG	-	angle of inflow (in degree)
ANGLE(I,J)	-	angles of velocities for each cell (in radian)
AX	-	total outside tube heat transfer surface area ( $\text{m}^2$ )
BETA	-	product of volumetric expansivity and gravitational acceleration
BETA3	-	pressure fluctuation adjustment
CCP	-	specific heat capacity for $\text{D}_2\text{O}$ ( $\text{kJ/kg C}^\circ$ )
CNDF(I)	-	Conductivities of $\text{D}_2\text{O}$ with respect to $\text{TEMP1}$ ( $\text{kJ/ms }^\circ\text{C}$ )
CNF(I,J,K)	-	Conductivities of $\text{D}_2\text{O}$ at the cell temperature ( $\text{kJ/ms }^\circ\text{C}$ )
CP	-	specific heat capacity for $\text{H}_2\text{O}$ ( $\text{kJ/kg C}^\circ$ )
CYCLE	-	number of times of $\Delta t$ calculations.
D	-	divergence of the velocities
DAC(I,J,K)	-	products of density and specific heat capacity of $\text{D}_2\text{O}$ at the cell temperature.
DDEN(I)	-	densities of $\text{D}_2\text{O}$ with respect to $\text{TEMPI}$ ( $\text{kg/m}^3$ )

DECA(I) - products of density and specific heat capacity of  $D_2O$  with respect to TEMPI

DELP -  $\Delta P$

DELT -  $\Delta t$

DEXX -  $\Delta X$

DEYY -  $\Delta Y$

DEZZ -  $\Delta Z$

DI - internal diameter of the tube in the heat exchangers

DO - external diameter of the tube in the heat exchangers

DROR - density of  $D_2O$  (dummy) ( $kg/M^3$ )

EPSI - convergence criterion

FLG - iteration check indicator

GY - gravitational acceleration ( $m/sec^2$ )

HCOND(I) - conductivities of  $H_2O$  with respect to HTEMP ( $KJ/msi$ )

HTEMP(I) - temperature arrays for  $H_2O$

HVISC(I) - viscosity of  $H_2O$  with respect to HTEMP

IA - array index for time out

IACT - accident indicator

ICON - continuous mode indicator

IFLOW - inlet flow charge indicator

IMAP - maps printing indicator

IN(I) - boundary indexing adjuster



INDEX1(I,J) - start and ends of the cell numbers for the overall core.

INDEX2(I,J) - start and ends of the cell numbers for the fluid

INDEX3(I,J) - start and ends of the cell numbers for the fuel channels

ISCALE - scale selection indicator

IT - time mode indicator

ITAP - tape type indicator

ITER - number of iterations

ITRAN - state mode indicator

NAME(I) - character strip for the title

ND - array dimension for TEMPI

NDH - array dimension for HTEMP

NPX,NPY - locations number for transient power plotting

NT - array dimension for TIME

NTP - number of locations for transient power plotting

OMG - relaxation factor

P(I,J,K) - pressure

PMOD(I) - total power in MW disposed into the channel region with respect to TIMQ

PO(I,J) - porosity

POR - porosity

POWM	-	total power in MW disposed into the Channel region
POWR	-	TOTAL POWER IN MW disposed into the fluid region
PREF	-	total power in MW disposed into the fluid region with respect to TIMQ
PSFLOW	-	mass flow rate of H <sub>2</sub> O (Kg/sec)
PSFOZ	-	mass flow rate of H <sub>2</sub> O at design condition
QFL	-	volume flow rate of D <sub>2</sub> O (m <sup>3</sup> /sec)
QNG(I,J)	-	local heat source per unit volume (kw/m <sup>3</sup> )
QST	-	instantaneous total heat load (kw)
QVO	-	net heat outflow (kw)
RAD	-	radius of the fuel channels (m)
RC	-	thermal resistance due to fouling (m <sup>2</sup> C/kw)
RW	-	thermal resistance of the tube material (m <sup>2</sup> C/kw)
T	-	real time (sec)
TAV	-	volume average temperature (°C)
TD2ØM	-	mean temperature of D <sub>2</sub> O at design valve
TEMPI(I)	-	temperature array for D <sub>2</sub> O properties
TFLO	-	average temperature of the moderator outflow
THZI	-	inlet temperature of the H <sub>2</sub> O
THZØ	-	outlet temperature of the H <sub>2</sub> O
TH2ØM	-	mean temperature of the H <sub>2</sub> O at design valve
TI	-	initial temperature
TIA	-	accumulated time for stepwise mode timing



TIME(I) - printout times  
TIMQ(I) - time array for heat load history  
TO - design outlet temperature  
TOI - initial reference temperature  
TP(I,J,K) - temperature field at nth time step  
TPN(I,J,K) - temperature field at n+1th time step  
TSHUT - shut down time  
U(I,J,K) - xth component of the velocity field at nth  
time step  
UBYI - xth component of the inlet velocity  
UM(I,J) - magnitudes of the velocities  
UN(I,J,K) - xth component of the velocity field at n+1th  
time step  
UREF - magnitude of the maximum velocity  
UU(I) - xth components of the velocities at cell  
center  
V(I,J,K) - yth components of the velocity field at nth  
time step  
VBYI - yth components of the inlet velocity  
YBYO - yth components of the outlet velocity  
VN(I,J,K) - yth components of the velocities field at  
n+1th time step  
VOL - volumetric expansivity of D<sub>2</sub>O  
VOR(I,J,K) - viscosities of D<sub>2</sub>O at each cell  
divided by density at TAV

- VROR(I) - visccosities of  $D_2O$  with respect to TEMPI
- VV - yth components of the velocities at cell center
- WF - wall type indicator
- ZWN - computer time consumed
- Z1 - viscosity of  $D_2O$  at design temperature
- Z2 - conductivity of  $D_2O$  at design temperature
- Z3 - Prandtl number of  $D_2O$  at design temperature
  
- Z5 - viscosity of  $H_2O$  at design temperature
- Z6 - conductivity of  $H_2O$  at design temperature
- Z7 - Prandtl number of  $H_2O$  at design temperature

A3 SUBROUTINE HEAT (QNG, POWR, POWM, IMOD)

Purpose: To assign the local heat dispositions for array QNG

Theory = The calculation is divided into two parts:

1. normal heat disposition
  2. heat disposition with arbitrary heat disposition in some area
1. The assignment for QNG divides into 2 regions
    - a Fluid region where uniform heat flux is assumed

$QNG(I,J) =$  total power in fluid region (KW)/no. of cell  
in the fluid region

- b Fuel channels region where power channel flux distribution is assumed.

$QNG(I,J) =$

where N is the total number of cells in the fuel channels region and  $h_{I,J}$  is the normalized distribution factor,

2. This option is selected if  $IMOD = 0$

All the calculations in part one are performed, but in addition, the desired heat disposition histories in some particular zones are inputed from TAPE3 and overlayed on  $QNG(I,J)$ . Power inputs are fuel channel heat dispositions in KW per cell. TAPE3 format is

$TIME_1, POWER1_1, POWER2_1, \dots, POWERN_1, TIME_2, POWER1_2,$   
 $\dots, POWERN_2$

...where the superscribe is for the time step and the number behind the power indicates the zones.

Procedures : overlay method is used to assign the array  $QNG$

Variables input :  $POWR, POWM, IMOD, TAPE3$

COMMON BLOCKS :  $BLOCK3, BLOCKB, \#$

Variables changed :  $ONG(I,J)$

Supporting functions : EOF - end of file indicator

Options :  $IMOD=0$  : power input is obtained through FP

$IMOD=1$  : power input is obtained through FP plus TAPE3 in certain zones.



## Nomenclatures:

ACTM(I)	-	time in nth x n+1th interval
ARRY(I,J)	-	power in kw/cell for the fuel channel
DUM(I)	-	interpolated power
F	-	$h_{I,J}$
FRACT	-	slope for the interpolation
IMOD	-	mode indicator
IY(I)	-	initial cell number in x-direction for zone I
IZ(I)	-	final cell number in x-direction for zone I
JY(I)	-	initial cell number in y-direction for zone I
JZ(I)	-	final cell number in y-direction for zone I
NZ	-	zone number
PMFCT	-	power factor, used in fuel channel region
POWM	-	total power input per volume for fuel channel region (MW)
POWR	-	total power input per volume for fluid region (MW)
PRT01(I)	-	normalized distribution factor, $h_{I,J}$
PRT02(I)	-	normalized distribution factor in the centre filling
QNG(I,J)	-	local heat source per volume ( $\text{kw/m}^3$ )

A-4 SUBROUTINE HTEXCH (T2, TI, T3, QFA, TH2I)

Purpose : To calculate the outflow temperature of  $D_2O$  and  $H_2O$   
in the heat exchangers using NTU Method

Theory : refer to Appendix B

Procedures : direct computations

Variables input : T2, TI, QFA, TH2I, BLOCK8, BLOCK9, BLOCKA

Common blocks : BLOCK8, BLOCK9, BLOCKA

Variables changed : TI, T3, TH2I

Supporting functions : ALOG - log  
EXP - e  
LINT - linear interpolate routine

Nomenclatures:

CR - ratio of the mass flow rate of  $D_2O$  to the  
mass flow rate of  $H_2O$   
C1 - mass flow rate of  $D_2O$   
C2 - mass flow rate of  $H_2O$

EEF - thermal effectiveness \* CR  
HI - tube side heat transfer coefficient  
HO - shell side heat transfer coefficient  
P - thermal effectiveness  
PHI -  $\exp(UA/WC)$   
PRN - Prandtl number  
QFA - QFL - 0.036, 0.036 is the volume flow rate  
through the purification system

Note: variable names not listed have the same meaning as  
in the main program.

A-5 SUBROUTINE LINT CPT, T, PI, TI, N)

Purpose : to interpolate (PI, TI) from et of points (PT, T)

Theory :

- Procedures :
1. Scan points to check if (PI, TI) is within range. If not, a warning message is printed.
  2. values of P is then calculated using the above equation.

Variables input : PT, T, TI, N

Common Blocks : Nil

Variables changed : PI

Supporting function : Nil

Nomenclature:

N - dimension of array PT and T



PI - point want to find, with TI known  
PT - Array for PI  
T - Array for TI  
TI - point input for interpolation

A-6 SUBROUTINE OUTPLOT (TPRT1, TPRT2, ITRAN, ISC)

Purpose : To produce velocity and temperature plots

Theory : 1. Linear graph

2. log scaled graph

3. No scale graph

where  $U_{i,j}$  is the magnitude of the velocity at  $(i,j)$  on the plot

$U_{i,j}$  is the magnitude of the velocity at  $(\bar{i},j)$

$U_{\max}$  is the magnitude of the maximum velocity

Procedure :

1. The moderator boundary is traced
2. The necessary heading is printed
3. Velocities, together with the direction, arrows are plotted

4. Call PLTCON to produce the temperature plot

Variables input : TPRT1, TPRT2, ITRAN, ISC

Common blocks : BLOCK3, BLOCK6, BLOCK5

Variables changed : Nil

Supporting functions :

- ALOG - log
- COS - cos
- NUMBER - to print real numbers from CALCOMP plotting library
- PLOT - to plot two points from CALCOMP plotting library, 3 arguments
- SIN - sin
- SYMBOL - to draw characters from CALCOMP plotting library
- PLTCON - to produce contours

Options :

ITRAN=0	TPRT1 is printed as time (real time)
ITRAN=1	TPRT2 is printed as time (shut down time)
ISC=0	linear scaled
ISC=1	log scaled
ISC=2	no scale

## Nomenclature:

ADJ	-	adjustment of the contours
ANGLE(I,J)	-	angles of the velocities in radians
D(I,J)	-	temperature arrays for contours plot
FV(I)	-	values of temperature in the contours
ISC	-	scale indicator
SIZE	-	scaling factor for plots (plotter unit/data unit)
TIP1X, TIP2X	-	x-coordinates for the arrow head
TIP1Y, TIP2Y	-	y-coordinates for the arrow head
TPRT1	-	real time (in second)
TPRT2	-	shut down time (in second)
UM(I,J)	-	magnitudes of the velocities
UMT	-	magnitudes of the velocity after proper scaling
UNOR	-	normalized velocity in linear scale plot
UX	-	scaled velocity with respect to 0.2
UREF	-	magnitude of maximum velocity



A-7 SUBROUTINE TEMPFD

Purpose : To compute the temperature field

Theory : Refer to the finite differencing energy equation 4-4

Variables input : through common blocks

Common blocks : BLOCK1, BLOCK3, BLOCK4, BLOCK5

Variables changed : TPN (I,J,K), TAV

Supporting functions : ABS

Nomenclature:

CNF(I,J,K) - conductivity of the  $D_2O$  in (i,J,K)  
at  $t^n$

DAC(I,J,K) - product of density and specific heat capacity  
of the  $D_2O$  in (i,j,k) at  $t^n$

QNG(I,J,K) - local heat density ( $KW/m^3$ )

PO(I,J) - porosity

T(I,J,K) - temperature field in (i,j,k) at  $t^n$

TAV - volume averaged temperature

TPN(I,J,K)- temperature field in (i,j,k) at  $t^{n+1}$

NOTE : If the number of cells is changed, statement  
TAV=TAV/750 need to be adjusted, since 750 is the  
total number of cells for the system.

A-8 SUBROUTINE TRPLOT (TSHUT, NTP, DEXX, DEYY, DEZ)

Purpose : To recall and plot the temperature and local heat transient in some particular locations

Procedures : 1. Read temperature and local heat from tape  
2

2. Use standard plotting technique to print and plot the temperature and local heat history

Variables input : TSHUT, NTP, DEXX, DEYY, DEZZ, TAPE2

Common blocks : Nil

Supporting functions : AXISN - to plot axis from CALCOMP plotting library  
EOF - end of file  
PLOT - to plot two points from CALCOMP plotting library  
SYMBOL - to draw characters from CALCOMP plotting library

## Nomenclature:

KVAL(I)	-	character string which contains the location identifier
NQP=NTP	-	no. of location points
QEP(I)	-	array for local heat sources in a particular time
QEPI(I)	-	array for initial local heat sources
QMAX	-	maximum local heat source
SIZE	-	scaling factor for heat source (plotter unit/data unit)
SIZEQ	-	scaling factor for heat source * volume
SIZEX	-	scaling factor for time (plotter unit/data unit)
SIZEY	-	scaling factor for temperature (plotter unit/data unit)
TEI	-	initial time (in second)
TEP(I)	-	array for temperature in a particular time
TEPI(I)	-	array for initial temperature
TIME	-	corresponding time for temperature and heat
TMAX	-	maximum temperature
TSHUT	-	final time for printing
VOL	-	volume of the cell



A-9 SUBROUTINE VELFD

Purpose : To compute the velocity field

Theory : Refer to the differencing momentum eq 4-2, 4-3

Variables input : through common blocks

Common blocks : BLOCK1, BLOCK2, BLOCK3, BLOCK4

Variables changed : UN(I,J,K), VN(I,J,K)

Supporting functions : ABS(x)<sup>-1x1</sup>

Nomenclature:

BETA - product of thermal expansitivity and  
gravitational acceleration

CNF - conductivity of the D<sub>2</sub>O

COEX,COEY - /K with x and y direction choice of porosity

PO - porosity

PXØ,PX1,PX2- porosity at (i-0/2,j), (i+1/2,j), (i+1-1/2,j)  
respectively

PYØ,PY1,PY2- porosity at (i,j-1/2), (i,j+1/2), (i,j+1-1/2)  
respectively

RAD - radius of the fuel channels

TAV - volume averaged temperature which is also  
used as reference temperature

TP(I,J,K) - temperature field at  $t^n$

U(I,J,K),v(I,J,K) - velocity field in x and y direction  
at  $t^n$

UN(I,J,K),VN(I,J,K) - velocity field in x and y direction  
at  $t^n$

VDR(I,J,K) - viscosity at (i,j,k)/density at TAV

A-10 INPUT CARDS

Card 1 (10A8)

NAME(I), I=1, 10

This is the title card. Character string of less than 80 are acceptable

Card 2 (10F8.3)

Time(I), I=1, 10

This controls the roll out time. There are three options on selecting the type of roll out and termination time, see indicator IT in next card for details. The last time input serves as the termination time. A maximum of 10 is allowed. A blank or zero according to the computer system is used to terminate the string.

Card 3 (7I5)

ICON, IT, ITRAN, IMAP, ISCALE, IACT, IFLOW

ICON - to indicate a initial or restart run

ICON=0 means initial run

ICON=1 means restart run

Tape 1 should be ready if ICON=1 because data are read from this tape.

IT - to indicate the type of roll out and termination time

IT=0 means real time (in second)

IT=1 means CP time (in second)

IT=2 means stepwise increase time (in second)

note: if IT=2 is used, TIME(1), TIME(2), TIME(3) are the initial, final, and step increment time respectively. Any other values follow are neglected.

ITRAN - to indicate mode of computation

ITRAN=0 steady state calculation

ITRAN=1 transient calculation

IMAP - maps selecting parameter

IMAP=0 temperature and heat source maps



IMAP=1 temperature and heat source maps and  
velocity and temperature plot(s)

IMAP=2 temperature and heat source maps and  
velocity map(s)

IMAP=3 temperature and heat source maps and  
velocity and temperature plot(s) and  
map(s)

ISCALE - to indicate type of scale in the velocity plot(s)

IXALE=0 linear scale

ISCALE=1 log scale

ISCALE=2 no scale, only directions are shown

The following indicators are used, only if ITRAN=1

ITAP - input type indicator This parameter is used only if

ITRAN=1 and IACT=1

ITAP=3 Power transients information are read in  
from tape 3

ITAP=5 Power transients information are read in  
from cards

IACT - accident indicator

IACT=0    no accident shut down  
IACT=1    with accident shut down

IFLOW -    inflow change parameter

IFLOW=0    flow shut off  
IFLOW=1    both flow magnitude and angle need to  
            change  
IFLOW=2    no change in flow, previous values are  
            presumed

Card 4 (4F10.4)

TAV, QFL, ANG, DELT

This card is omitted if ICON = 1

TAV - initial reference temperature ( $^{\circ}\text{C}$ )    QFL - inlet  
volume flow rate ( $\text{m}^3/\text{sec}$ )    ANG - angle of inlet flow  
respect to horizontal ( $^{\circ}$ )    DELT - time increment (sec)

Card 5 (2F10.4)

QFL, ANG

This card is read only if IFLOW = 1 and ICON = 1

QFL - new flow magnitude ( $m^3/sec$ ) ANG - new flow angle  
( $^{\circ}$ )

Cards 6, 7, 8 (16I5)

NTP, (NPX(I), NPY(I), I = 1, NTP)

This card is read only if ITRAN = 1 and ICON = 1

NTP - number of coordinates want to trace and  
temperature \_ and local heat since time  
history

NPX(I) - cell number in X direction NPY(I) - cell  
number in Y direction

Cards 9-20 (4I5)

IY(I), IZ(I), JY(I), JZ(I) = I = 1,20

These cards are read only if ICON = 1 and IACT = 1



IY, IZ, JY, JZ are the initial and final cell number for the zones which undergo a different heat disposition in X and Y direction respectively. Maximum number of zones is 20. If IY or IZ are declared outside the fuel channel region, it is truncated automatically. Values of JY and JZ should be within 5 and 28, where the fuel channel region are.

If this option is used, tape 3 or input cards deck, depending on ITAP, need to be ready for the code. One blank card is required to follow this set of cards, if less than 20 zones are used.

Card 29 (Fb.2, 4(5E15.8,1))

ACTM, ARRY

These cards are read only if ITAP = 5 and IACT = 1

ACTM - time after shut down (sec) ARRY - corresponding  
fuel channel powers for each zone  
(kw/cell)

These should have sufficient cards to cover the desired running period, otherwise the "powers in the last time valve is used and a warning message - power is extrapolated" will be printed.



### A-11 Getting the Outputs

Outputs depend on the indicators declared and type of computations.

1. In steady state calculations, the type of print out depends on the indicator IMAP. Basically, the inlet and outlet flow magnitudes and porosity map are printed no matter what type of calculations. Print out maps are in the sequence of velocities, temperatures and local heat dispositions, with the control of IMAP as described in "input card" section. Plotting tape consists of the velocities and temperatures plots in different roll out time. TAPE1 will automatically filled with velocities, temperatures and pressures for next continuous run before the end of execution.
2. In transient calculations, a history of temperatures and heat dispositions in the desired locations are printed, in addition to the plots described above. There are two plots showing the history of the temperatures and heat dispositions follow the velocities and temperatures plots for each roll out time in the plotting tape.

```

PROGRAM MODCONV ( INPUT=65, OUTPUT=65, TAPE5= INPUT, TAPE6=OUTPUT,
1TAPE1, TAPE2=65, TAPE3=65)
  DIMENSION U(33,32,1), V(33,32,1), TP(33,32,1), P(33,32,1),
1UN(33,32,1), VN(33,32,1), TPN(33,32,1), TIMQ(20), PREF(20), PMOD(20),
2PO(34,33), NAME(10), INDEX1(2,32), INDEX2(2,32), INDEX3(2,24),
3QNG(33,32), IN(2), UU(12), VV(12), UM(33,32), ANGLE(33,32),
4 TIME(10), VOR(33,32,1), CNF(33,32,1), DAC(33,32,1), NPX(15), NPY(15)
  DIMENSION HTEMP(19), HVISC(19), HCOND(19),
1TEMP1(19), VROR(19), CNDF(19), DECA(19), DDEN(19)
  DIMENSION ACTM(2), ARRY(2,20), IY(20), IZ(20), JY(20), JZ(20)
  INTEGER CYCLE
  COMMON /BLOCK1/ UN, VN, TP, P
  COMMON /BLOCK2/ U, V
  COMMON /BLOCK3/ INDEX1, INDEX2, INDEX3, DELT, DEXX, DEYY, DEZZ
  COMMON /BLOCK4/ PO, VOR, CNF, DAC, RAD, TAV, TOI, BETA
  COMMON /BLOCK5/ TPN, QNG
  COMMON /BLOCK6/ UM, ANGLE, UREF
  COMMON /BLOCKB/ HTEMP, HVISC, HCOND, NDH
  COMMON /BLOCK9/ TEMP1, VROR, CNDF, DECA, DDEN, ND
  COMMON /BLOCKA/ TD20M, TH20, PSFLOW, Z2, Z3, Z5, Z6, Z7,
1AX, DI, DO, AHI, PSF02, AHO, RC, RW
  COMMON /BLOCKB/ ACTM, ARRY, IY, IZ, JY, JZ, TSHUT, NZ, ITAP
  DATA PO/1122*1./
  DATA (( INDEX1(I, J), I=1,2), J=1,20)/12,22,10,24,8,26,6,28,5,29,4,30,
13,31,4*(2,32),9*(1,33)/
  DATA (( INDEX2(I, J), I=1,2), J=1,20)/0,0,13,21,11,23,9,25,7,27,
16,28,5,29,4,30,4*(3,31),8*(2,32)/
  DATA (( INDEX3(I, J), I=1,2), J=1,12)/12,22,10,24,9,25,8,26,
17,27,3*(6,28),4*(5,29)/
  DATA IN/1,-1/
  DATA HTEMP/0.,10.,20.,25.,30.,35.,40.,45.,50.,55.,60.,65.,70.,75.,
180.,85.,90.,95.,100./
  DATA HVISC/1794.E-6,1405.E-6,1054.E-6,889.E-6,802.E-6,723.E-6,
1641.E-6,599.E-6,542.E-6,496.E-6,467.E-6,418.E-6,397.E-6,380.E-6,
2368.E-6,351.E-6,331.E-6,310.E-6,298.E-6/

```



DATA HCOND/.5484E-3, .5726E-3, .5969E-3, .6072E-3, .6176E-3, .6245E-3,  
 1.6332E-3, .6401E-3, .6470E-3, .6522E-3, .6591E-3, .6617E-3, .6712E-3,  
 2.6758E-3, .6747E-3, .6764E-3, .6770E-3, .6773E-3, .6788E-3/

DATA DDEN/1104.97, 1103.75, 1102.54, 1101.32, 1100.11, 1097.69, 1096.49,  
 11094.09, 1091.70, 1088.14, 1085.78, 1082.25, 1078.75, 1075.27, 1070.66,  
 21066.10, 1061.58, 1057.08, 1052.63/

DATA VROR/1253.7E-6, 1119.2E-6, 997.4E-6, 892.3E-6, 802.7E-6, 726.4E-6,  
 1661.3E-6, 605.3E-6, 556.9E-6, 514.8E-6, 447.9E-6, 445.4E-6, 416.6E-6,  
 2391.0E-6, 368.1E-6, 347.4E-6, 328.8E-6, 312.0E-6, 296.6E-6/

DATA TEMP1/20., 25., 30., 35., 40., 45., 50., 55., 60., 65., 70., 75.,  
 1 80., 85., 90., 95., 100., 105., 110./

DATA CNDF/0.5817E-3, 0.5893E-3, 0.5964E-3, 0.6029E-3, 0.6088E-3,  
 1 0.6142E-3, 0.6192E-3, 0.6236E-3, 0.6276E-3, 0.6311E-3, 0.6342E-3,  
 2 0.6369E-3, 0.6391E-3, 0.6410E-3, 0.6424E-3, 0.6435E-3, 0.6443E-3,  
 3 0.6447E-3, 0.6448E-3/

DATA DECA/4664.08, 4651.20, 4639.49, 4628.8, 4618.26, 4603.71, 4594.29,  
 1 4579.86, 4566.58, 4547.34, 4534.22, 4516.23, 4498.39, 4480.65,  
 2 4458.23, 4437.11, 4415.11, 4395.34, 4375.78/

DATA TIMQ/0., 0.4, 0.7, 1.0, 1.3, 1.5, 1.6, 1.8, 2.0, 2.5, 4., 5., 6.6, 12.,  
 130., 60., 120., 300., 600., 1000./

DATA PREF/9.3, 9.03, 8.03, 6.16, 4.52, 3.49, 3.15, 2.97, 2.91, 2.83, 2.73,  
 12.68, 2.6, 2.435, 2.26, 2.165, 2.061, 1.972, 1.954, 1.887/

DATA PMOD/113.64, 109.655, 94.58, 70.03, 47.402, 33.293, 28.549, 25.971,  
 125.205, 24.116, 22.592, 21.823, 20.711, 18.171, 15.547, 14.106, 12.472,  
 211.057, 10.452, 9.664/

DO 10 I = 1,2

DO 10 J = 1,12

INDEX1(I,33-J) = INDEX1(I,J)

INDEX2(I,33-J) = INDEX2(I,J)

INDEX3(I,25-J) = INDEX3(I,J)

10 CONTINUE

TSHUT = 0.                    \$K = 1                    \$TH2I = 18.33.

DEXX = 0.27384375    \$DEYY = 0.28575    \$DEZZ = 6.77

VOL = 5.837E-4        \$CY = 9.81            \$RAD = 0.214

OMG = 1.85            \$WF = -1.            \$POR = 0.558

```
NDH = 19          $EPSI = 5.E-4      $IA = 1
TI = 41.          $TO = 80.          $ND = 19
AX = 3045.39     $DI = 0.01         $DO = 0.01
AHI = 14.42779   $PSFO2 = 2081.0       $AHO = 4.19581
PSFLOW = 2081.   $SRC = 0.17612      $RW = 0.08295
```

```
: INCREASE POWER BY 22 PERCENT
```

```
DO 4 I = 1,20
  PREF(I) = PREF(I)*1.22
  PMOD(I) = PMOD(I)*1.22
```

```
4 CONTINUE
```

```
: CALCULATE CONSTANTS FOR THE HEAT EXCHANGERS
```

```
TD20M = (TI + TO)/2.
CALL LINT(DDEN, TEMP1, DROR, TD20M, ND)
TH20 = DROR*(QFL-0.036)/PSFLOW*(TO-TI) + TH2I
TH20M = (TH2I + TH20)/2.
CALL LINT(VROR, TEMP1, Z1, TD20M, ND)
CALL LINT(CNDF, TEMP1, Z2, TD20M, ND)
CALL LINT(DECA, TEMP1, CCP, TD20M, ND)
CCP = CCP/DROR
Z3 = CCP*Z1/Z2
CALL LINT(HCOND, HTEMP, Z6, TH20M, NDH)
CALL LINT(HVISC, HTEMP, Z5, TH20M, NDH)
CALL LINT(DDEN, TEMP1, DROR, TH20M, ND)
CALL LINT(DECA, TEMP1, CP, TH20M, ND)
CP = CP/DROR
Z7 = CP*Z5/Z6
```

```
: READ TITLE
```

```
  READ(5,13) NAME
  WRITE(6,9) NAME
```

```
: READ TERMINATION TIME
```

```
  READ(5,18) (TIME(I), I = 1,10)
  DO 1 I = 1,10
```



```
IF(TIME(1) .EQ. 0.) GO TO 2
1 CONTINUE
NT = 11
GO TO 3
2 NT = I
READ INDICATORS
3 READ(5,20) ICON, IT, ITRAN, IMAP, ISCALE, ITAP, IACT, IFLOW
IF(IMAP .EQ. 1 .OR. IMAP .EQ. 3 .OR. ITRAN .EQ. 1) CALL
IPLOTID(0,0,0.,0.)
IF(ICON .EQ. 1) GO TO 21
READ(5,11) TOI,QFL,ANG,DELT
SET INITIAL CONDITIONS
T = 0.
FLG=1.
CYCLE = ITER = 0
DO 61 J = 1,32
IB = INDEX1(1,J)
IE = INDEX1(2,J)
DO 61 I = IB,IE
UN(I,J,K) = VN(I,J,K) = P(I,J,K) = 0.
TP(I,J,K) = TPN(I,J,K) = TOI
61 CONTINUE
GO TO 99
21 READ(1,14) TOI,QFL,ANG,T,DELT,CYCLE
WRITE(6,15) T,CYCLE,DELT
IF(IFLOW .EQ. 0) QFL = 0.
IF(IFLOW .EQ. 1) READ(5,11) QFL,ANG
DO 63 J = 1,32
IB = INDEX1(1,J)
IE = INDEX1(2,J)
DO 63 I = IB,IE
READ(1,17) U(I,J,K),V(I,J,K),TP(I,J,K),P(I,J,K)
UN(I,J,K) = U(I,J,K)
VN(I,J,K) = V(I,J,K)
TPN(I,J,K) = TP(I,J,K)
```

63 CONTINUE

```

IF( ITRAN .EQ. 0) GO TO 99
READ(5,31) NTP, (NPX(I), NPY(I), I=1, NTP)
IF( IACT .EQ. 0) GO TO 99
DO 98 I = 1, 20
READ(5,97) IY(I), IZ(I), JY(I), JZ(I)
IF( IY(I) .NE. 0) GO TO 98
NZ = I
GO TO 96

```

98 CONTINUE

```

NZ = 15
96 READ( ITAP, 32) ACTM(1), (ARRY(1, J), J=1, NZ)
READ( ITAP, 32) ACTM(2), (ARRY(2, J), J=1, NZ)
99 UBYI = QFL/2./DEYY/DEZZ
VBYI = UBYI*TAN(3.14159*ANG/180.)
VBYO = QFL/2./DEXX/DEZZ
BETA = VOL*GY

POWR = PREF(1)/DEXX/DEYY/DEZZ
POWM = PMOD(1)/DEXX/DEYY/DEZZ
CALL HEAT(QNG, POWR, POWM, 0)
WRITE(6, 19) QFL, UBYI, VBYO, VBYI

```

C SET POROSITY

```

DO 62 J = 1, 24
IB = INDEX3(1, J)
IE = INDEX3(2, J)
DO 62 I = IB, IE
PO(I, J+4) = POR

```

62 CONTINUE

C PLOT POROSITY MAP

```

DO 64 J = 2, 31
IB = INDEX2(1, J)
IE = INDEX2(2, J)

```

```

IB1 = 4*(IB-1)
IE1 = IE -IB+1
WRITE(6,16) IB1,IE1,(PO(I,J),I=IB,IE)

```

```
64 CONTINUE
```

```
C PRINT HEADINGS
```

```

WRITE(6,1620)
CALL LINT(DDEN,TEMP1,DREF,TOI,ND)

```

```
1000 DO 60 J = 1,32
```

```

IB = INDEX1(1,J)
IE = INDEX1(2,J)
DO 60 I = IB ,IE
CALL LINT(DECA,TEMP1,DAC(I,J,K),TPN(I,J,K),ND)
CALL LINT(CNDF,TEMP1,CNF(I,J,K),TPN(I,J,K),ND)
CALL LINT(VROR,TEMP1,VDUM,TPN(I,J,K),ND)
VOR(I,J,K) = VDUM/DREF

```

```
60 CONTINUE
```

```
IF(CYCLE .EQ. 0) GO TO 100
```

```
ITER = 0
```

```
FLG = 1.0
```

```
C COMPUTE TEMPORARY VELOCITIES
```

```
CALL VELFD
```

```
C SET THE BOUNDARY CONDITIONS
```

```
C CORNER BOUNDARY
```

```
100 DO 101 J = 2,8
```

```
UN(INDEX2(1,J)-1,J,K) = 0.
```

```
VN(INDEX2(1,J)-1,J,K) = 0.
```

```
UN(INDEX2(2,J),J,K) = 0.
```

```
VN(INDEX2(2,J)+1,J,K) = 0.
```

```
101 CONTINUE
```

```
J = 12
```

```
UN(INDEX2(1,J)-1,J,K) = 0.
```



VN(INDEX2(1,J)-1,J,K) = 0.

UN(INDEX2(2,J),J,K) = 0.

VN(INDEX2(2,J)+1,J,K) = 0.

DO 102 J = 24,31

UN(INDEX2(1,J)-1,J,K) = 0.

VN(INDEX2(1,J),J,K) = 0.

UN(INDEX2(2,J),J,K) = 0.

VN(INDEX2(2,J),J,K) = 0.

102 CONTINUE

J = 20

UN(INDEX2(1,J)-1,J,K) = 0.

VN(INDEX2(1,J),J,K) = 0.

UN(INDEX2(2,J),J,K) = 0.

VN(INDEX2(2,J),J,K) = 0.

C LEFT AND RIGHT WALLS

DO 103 J = 9,23

IF(J.EQ.12 .OR. J.EQ.20) GO TO 103

UN(INDEX2(1,J)-1,J,K) = 0.

VN(INDEX2(1,J)-1,J,K) = WF\*VN(INDEX2(1,J),J,K)

UN(INDEX2(2,J),J,K) = 0.

VN(INDEX2(2,J)+1,J,K) = WF\*VN(INDEX2(2,J),J,K)

103 CONTINUE

C TOP AND BOTTOM WALLS

DO 104 J = 2,5

UN(INDEX2(1,J),J-1,K) = WF\*UN(INDEX2(1,J),J,K)

VN(INDEX2(1,J),J-1,K) = 0.

UN(INDEX2(2,J)-1,J-1,K) = WF\*UN(INDEX2(2,J)-1,J,K)

VN(INDEX2(2,J),J-1,K) = 0.

104 CONTINUE

DO 105 I = 14,20

UN(I,1,K) = WF\*UN(I,2,K)

VN(I,1,K) = 0.

UN(I,32,K) = WF\*UN(I,31,K)

VN(I,31,K) = 0.

105 CONTINUE



DO 106 J = 28,31

UN(INDEX2(1,J),J+1,K) = WF\*UN(INDEX2(1,J),J,K)

VN(INDEX2(1,J)+1,J,K) = 0.

UN(INDEX2(2,J)-1,J+1,K) = WF\*UN(INDEX2(2,J)-1,J,K)

VN(INDEX2(2,J)-1,J,K) = 0.

106 CONTINUE

IF(QFL .EQ. 0.) GO TO 107

2 FIT VELOCITY BOUNDARYS

UN(1,14,K) = UBYI

VN(1,14,K) = VN(2,14,K) = VBYI

VN(1,13,K) = VN(2,13,K) = VBYI

UN(32,14,K) = -UBYI

VN(33,14,K) = VN(32,14,K) = VBYI

VN(33,13,K) = VN(32,13,K) = VBYI

VN(14,1,K) = -VBYO

VN(20,1,K) = -VBYO

2 \*\* HAS CONVERGE BEEN REACHED

107 IF(FLG.EQ.0.) GO TO 2000

ITER = ITER + 1

IF(ITER .LT. 200) GO TO 1500

WRITE(6,1001) CYCLE

GO TO 5000

1500 FLG = 0.

2 COMPUTE UPDATED CELL PRESSURE AND VELOCITIES

DO 1600 J = 2,31

IB = INDEX2(1,J)

IE = INDEX2(2,J)

DO 1600 I = IB, IE

PRY = PO(I,J)

PXX = 1./(PO(I+1,J)+PRY) + 1./(PO(I-1,J)+PRY)

```

PYY = 1./((PO(I,J+1)+PRY) + 1./((PO(I,J-1) + PRY)
BETA3 = OMG/(2.*DELT*(PXX/DEXX**2 + PYY/DEYY**2))
PU = 2.*(UN(I,J,K)/(PO(I+1,J)+PRY) - UN(I-1,J,K)/(PRY +
1 PO(I-1,J))) / DEXX
PV = 2.*(VN(I,J,K)/(PO(I,J+1)+PRY) - VN(I,J-1,K)/(PRY +
1 PO(I,J-1))) / DEYY
D = PU + PV
IF (ABS(D) .GT. EPSI) FLG = 1.
DELP = -BETA3*D
P(I,J,K) = P(I,J,K) + DELP
UN(I,J,K) = UN(I,J,K) + DELT*DELP/DEXX
UN(I-1,J,K) = UN(I-1,J,K) - DELT*DELP/DEXX
VN(I,J,K) = VN(I,J,K) + DELT*DELP/DEYY
VN(I,J-1,K) = VN(I,J-1,K) - DELT*DELP/DEYY
1600 CONTINUE
GO TO 100

```

C COMPUTE TRANSIENT INTERNAL HEAT GENERATION Q / VOL.

```

2000 IF (ITRAN .EQ. 0) GO TO 2001
TSHUT = TSHUT + DELT
CALL LINT(PREF, TIMQ, POWR, TSHUT, 20)
CALL LINT(PMOD, TIMQ, POWM, TSHUT, 20)
POWR = POWR/DEXX/DEYY/DEZZ
POWM = POWM/DEXX/DEYY/DEZZ
CALL HEAT(QNG, POWR, POWM, IACT)

```

C COMPUTE TEMP. FIELD

```

2001 CALL TEMPFD

IF (ITRAN .EQ. 0) GO TO 200
WRITE(2,30) TSHUT
WRITE(2,30) (TPN(NPX(I), NPY(I), K), I=1, NTP)
WRITE(2,30) (QNG(NPX(I), NPY(I)), I=1, NTP)
200 TFLO = (TPN(14,2,1) + TPN(20,2,1)) / 2.
IF (QFL.NE.0.) CALL HTEXCH(TFLO, TI, TH20M, QFL, TH2I)

```

## C INSULATED WALLS

DO 210 L = 1,2

DO 201 J = 2,8

$$T2 = (TPN(INDEX2(L,J),J,K) + TPN(INDEX2(L,J),J+1,K) + 1TPN(INDEX2(L,J)-IN(L),J+1,K))/3.$$

$$TPN(INDEX2(L,J)-IN(L),J,K) = T2$$

## 201 CONTINUE

DO 202 JJ = 2,8

J = 33-JJ

$$T2 = (TPN(INDEX2(L,J),J,K) + TPN(INDEX2(L,J),J-1,K) + 1TPN(INDEX2(L,J)-IN(L),J-1,K))/3.$$

$$TPN(INDEX2(L,J)-IN(L),J,K) = T2$$

## 202 CONTINUE

DO 203 J = 9,24

$$TPN(INDEX2(L,J)-IN(L),J,K) = TPN(INDEX2(L,J),J,K)$$

## 203 CONTINUE

J = 12

$$T2 = (TPN(INDEX2(L,J),J,K) + TPN(INDEX2(L,J),J+1,K) + 1TPN(INDEX2(L,J)-IN(L),J+1,K))/3.$$

$$TPN(INDEX2(L,J)-IN(L),J,K) = T2$$

J = 21

$$T2 = (TPN(INDEX2(L,J),J,K) + TPN(INDEX2(L,J),J-1,K) + 1TPN(INDEX2(L,J)-IN(L),J-1,K))/3.$$

$$TPN(INDEX2(L,J)-IN(L),J,K) = T2$$

$$TPN(INDEX2(L,14)-IN(L),14,K) = 2.*T1-TPN(INDEX2(L,14),14,K)$$

$$IF(QFL.EQ.0.) TPN(INDEX2(L,14)-IN(L),14,K) = TPN(INDEX2(L,14),14,K)$$

DO 204 J = 2,5

$$TPN(INDEX2(L,J),J-1,K) = TPN(INDEX2(L,J),J,K)$$

I = 33-J

$$TPN(INDEX2(L,I),I+1,K) = TPN(INDEX2(L,I),I,K)$$

## 204 CONTINUE

## 210 CONTINUE

IB = INDEX2(1,2)+1

IE = INDEX2(2,2)-1



```

DO 205 I = IB, IE
TPN(I, 1, K) = TPN(I, 2, K)
TPN(I, 32, K) = TPN(I, 31, K)

```

```
205 CONTINUE
```

```

TI = (TPN(INDEX2(1, 14), 14, K) + TPN(INDEX2(1, 14)+1, 14, K))/2.
CALL LINT(DECA, TEMP1, DUM, TI, ND)
QVO = DEXX*DEZZ*(DAC(14, 1, K)*TPN(14, 1, K)*ABS(VN(14, 1, K)) +
1DAC(20, 1, K)*TPN(20, 1, K)*ABS(VN(20, 1, K)))-2.*DEZZ*
2DEYY*DUM*UN(1, 14, K)*TI
QST = (POWR+POWD*DEXX*DEYY*DEZZ
WRITE(6, 1610) CYCLE, ITER, QST, QVO, TAV, DELT, TI, TFLO

```

```
*
```

```
C ** SET THE ADVANCE TIME VELOCITIES INTO THE U, V AND W ARRAY
```

```

DO 1720 J = 1, 32
IB = INDEX1(1, J)
IE = INDEX1(2, J)
DO 1720 I = IB, IE
U(I, J, K) = UN(I, J, K)
V(I, J, K) = VN(I, J, K)
TP(I, J, K) = TPN(I, J, K)

```

```
1720 CONTINUE
```

```

T = T + DELT
CYCLE = CYCLE + 1
IF(QVO .GE. QST) GO TO 86

```

```

IF(IT .NE. 2) GO TO 87
TIA = TIME(1) + IA*TIME(3)
IF(T.GE. TIA) GO TO 86
GO TO 1000

```

```

87 IF(IT .EQ. 0) GO TO 85
CALL SECOND(ZWN)
IF(ZWN .GE. TIME(IA)) GO TO 86
GO TO 1000

```

```
85 IF(T .LT. TIME(IA)) GO TO 1000
```

## C PRINT OUTPUT

```

86 WRITE(6,1630) T
   IF( ITRAN .EQ. 1) WRITE(6,1640) TSHUT
   UREF = 0.

   IF( IMAP .EQ. 0) GO TO 70
   IF( IMAP .NE. 1) WRITE(6,1650)
   DO 42 JJ = 3,30
     J = 33-JJ
     IB = INDEX2(1,J)
     IB1 = 12*(IB-1)-11
     IB2 = 13 -IB
     DO 43 I = IB,12
       UU(I) = (UN(I-1,J,K) + UN(I,J,K))/2./PO(I,J)
       VV(I) = (VN(I,J-1,K) + VN(I,J,K))/2./PO(I,J)
       UM(I,J) = SQRT(UU(I)**2 + VV(I)**2)
       IF(UREF .LT. UM(I,J)) UREF = UM(I,J)
       ANGLE(I,J) = ATAN2(VV(I),UU(I))
43 CONTINUE
     IF( IMAP .EQ. 1) GO TO 42
     WRITE(6,56) IB1, IB2, (UU(I), I=IB,12), IB1, IB2, (VV(I), I=IB,12)
42 CONTINUE
     DO 44 JJ = 2,31
       J = 33-JJ
       DO 45 I = 13,21
         UU(I-12) = (UN(I-1,J,K) + UN(I,J,K))/2./PO(I,J)
         VV(I-12) = (VN(I,J-1,K) + VN(I,J,K))/2./PO(I,J)
         UM(I,J) = SQRT(UU(I-12)**2 + VV(I-12)**2)
         IF(UREF .LT. UM(I,J)) UREF = UM(I,J)
         ANGLE(I,J) = ATAN2(VV(I-12),UU(I-12))
45 CONTINUE
     IF( IMAP .EQ. 1) GO TO 44
     WRITE(6,57) (UU(I), I=1, 9), (VV(I), I=1, 9)

```

```
44 CONTINUE
DO 46 JJ = 3,30
J = 33-JJ
IE = INDEX2(2,J)
IE1 = IE-21
DO 47 I = 22,IE
UU(I-21) = (UN(I-1,J,K) + UN(I,J,K))/2./PO(I,J)
VV(I-21) = (VN(I,J-1,K) + VN(I,J,K))/2./PO(I,J)
UM(I,J) = SQRT(UU(I-21)**2 + VV(I-21)**2)
IF(UREF .LT. UM(I,J)) UREF = UM(I,J)
ANGLE(I,J) = ATAN2(VV(I-21),UU(I-21))
47 CONTINUE
IF(IMAP .EQ. 1) GO TO 46
WRITE(6,58) IE1,(UU(I),I=1,IE1),IE1,(VV(I),I=1,IE1)
46 CONTINUE
70 WRITE(6,1660)
DO 71 JJ = 3,30
J = 33-JJ
IB = INDEX2(1,J)
IB1 = 12*(IB-1)-11
IB2 = 13 -IB
WRITE(6,53) IB1,IB2,(TPN(I,J,K),I=IB,12)
71 CONTINUE
DO 72 JJ = 2,31
J = 33-JJ
WRITE(6,54) (TPN(I,J,K),I=13,21)
72 CONTINUE
DO 73 JJ = 3,30
J = 33-JJ
IE = INDEX2(2,J)
IE1 = IE-21
WRITE(6,55) IE1,(TPN(I,J,K),I=22,IE)
73 CONTINUE
WRITE(6,1670)
DO 74 JJ = 3,30
```



```

J = 33-JJ
IB = INDEX2(1,J)
IB1 = 12*(IB-1)-11
IB2 = 13 -IB
WRITE(6,52) IB1,IB2,(QNG(I,J),I=IB,12)

```

```
74 CONTINUE
```

```

DO 75 JJ = 2,31
J = 33-JJ
WRITE(6,51) (QNG(I,J),I=13,21)

```

```
75 CONTINUE
```

```

DO 76 JJ = 3,30
J = 33-JJ
IE = INDEX2(2,J)
IE1 = IE-21
WRITE(6,50) IE1,(QNG(I,J),I=22,IE)

```

```
76 CONTINUE
```

```
IF(IMAP .EQ. 0 .OR. IMAP .EQ. 2 )GO TO 89
```

### C PLOTTING

```

IF(ITRAN .EQ. 1) CALL TRPLOT(TSHUT,NTP,DEXX,DEYY,DEZZ)
CALL OUTPLOT(T,TSHUT,ITRAN,ISCALE)

```

```
89 IA = IA+1
```

```

IF(IT .EQ. 2) GO TO 88
IF(IA .GE. NT) GO TO 4999
GO TO 1000

```

```
88 IF(TIA .LT. TIME(2)) GO TO 1000
```

```
4999 IF(IMAP .EQ. 1 .OR. IMAP .EQ. 3) CALL PLOT(0.,0.,999)
```

```
REWIND1
```

```
WRITE(1,14) TOI,QFL,ANG,T,DELT,CYCLE
```

```

DO 65 J = 1,32
IB = INDEX1(1,J)
IE = INDEX1(2,J)

```

```

DO 65 I = IB, IE
WRITE(1, 17) U(I, J, K), V(I, J, K), TP(I, J, K), P(I, J, K)
65 CONTINUE
9 FORMAT("1", 10A8, // // //)
11 FORMAT(4F10.4)
13 FORMAT(10A8)
14 FORMAT(5E15.8, I6)
15 FORMAT("-", "PROGRAM IS CONTINUOUS AT TIME = ", G12.5, " CYCLE = ",
116, " DELT = ", G12.5, // //)
16 FORMAT(" ", T=, =F4.2)
17 FORMAT(" ", 4E15.8)
18 FORMAT(10F8.3)
19 FORMAT(" ", T40, "VOLUME FLOW RATE = ", G12.5, //, T25, "INLET VELOCITY"
1, T55, "OUTLET VELOCITY", /, T14, "X-COMPONENT", T28, G12.5, /,
2T58, G12.5, /, T14, "Y-COMPONENT", T28, G12.5, // //)
20 FORMAT(8I5)
30 FORMAT(" ", 2(8E15.8, /))
31 FORMAT(16I5)
32 FORMAT(F5.2, 4(5E15.8, /))
50 FORMAT(" ", =G12.4/)
51 FORMAT(" ", 9G12.4/)
52 FORMAT(" ", T=, =G12.4/)
53 FORMAT(" ", T=, =G12.5/)
54 FORMAT(" ", 9G12.5/)
55 FORMAT(" ", =G12.5/)
56 FORMAT(" ", 2(T=, =G12.4/, 1X /)
57 FORMAT(" ", 2(9G12.4/, 1X /)
58 FORMAT(" ", 2(=G12.4/, 1X /)
97 FORMAT(4I5, /)
1001 FORMAT(/, 5X, 48H VELOCITY FIELD DOES NOT CONVERGE, PROGRAM STOPS ,
1" CYCLE = " , I4)
1610 FORMAT(" ", T5, 2I10, T37, G12.5, T57, G12.5, T75, F10.4, T85, F10.4,
1T100, F10.4, T115, F10.4)
1620 FORMAT("1", T12, "CYCLE", T23, "ITER", T42, "QLIN", T62, "QLOUT",
1T80, "TAV", T90 , "DELT", T102, "TI", T120, "TO")

```

```
1630 FORMAT('1',40X,' A T T I M E = ',G12.5,'SEC',//)
1640 FORMAT(' ',38X,'OR',G12.5,' SECS,AFTER SHUT DOWN',/)
1650 FORMAT(' ',T60,'X-COMPONENT',/,T42,'VELOCITY MAP',/,T60,
1'Y-COMPONENT',//)
1660 FORMAT('1',T60,'TEMPERATURE MAP'//)
1670 FORMAT('1',T55,'LOCAL HEAT SOURCE MAP (KW/CU MD ' ,//)
5000 STOP
      END
```



```

SUBROUTINE HEAT(QNG,POWR,POWM,IMOD)
  DIMENSION QNG(33,32),INDEX1(2,32),INDEX2(2,32),INDEX3(2,24),
  1PRTO1(120),PRTO2(4)
  DIMENSION ACTM(2),ARRY(2,20),IY(20),IZ(20),JY(20),JZ(20),DUM(20)
  COMMON /BLOCK3/ INDEX1,INDEX2,INDEX3,DELT,DEXX,DEYY,DEZZ
  COMMON /BLOCKB/ ACTM,ARRY,IY,IZ,JY,JZ,TSHUT,NZ,ITAP
  DATA PRTO1/.56,.56,.60,.63,.64,.53,.58,.66,.72,.77,.79,.8,
  1.55,.65,.72,.81,.87,.90,.92,.91,.57,.67,.78,.84,.92,.96,.98,.99,
  2.98,.55,.68,.78,.86,.91,.97,.98,.99,1.,1.,.50,.65,.77,.86,.91,
  3.93,.98,1.,1.,1.,1.,.6,.74,.86,.92,.94,.98,1.,1.,1.,1.,1.,.68,
  4.82,.91,.94,.98,1.,1.,1.,1.,1.,1.,.58,.73,.82,.96,.98,1.,1.,1.,1.,
  51.,1.,1.,.62,.78,.92,.99,1.,1.,1.,1.,1.,1.,1.,1.,.65,.82,.95,
  61.,1.,1.,1.,1.,1.,1.,1.,1.,1.,.67,.84,.96,1.,1.,1.,1.,1.,1.,1.,
  71./
  DATA PRTO2/.64,.80,.91,.98/
  POWR = 1000.*POWR
  POWM = 1000.*POWM
  VOL = DEXX*DEYY*DEZZ

  DO 1 J = 2,31
    IB = INDEX2(1,J)
    IE = INDEX2(2,J)
    DO 1 I = IB,IE
      QNG(I,J) = POWR/246.
1  CONTINUE

  PMFCT = POWM/445.94
  N = 1
  DO 2 J = 5,16
    IB = INDEX3(1,J-4)
    JJ = 33-J
    DO 2 I = IB,16
      II = 34-I
      QNG(I,J) = PMFCT*PRTO1(N)
    N = N+ 1

```

```

QNG(I,JJ) = QNG(I,J)
QNG(II,J) = QNG(I,J)
QNG(II,JJ) = QNG(I,J)

```

2 CONTINUE

```

N = 1
DO 3 J = 5,8
QNG(17,J) = PMFCT*PRT02(N)
N = N + 1
JJ = 33-J
QNG(17,JJ) = QNG(17,J)

```

3 CONTINUE

```

DO 4 J = 9,24
QNG(17,J) = PMFCT

```

4 CONTINUE

```

IF(IMOD .EQ. 0) RETURN

```

```

IF(TSHUT .GT. ACTM(1) .AND. TSHUT .LE. ACTM(2)) GO TO 6

```

```

READ(ITAP,32) A,(DUM(I),I=1,NZ)

```

```

IF(EOF(ITAP)) 5,7

```

7 ACTM(1) = ACTM(2)

```

ACTM(2) = A

```

```

DO 8 I=1,NZ

```

```

ARRY(1,I) = ARRY(2,I)

```

```

ARRY(2,I) = DUM(I)

```

8 CONTINUE

```

GO TO 6

```

5 PRINT\*, "POWER IS EXTRAPOLATED"

6 FRACT = (TSHUT-ACTM(1))/(ACTM(2)-ACTM(1))

```

QNE = POWM*VOL-3000.

```

```

DO 12 L = 1,NZ

```

```

DUM(L) = ARRY(1,L) + FRACT*(ARRY(2,L)-ARRY(1,L))

```

```

JM = JY(L)

```

```

JN = JZ(L)

```

```

DO 12 J = JM,JN

```

```
IM = IY(L)
IN = IZ(L)
IF(IM .LT. INDEX3(1,J-4)) IM = INDEX3(1,J-4)
IF(IN .GT. INDEX3(2,J-4)) IN = INDEX3(2,J-4)
DO 12 I = IM, IN
F = QNG(I,J)/POWI
QNG(I,J) = (QNE*F + DUM(L))/VOL
12 CONTINUE
32 FORMAT(F5.2,4(5E15.8,/))
RETURN
END
```



```

SUBROUTINE HTEXCH(T2, T1, T3, QFA, TH21)
DIMENSION HTEMP(19), HVISC(19), HCOND(19),
1TEMP1(19), VROR(19), CNDF(19), DECA(19), DDEN(19)
COMMON /BLOCKB/ HTEMP, HVISC, HCOND, NDH
COMMON /BLOCK9/ TEMP1, VROR, CNDF, DECA, DDEN, ND
COMMON /BLOCKA/ TD20M, TH20, PSFLOW, Z2, Z3, Z5, Z6, Z7,
1AX, DI, DO, AHI, PSF02, AHO, RC, RW
QFL = QFA - 0.036
T1 = (T2 + T1)/2.
CALL LINT(DECA, TEMP1, CCP, T1, ND)
CALL LINT(VROR, TEMP1, VISC1, T1, ND)
CALL LINT(CNDF, TEMP1, TCOND, T1, ND)
CALL LINT(DDEN, TEMP1, DROR, T1, ND)
CCP = CCP/DROR
C1 = QFL*DROR*CCP
PRN = CCP*VISC1/TCOND
REZ4 = DROR/VISC1*0.51012E-6
HI = TCOND/Z2*( REZ4)**0.8*(PRN/Z3)**0.3*AH1
RIO = DO/HI/DI
CALL LINT(DDEN, TEMP1, DROR, T3, ND)
CALL LINT(DECA, TEMP1, CP, T3, ND)
CP = CP/DROR
CALL LINT(HCOND, HTEMP, TCOND, T3, NDH)
CALL LINT(HVISC, HTEMP, VISC1, T3, NDH)
PRN = CP*VISC1/TCOND
HO = TCOND/Z6*(PSFLOW*Z5/PSF02/VISC1)**0.6*(PRN/Z7)**0.3*AHO
RO = 1./HO
U = 1./(RIO + RO + RW + RC)
C2 = PSFLOW*CP
UTN = U*AX/C1
CR = C1/C2
PHI = EXP(UTN)
P = 1./(CR*PHI**CR/(PHI**CR-1.))+PHI/(PHI-1.)-1./ALOG(PHI))
IF(C1 .LT. C2) GO TO 751
EEF = P*CR

```

$$TH20 = TH21 + EEF*(T2-TH21)$$

$$TI = T2 - C2/C1*(TH20-TH21)$$

$$T3 = (TH21+TH20)/2.$$

RETURN

751 EEF = P

$$TI = T2 - EEF*(T2-TH21)$$

$$TH20 = TH21 + C1/C2*(T2-TI)$$

$$T3 = (TH21 + TH20)/2.$$

RETURN

END

```
SUBROUTINE LINT(PT,T,PI,TI,N)
DIMENSION PT(N),T(N)
IF(TI .GE. T(1) ) GO TO 3
I = 1
GO TO 2
3 M = N-1
DO 1 I = 1,M
IF(TI .GE. T(I) .AND. TI .LT. T(I+1)) GO TO 2
1 CONTINUE
I = M
WRITE(6,10) TI,PI
2 PI = PT(I) +(TI-T(I))*(PT(I+1)-PT(I))/(T(I+1)-T(I))
10 FORMAT(" ", "WARNING** QUANTITY IS EXTRAPOLATED AT",F10.4,
1" AS",F10.4)
RETURN
END
```



```
SUBROUTINE OUTPLOT (TPRT1, TPRT2, ITRAN, ISC)
DIMENSION INDEX1(2,32), INDEX2(2,32), INDEX3(2,24), IS(2), UM(33,32),
1ANGLE(33,32), TPN(33,32,1), QNG(33,32), FV(10), DUM(10), D(33,32)
COMMON /BLOCK3/ INDEX1, INDEX2, INDEX3, DELT, DEXX, DEYY, DEZZ
COMMON /BLOCK5/ TPN, QNG
COMMON /BLOCK6/ UM, ANGLE, UREF
DATA D/1056*41./
DATA FV/45.,50.,55.,60.,65.,70.,75.,80.,85.,90./
DATA IS/1,0/
NCON = 10
SIZE = 0.25
XO = 3.
YO = .5
CALL PLOT(XO, YO, -3)
CALL PLOT(21.*SIZE, SIZE, 3)
DO 1 L = 1,2
DO 1 JJ = 2,31
J = JJ
IF(L .EQ. 2) J = 33-JJ
XB = SIZE*(INDEX2(L, J)-IS(L))
YB = SIZE*(J-IS(L))
YE = SIZE*(J-L+1)
CALL PLOT(XB, YB, 2)
CALL PLOT(XB, YE, 2)
1 CONTINUE
XC = SIZE*29.
CALL SYMBOL(XC, 0., 0.14, 8HSCALE = , 0., 8)
IF(ISC .EQ. 0) CALL SYMBOL(XC+1.12, 0., 0.14, 6HLINEAR, 0., 6)
IF(ISC .EQ. 1) CALL SYMBOL(XC+1.12, 0., 0.14, 3HLOG, 0., 3)
IF(ISC .EQ. 2) CALL SYMBOL(XC+1.12, 0., 0.14, 3HNIL, 0., 3)
YC = 34.*SIZE
CALL SYMBOL(0., YC, 0.14, 10HAT TIME = , 0., 10)
IF(ITRAN .EQ. 1) TPRT1 = TPRT2
CALL NUMBER(1.4, YC, 0.14, TPRT1, 0., 1)
CALL SYMBOL(2.3, YC, 0.14, 3HSEC, 0., 3)
```

```
IF(ITRAN .EQ. 1) CALL SYMBOL(2.8, YC ,0.14, 16HAFTER BREAK DOWN,
10., 16)
```

```
DO 2 J = 2, 31
```

```
IB = INDEX2(1, J)
```

```
IE = INDEX2(2, J)
```

```
DO 2 I = IB, IE
```

```
UNOR = UM(I, J)/UREF
```

```
IF(ISC .EQ. 0) GO TO 3
```

```
UX = UM(I, J)*0.2/UREF
```

```
UNOR = ALOG(0.2)/ALOG(UX)
```

```
3 UMT = UNOR*SIZE*0.8
```

```
IF(ISC .EQ. 2) UMT=SIZE*0.5
```

```
XS = (I-0.5)*SIZE
```

```
YS = (J-0.5)*SIZE
```

```
AN = ANGLE(I, J)
```

```
XR = XS + UMT*COS(AN)
```

```
YR = YS + UMT*SIN(AN)
```

```
TIP1X = XS + 0.75*UMT*COS(AN+0.053)
```

```
TIP1Y = YS + 0.75*UMT*SIN(AN+0.053)
```

```
TIP2X = XS + 0.75*UMT*COS(AN-0.053)
```

```
TIP2Y = YS + 0.75*UMT*SIN(AN-0.053)
```

```
CALL PLOT(XS, YS, 3)
```

```
CALL PLOT(XR, YR, 2)
```

```
CALL PLOT(TIP1X, TIP1Y, 2)
```

```
CALL PLOT(TIP2X, TIP2Y, 3)
```

```
CALL PLOT(XR, YR, 2)
```

```
2 CONTINUE
```

```
CALL PLOT(XO, YO, -3)
```

```
C CONTOURS PLOT
```

```
DO 78 J = 2, 31
```

```
IB = INDEX2(1, J)
```

```
IE = INDEX2(2, J)
```

```
DO 78 I = IB, IE
```

```
D(I, J) = TPN(I, J, 1)
```

78 CONTINUE

ADJ = 0.5\*SIZE

CALL PLOT(21.5\*SIZE, 1.5\*SIZE, 3)

DO 4 L = 1, 2

DO 4 JJ = 2, 31

J = JJ

IF(L .EQ. 2) J = 33-JJ

XB = SIZE\*(INDEX2(L, J) - IS(L)) + ADJ

YB = SIZE\*(J - IS(L)) + ADJ

YE = SIZE\*(J - L + 1) + ADJ

CALL PLOT(XB, YB, 2)

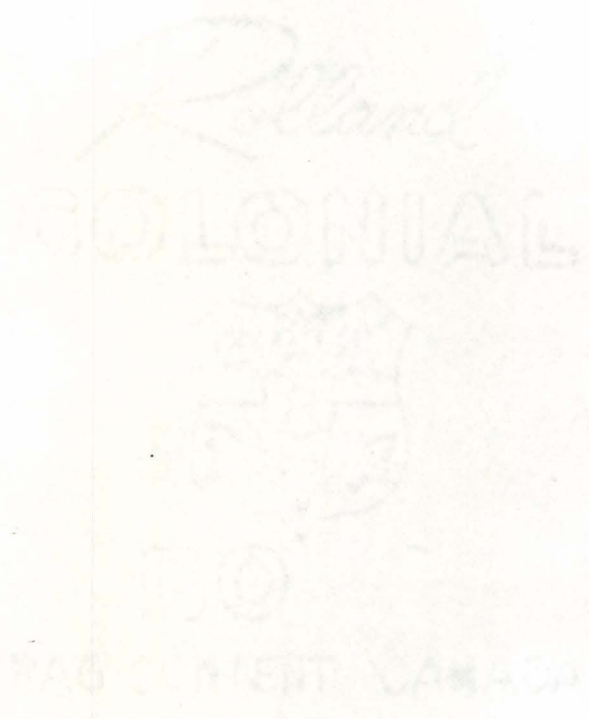
CALL PLOT(XB, YE, 2)

4 CONTINUE

CALL PLTCO(D, 33, 32, FV, DUM, NCON)

RETURN

END





SUBROUTINE TEMPFD

DIMENSION U(33,32,1),V(33,32,1),T(33,32,1),P(33,32,1),  
 1TPN(33,32,1),PO(34,33),INDEX1(2,32),INDEX2(2,32),  
 2 INDEX3(2,24),QNG(33,32),VOR(33,32,1),CNF(33,32,1),DAC(33,32,1)

COMMON /BLOCK1/ U,V,T,P

COMMON /BLOCK3/ INDEX1,INDEX2,INDEX3,DELT,DEXX,DEYY,DEZZ

COMMON /BLOCK4/ PO,VOR,CNF,DAC,RAD,TAV,TOI,BETA

COMMON /BLOCK5/ TPN,QNG

TAV = 0.

K = 1

DO 12 J = 2,31

IB = INDEX2(1,J)

IE = INDEX2(2,J)

DO 12 I = IB,IE

TUX = ((U(I,J,K)+U(I-1,J,K)-ABS(U(I,J,K)+U(I-1,J,K)))\*  
 1(T(I+1,J,K)\*DAC(I+1,J,K)-T(I,J,K)\*DAC(I,J,K))+  
 3 (U(I,J,K)+U(I-1,J,K)+ABS(U(I,J,K)+U(I-1,J,K)))\*  
 3(T(I,J,K)\*DAC(I,J,K)-T(I-1,J,K)\*DAC(I-1,J,K))/4./DEXX  
 TVY = ((V(I,J,K)+V(I,J-1,K)-ABS(V(I,J,K)+V(I,J-1,K)))\*  
 1(T(I,J+1,K)\*DAC(I,J+1,K)-T(I,J,K)\*DAC(I,J,K)) +  
 2(V(I,J,K)+V(I,J-1,K) + ABS(V(I,J,K) + V(I,J-1,K))) \*  
 3(T(I,J,K)\*DAC(I,J,K)-T(I,J-1,K)\*DAC(I,J-1,K))/4./DEYY  
 TSX = ((CNF(I+1,J,K)+CNF(I,J,K))\*(T(I+1,J,K)-T(I,J,K)) -  
 1(CNF(I,J,K)+CNF(I-1,J,K))\*(T(I,J,K)-T(I-1,J,K))  
 2/2./DEXX\*\*2

TSY = ((CNF(I,J+1,K)+CNF(I,J,K))\*(T(I,J+1,K)-T(I,J,K))-  
 1(CNF(I,J,K)+CNF(I,J-1,K))\*(T(I,J,K)-T(I,J-1,K))  
 2/2./DEYY\*\*2

TPN(I,J,K) = T(I,J,K)+DELT/PO(I,J)/DAC(I,J,K)\*(TSX+TSY+  
 1QNG(I,J)-TUX-TVY)

TAV = TAV + TPN(I,J,K)

12 CONTINUE

TAV = TAV/750.

RETURN

END

```
SUBROUTINE TRPLOT(TSHUT,NTP,DEXX,DEYY,DEZZ)
DIMENSION TEP(15),QEP(15),TEPI(15),QEPI(15),KVAL(15)
DATA KVAL/1HA,1HB,1HC,1HD,1HE,1HF,1HG,1HH,1HI,1HJ,1HK,1HL,
1HM,1HN,1HO/
NQP = NTP
CALL PLOT(1.5,1.5,-3)
TMAX = QMAX = 0.
REWIND 2
READ(2,30) TEI
READ(2,30) (TEPI(I),I=1,NTP)
READ(2,30) (QEPI(I),I=1,NQP)

DO 40 I = 1,NTP
IF(TEPI(I) .GT. TMAX) TMAX = TEPI(I)
40 CONTINUE
DO 42 I = 1,NQP
IF(QEPI(I) .GT. QMAX) QMAX = QEPI(I)
42 CONTINUE

VOL = DEXX*DEYY*DEZZ
QMAX = QMAX*VOL
SIZEX = 2.
IF(TSHUT .GE. 4) SIZEX = 1./FLOAT(IFIX(TSHUT/8.+0.5))
SIZEY = 1./FLOAT(IFIX(TMAX/6.+0.5))
SIZE = 1./FLOAT(IFIX(QMAX/6.+0.5))
SIZEQ = SIZE*VOL

CALL AXISN(0.,0.,8HTIME (S),8,1,0.5 ,8.,0.,0.,0.,0.50/SIZEX)
CALL AXISN(0.,0.,8HTEMP (C),8,-1,0.5 ,6.,0.,90.,0.,0.50/SIZEY)
CALL PLOT(TEI*SIZEX,TEPI(1)*SIZEY,3)
WRITE(6,33)
REWIND 2
DO 1 I = 1,NTP
50 READ(2,30) TIME
IF(EOF(2)) 100,90
90 READ(2,30) (TEP(J),J=1,NTP)
```

```
READ(2,30) (QEP(J),J=1,NQP)
WRITE(6,32) I,TIME,TEP(I),QEP(I)*VOL
CALL PLOT(TIME*SIZEX,TEP(I)*SIZEY,2)
GO TO 50
100 CALL SYMBOL(TIME*SIZEX,TEP(I)*SIZEY,0.14,KVAL(I),0.,1)
REWIND 2
IF(I.EQ.NTP) GO TO 2
CALL PLOT(TEI*SIZEX,TEPI(I+1)*SIZEY,3)
1 CONTINUE

2 CALL PLOT(1.5,1.5,-3)
CALL AXISN(0.,0.,8HTIME(S),8,1,0.5,8.,0.,0.,0.,0.50/SIZEX)
CALL AXISN(0.,0.,6HQ(KW),6,-1,0.5,6.,0.,90.,0.,0.50/SIZE)
CALL PLOT(TEI*SIZEX,QEPI(I)*SIZEQ,3)
DO 3 I= 1,NQP
60 READ(2,30) TIME
IF(EOF(2)) 110,105
105 READ(2,30) (TEP(J),J=1,NTP)
READ(2,30) (QEP(J),J=1,NQP)
CALL PLOT(TIME*SIZEX,QEP(I)*SIZEQ,2)
GO TO 60
110 CALL SYMBOL(TIME*SIZEX,QEP(I)*SIZEQ,0.14,KVAL(I),0.,1)
IF(I.EQ.NQP) GO TO 4
CALL PLOT(TEI*SIZEX,QEPI(I+1)*SIZEQ,3)
REWIND 2
3 CONTINUE
30 FORMAT(" ",2(8E15.8,/))
32 FORMAT(" ",T10,I5,T20,3G20.5)
33 FORMAT("1"///,T10,"LOCATION NO.",T31,"TIME",T51,"TEMP",T71,"HEAT"
1/)
4 RETURN
END
```



## SUBROUTINE VELFD

A 62

```

DIMENSION U(33,32,1),V(33,32,1),TP(33,32,1),P(33,32,1),
1UN(33,32,1),VN(33,32,1),PO(34,33),
2INDEX1(2,32),INDEX2(2,32),INDEX3(2,24),VOR(33,32,1),CNF(33,32,1),
3DAC(33,32,1)

```

```
COMMON /BLOCK1/ UN,VN,TP,P
```

```
COMMON /BLOCK2/ U,V
```

```
COMMON /BLOCK3/ INDEX1,INDEX2,INDEX3,DELT,DEXX,DEYY,DEZZ
```

```
COMMON /BLOCK4/ PO,VOR,CNF,DAC,RAD,TAV,TOR,BETA
```

```
K = 1
```

```
DO 12 J = 2,31
```

```
IB = INDEX2(1,J)
```

```
IE = INDEX2(2,J)
```

```
DO 12 I = IB,IE
```

```
PX0 = (PO(I-1,J) + PO(I,J))/2.
```

```
PX1 = (PO(I,J) + PO(I+1,J))/2.
```

```
PX2 = (PO(I+1,J) + PO(I+2,J))/2.
```

```
PY0 = (PO(I,J-1) + PO(I,J))/2.
```

```
PY1 = (PO(I,J) + PO(I,J+1))/2.
```

```
PY2 = (PO(I,J+1) + PO(I,J+2))/2.
```

```
CX = 20.*DIM(PX1,0.95)*(VOR(I+1,J,K) + VOR(I,J,K))/2.
```

```
CY = 20.*DIM(PY1,0.95)*(VOR(I,J+1,K) + VOR(I,J,K))/2.
```

```
COEX = 16.67*CX*(1.-PX1)**2/PX1**3/RAD**2
```

```
COEY = 16.67*CY*(1.-PY1)**2/PY1**3/RAD**2
```

```
COX = 0.583 *(1.-PX1)/PX1**3/RAD
```

```
COY = 0.583 *(1.-PY1)/PY1**3/RAD
```

```

FUX = ((U(I+1,J,K)/PX2-U(I,J,K)/PX1)*(U(I,J,K)-ABS(U(I,J,K)))
1 + (U(I,J,K)/PX1-U(I-1,J,K)/PX0)*(U(I,J,K)+ABS(U(I,J,K))))/2./DEXX
VX = (V(I,J,K)+V(I,J-1,K)+V(I+1,J,K)+V(I+1,J-1,K))/4.
UY = (U(I-1,J,K)+U(I-1,J+1,K)+U(I,J,K)+U(I,J+1,K))/4.
FUY = ((2.*U(I,J+1,K)/(PO(I+1,J+1)+PO(I,J+1)) - U(I,J,K)/PX1)
1 *(VX-ABS(VX))

```

1 + (U(I,J,K)/PX1-2.\*U(I,J-1,K)/(PO(I+1,J-1)+PO(I,J-1)))\*(VX  
 2 +ABS(VX))/2./DEYY

FVX = ((2.\*V(I+1,J,K)/(PO(I+1,J+1)+PO(I+1,J))-V(I,J,K)/PY1)\*  
 1 (UY-ABS(UY)) + (V(I,J,K)/PY1-2.\*V(I-1,J,K)/(PO(I-1,J)+  
 2PO(I-1,J+1)))\*(UY+ABS(UY)))/2./DEXX

FVY = ((V(I,J+1,K)/PY2-V(I,J,K)/PY1)\*(V(I,J,K)-ABS(V(I,J,K)))  
 1 + (V(I,J,K)/PY1-V(I,J-1,K)/PY0)\*(V(I,J,K)+ABS(V(I,J,K))))/2./DEYY

VISX = CX\*((U(I+1,J,K)/PX2-2.\*U(I,J,K)/PX1+U(I-1,J,K)/PX0)/DEXX\*\*2  
 1 + 2.\*(U(I,J+1,K)/(PO(I+1,J+1)+PO(I,J+1)) -U(I,J,K)/PX1  
 2 + U(I,J-1,K)/(PO(I+1,J-1)+PO(I,J-1)))/DEYY\*\*2)

VISY = CY\*(2.\*(V(I+1,J,K)/(PO(I+1,J+1)+ PO(I+1,J))-V(I,J,K)/PY1  
 1 + V(I-1,J,K)/(PO(I-1,J+1)+PO(I-1,J)))/DEXX\*\*2 + (V(I,J+1,K)/  
 2PY2 - 2.\*V(I,J,K)/PY1 + V(I,J-1,K)/PY0)/DEYY\*\*2)

UN(I,J,K) = U(I,J,K) + DELT\*((P(I,J,K)-P(I+1,J,K))/DEXX+PX1\*(  
 1 VISX - COEX\*U(I,J,K)-SIGN(1.,U(I,J,K))\*COX\*U(I,J,K)\*\*2)-FUX  
 2-FUY)

VN(I,J,K) = V(I,J,K) + DELT\*((P(I,J,K)-P(I,J+1,K))/DEYY+PY1\*(  
 1 BETA\*((TP(I,J+1,K)+TP(I,J,K))/2. - TOR) + VISY -  
 2 COEY\*V(I,J,K)-SIGN(1.,V(I,J,K))\*COY\*V(I,J,K)\*\*2)-FVX-FVY)

12 CONTINUE

RETURN

END

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 CONFIDENTIAL

```
SUBROUTINE PLTCON(A, M, N, FV, DUM, NCON)
DIMENSION A(M, N), FV(NCON), DUM(NCON), KK(11)
COMMON/CONT/AL, BE, II, FI, SIZE
DATA KK/1HA, 1HB, 1HC, 1HD, 1HE, 1HF, 1HG, 1HH, 1HI, 1HJ, 1HK/
SIZE = 0.25
AL = SIZE
BE = SIZE
DUM(1) = FV(1)
DO 5 I=2, NCON
5 DUM(I) = FV(I) - FV(I-1)
FI = 0.14
J=0
DO 6 I=1, NCON
J=J+1
II = KK(J)
DO 22 IMO = 1, M
DO 22 INO = 1, N
A(IMO, INO) = A(IMO, INO) - DUM(I)
22 IF(A(IMO, INO) .EQ. 0.) A(IMO, INO) = 1.E-10
6 CALL HUNT(A, M, N)
XB = 7.5
CALL SYMBOL(3., 9.2, FI, 14HTEMP, CONTOURS, 0., 14)
DO 7 I = 1, NCON
YB = 9.3 - FLOAT(I)*(FI+0.07)
CALL SYMBOL(XB, YB, FI, KK(I), 0., 1)
CALL SYMBOL(XB+FI, YB, FI, 3H = , 0., 3)
CALL NUMBER(XB+4.*FI, YB, FI, FV(I), 0., 1)
CALL SYMBOL(XB+9.*FI, YB, FI, 1HC, 0., 1)
7 CONTINUE
RETURN
END
```



```
SUBROUTINE HUNT(A,MM,N)
COMMON /CONT/ AL,BE,KKK,FI,SIZE
LOGICAL NOMORE, BOUND, FIRST
COMMON/DETAIL/ KRIT,KI(33),KJ(33),KP(33)
DIMENSION A(MM,N),KK(2)
DATA M1,M2,M3,M4/177B,77777777777777777777600B,7B,170B/
DATA M5/4B/
DATA KK/41,81/
CALL TAIL(A,MM,N)
700  NPOS=3
     IS= ISCAN(A,MM,N,I,J)
     IF(IS.EQ.0) RETURN
     K=A(I,J).AND.M4
     A(I,J)=A(I,J).AND.M2
     FIRST=.TRUE.
     NOMORE=.TRUE.
     ASSIGN 210 TO IGO
     GO TO 400
210  NPOS=2
     FIRST=.FALSE.
     ASSIGN 220 TO IGO
220  IF((L.AND.KK(3-NS).AND.M4).EQ.0) GO TO 300
     I=II
     J=JJ
225  IF((L.AND.M3).NE.1) GO TO 240
     A(I,J)=A(I,J).AND.M2
     K=L -1
     NOMORE=.TRUE.
     GO TO 400
240  IF(NS.EQ.1) GO TO 245
     IF((L.AND.8).EQ.0) GO TO 242
     K=8
     GO TO 250
242  K=32
     GO TO 250
```

```
245  IF((L.AND.16).EQ.0) GO TO 247
      K=16
      GO TO 250
247  K=64
250  LL=(L-K-1).AND..NOT.M5
      A(I,J)=(A(I,J).AND.M2).OR.(LL.AND.M1)
      NOMORE=.FALSE.
      GO TO 400
300  IF(NOMORE) GO TO 230
      IF((LL.AND.KK(3-NS).AND.M4).EQ.0) GO TO 230
      L=LL
      GO TO 225
230  IF(NS.EQ.2) GO TO 280
      IF(J.EQ.1) GO TO 260
      IF((A(I,J-1).AND.K).EQ.0) GO TO 260
      J=J-1
270  L=A(I,J).AND.M1
      GO TO 250
260  IF(J.EQ.N) GO TO 600
      IF((A(I,J+1).AND.K).EQ.0) GO TO 600
      J=J+1
      GO TO 270
280  IF(I.EQ.1) GO TO 290
      IF((A(I-1,J).AND.K).EQ.0) GO TO 290
      I=I-1
      GO TO 270
290  IF(I.EQ.MD) GO TO 600
      IF((A(I+1,J).AND.K).EQ.0) GO TO 600
      I=I+1
      GO TO 270
600  IF(BOUND) GO TO 650
      IF(ABS(X-XS).GT.AL.OR.ABS(Y-YS).GT.BE) GO TO 650
      CALL PLOT(XS,YS,NPOS)
      GO TO 700
650  CALL SYMBOL(X*SIZE,Y*SIZE,F1,KKK,0.,1)
```

```
GO TO 700
400 IF(K.NE.8) GO TO 420
    II=I-1
    X=FLOAT(I)+A(I,J)/(A(II,J)-A(I,J))
    GO TO 450
420 IF(K.NE.16) GO TO 440
    JJ=J-1
    Y=FLOAT(J)+A(I,J)/(A(I,JJ)-A(I,J))
    GO TO 470
440 IF(K.NE.32) GO TO 460
    II=I+1
    X=FLOAT(I)+A(I,J)/(A(I,J)-A(II,J))
450 JJ=J
    NS=1
    Y=FLOAT(J)
    GO TO 500
460 JJ=J+1
    Y=FLOAT(J)+A(I,J)/(A(I,J)-A(I,JJ))
470 II=I
    NS=2
    X=FLOAT(I)
500 X = X*SIZE
    Y = Y*SIZE
    IF(.NOT.FIRST) GO TO 520
    BOUND=(IS.AND.NS).NE.0
    IF(.NOT.BOUND.AND.(IS.NE.4)) GO TO 800
    XS=X
    YS=Y
    CALL SYMBOL(X,Y,FI,KKK,0.,1)
520 CALL PLOT(X,Y,NPOS)
    L=A(II,JJ).AND.M1
    L=L+K-KK(NS)
    L=L.AND..NOT.M5
    A(II,JJ)=(A(II,JJ).AND.M2).OR.(L.AND.M1)
    IF (KRIT.EQ. 0) GO TO IGO,(210,220,900)
```



```
IF(NS.EQ.1) GO TO 530
J1=(J+JJ+1)/2
DO 540 M=1,KRIT
IF(J1.NE.KJ(M) GO TO 540
IF(I.EQ.KI(M) GO TO 543
IF(I+1.EQ.KI(M) GO TO 546
540 CONTINUE
GO TO IGO,(210,220,900)
543 K=8
J=KJ(M)-KP(M)
GO TO 560
546 K=32
J=KJ(M)+KP(M)-1
560 K2=16
IF(J.EQ.KJ(M) K2=64
GO TO 590
530 I1=(I+I1+1)/2
DO 550 M=1,KRIT
IF(I1.NE.KI(M) GO TO 550
IF(J.EQ.KJ(M) GO TO 553
IF(J+1.EQ.KJ(M) GO TO 556
550 CONTINUE
GO TO IGO,(210,220,900)
553 K=16
I=KI(M)-KP(M)
GO TO 570
556 K=64
I=KI(M)+KP(M)-1
570 K2=8
IF(I.EQ.KI(M) K2=32
590 ASSIGN 900 TO IGO
LL=(A(I,J).AND.M1)-K-1
LL=LL.AND..NOT.M5
A(I,J)=(A(I,J).AND.M2).OR.LL
KI(M)=KI(KRIT)
```

KJ(MD=KJ(KRIT)

KP(MD=KP(KRIT)

KRIT=KRIT-1

NOMORE=.FALSE.

GO TO 400

900 ASSIGN 220 TO IGO

IF((L.AND.K2).EQ.0) GO TO 910

I=II

J=JJ

K=K2

GO TO 250

910 IF((LL.AND.K2).EQ.0) GO TO 920

L=LL

K=K2

GO TO 250

920 IF(NS.EQ.2) GO TO 930

IF(K2.EQ.64) GO TO 260

IF(J.EQ.1) GO TO 600

J=J-1

IF((A(I,J).AND.K).EQ.0) GO TO 600

GO TO 270

930 IF(K2.EQ.32) GO TO 290

IF(I.EQ.1) GO TO 600

I=I-1

IF((A(I,J).AND.K).EQ.0) GO TO 600

GO TO 270

800 A(I,J)=A(I,J).OR.M3.OR.K

GO TO 700

END

```
FUNCTION ISCAN(A,M,N,II,JJ)
DIMENSION A(M,N)
DATA M1/7B/
J=1
DO 50 I=1,M
IF((A(I,J).AND.M1).EQ.1) GO TO 100
50 CONTINUE
I=M
DO 60 J=2,N
IF((A(I,J).AND.M1).EQ.1) GO TO 100
60 CONTINUE
J=N
MM=M+1
DO 70 K=2,M
I=MM-K
IF((A(I,J).AND.M1).EQ.1) GO TO 100
70 CONTINUE
I=1
NN=N+2
DO 80 K=3,N
J=NN-K
IF((A(I,J).AND.M1).EQ.1) GO TO 100
80 CONTINUE
MM=M-1
NN=N-1
DO 90 J=2,NN
DO 90 I=2,MM
IF((A(I,J).AND.M1).EQ.1) GO TO 100
90 CONTINUE
ISCAN=0
RETURN
100 ISCAN=4
IF(I.EQ.1.OR.I.EQ.M) ISCAN=6
IF(J.EQ.1.OR.J.EQ.N) ISCAN=ISCAN+1
II=I
```



A 71

JJ=J

RETURN

END

COLOMBIA

```
SUBROUTINE TAIL(A,M,N)
DIMENSION A(M,N)
COMMON/DETAIL/ KRIT,KI(33),KJ(33),KP(33)
DATA M1/177B/
M2=.NOT.M1
KRIT=0
DO 100 I=1,M
DO 100 J=1,N
K=0
T=SIGN(1.0,A(I,J))
IF(I.EQ.1) GO TO 20
IF(SIGN(1.0,A(I-1,J)).NE.T) K=K+9
IF(I.EQ.M) GO TO 30
20 IF(SIGN(1.0,A(I+1,J)).NE.T) K=K+33
30 IF(J.EQ.1) GO TO 40
IF(SIGN(1.0,A(I,J-1)).NE.T) K=K+17
IF(J.EQ.N) GO TO 50
40 IF(SIGN(1.0,A(I,J+1)).NE.T) K=K+65
50 A(I,J)=(A(I,J).AND.M2).OR.K
IF((A(I,J).AND.24).NE.24) GOTO 100
IF(I.EQ.1) GO TO 100
IF(J.EQ.1) GO TO 100
IF((A(I-1,J-1).AND.96).NE.96) GOTO 100
IF(KRIT.EQ.33) GO TO 100
KRIT=KRIT+1
KI(KRIT)=I
KJ(KRIT)=J
T=ABS(A(I,J)+A(I-1,J-1))-ABS(A(I-1,J)+A(I,J-1))
K=0
IF(T.GT.0.0) K=1
KP(KRIT)=K
100 CONTINUE
RETURN
END
END
```

## APPENDIX B

### Heat Exchangers Model

#### B.1 Introduction

The transient behaviour of the moderator heat exchangers is modelled using the effectiveness - NTU method. The temperature relationships and heat exchangers effectiveness applicable for shell and tube heat exchangers having split flow shells and multi pass tubes are given by Chapman (4) and Jaw (5). The following model has been described by Keil (6).

#### B.2 Model

The heat exchangers relate the temperature of the inlet and outlet of the moderator. The outlet fluid temperature of the heat exchangers depend on their thermal effectiveness, temperature of the service and inlet fluid.

If the tube side thermal capacitance is less than that in the shell side, then



$$T_{D_2O, out} = T_{D_2O, in} + P \cdot (T_{D_2O, in} - T_{H_2O, in}) \quad B.1$$

where P is the thermal effectiveness, and if the shell side thermal capacitance is less than that of the tube side, then

$$T_{H_2O, out} = T_{H_2O, in} + P \cdot R \cdot (T_{D_2O, in} - T_{H_2O, in}) \quad B.2$$

$$T_{D_2O, out} = T_{D_2O, in} + 1/R \cdot (T_{H_2O, out} - T_{H_2O, in}) \quad B.3$$

where the dimensionless group R is defined as

$$\frac{\dot{M}_{D_2O} \cdot C_{D_2O}}{\dot{M}_{H_2O} \cdot C_{H_2O}} \quad B.4$$

Value of  $T_{D_2O, out}$  is calculated either from eq B-1 or eq B-2 and B-3

The heat exchanger effectiveness, P, obtained from Jaw (5) is written as

$$P = 1. / ( R \cdot \phi^R / (\phi^R - 1) + \phi / (\phi - 1) - 1. / \ln \phi ) \quad B.5$$

where  $\phi = \exp (U \cdot A / M_{D_2O} \cdot C_{D_2O})$

A total outside tube heat transfer surface area  
( $m^2$ )

and

$$U = \frac{1}{\frac{1}{h_i} + \frac{1}{h_o} + R_w + R_c}$$

B-6

where  $h_i$  is the tube side heat transfer coefficient  
( $kw/m^2C$ )

$h_o$  is the shell side heat transfer coefficient  
( $kw/m^2C$ )

$R_w$  is the thermal resistance of the tube material  
( $m^2/kw$ )

$R_c$  is the thermal resistance due to fouling ( $m^2C/kw$ )

The value of  $h_i$  is obtained using the correlation given by Chapman (4) for turbulent flow through tubes.

$$h_i = \frac{k_i}{Z_2} \left[ \frac{N_{Re}}{Z_4} \right]^{0.8} \left[ \frac{N_{PR}}{Z_3} \right]^{0.3} \cdot AHI$$

B-7

where  $k_i$  is the thermal conductivity of  $D_2O$  at  $T_i$

$T_i$  is the mean  $D_2O$  temperature

$Z_2$  is the thermal conductivity of  $D_2O$  at design temperature

$N_{RE}$  is the Reynold number evaluated at  $T_i$

$Z_4$  is the Reynold number evaluated at design temperature

$N_{PR}$  is the Prandtl number of  $D_2O$  at  $T_i$

$Z_3$  is the Prandtl number of  $D_2O$  at the design temperature

AHI is the heat transfer coefficient for design conditions

A correction to the outside surface area is made to  $h_i$

$$h_i = h_o \cdot d_o / d_i$$

where  $d_i$  is the inside diameter of the tubes  
 $d_o$  is the outside diameter of the tubes



The value of  $h_o$  is obtained for flow across bundles  
of tube

$$h_o = \frac{k_o}{Z_6} \left[ \frac{\dot{M}_{H_2O} \mu'_{H_2O}}{\dot{M}'_{H_2O} \mu_{H_2O}} \right]^{0.6} \left[ \frac{N_{PR}}{Z_7} \right]^{0.33} \cdot AHO \quad B-8$$

where

$k_o$  is the thermal conductivity of  $H_2O$  at  $T_o$

$T_o$  is the mean  $H_2O$  temperature

$Z_6$  is the thermal conductivity of  $H_2O$   
at design temperature

$\dot{M}_{H_2O}$  is the mass flow rate at  $T_o$

$\dot{M}'_{H_2O}$  is the mass flow rate at design temperature

$\mu$  is the viscosity of water at  $T_o$

$\mu'$  is the viscosity of water at design temperature

$N_{PR}$  is the Prandtl number of  $H_2O$  at  $T_o$

$Z_7$  is the Prandtl number of  $H_2O$  at design  
temperature

$AHO$  is the heat transfer coefficient for design  
conditions

Equation B-8 is recommended for  $N_{RE} > 4000$

## Appendix C

### Temperature Contours Plot

#### C.1 Introduction

The contours plot package includes subprograms, PLTCON, HUNT, ISCAN, TAIL which is compatible with MODCONV to produce isothermals inside the moderator.

#### C.2 Basic Philosophy

We are always looking for the contour with value zero. It is traced through points on lines joining  $T(I,J)$  to one of  $T(I-1,J)$ ,  $T(I+1,J)$ ,  $T(I,J-1)$ ,  $T(I,J+1)$ , and these points are joined by straight line segments. A contour crosses a line only if the two end values have opposite signs.

The seven low order bits of each array value are set as follows: i) last 3 bits - indicator count for the number of nearest neighbour points sign, ii) next 4 bits -



indicators refer to the 4 nearest points are set to 1 if that point has opposite sign. Compass routine TAIL sees indicators and indicator count. We start a contour from a point with just one indicator set or those cross the boundary. Compass routine ISCAN finds a starting point. A contour is continued as follows. Each time we cross a line joining 2 points, we delete the appropriate indicators in these two array values and reduce their indicator counts by one. These two points are referred to as new and old. We then try to find i) A line through new perpendicular to the last line crossed, ii) a line through old perpendicular to the last line crossed, iii) a line parallel to the last line crossed. We use the first of these that is available. If none of these 3 methods can continue the contour, we check to see whether it is an internal contour and should be joined to its starting point or not. We then return to ISCAN to see if we have another contour. To find the precise point on those line we linearly interpolate for zero from the 2 array values at each end.

### C-3 Input

Values of isothermals are specified in the DATA statement for FV.

Note: Subprograms, PLTCON, HUNT, ISCAN, TAIL are modified subroutines from contour plotting package by Dr. D.J. Kenworthy in McMaster University.



## Appendix D

### JCL and CALCOMP Plotting Routines

A.

The basic system call concept is shown in the block diagram D-1. The fortran deck and compiler can be by-passed, if the card deck is stored in a compiled form. Basically, the final result is obtained through two sources, i) line printer, ii) x-y plotter.

The following is the typical JCL used.

MACHINE C.

JOB, CML050000 P3.

ACCOUNT, YTC, 038, A259, C811.

NOTE Y.T. CHAN.

DISPOSE, OUTPUT, \*LP, OH.

GET, TAPE1 : filename1.

FTN, A, OPT : 2.

LDSET, LIB : CALCOMP.

LGO.

REPLACE, TPE1 : filename2.

DISPOSE, TAPE99, \*MB : filename3.

EXIT.

FTN statement may be replaced by GET, LGO : YTCBIN if the code is stored in YTCBIN in compiled form.

The plotting information which is calculated by MODCONV is disposed on tape99 through CALCOMP plotting library routine into the TCL system. Thus, it is rather important to lay out a proper procedure to obtain the plots.

Dail 9-449-1241 to multiple access computer system,  
then type

ENTER, PROJ, USER, CU - ytc, Ø38, a259 (login TCL system)

ENTER, SEC

C811

TERM : 53, TTY

TYPE SYSTEM NAME - tcl

use, scan99 (access ALCOMP routine)

\*SCAN99 \*VERSION2 - CALCOMP PLOT FILE PREVIEW

ENTER COMMAND ? plot, yttest (plot from tape yttest)

ENTER COMMAND ? xyplot (access x-y plotter)

ENTER COMMAND ? post, off (no postscanning)

ENTER COMMAND ? auto, off (no autowindow size set)

ENTER COMMAND ? step (stepwise mode)

ENTER COMMAND ? window, 15,10 (set window size to  
15"x10")

ENTER COMMAND ? window, 0,0 (set origin to the center  
of the window)

ENTER COMMAND ? I (print parameter settings)  
ENTER COMMAND ? go (print date, jobname,  
account number of the  
disposing job. This  
printing can be avoided by  
either unload the plotter  
or used Advance 1, or  
search 3)  
ENTER COMMAND ? go (each 'go' will allows one  
plotting)

An 'end' is required to sign off the SCAN99 routine,  
while a 'logout', 'bye' or 'hello' can be used to sign off  
the TCL.

NOTE: Sometimes, the origin may need to redefined between  
plots. By default, the scale is 1. The scale can  
be changed with comand SCALE, N.



